

# Probing Nuclear Structure through Electron Scattering from Tensor Polarized Targets



E. Long, on behalf of the  $b_1$  collaboration

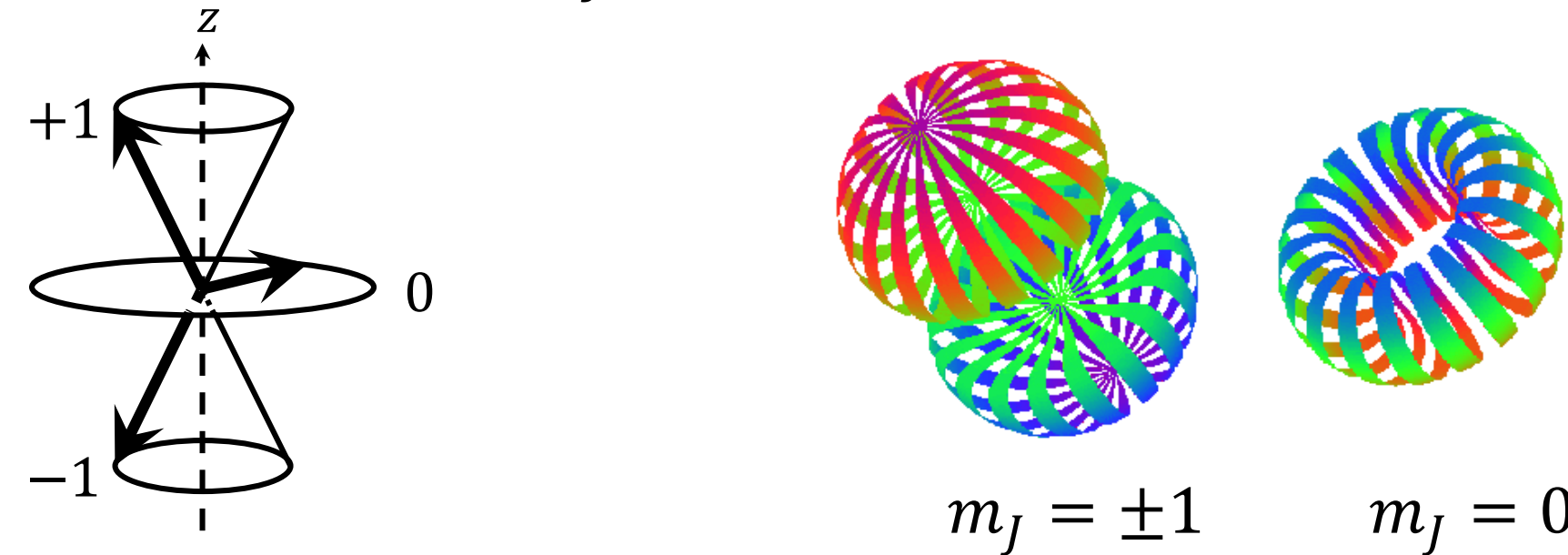
## Abstract

The leading twist tensor structure function of spin-1 hadrons,  $b_1$  provides a unique tool to study partonic effects, while also being sensitive to coherent nuclear properties in the simplest nuclear system. The first measurement of  $b_1$  taken at HERMES revealed a crossover to an anomalously large negative value in the  $0.2 < x < 0.5$  region, albeit with relative large uncertainty, where all conventional models predicted a vanishing  $b_1$ . There is no known conventional nuclear mechanism that can explain the large negative value of  $b_1$  found at large  $x$  by HERMES. However, a recent calculation by G. Miller demonstrates that this data might be understood in terms of hidden color due to a small six-quark configuration contribution to the nuclear wave function.

Jefferson Lab has approved an experiment to measure  $b_1$  with greatly improved uncertainty using a tensor-polarized solid ND<sub>3</sub> target. Such a target would also provide access to tensor observables at higher  $x$  that can probe the short range repulsive core of the nucleon-nucleon potential and the ratio of the S- and D-states through a measurement of the tensor asymmetry  $A_{zz}$ .

## Background

The deuteron is the simplest composite nuclear system, which makes understanding it imperative for understanding bound systems in QCD. Being a spin-1 particle, it can be vector ( $m_j = \pm 1$ ) or tensor ( $m_j = 0$ ) polarized<sup>[1]</sup>.



