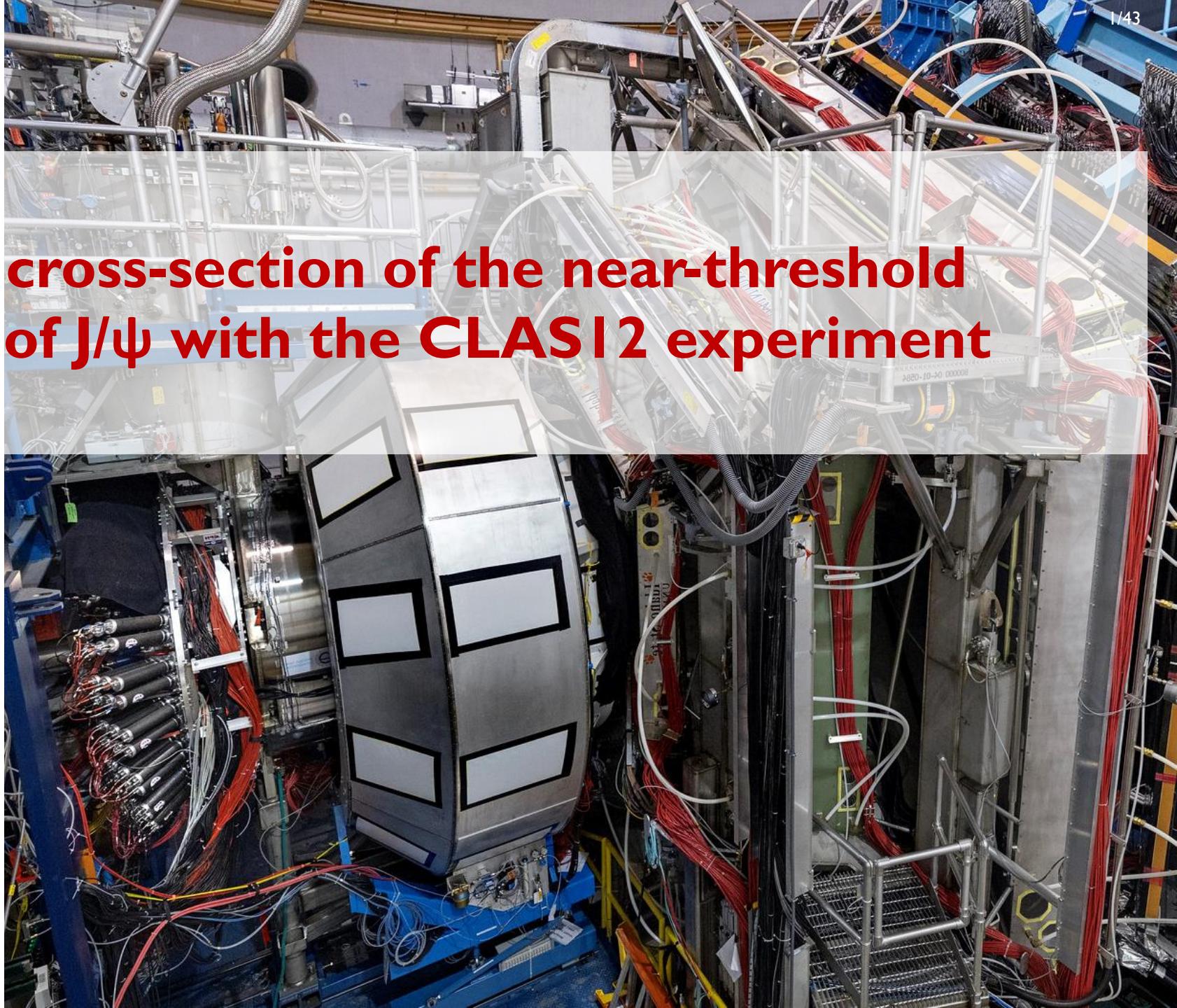


Extraction of the cross-section of the near-threshold photoproduction of J/ψ with the CLAS12 experiment

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SoLID Opportunities and Challenges of Nuclear Physics at the luminosity frontier
Argonne National Laboratory
June 17th 2024



Motivations and previous results

Photoproduction of the J/ψ meson near its production threshold

J/ψ photoproduction near the energy threshold

$$\gamma p \rightarrow J/\psi p' \rightarrow e^+ e^- p'$$

- At the energy production threshold, the **t-dependence of the cross-section** allows to access gluon Gravitational Form Factors (GFFs) and the mass radius of the nucleon.

Cross-section

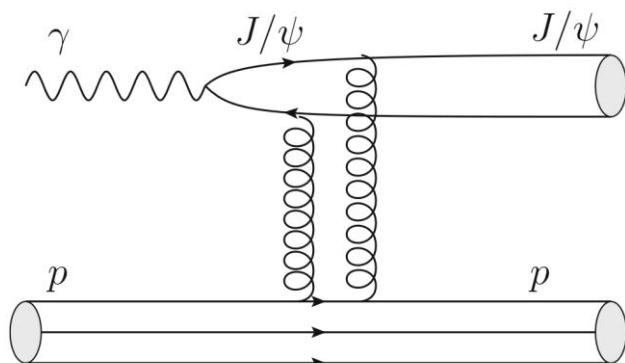
$$\frac{d\sigma_{\gamma p \rightarrow J/\Psi p}}{dt} = \frac{1}{64\pi s} \frac{1}{|p_{cm}|^2} |\mathcal{M}_{\gamma p \rightarrow J/\Psi p}(t)|^2$$

Amplitude

$$\mathcal{M}_{\gamma p \rightarrow J/\Psi p}(t) \propto \langle p' | T_{\mu\mu}^g | p \rangle$$

Matrix element

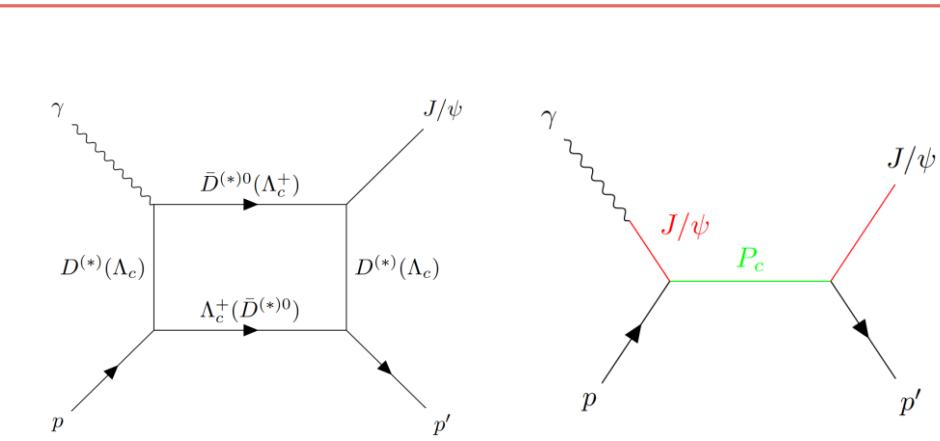
$$\langle p', s' | \hat{T}_{\mu\nu}^a(x) | p, s \rangle = \bar{u}' \left[A^a(t) \frac{\gamma_{\{\mu} P_{\nu\}}}{2} + B^a(t) \frac{i P_{\{\mu} \sigma_{\nu\}} \rho}{4m} + D^a(t) \frac{\Delta_{\mu} \Delta_{\nu} - g_{\mu\nu} \Delta^2}{4m} + m \bar{c}^a(t) g_{\mu\nu} \right] u e^{i(p'-p)x}$$



Coupled channels and pentaquarks

- The previous considerations rely on the application of Vector Meson Dominance.
- Thus the contribution from open-charm meson channels and potential pentaquark must be understood or ruled-out.

→ Total cross-section as a function of photon energy



Recent results from JLab

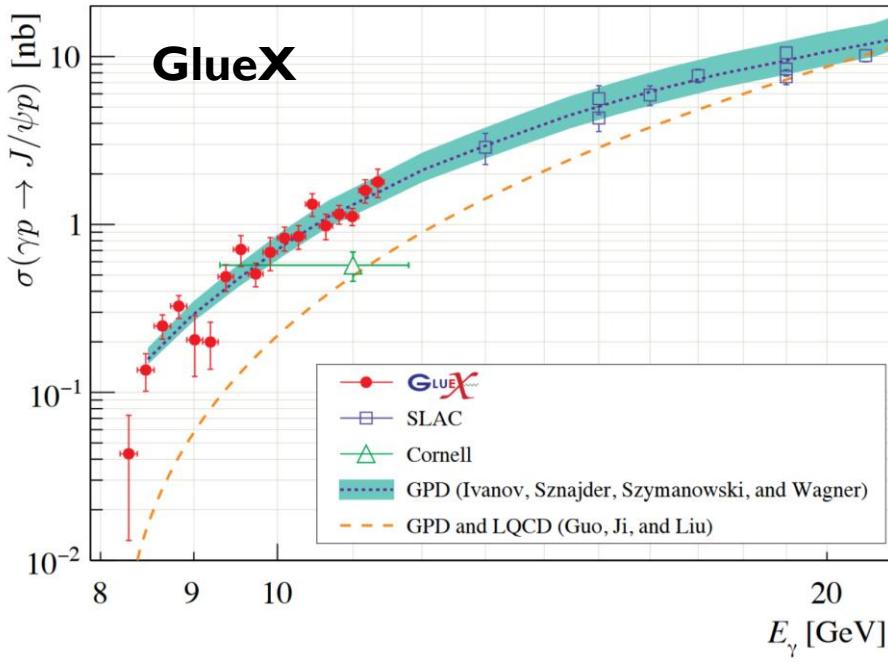


Figure from “Measurement of the J/ψ photoproduction cross section”, S. Adhikari et al. (GlueX Collaboration). Phys. Rev. C 108, 025201, 2023, arXiv:2304.03845

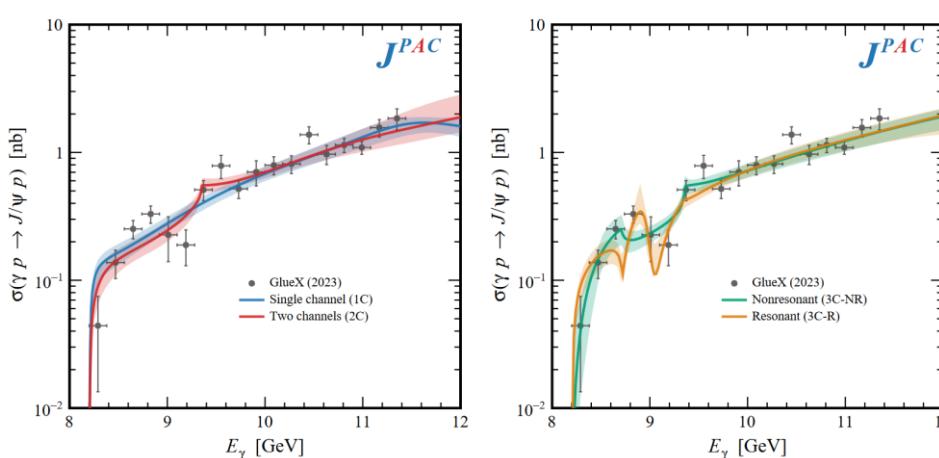


Figure in
 “Dynamics in
 near-threshold J/ψ
 photoproduction”,
 D. Winney, C.
 Fernandez-
 Ramirez, A.
 Pilloni, A. N.
 Hiller Blin et al.
 (JPAC), Phys. Rev.
 D 108 (2023) 5,
 054018
 arXiv:2305.01449

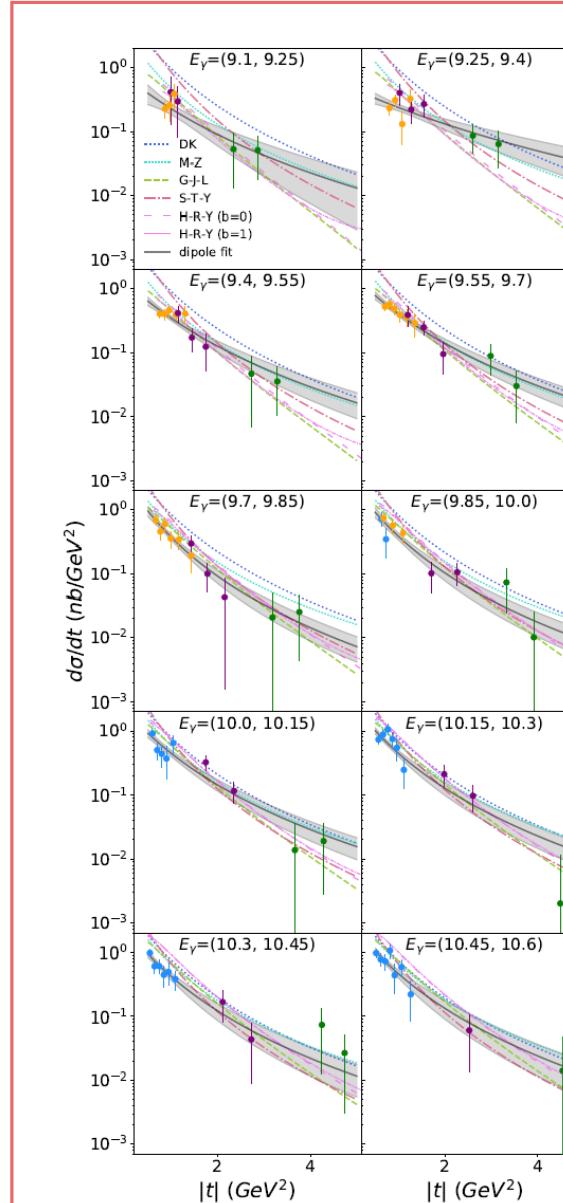
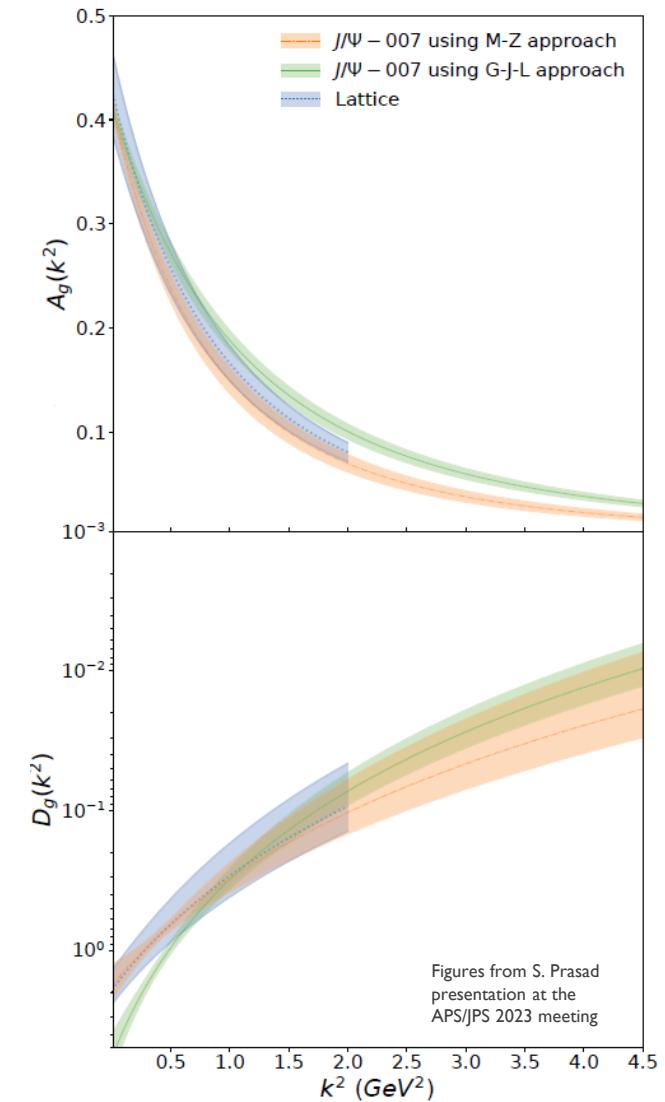