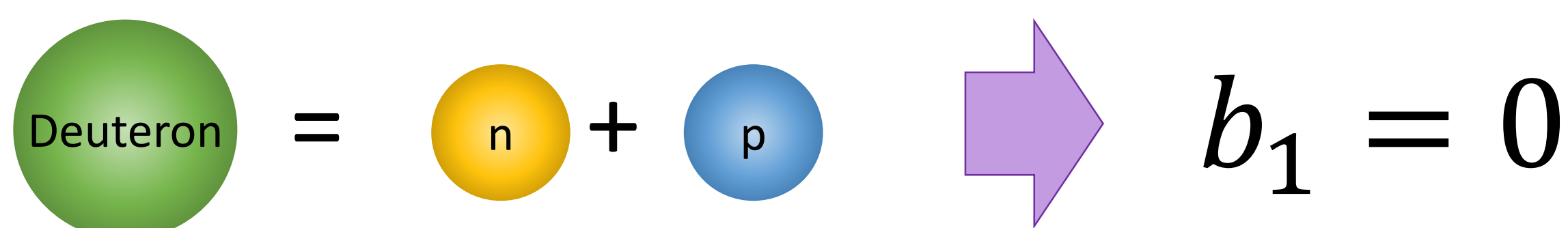
The hadronic tensor of electron scattering from the deuteron reveals four structure functions ( $b_1$ ,  $b_2$ ,  $b_3$ , and  $b_4$ ) that cannot be accessed using a vector polarized target<sup>[2]</sup>.

$$W_{\mu\nu} = -F_1 g_{\mu\nu} + F_2 \frac{P_\mu P_\nu}{v} - b_1 r_{\mu\nu} + \frac{1}{6} b_2 (s_{\mu\nu} + t_{\mu\nu} + u_{\mu\nu}) + \frac{1}{2} b_3 (s_{\mu\nu} - u_{\mu\nu}) + \frac{1}{2} b_4 (s_{\mu\nu} - t_{\mu\nu}) + i \frac{g_1}{v} \epsilon_{\mu\nu\lambda\sigma} q^\lambda s^\sigma + i \frac{g_2}{v^2} \epsilon_{\mu\nu\lambda\sigma} q^\lambda (p \cdot q s^\sigma - s \cdot q p^\sigma)$$

The leading twist tensor structure functions are expected to have a Callan-Gross relation, where  $b_2 = x b_1$ . The  $b_1$  probes the momentum fraction of quarks while the whole nucleus is in the  $m_j = \pm 1$  or  $m_j = 0$  states,

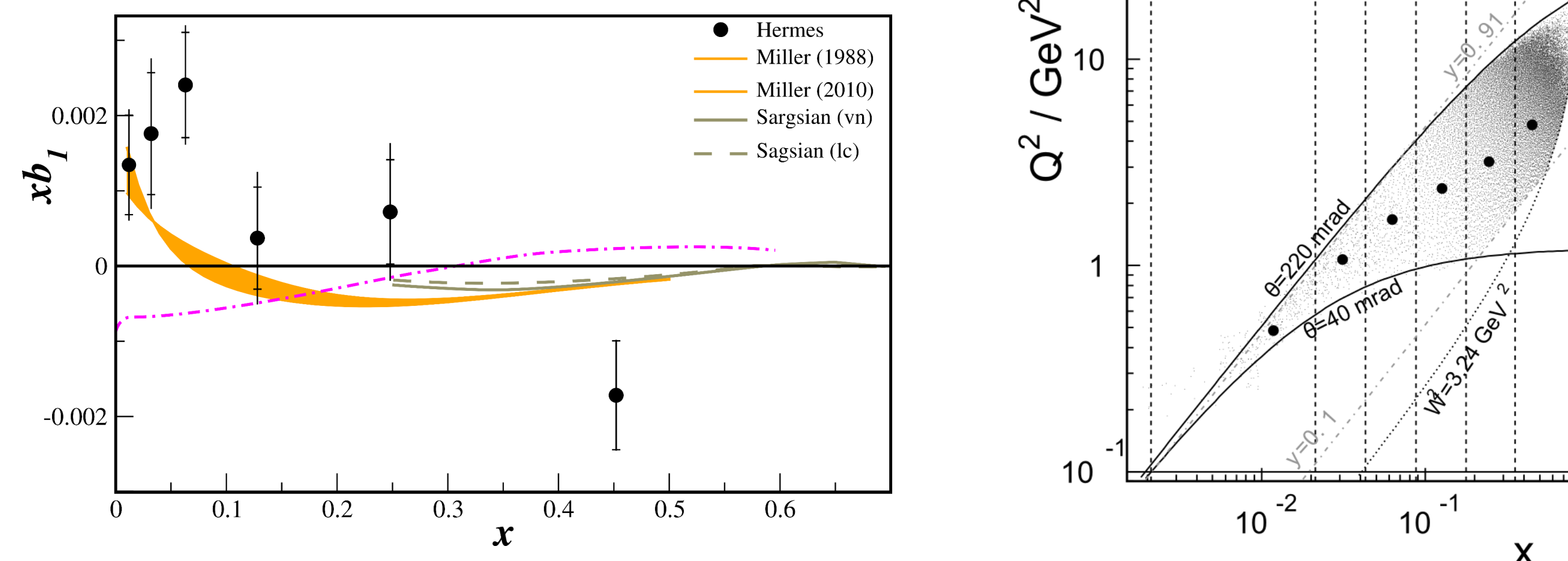
$$b_1(x) = \frac{q^0(x) - q^{\pm 1}(x)}{2}.$$

Probing the tensor structure of the deuteron through inclusive DIS electron scattering D(e,e') accesses gross nuclear effects at the partonic level. If the deuteron is described without nuclear effects,  $b_1$  disappears. Even including D-state admixture, all conventional nuclear models predict  $b_1$  to be vanishingly small.

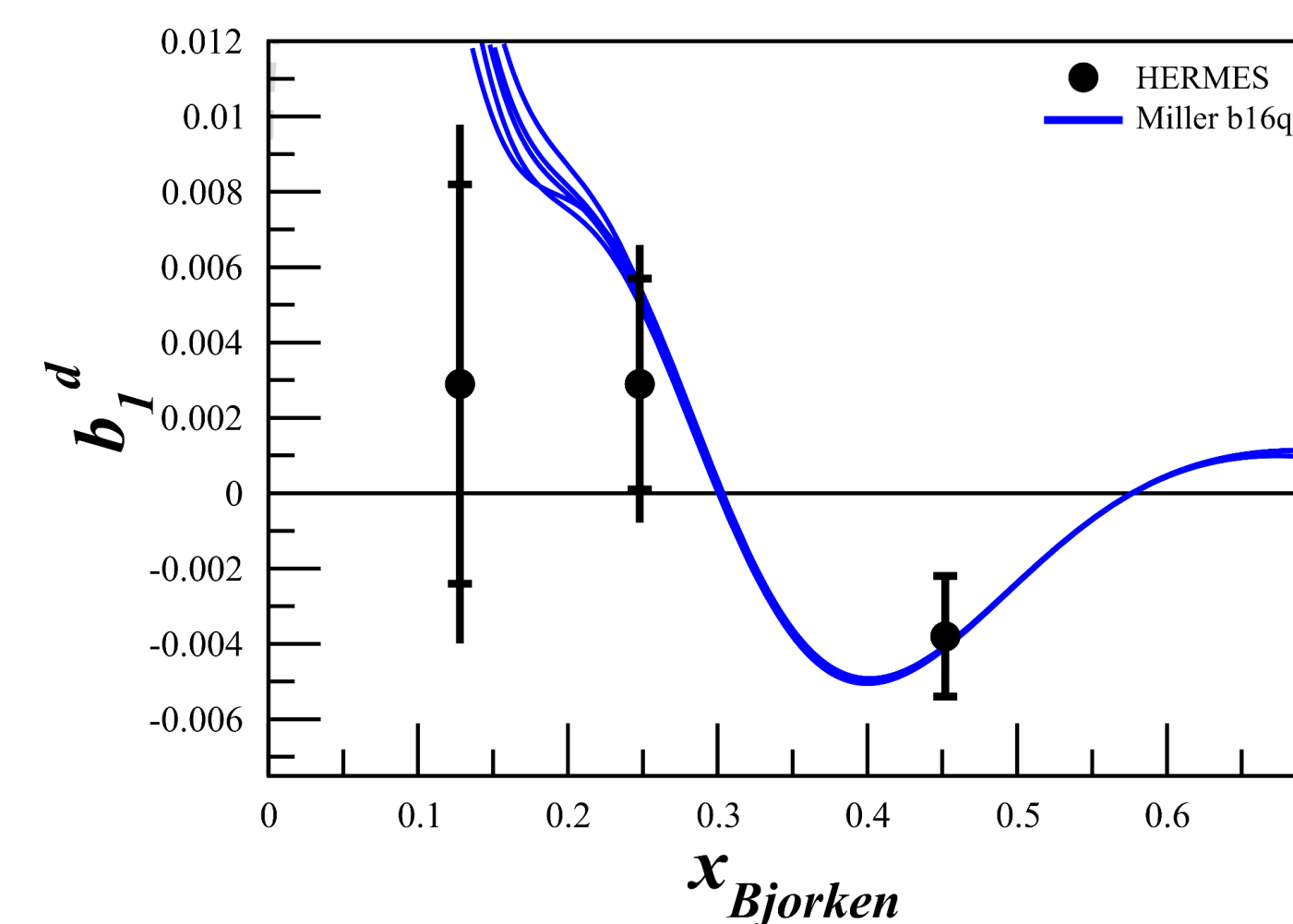
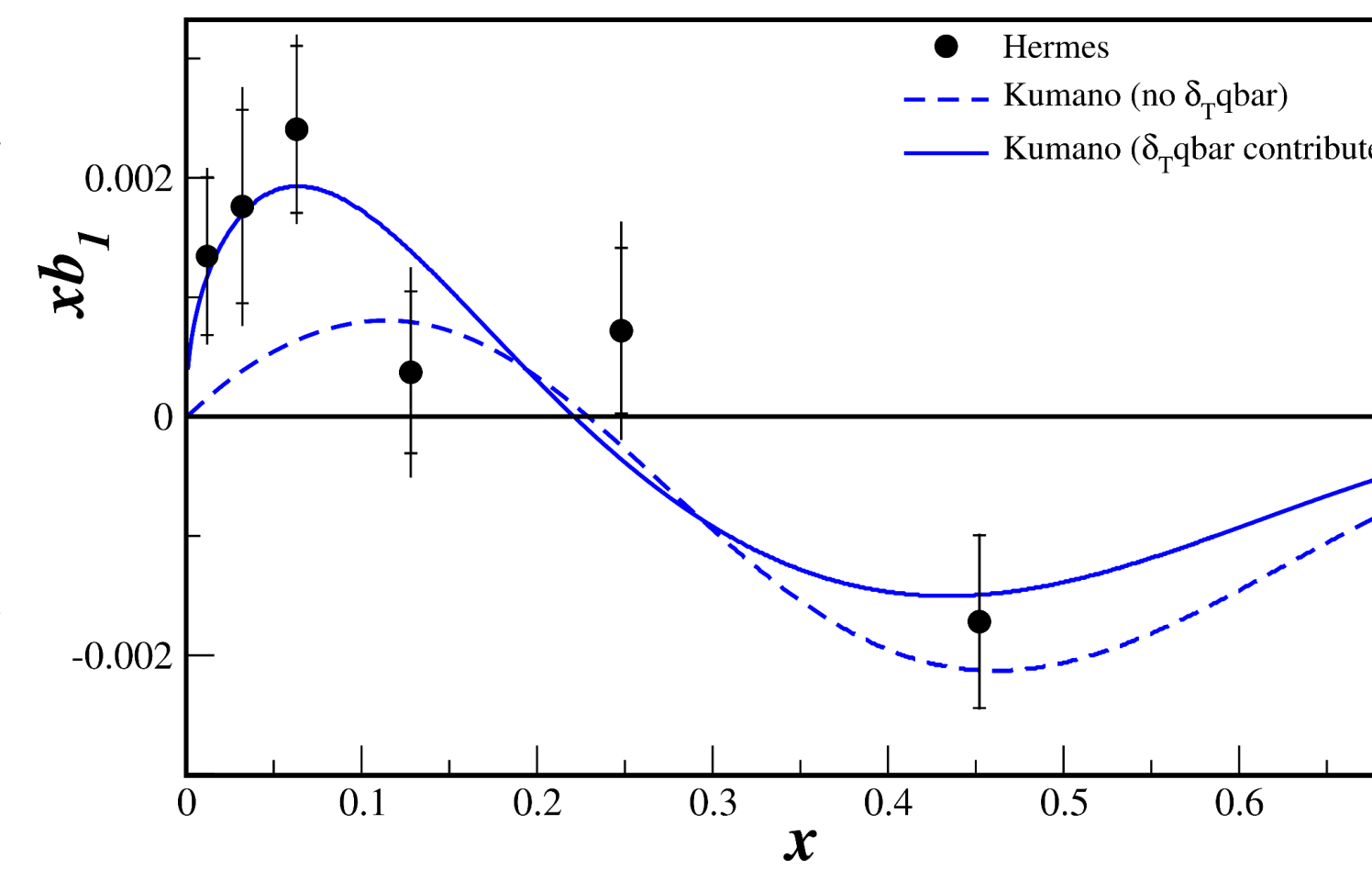


## Motivation

Conventional models are plotted below, as well as the first measurement of  $b_1$  from HERMES<sup>[3]</sup> alongside their kinematic coverage.