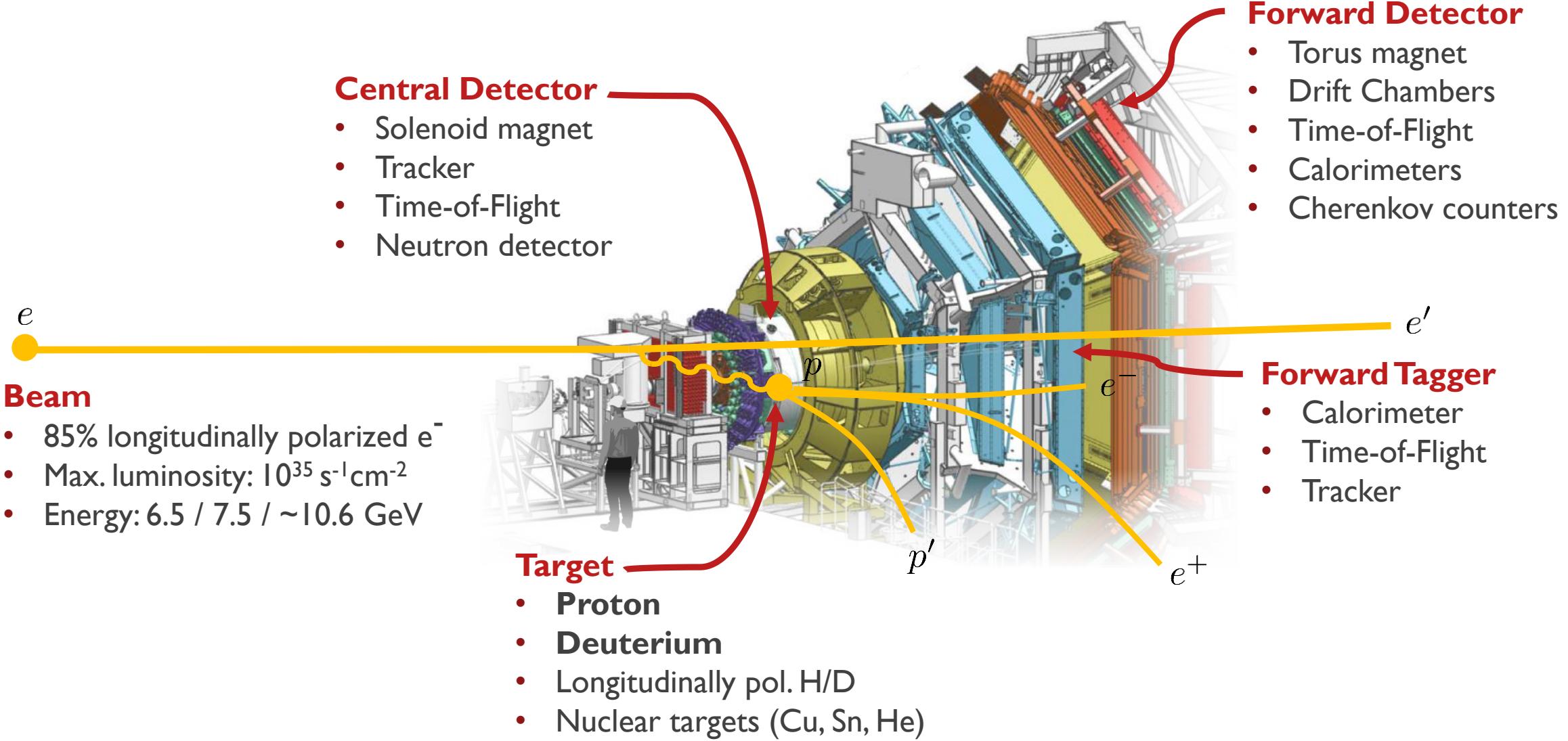
Figure from "Determining the gluonic gravitational form factors of the proton". Duran, B., Meziani, ZE., Joosten, S. et al. *Nature* 615, 813–816 (2023)



Figures from S. Prasad
presentation at the
APS/JPS 2023 meeting

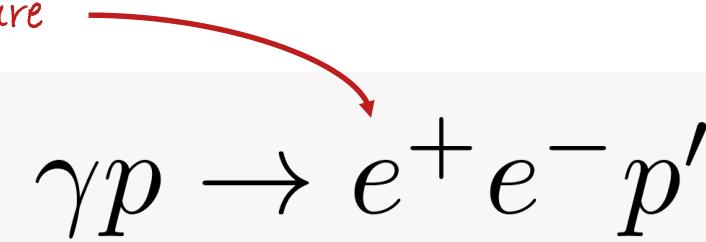
Experimental setup and analysis strategy

The CLAS12 detector package

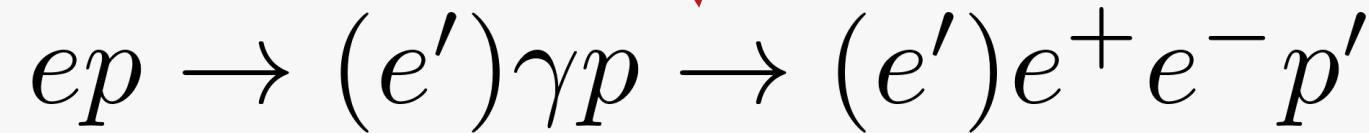


Exclusive dilepton event selection

What we want to measure

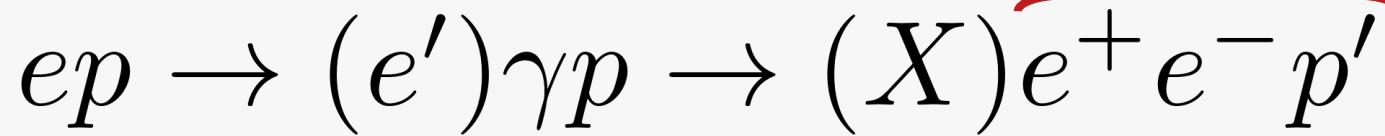


What we can measure with CLAS12

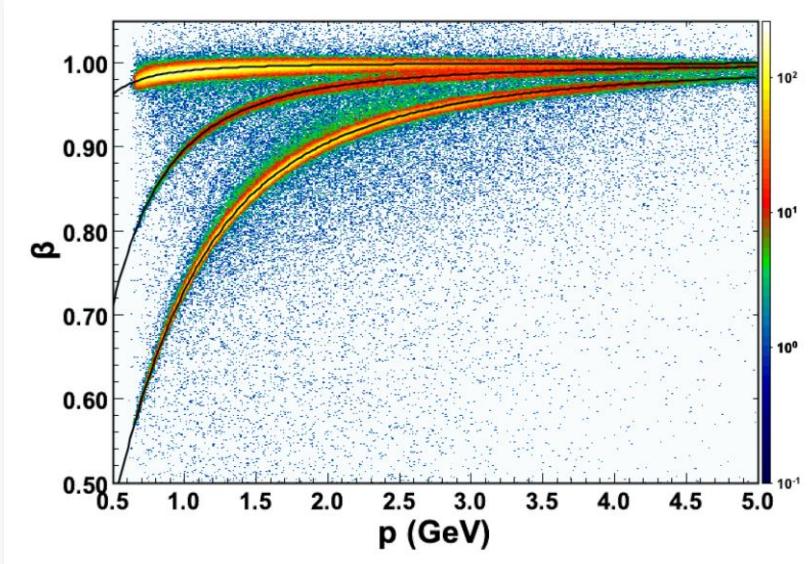


Exclusive dilepton event selection: Particle identification

1) CLAS12 PID + Positron NN PID

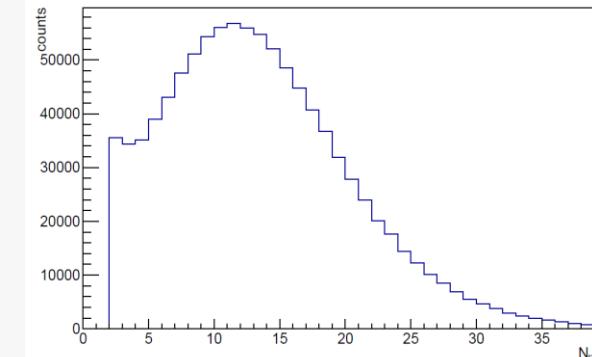


Proton identification

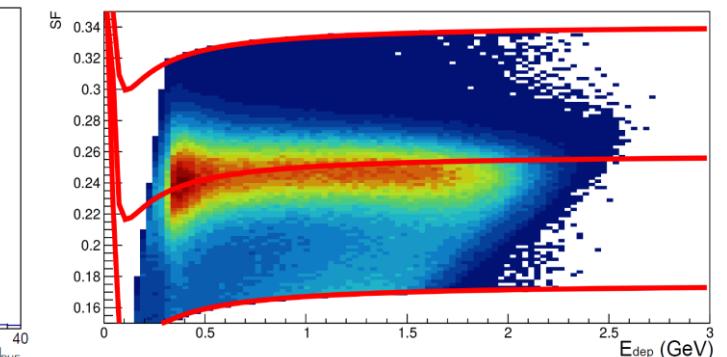


Lepton identification

Cherenkov counters



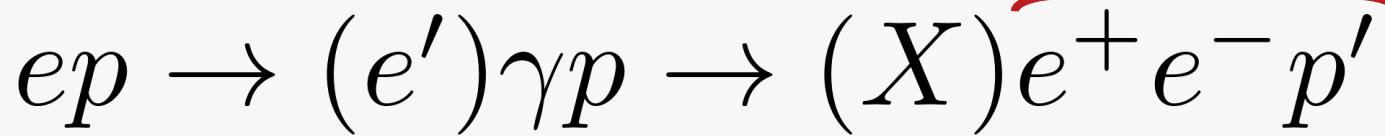
+ Calorimeter energy deposition



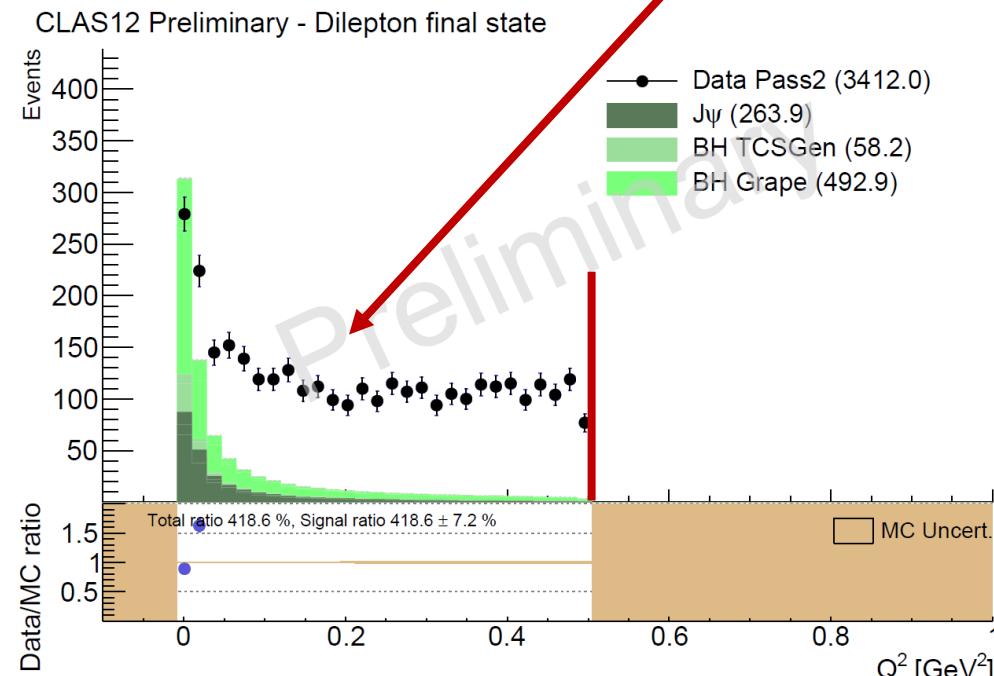
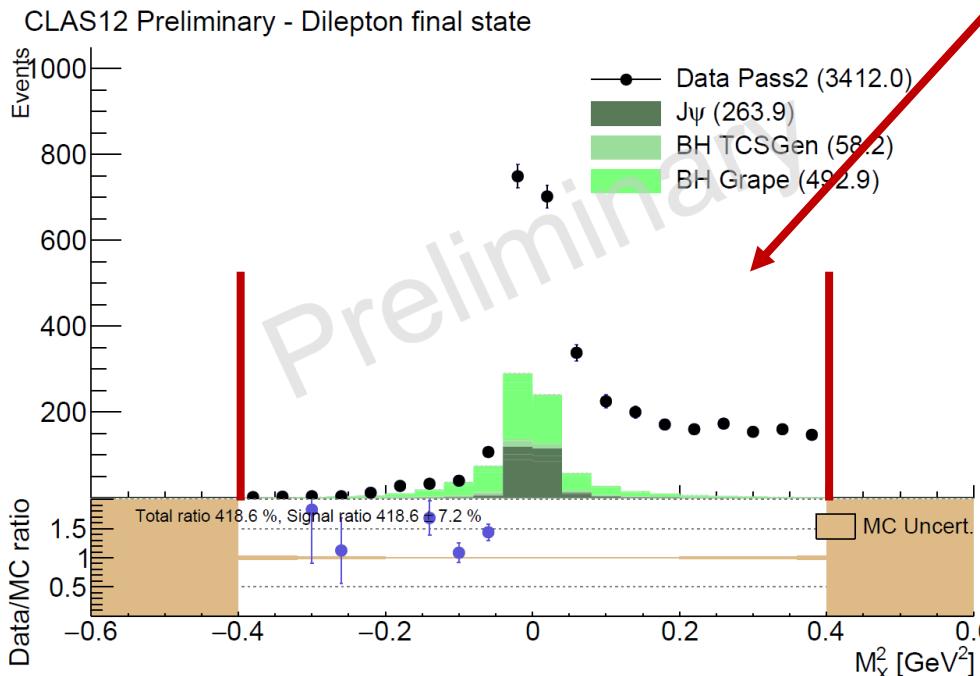
$$\text{Sampling Fraction} = \frac{E_{dep}}{P}$$

Exclusive dilepton event selection: Exclusivity variables

1) CLAS12 PID + Positron NN PID

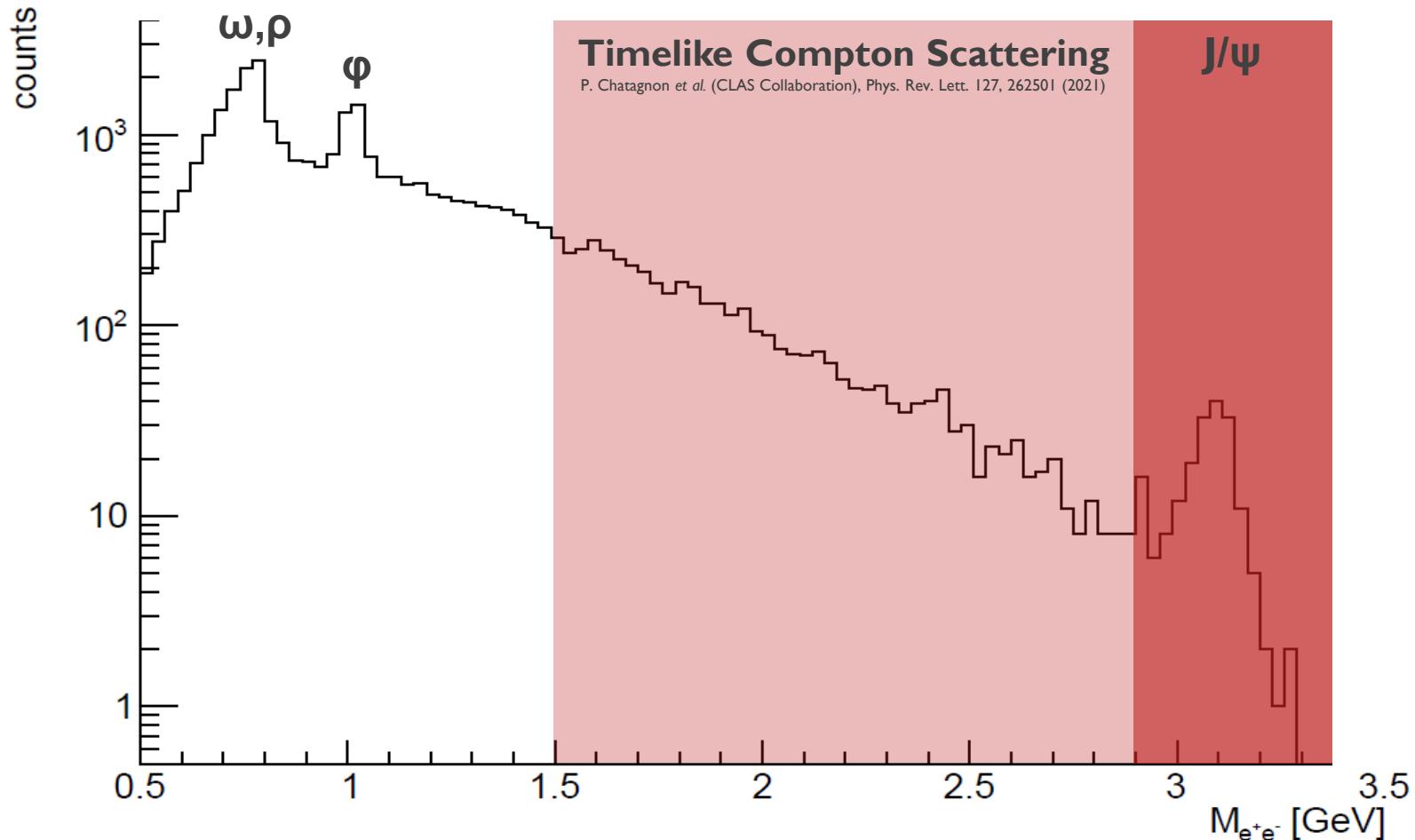


$$p_X = p_{beam} + p_p - p_{e^+} - p_{e^+} - p_{p'} \longrightarrow 2) |M_X^2| < 0.4 GeV^2 \longrightarrow 3) Q^2 < 0.5 \text{ GeV}^2$$



Exclusive dilepton invariant mass spectrum

$$ep \rightarrow (e')\gamma p \rightarrow (X)e^+e^-p'$$



Total cross section computation

$$\sigma_j = \mathcal{F}_j \cdot \mathcal{L} \cdot \omega_{cj} \cdot B_r \cdot \epsilon_j \cdot \epsilon_{Rad/j}$$