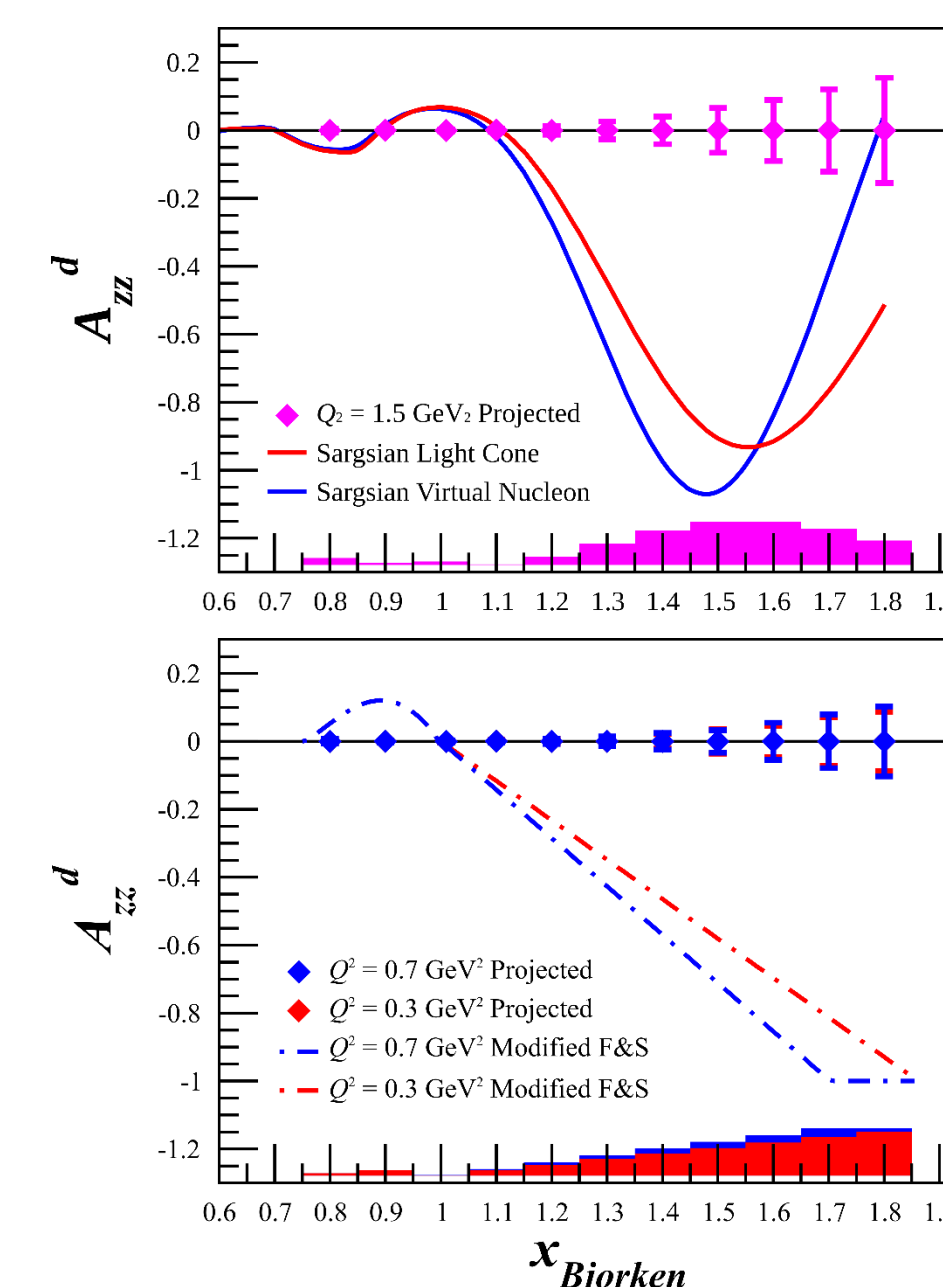
The HERMES measurement found an unexpected large negative value of  $b_1$  at  $x = 0.46$  that cannot be explained by conventional models. S. Kumano built a fit of the HERMES data that modeled the quark-antiquark distributions in the deuteron and found that he could better recreate the HERMES data by including tensor polarization of the sea quarks<sup>[4]</sup>.



G. Miller<sup>[5]</sup> looked at the anomalous HERMES point through a hidden-color model. Conventional pionic contributions dominate in the  $x < 0.3$  range. Around  $x \sim 0.1$ , pionic effects are negligible, but the addition of hidden-color six-quark states causes  $b_1$  to cross zero and creates a negative dip on the order of the HERMES data. In addition, the negative structure of six-quark, hidden color effects are able to compensate for the entirely positive pion effects such that the Close-Kumano sum rule ( $\int dx b_1(x) = 0$ ) can be valid.

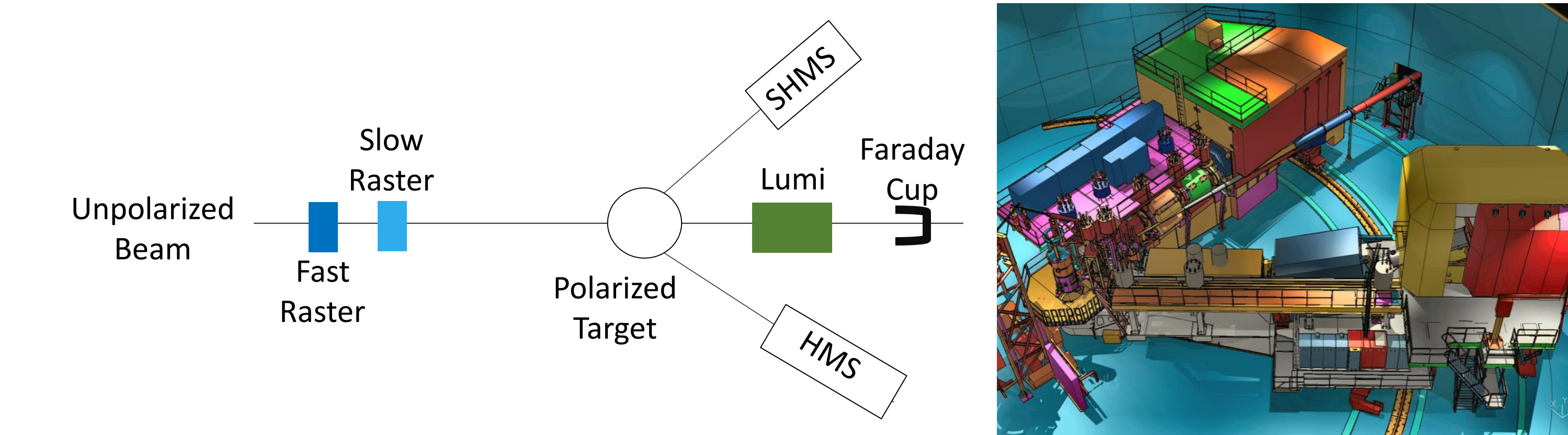
As discussed, the  $x = 0.46$  HERMES result is intriguing in that it can only be explained with nonconventional models, but it is unfortunately only  $2\sigma$  from 0. Thus, there is ample room for improvement. Such a measurement (E12-13-011) was conditionally approved by the JLab PAC40.

In addition, each of the  $b_1$  measurements are extracted from the observable  $A_{zz} = \frac{2}{f P_{zz}} \left( \frac{N_{Pol}}{N_{Unpol}} - 1 \right)$ . In the quasi-elastic  $x > 1$  region, it is sensitive to light cone and virtual nucleon calculations<sup>[6]</sup>, making it an important quantity to determine for understanding tensor effects such as the dominance of  $pn$  correlations in nuclei. The recent JLAB letter of intent LOI12-14-002 explores the potential to measure  $A_{zz}$  in the  $x > 1$  region from  $0.3 < Q^2 < 1.5$  GeV<sup>2</sup> utilizing identical equipment to the E12-13-011  $b_1$  measurement.