Number of photons and Number of targets

$N_{J/\psi j}$

I) Number of J/ψ from data

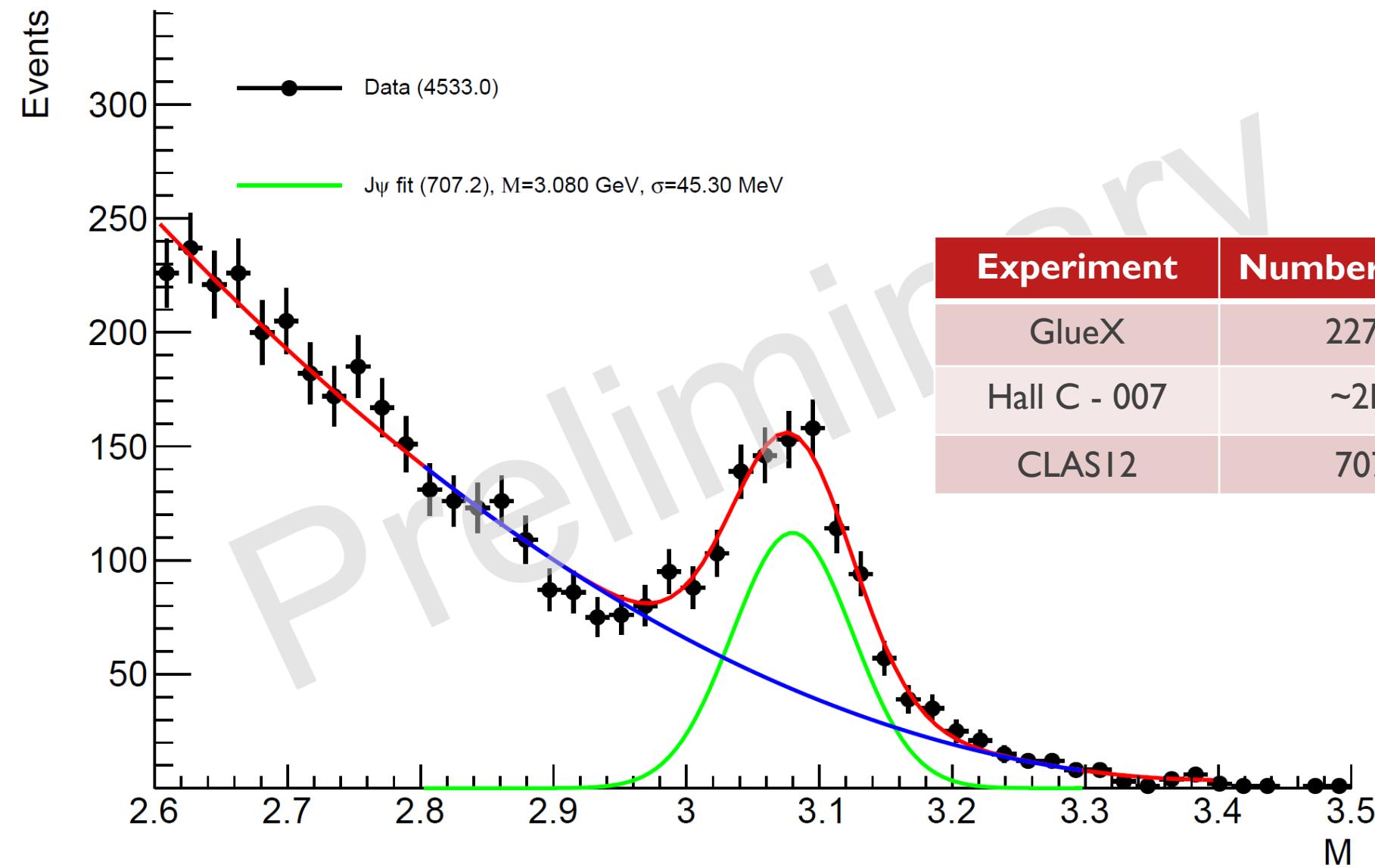
Radiative corrections from MC

II) Normalization factor

Branching ratio

Reconstruction efficiency from MC

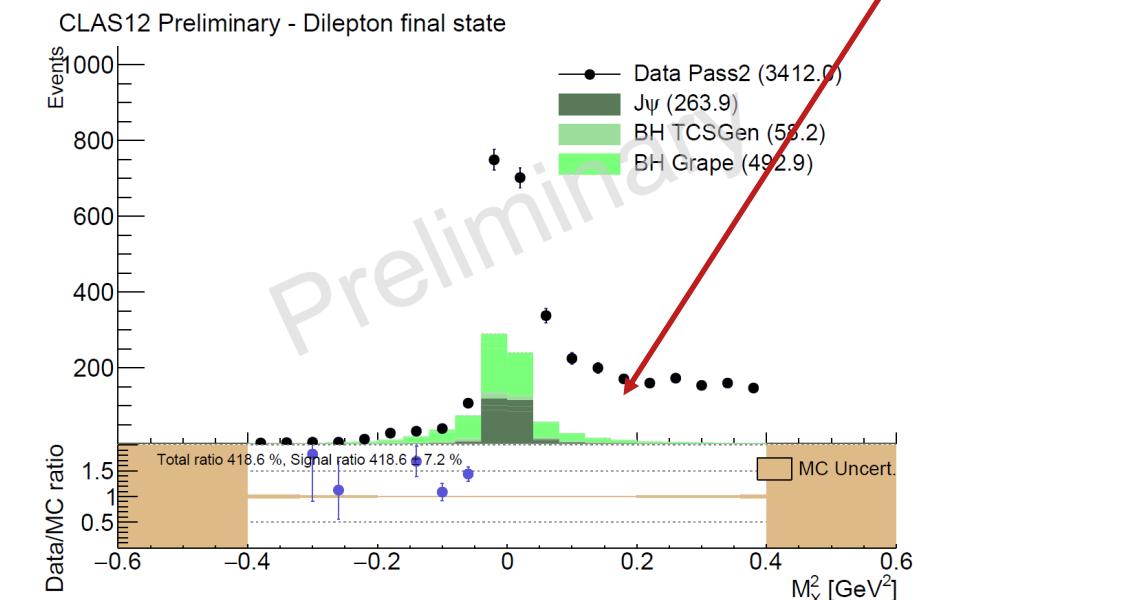
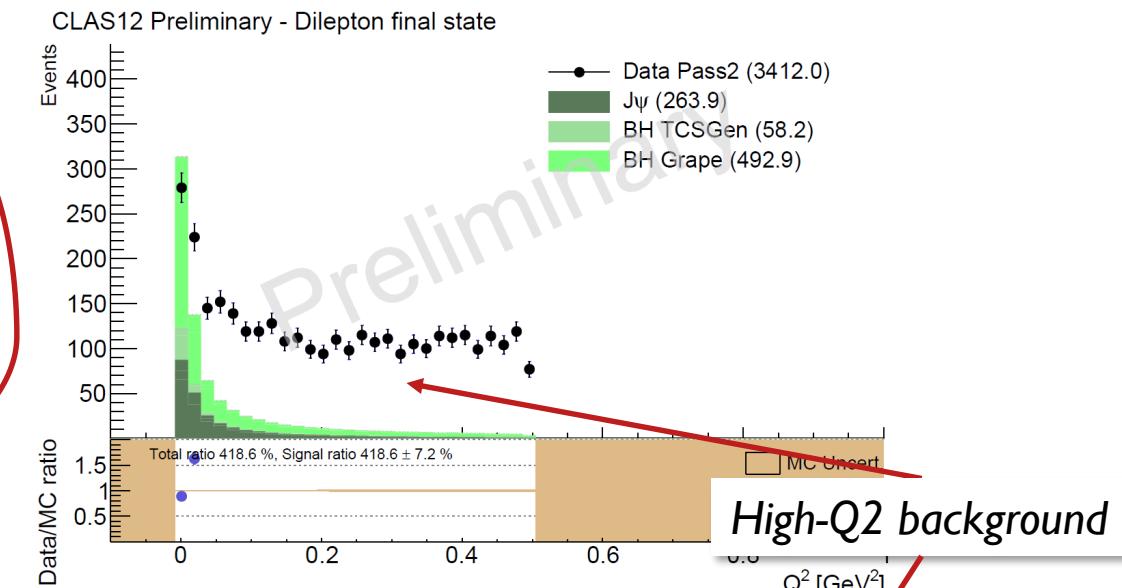
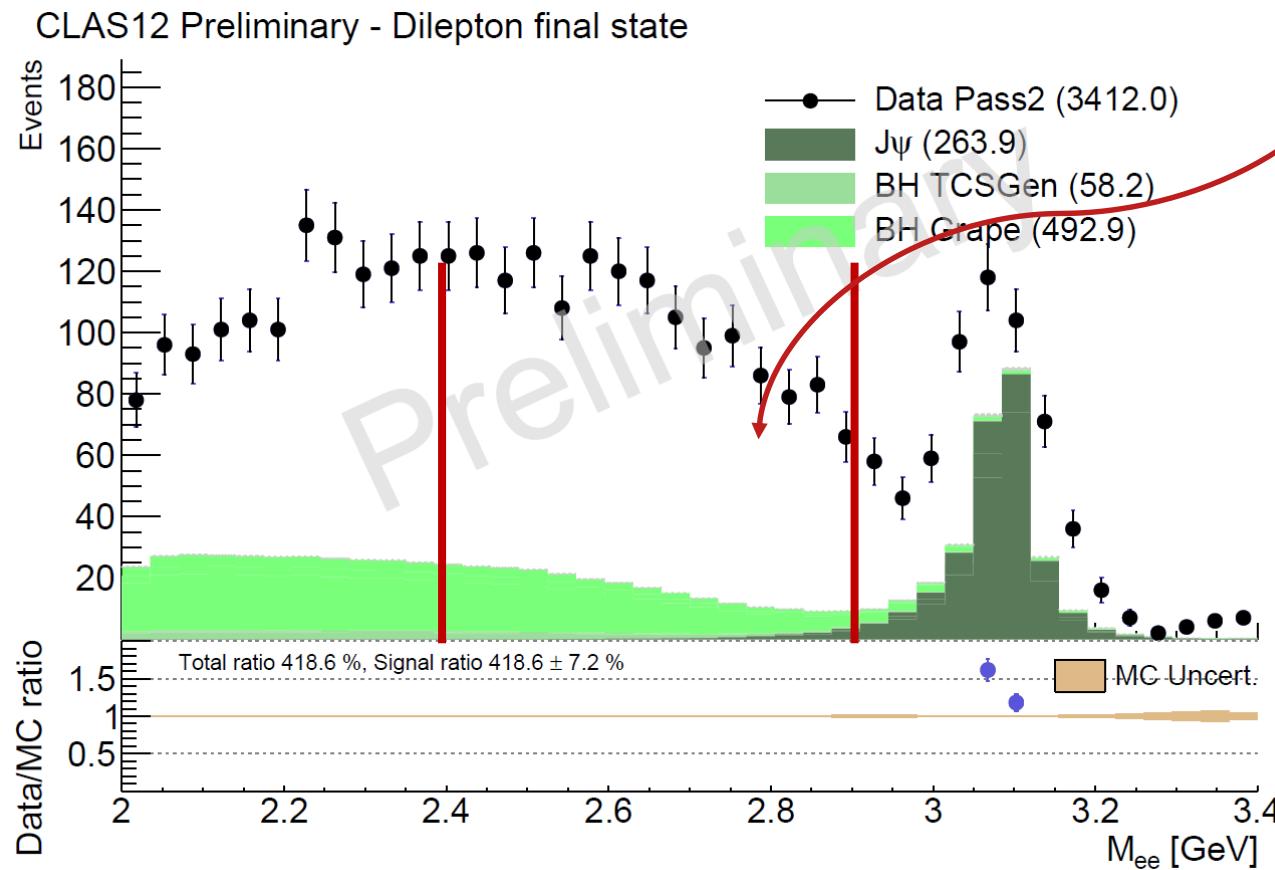
I) Number of J/ ψ from data



Experiment	Number of J/ ψ	Integrated \mathcal{L} (pb $^{-1}$)
GlueX	2270	320.3
Hall C - 007	~2K	
CLAS12	707	113.768

II) Normalization factor - Comparison Data/MC

- Cross-normalization using the continuum Bethe-Heitler events just below the J/ψ peak (from 2.4 GeV to 2.9 GeV).
 - ***Requires the complete understanding of all signal and background contributions !***



II) Normalization factor - Overall strategy for the background modelization

I) Event mixing procedure:

- From data randomly select electron, positron, proton (from different events)
- Construct kinematics and make sure they are within the region of interest:
 $(M_{ee} > 2 \text{ GeV}, |MM|^2 < 0.4 \text{ GeV}^2, Q^2 < 2 \text{ GeV}^2)$

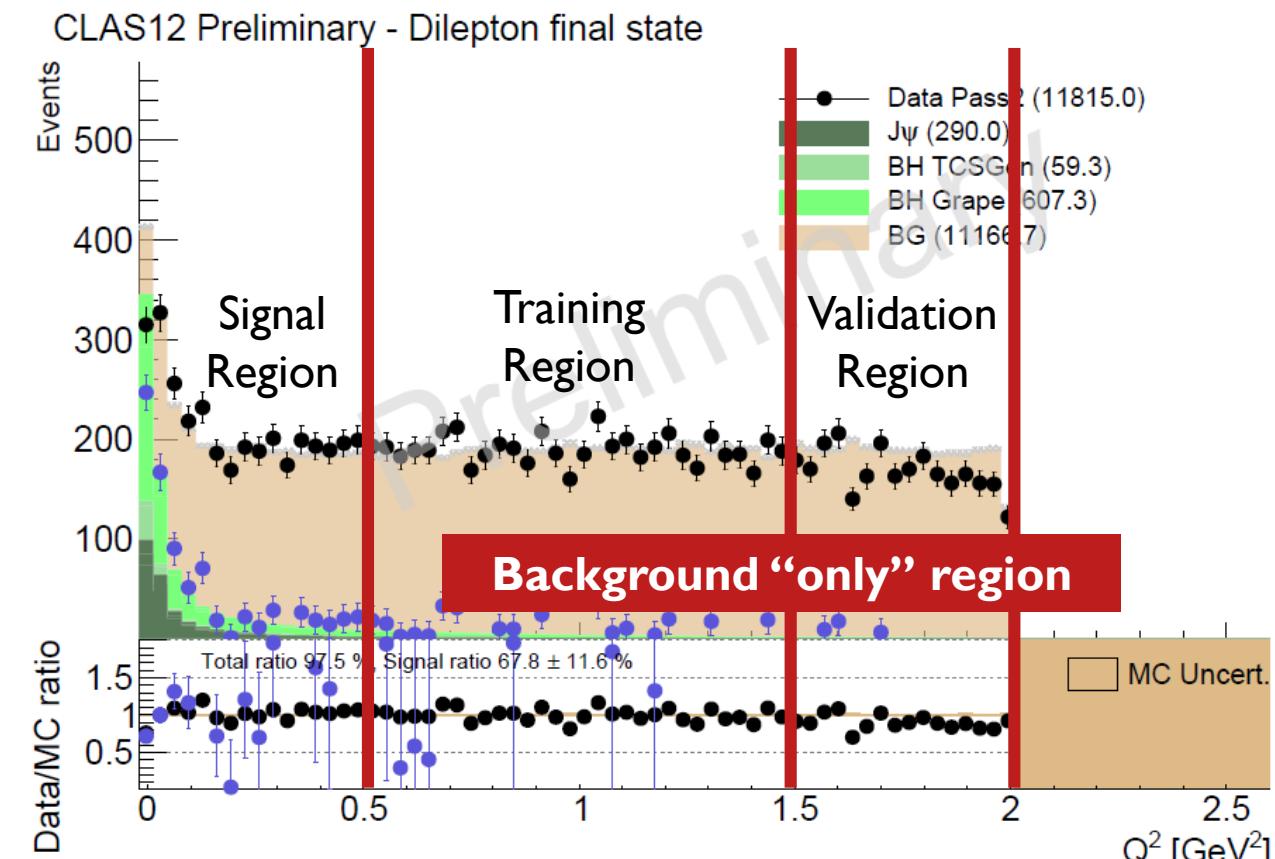
Source sample

2) Reweight events to match *data in the training region*

Target sample

3) Validate the weights on the validation region.

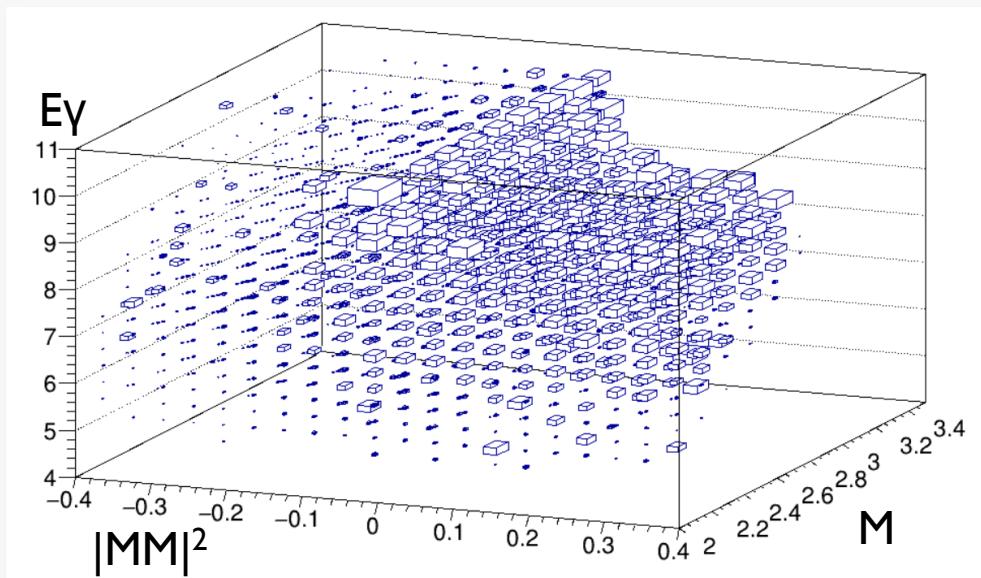
4) Apply weights on the signal region and obtained BG-subtracted yields



II) Normalization factor - Reweighting methods

Binned weights

- Compute ratio $\omega = \frac{N_{target}|_{bin}}{N_{source}|_{bin}}$ and apply to event from the mixed BG sample.
 - Inconvenient method
 - 1) Need to track bin indices
 - 2) Which variable to use ?
 - 3) Curse of dimensionality: the more variable, the less events per bins



Boosted decision trees

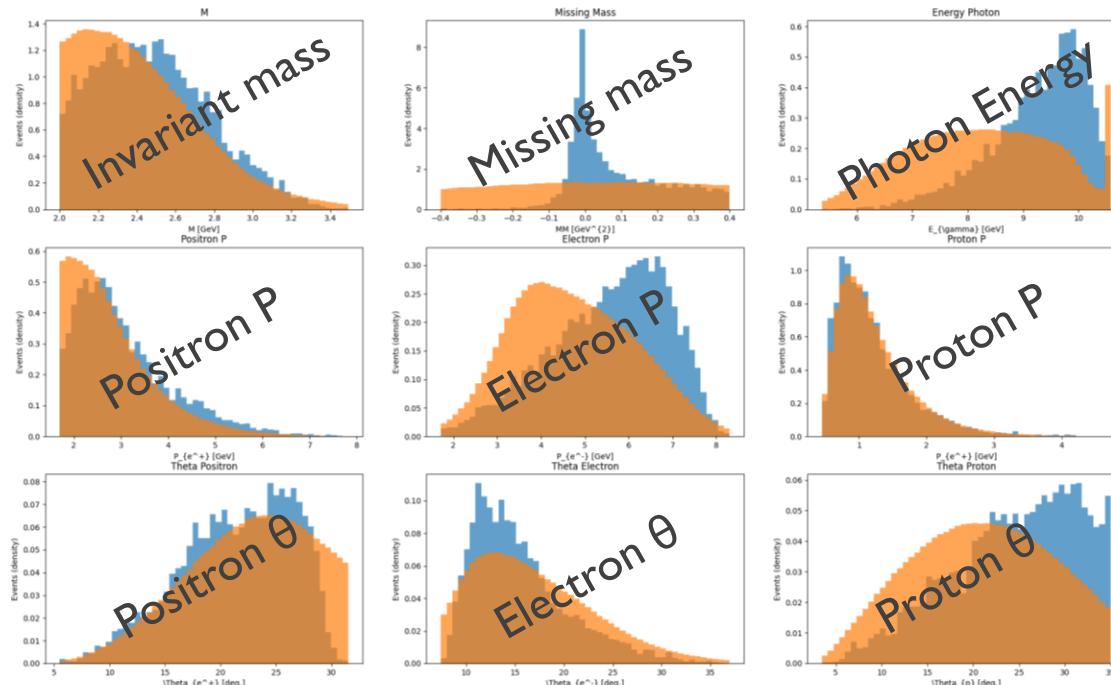
- Use a ML method to compute a weight event-by-event so that source and target distribution match
 - Weights are obtained by optimizing a ML algorithm to distinguish target from source:

$$\omega = \frac{f_{target}(\mathbf{x})}{f_{source}(\mathbf{x})} = \frac{p_{target}(\mathbf{x})}{p_{source}(\mathbf{x})}$$

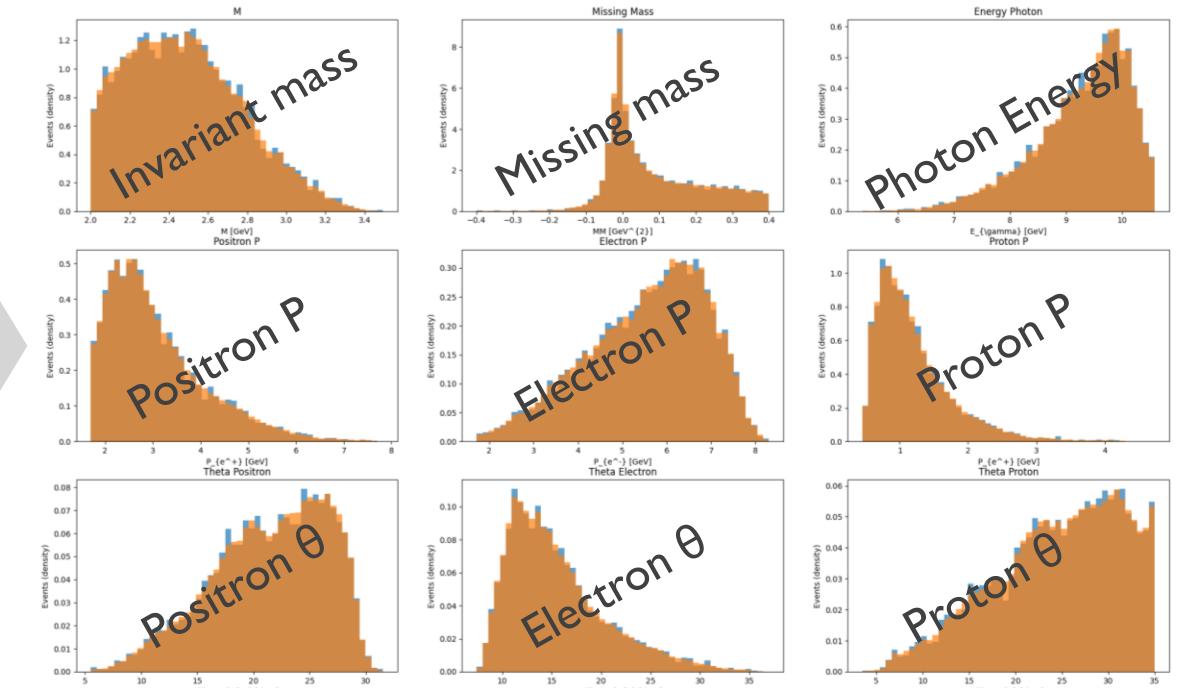
- Using method from Alex Rogozhnikov 2016 J. Phys.: Conf. Ser. 762 012036. Code available [here](#).
 - Advantages:
 - 1) As many variables as needed can be matched
 - 2) No/less of a dimensionality curse
 - 3) Easy to use, no need to handle complex bin indexing

II) Normalization factor - Reweighting using Boosted Decision Trees

Before reweighting



After reweighting

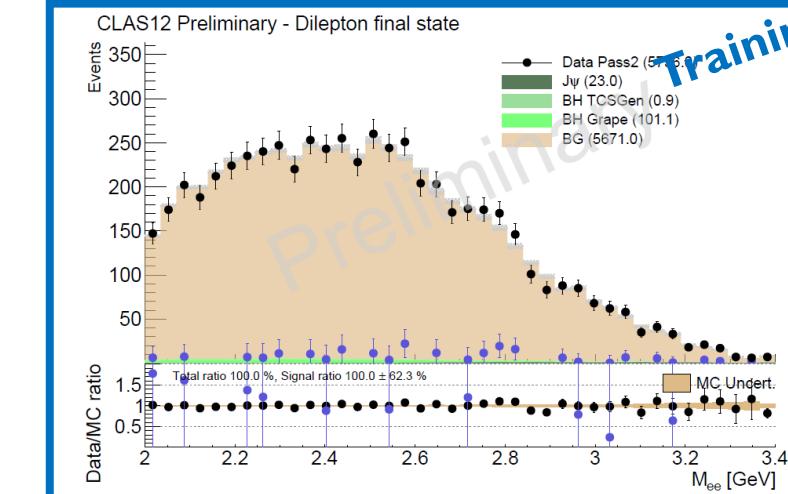
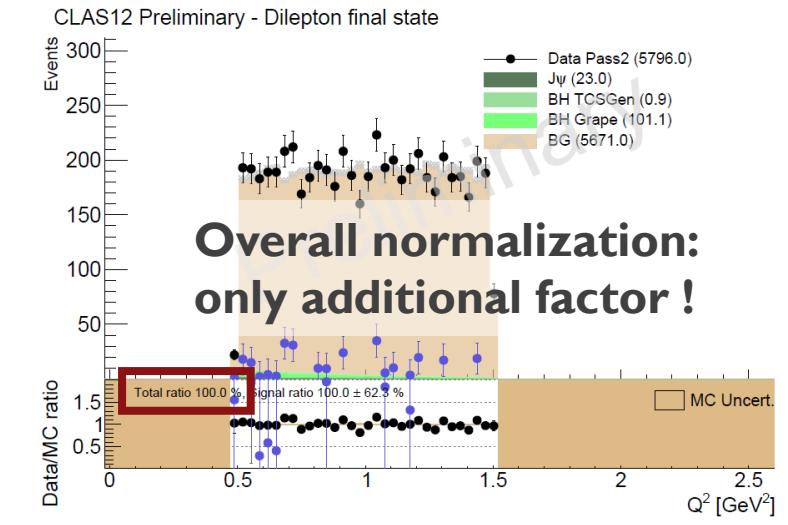


Events in the training
region (Target)

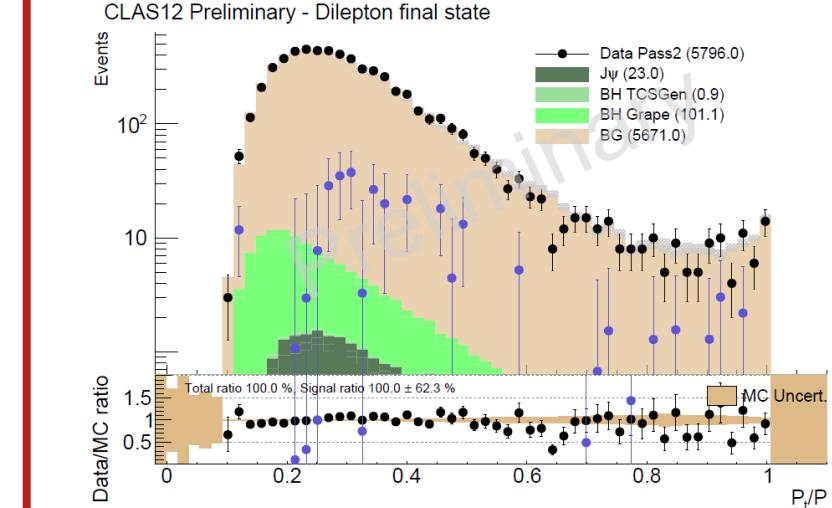
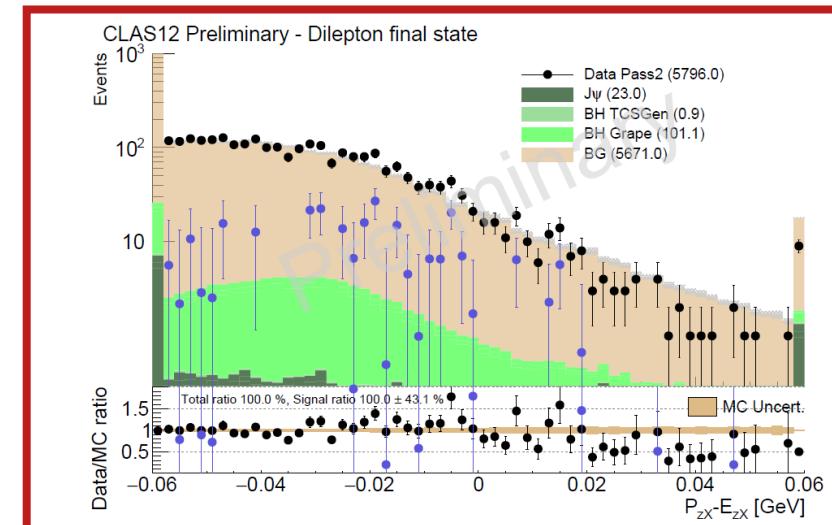
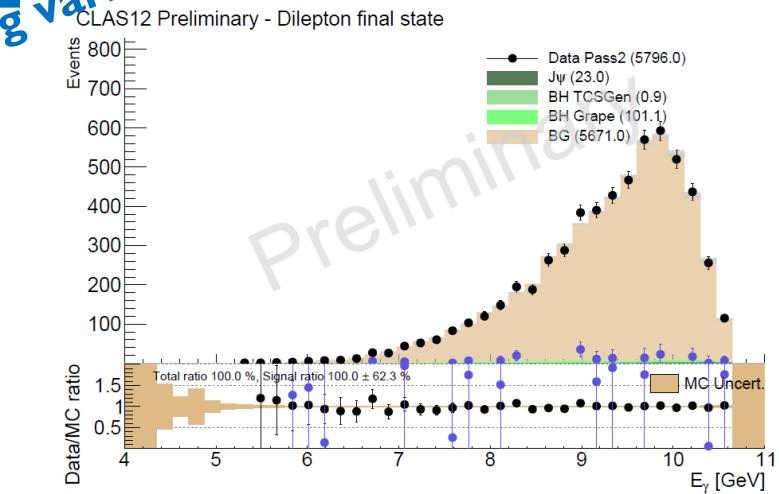
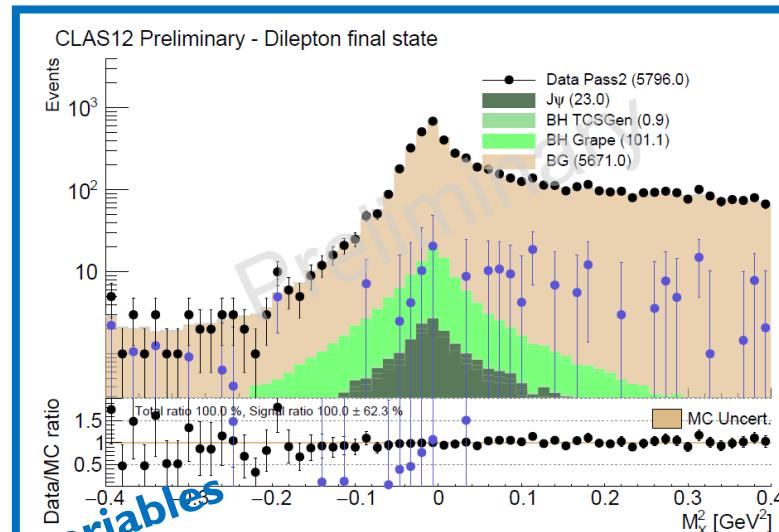
Mixed background
(Source)

II) Normalization factor - Reweighting in the training region

$$Q^2 \in [0.5, 1.5] \text{ GeV}^2$$



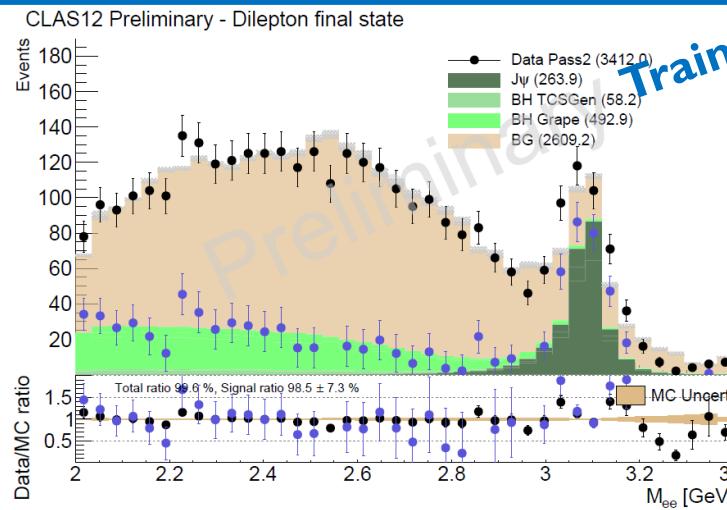
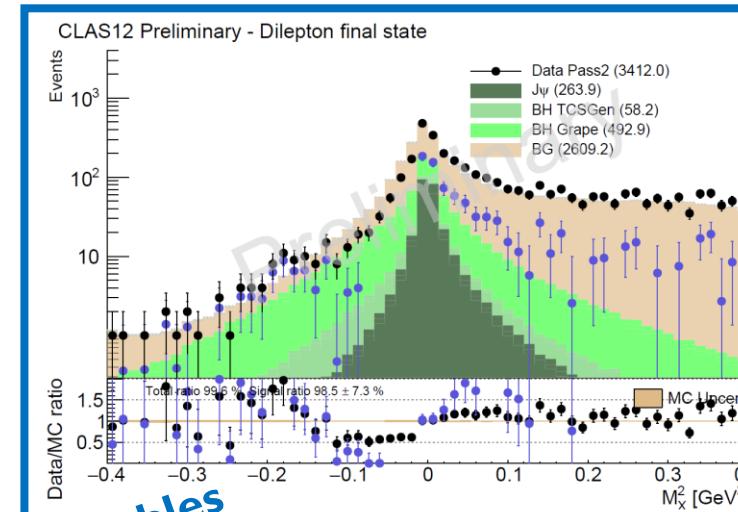
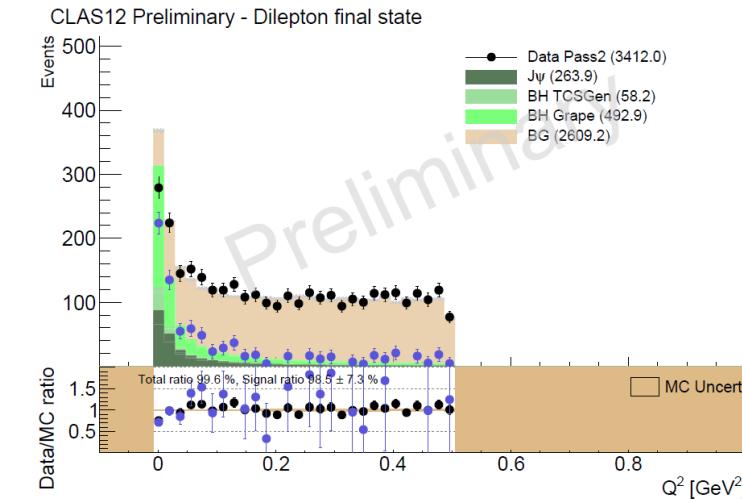
Training region