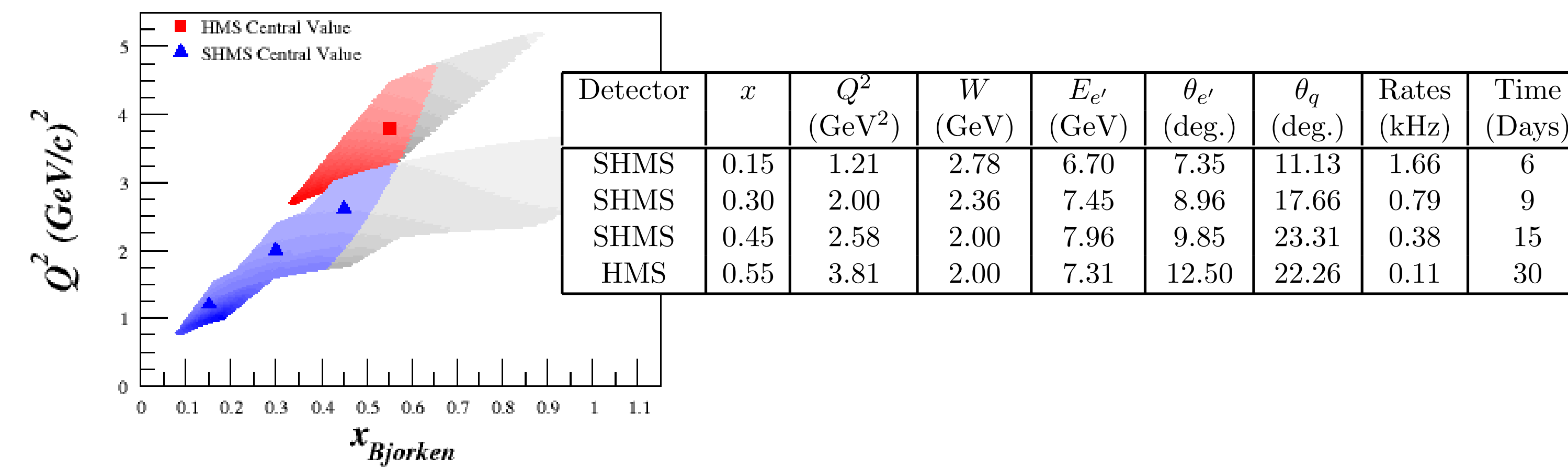


## E12-13-011 Experiment

The C1-approved Jefferson Lab E12-13-011 experiment will measure the deuteron tensor structure function  $b_1$  from DIS D(e,e') scattering in the  $0.1 < x < 0.6$  range. It will take place in Hall C and utilize the HMS and SHMS spectrometers, luminosity monitors, and the Jlab/UVA solid DNP polarized target.

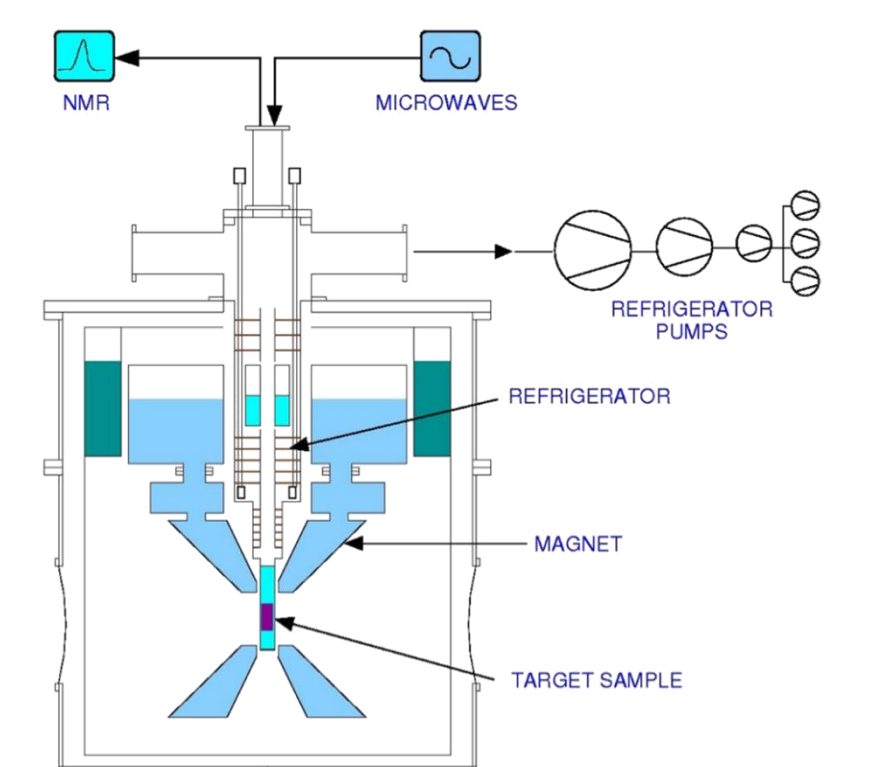


Utilizing a 115nA unpolarized beam, the kinematic range of the experiment will extend from  $0.5 < Q^2 < 5.0$  GeV<sup>2</sup>.