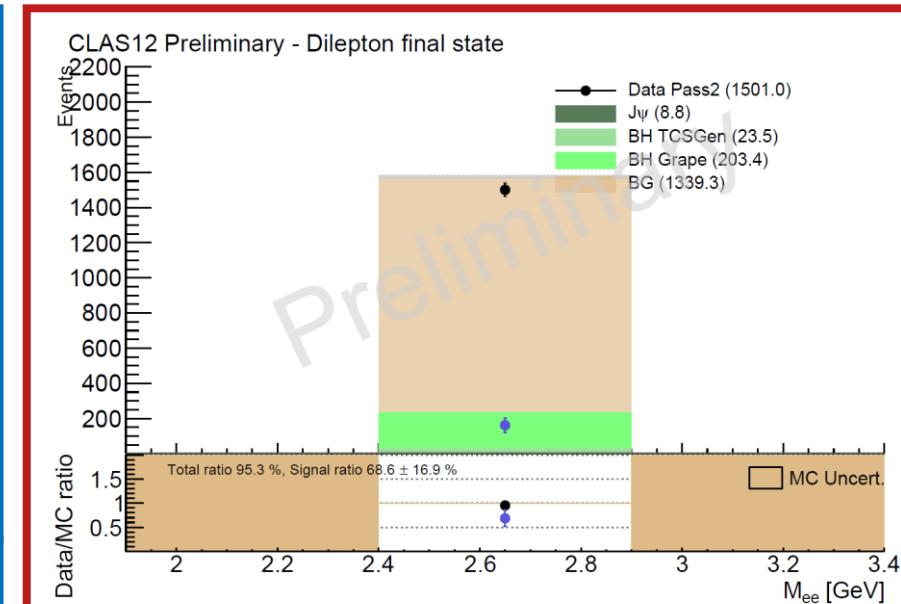
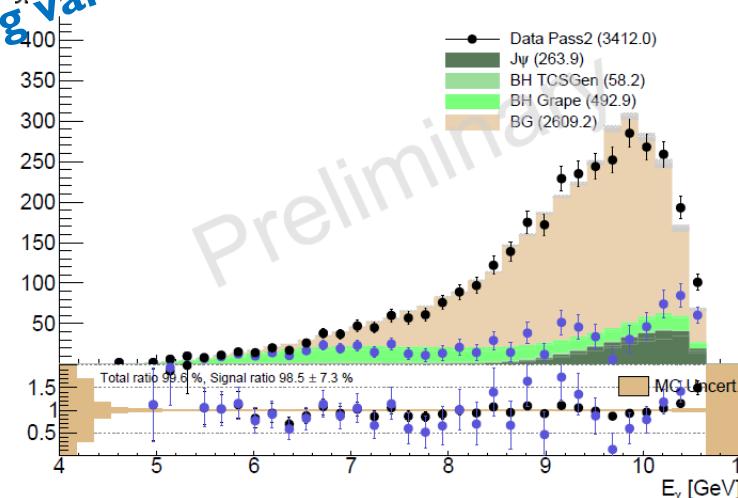
II) Normalization factor - Data/MC comparison in the signal region

$$Q^2 \in [0.0, 0.5] \text{ GeV}^2$$

Signal region



Training variables



- Normalization factor can be computed as:

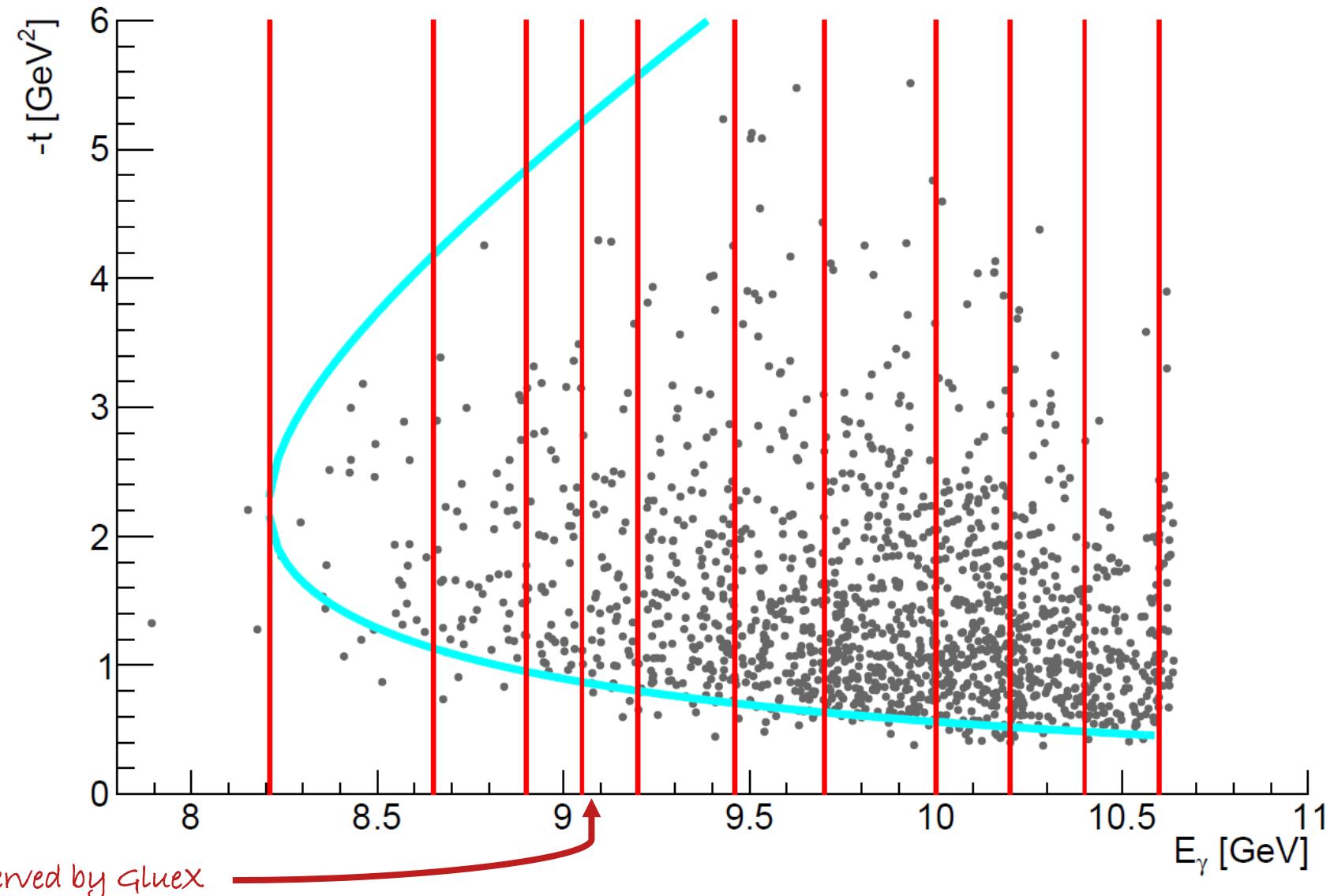
$$\omega_c = \frac{N_{Data} - N_{BG}}{N_{SIM \text{ BH}}} = 68.6\% \pm 16.9\%$$

Assigned as systematic error on normalization

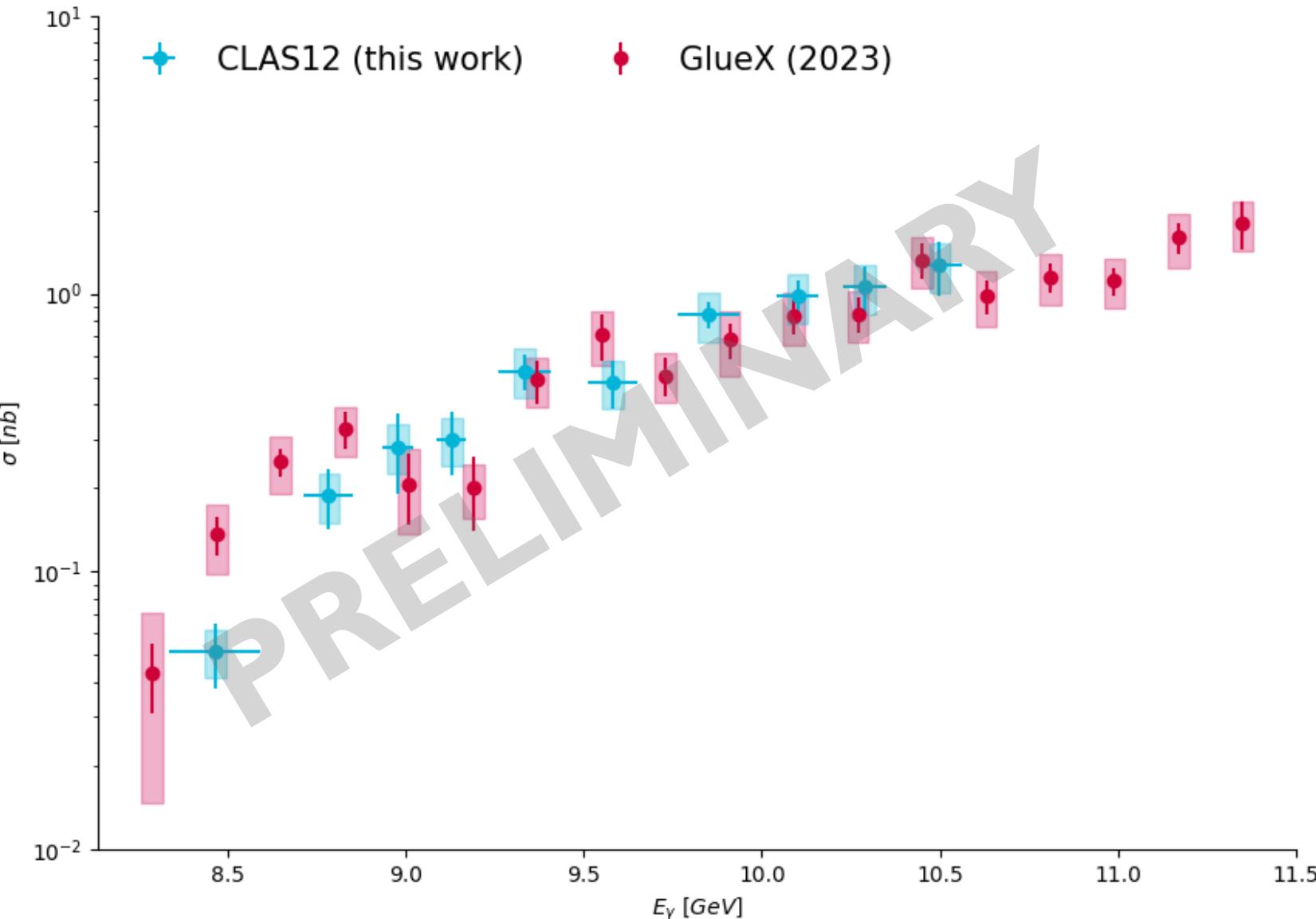


Results from the CLAS12 experiment

Kinematic coverage and binning

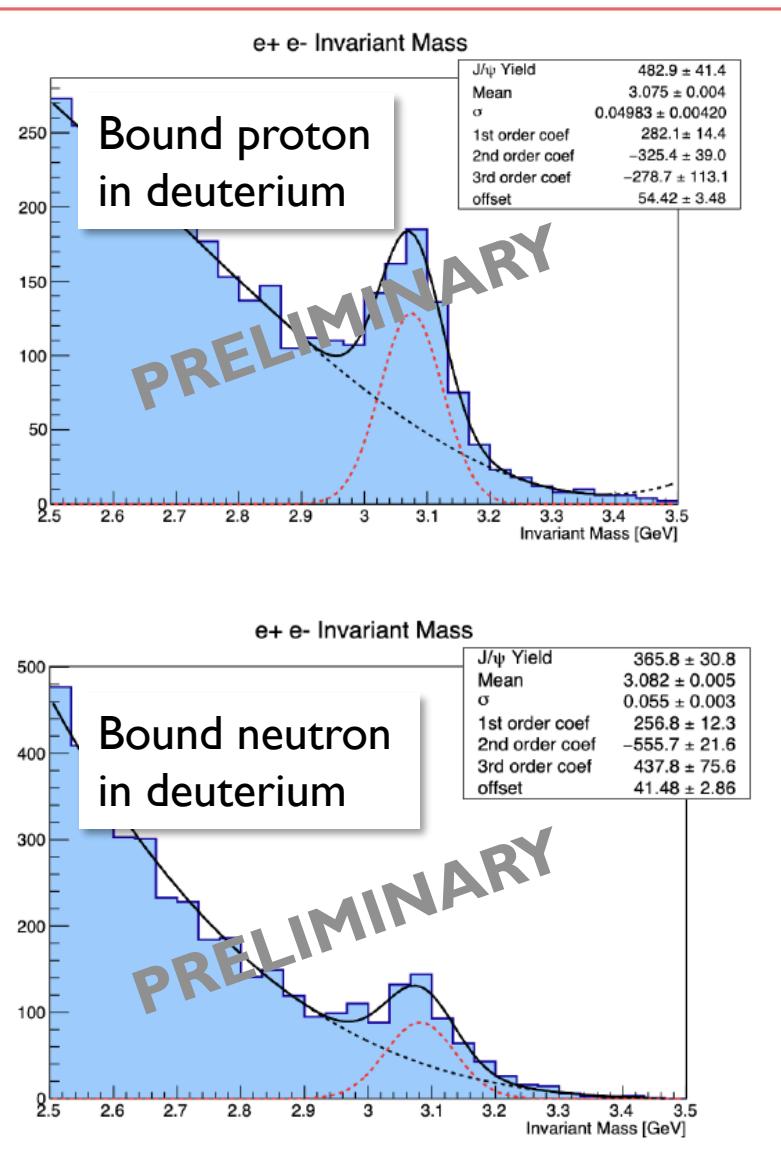


Preliminary total cross-section results

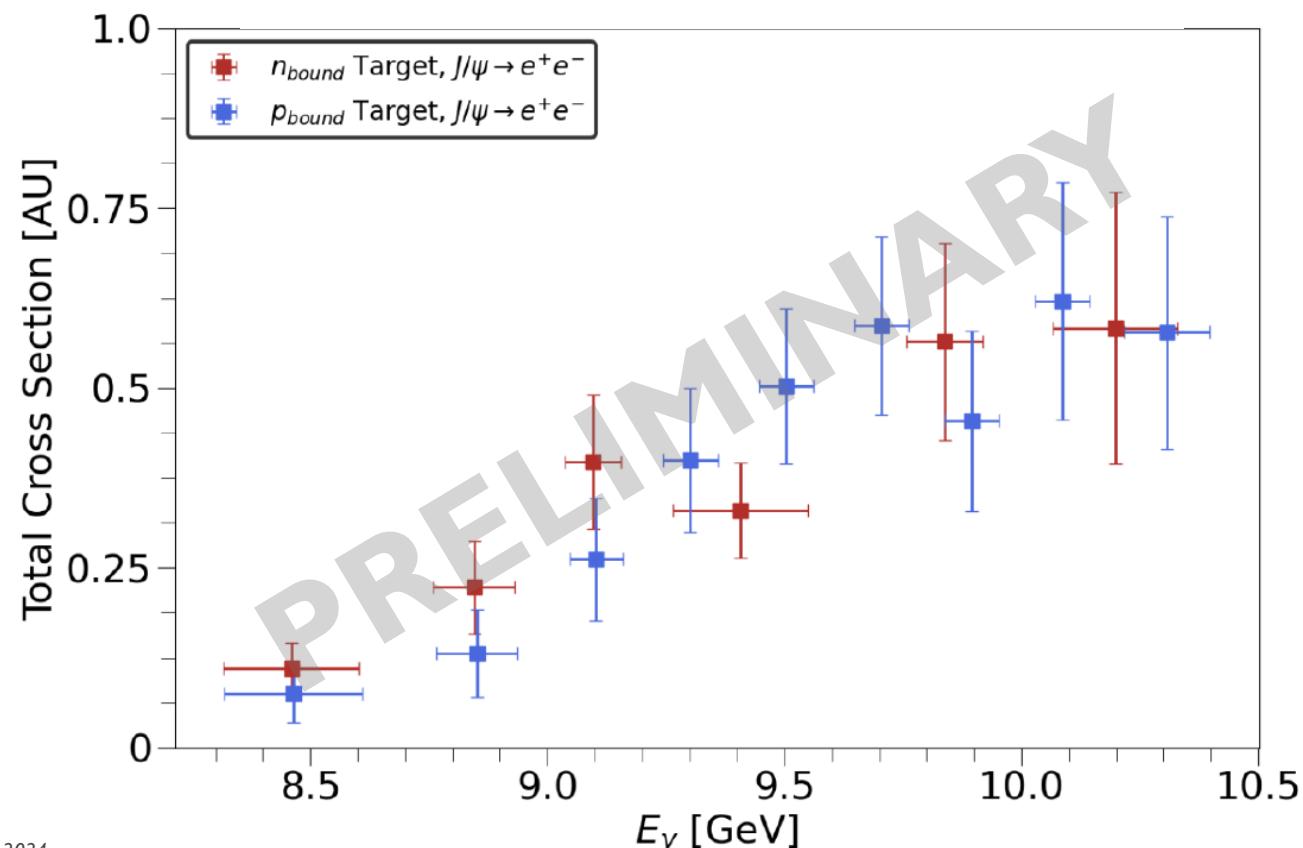


- Only the dominant normalization systematic (17%) is included in the CLAS12 results.
- Both cross-sections are in agreement and errors (statistical and systematics) are of similar size.
- No clear conclusion concerning a potential dip in the open charm threshold region.

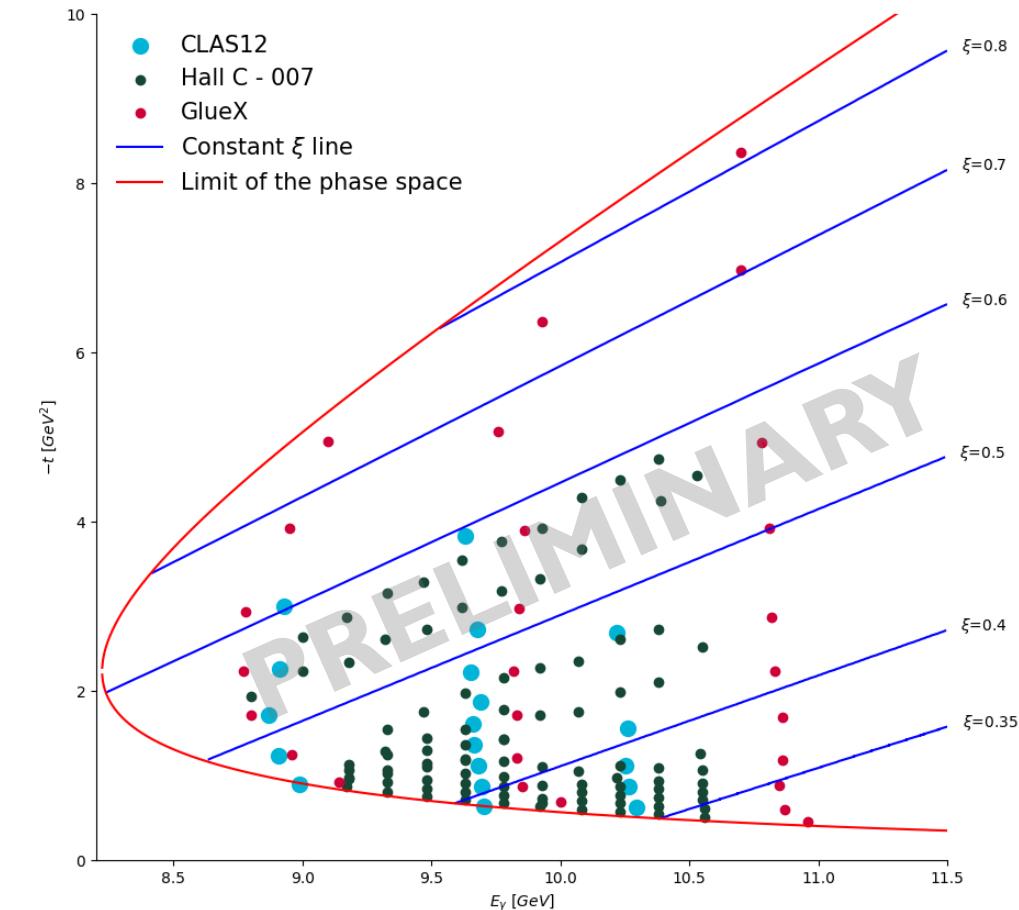
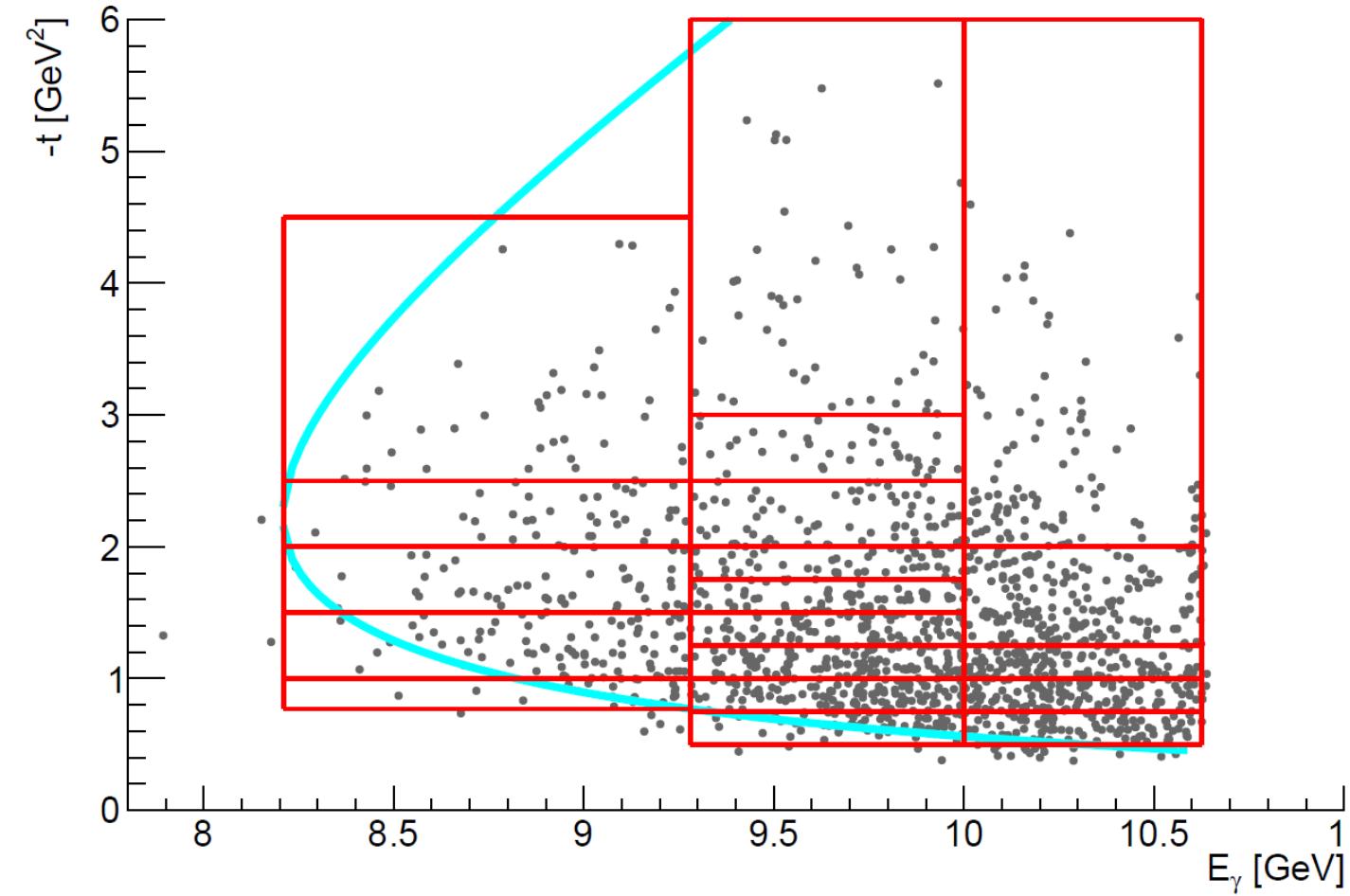
Photoproduction on neutron target - Analysis by R.Tyson (Jefferson Lab)



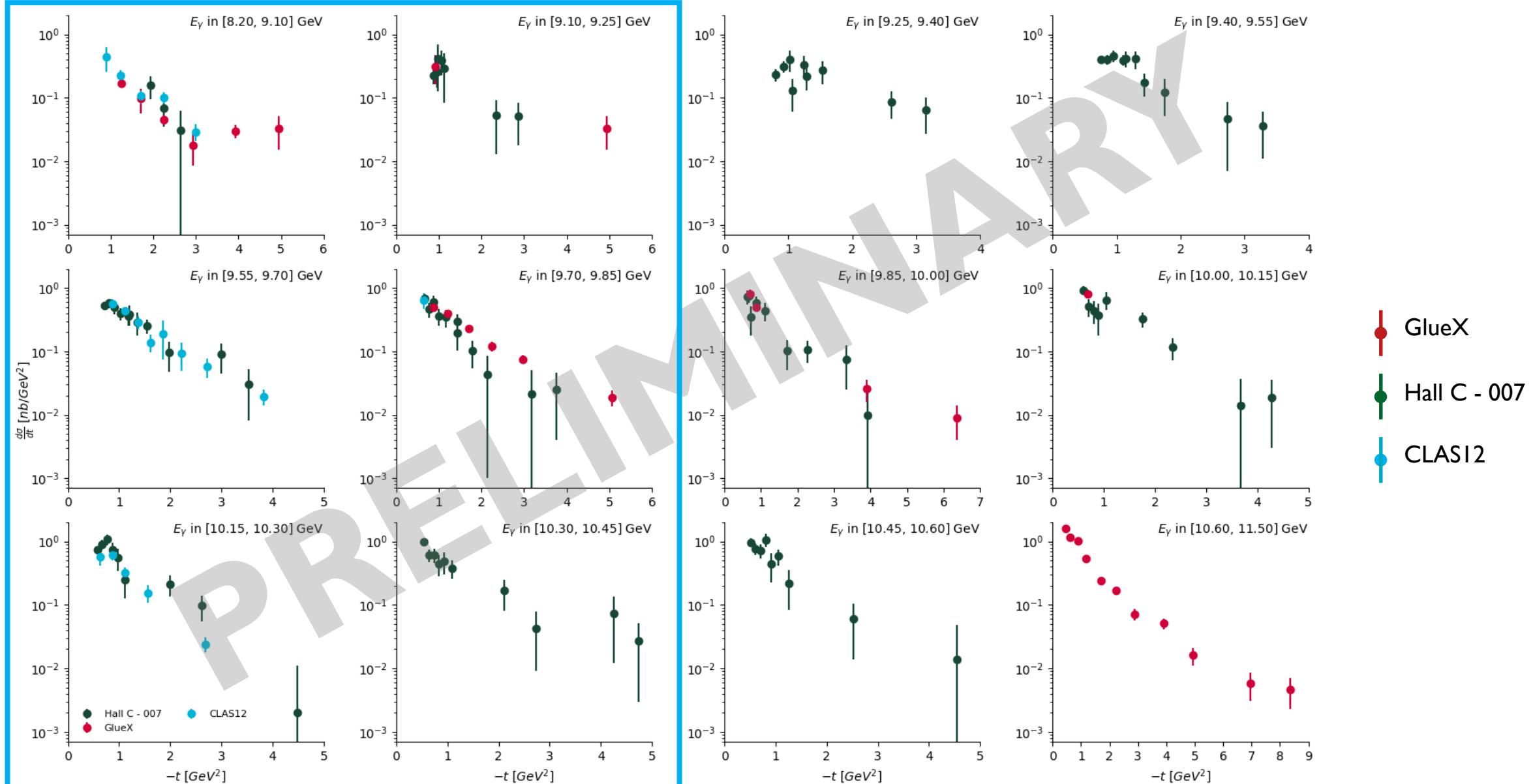
- Main goal: test isospin invariance of the process, access to the gluon content of neutrons.
- Understanding both the proton and neutron efficiency is the main challenge of this analysis.



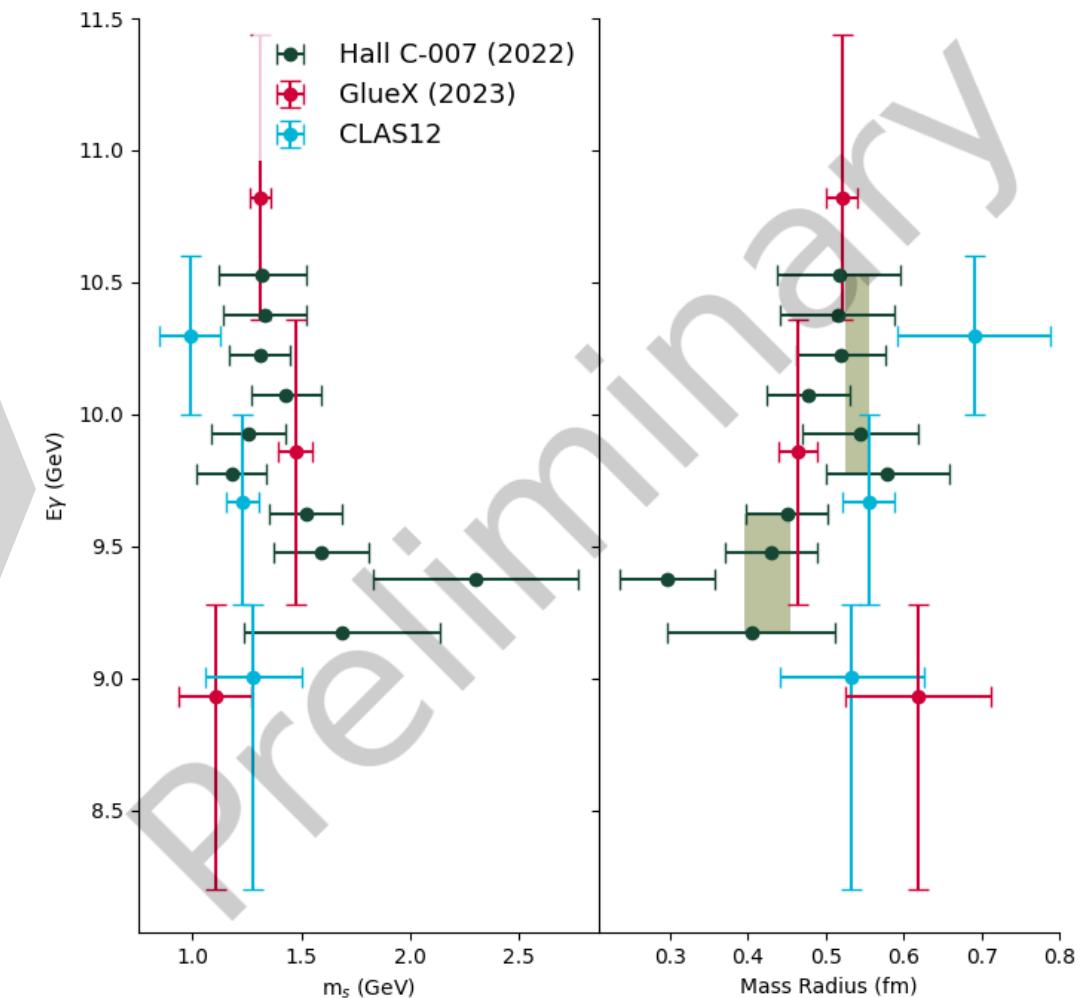
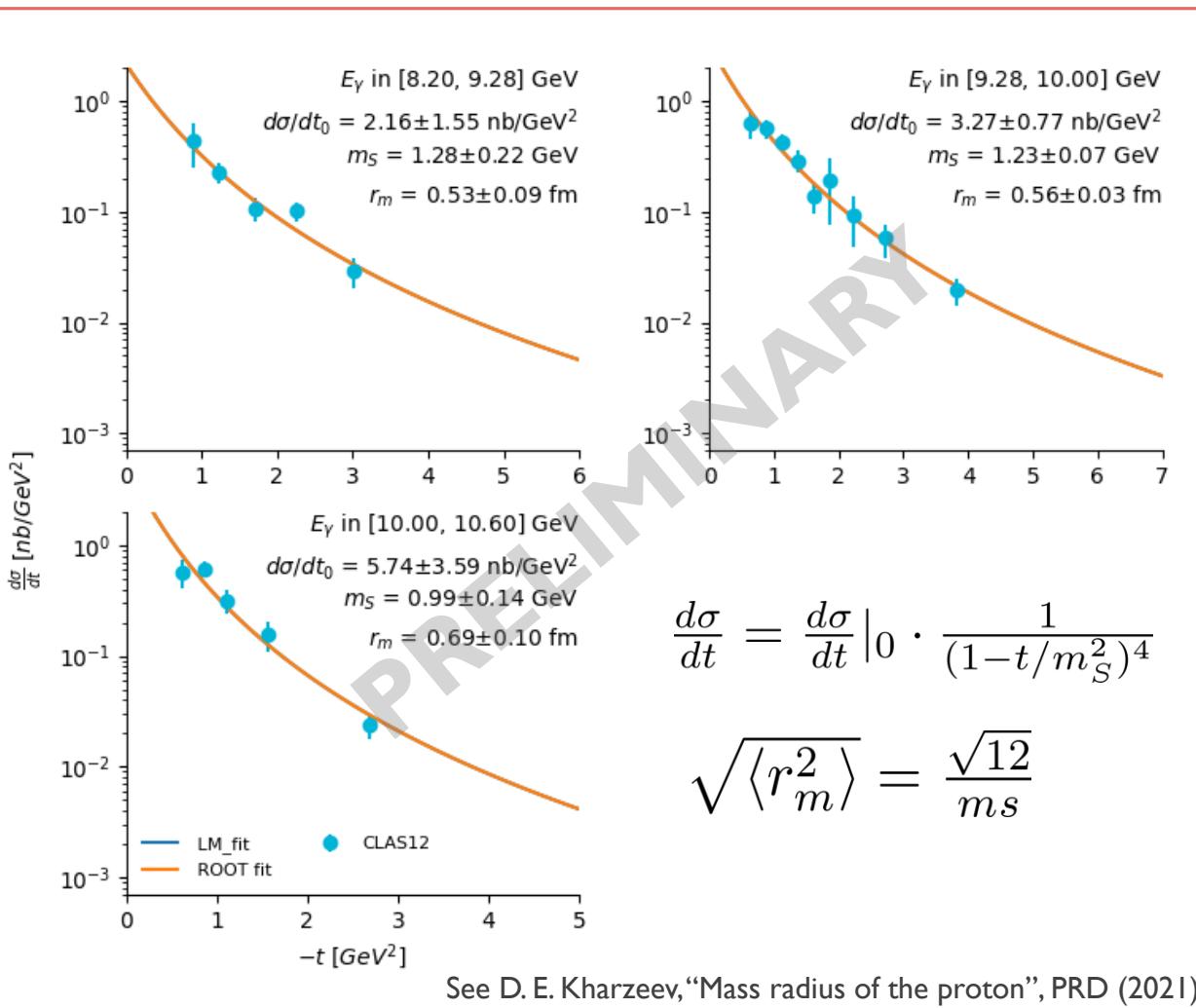
Differential cross section coverage and binning



Preliminary differential cross-section results



Dipole fit and interpretation in term of mass radius



Toward GFF extraction including CLAS12 data (work in progress)

Model dependent extraction of GFFs

- **Holographic QCD model**

J/ψ near threshold in holographic QCD: *A* and *D* gravitational form factors
 Kiminad A. Mamo and Ismail Zahed, Phys. Rev. D 106, 086004, 2022

$$\frac{d\sigma}{dt} = \mathcal{N}^2 \frac{e^2}{64\pi(s-M_N^2)^2} \frac{[A(t)+\eta^2 D(t)]^2}{A^2(0)} \cdot \tilde{F}(s) \cdot 8$$