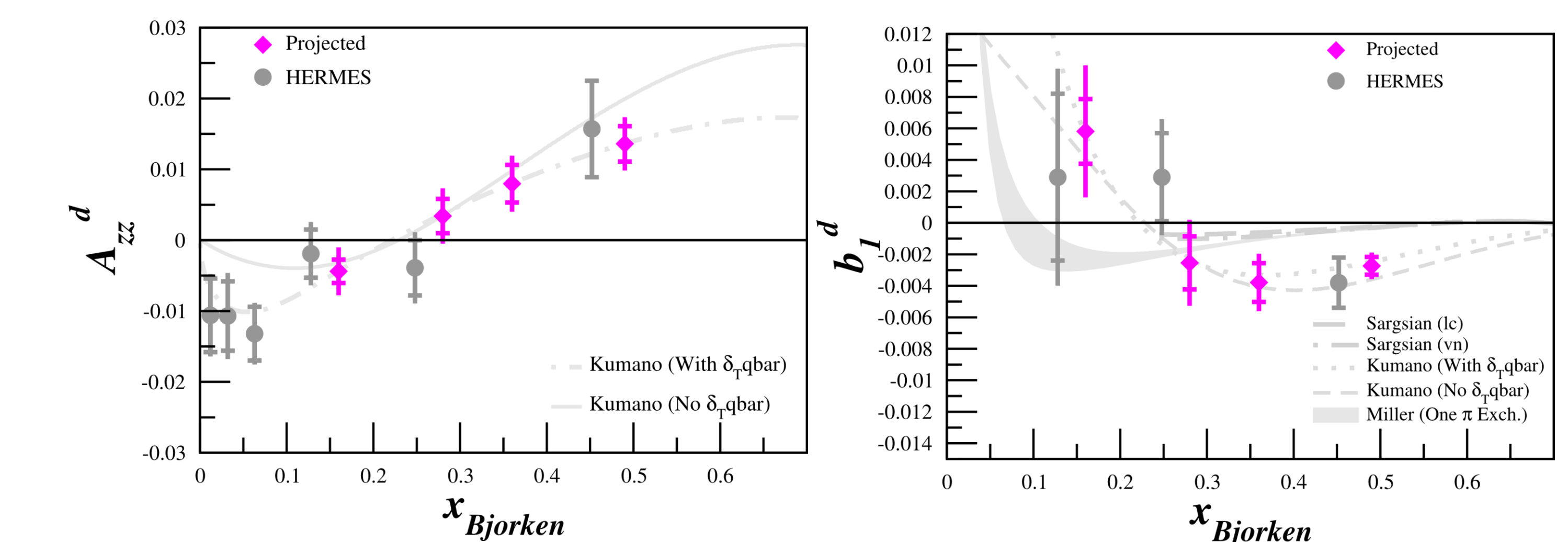


The condition given by the PAC is to obtain an in-beam tensor polarization of at least 30%. Target development is in progress at both the UVA and UNH DNP target labs. Understanding tensor polarization is a top goal of these groups, both to meet the PAC condition and because target polarimetry is the leading systematic uncertainty.

Source	Relative Uncertainty
Polarimetry	8.0%
Dilution/Packing Fraction	4.0%
Radiative Corrections	1.5%
Charge Determination	1.0%
Detector Resolution and Efficiency	1.0%
Total	9.2%



The  $b_1$  structure function is extracted from the observable  $A_{zz} = \frac{2}{f P_{zz}} \left( \frac{N_{Pol}}{N_{Unpol}} - 1 \right)$  by  $b_1 = -\frac{3}{2} F_1 A_{zz}$ . The predicted uncertainties for both are shown below.



## References

- [1] J. L. Forest et al., Phys. Rev. C **54**, 646 (1996)
- [2] P. Hoodbhoy et al., Nuc. Phys. **B312**, 571 (1989)
- [3] A. Airapetian et al., Phys. Rev. Lett. **95**, 242001 (2005)
- [4] S. Kumano, Phys. Rev. D **82**, 017501 (2010)
- [5] G. Miller, arXiv:1311.4561 (2014)
- [6] M. Sargsian, Private communication