- Generalized Parton Distribution model

QCD analysis of near-threshold photon-proton production of heavy quarkonium, Yuxun Guo, Xiangdong Ji, and Yizhuang Liu, Phys. Rev. D 103, 096010, 2021

$$\frac{d\sigma}{dt} = \frac{\alpha_{EM} e_Q^2}{4(W^2 - M_N^2)^2} \frac{(16\pi\alpha_S)^2}{3M_V^3} |\phi_{NR}(0)|^2 |G(t, \xi)|^2$$

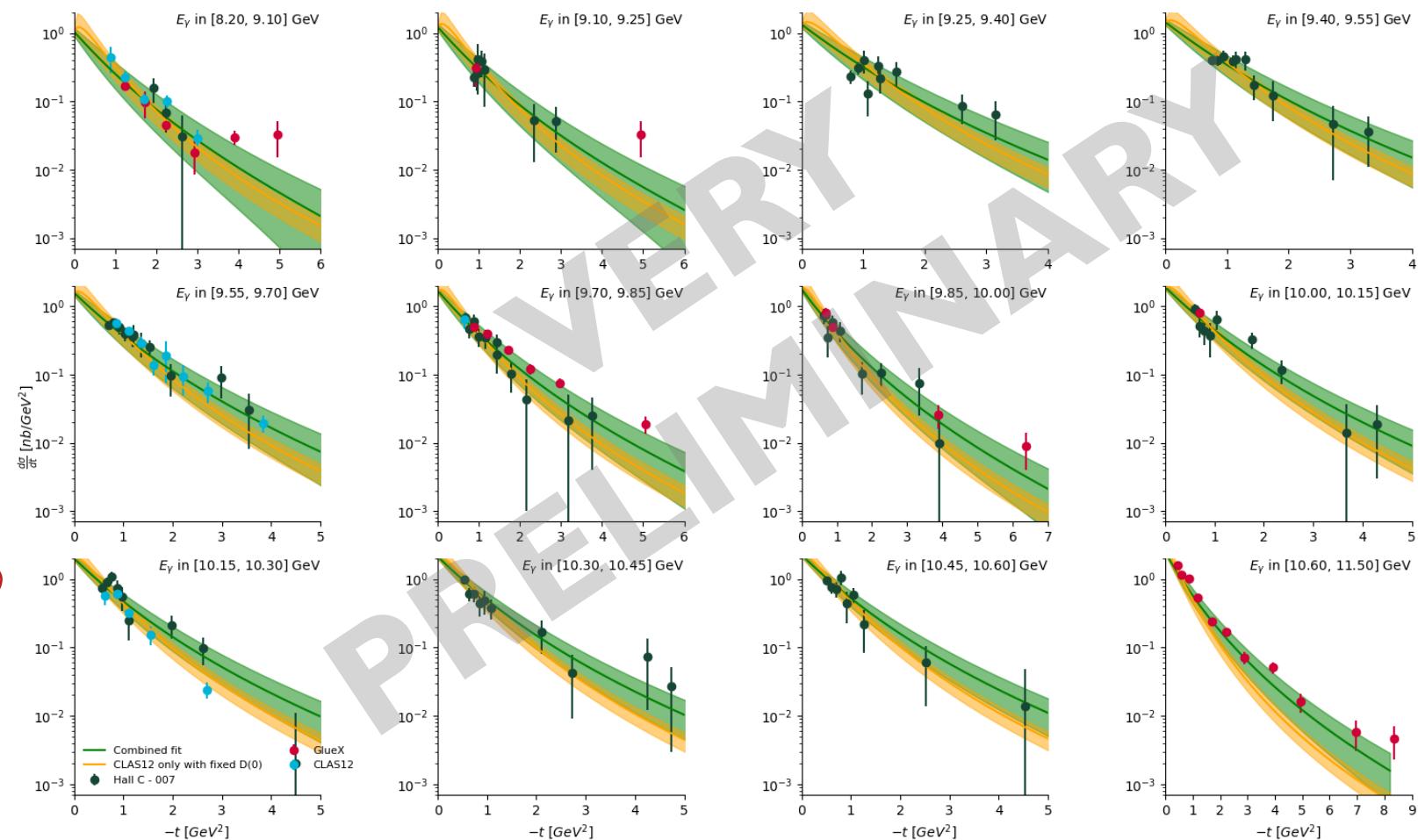
GFFs in $G(t, \xi)$

- **GFF parametrization**

$$D(t) = \frac{D(0)}{(1 - \frac{t}{m_D})^3} \quad A(t) = \frac{A(0)}{(1 - \frac{t}{m_A})^3}$$

$$A(0) = 0.414$$

Equal to gluon momentum fraction



See T.-J. Hou et al., Phys. Rev. D 103, 014013 (2021) for $\Lambda(0)$ values.

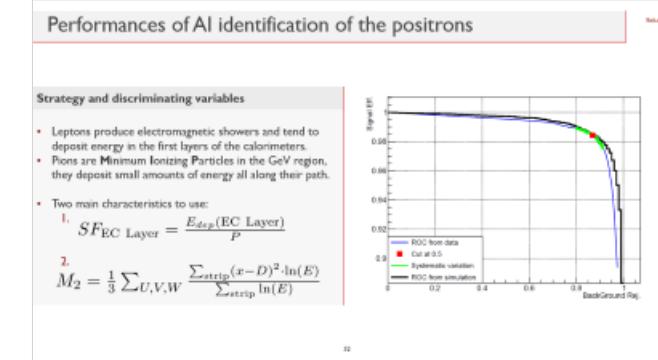
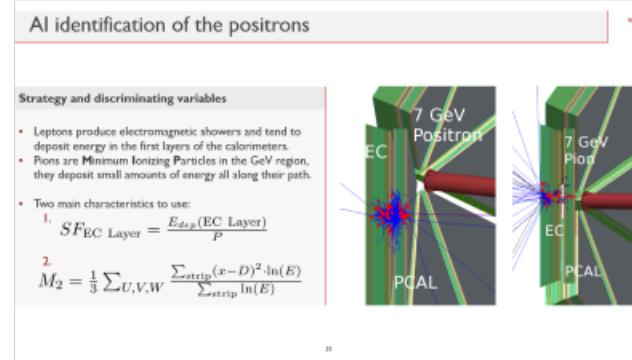
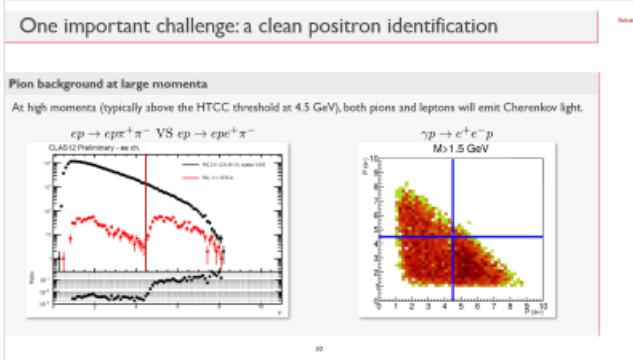
Take-aways and outlook

- Photoproduction of J/ ψ has become a *flagship* measurement for *current and future* JLab experiments.
 - *New cross-section results* from the CLAS12 experiment have now been released.
 - Current work is dedicated to wrapping-up the analysis note for *publication in the next few months*.
 - Strong efforts to *interpret these data*, and *expound upon the capabilities of CLAS12* (measurement on deuterium target and muon final state analysis).

Thank you for your attention

BACK-UPs

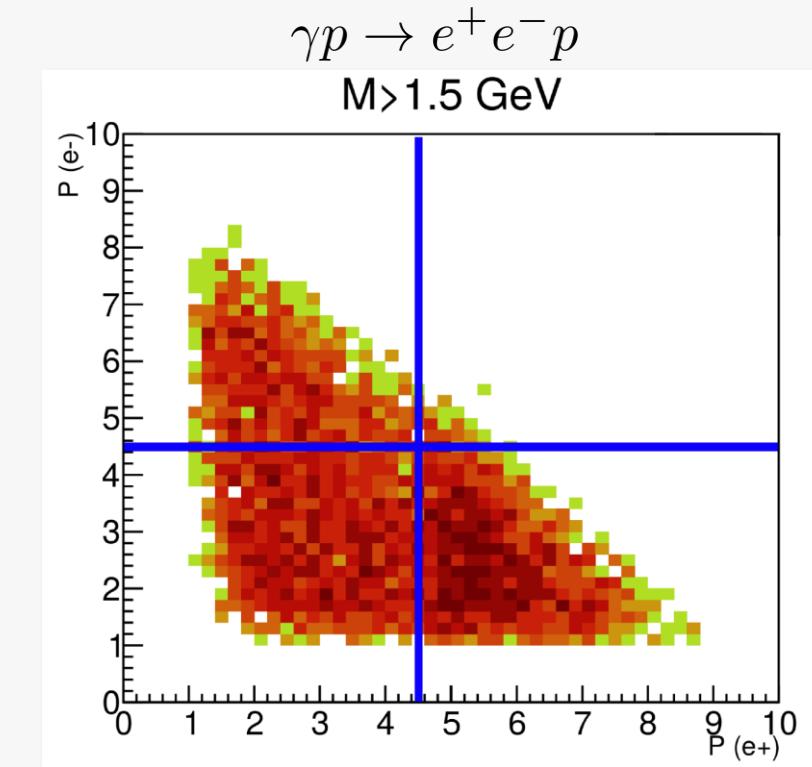
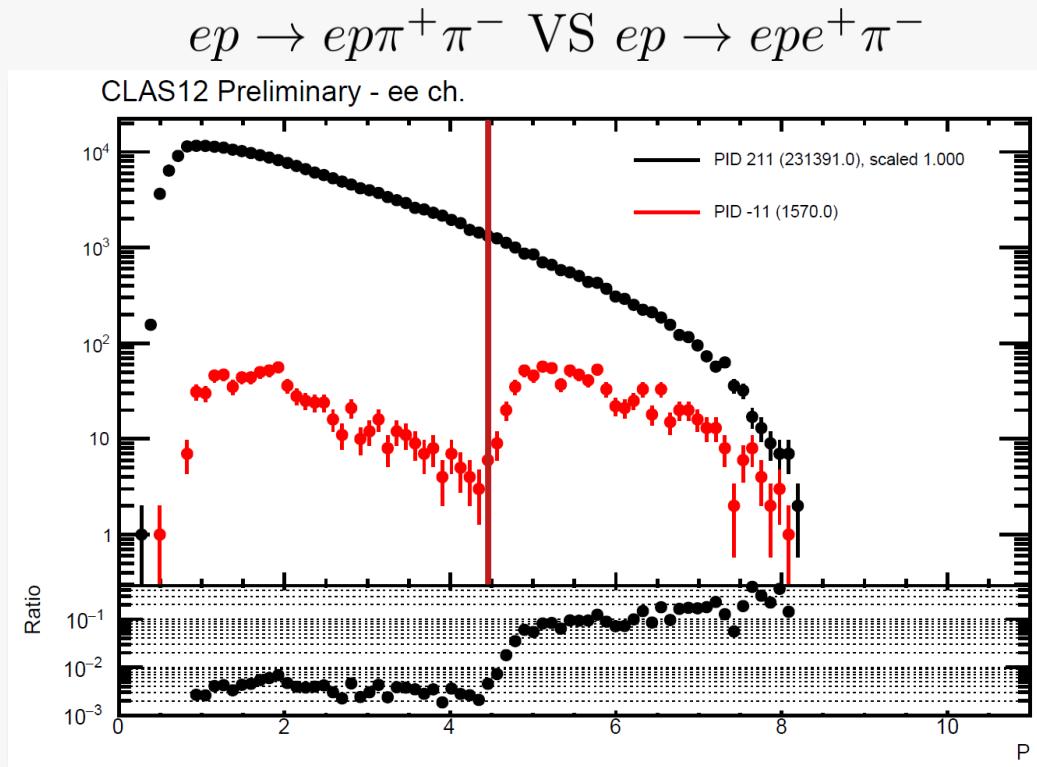
Positron PID



One important challenge: a clean positron identification

Pion background at large momenta

At high momenta (typically above the HTCC threshold at 4.5 GeV), both pions and leptons will emit Cherenkov light.



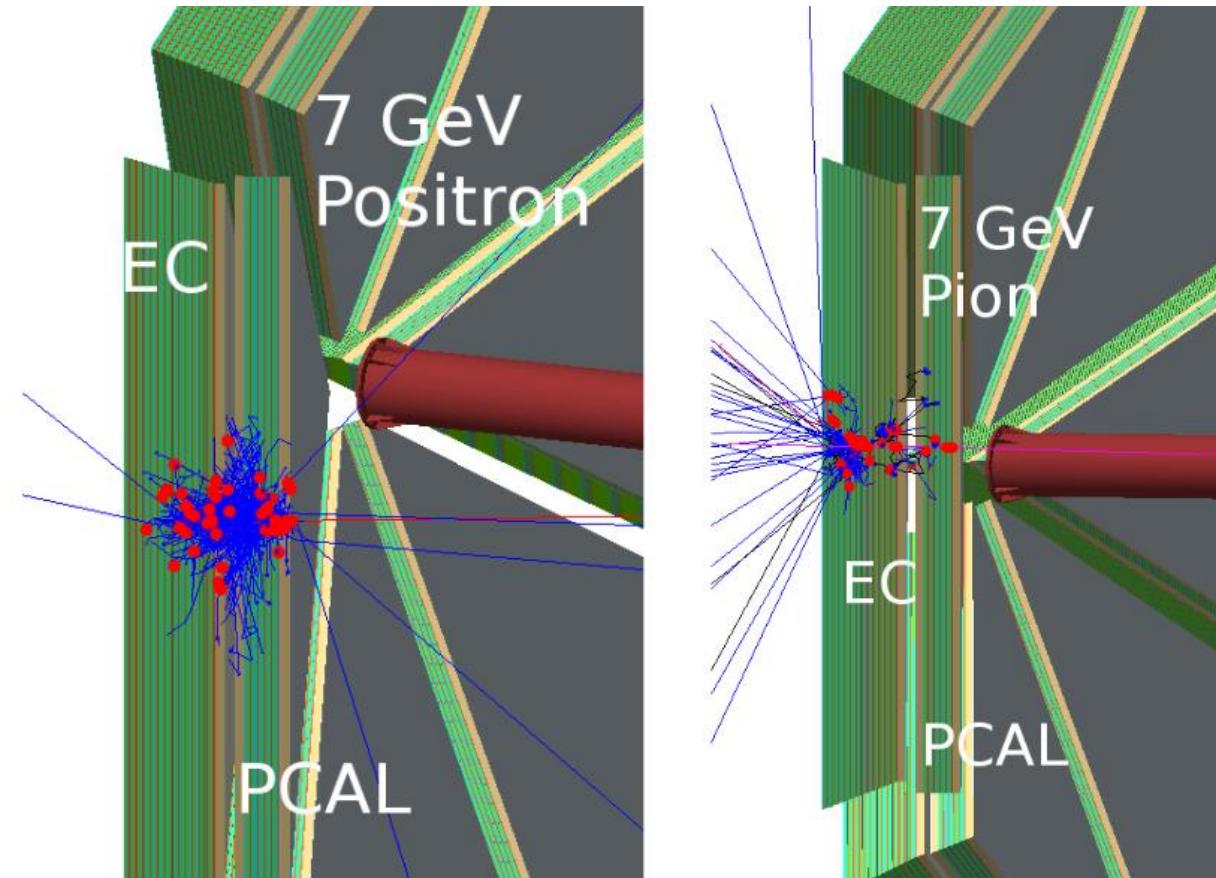
AI identification of the positrons

[Back up](#)

Strategy and discriminating variables

- Leptons produce electromagnetic showers and tend to deposit energy in the first layers of the calorimeters.
- Pions are **Minimum Ionizing Particles** in the GeV region, they deposit small amounts of energy all along their path.
- Two main characteristics to use:
 1. $SF_{EC \text{ Layer}} = \frac{E_{dep}(\text{EC Layer})}{P}$

$$2. M_2 = \frac{1}{3} \sum_{U,V,W} \frac{\sum_{\text{strip}} (x - D)^2 \cdot \ln(E)}{\sum_{\text{strip}} \ln(E)}$$

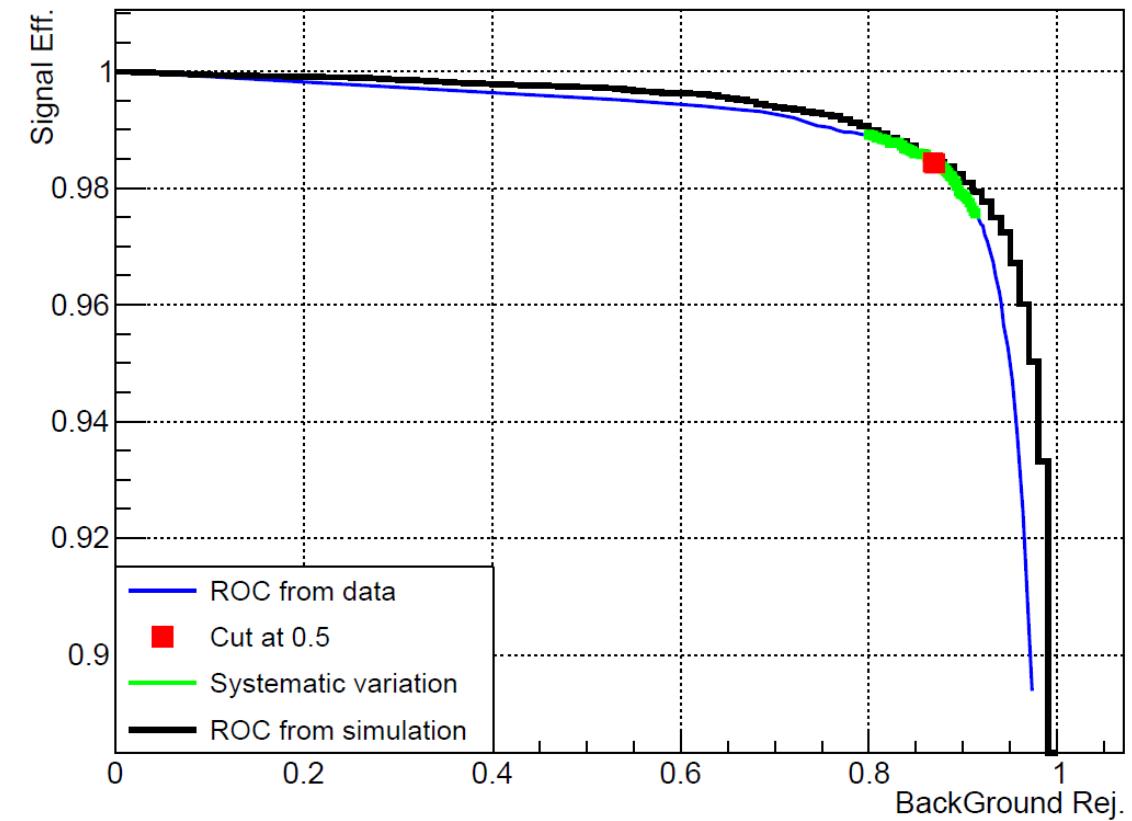


Performances of AI identification of the positrons

Strategy and discriminating variables

- Leptons produce electromagnetic showers and tend to deposit energy in the first layers of the calorimeters.
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 1. $SF_{EC\ Layer} = \frac{E_{dep}(EC\ Layer)}{P}$

2. $M_2 = \frac{1}{3} \sum_{U,V,W} \frac{\sum_{\text{strip}} (x - D)^2 \cdot \ln(E)}{\sum_{\text{strip}} \ln(E)}$



J/ ψ analysis

Data and MC samples

Analysis on Pass 2 data. All main Fall 18 (Inbending and outbending) and Spring 19 runs are processed. Simulations are processed through OSG with pass 2 configuration. The **QCD8 tool** is used to clean-up data and retrieve the accumulated charge per DST files. The **RQDB interface of clat2root** is used to retrieve the beam current for each run. Accumulated charge is computed per beam current for each configuration.

	Fall 18 In.	Fall 18 Out.	Sp. 19
Generator	45 nA 26.312 mC	50 nA 4.000 mC	55 nA 5.355 mC
Grpc	8.2 M each		6.7 M
TCSGen	2M each		1.5 M
JpsiGen	2M each		
JpsiGen (No rad.)		3M each	
Total of 24 MC samples and 3 Data samples			

Radiative effects

Inclusion of radiative effect is done in all generators according to formulas in [Marian Hoffer et al. Soft-photon corrections to the bremstrahlung process in the \$p\bar{p} \rightarrow J/\psi p\$ reaction, PRD](#). The **JpsiGen, TCSGen** generator with radiative effect are on GitHub, as well as an event converter for **Grapeg**. A full note on the algorithm is ready and will be included in the analysis note. The work was presented at the CLAS collaboration meeting in July 23.

Photon flux

Real and virtual flux are provided event by event by the **PsiGen Generator**.

- The integral over the range of energy of the bin j is done using the trapezoidal theorem:
$$\mathcal{F}_{c/j} = \int_j \mathcal{F}_c dE = \Delta E \sum_{i=1}^N \mathcal{F}_c(E_{GEM/N,i}) \omega_i$$

Each flux (one per configuration) is multiplied by the corresponding accumulated charge:

$$\mathcal{F}_j = \sum_c C_c \cdot \mathcal{F}_{c/j}$$

Total number of photons in the bin j in unit of c :

$$L = \frac{1}{c} \rho N A \cdot C$$

Detection efficiency

From the data for a selected background rejection is extracted.

- Events are generated using the same background function and added to the jet signal MC sample.
- The obtained distribution is fitted with the same function as the data sample.
- The acceptance correction is then:
$$\epsilon_j = \frac{N_{j/\psi}(J/\psi)}{N_{j/\psi}(J/\psi + \text{Bkg})}$$

Radiative correction

I) Jpsi samples without radiative effects are produced.
2) The radiative correction is defined using the GEN kinematics as:

$$\epsilon_{Rad/j} = \frac{N_{J/\psi}|_{j/RAD}}{N_{J/\psi}|_{j/GEN}}$$

Selection cut systematics

Every step of the analysis, except normalization factor, is repeated with different cuts:

- Q⁺ **Done**
- Q⁻ **Not Done**
- Lepiso **Not Done**
- Lepiso ID **To be done**
- Proton PID **To be done**

Resolution effect, Implementation of ad-hoc smearing to reduce this systematic, Variation of the signal function to be added.

Bin volume correction

$\frac{d\sigma}{dt}|_j = \frac{N_{J/\psi/j}}{\mathcal{F}_j \cdot L \cdot \omega_{c/j} \cdot B_r \cdot \epsilon_j \cdot \epsilon_{Rad/2} \cdot V_j \cdot \Delta t_j}$

In practice this is usually done using integral of functions or root:

$$f_{Bin_Int_T_min_function}$$

$E_\gamma \in [9.28, 10.36] \text{ GeV}$
 $-t \in [4, 6] \text{ GeV}^2$

Deuterium target and muon final state

Deuteron data were taken by CLAS12 in 2016/2017. Opportunity to measure Jpsi production on (bound) neutron and (bound) proton. Alongside this analysis, a framework to explore the muon decay channel was developed. This effort is lead by R. Tyson from University of Glasgow.

Tagged J/ ψ quasi-photoproduction with CLAS12

$ep \rightarrow e' J/\psi p' \rightarrow e'l^+l^- (X)$

Analysis conducted by M.Torres-Pita, COU. In this case, one electron in the Forward Tagger (low lab angle < 5°) and a lepton pair in CLAS12. Excellent cross-check of the quasi-photoproduction approach. Early results show low statistics, the new data "cooking" including better tracking efficiency will be beneficial for this analysis. Other event topologies will be explored.

Other potential J/ ψ analysis using CLAS12 data:

- Available data for longitudinally polarized proton target

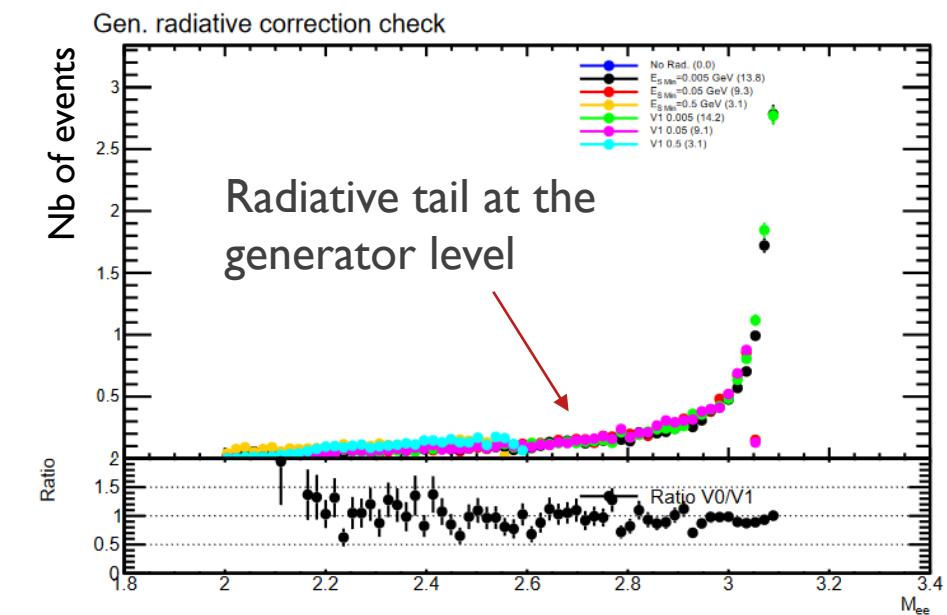
Data and MC samples

- Analysis on Pass 2 data. All *main* Fall 18 (Inbending and outbending) and Spring 19 runs are processed.
- Simulations are processed through OSG with pass 2 configuration
- The [QADB tool](#) is used to clean-up data and retrieve the accumulated charge per DST files
- The [RCDB interface of clas12root](#) is used to retrieve the beam current for each run
- Accumulated charge is computed per beam current for each configuration

Generator	Config / Beam currents / Charge					
	Fall 18 In.			Fall 18 Out.		Sp. 19
	45 nA 26.312 mC	50 nA 4.000 mC	55 nA 5.355 mC	40 nA 11.831 mC	50 nA 20.620 mC	50 nA 45.994 mC
Grape	8.2M each					6.7 M
TCSGen	2M each					1.5 M
JPsiGen	2M each					
JPsiGen (No rad.)	3M each					
Total of 24 MC samples and 3 Data samples						

Radiative effects

- Inclusion of radiative effect is done in all generators according to formulas in: [Matthias Heller et al. Soft-photon corrections to the bethe-heitler process in the \$yp \rightarrow l+l-p\$ reaction. PRD](#)
- The [JpsiGen](#), [TCSGen](#) generator with radiative effect are on Github, as well as an event converter for [Grape](#)
...not yet on OSG
- A full note on the algorithm is ready and will be included in the analysis note.
- The work was presented at the CLAS collaboration meeting in July 23.



Photon flux

- 1) Real and virtual flux are provided event by event by the [JPsiGen Generator](#).
- 2) The integral over the range of energy of the bin j is done using the integral/mean theorem:

$$\mathcal{F}_{c/j} = \int_j \mathcal{F}_c dE = \Delta E \frac{\sum_{i=1}^N \mathcal{F}_c(E_{GEN/i}) \cdot \omega_i}{\sum_{i=1}^N \omega_i}$$

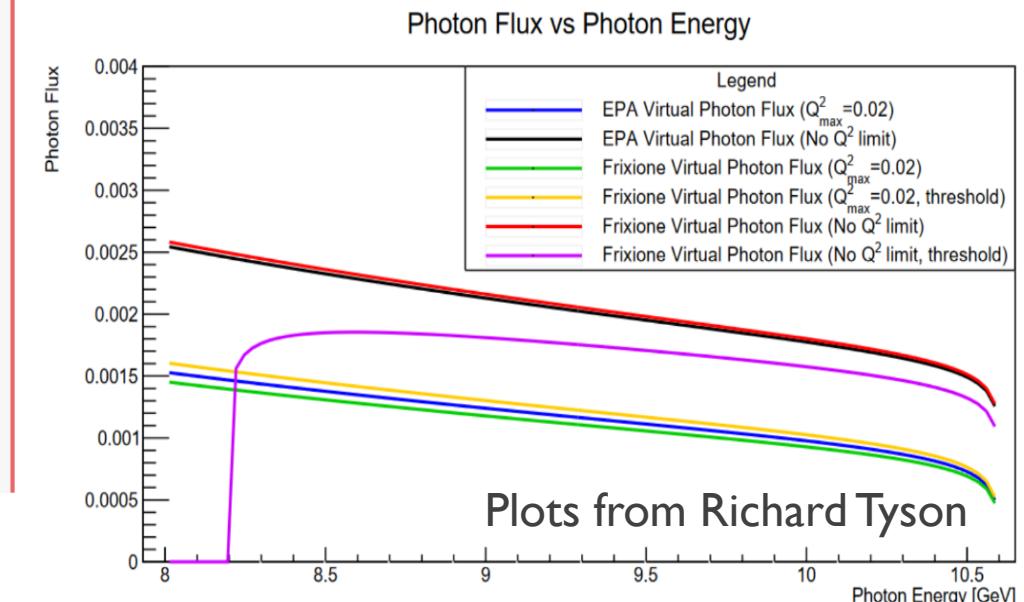
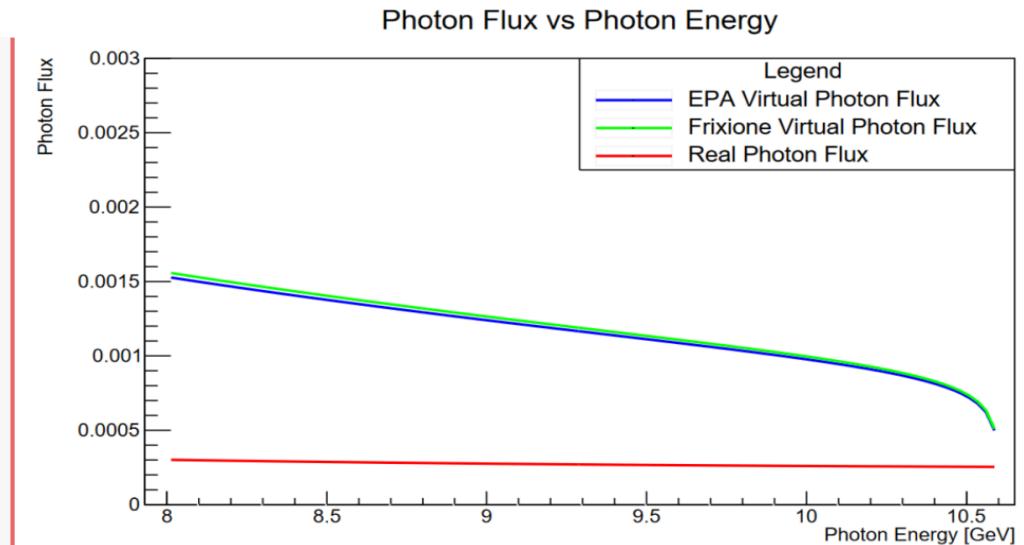
- 3) Each flux (one per configuration) is multiplied by the corresponding accumulated charge:

$$\mathcal{F}_j = \sum_c C_c \cdot \mathcal{F}_{c/j}$$

Total number of photon in
the bin j in unit of e

- 4) The results is multiplied by the luminosity factor to recover the correct normalizing factor:

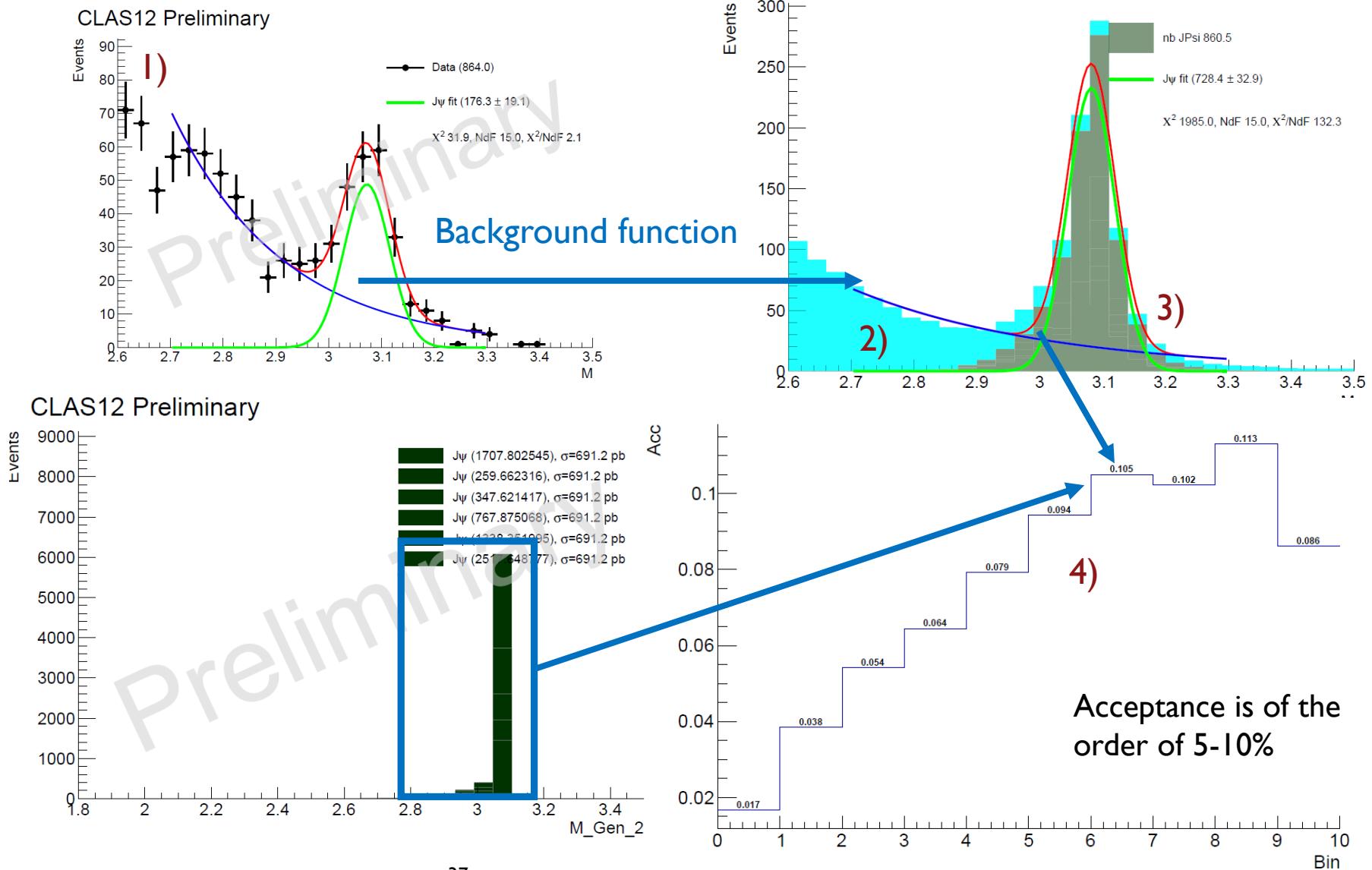
$$\mathcal{L} = \frac{l \cdot \rho \cdot N_A \cdot C}{e}$$



Detection efficiency

- 1) From the data fit a second order polynomial background function is extracted
- 2) Events are generated according to this background function and added to the Jpsi signal MC sample
- 3) The obtained distribution is fitted with the same function as the data
- 4) The acceptance correction is then:

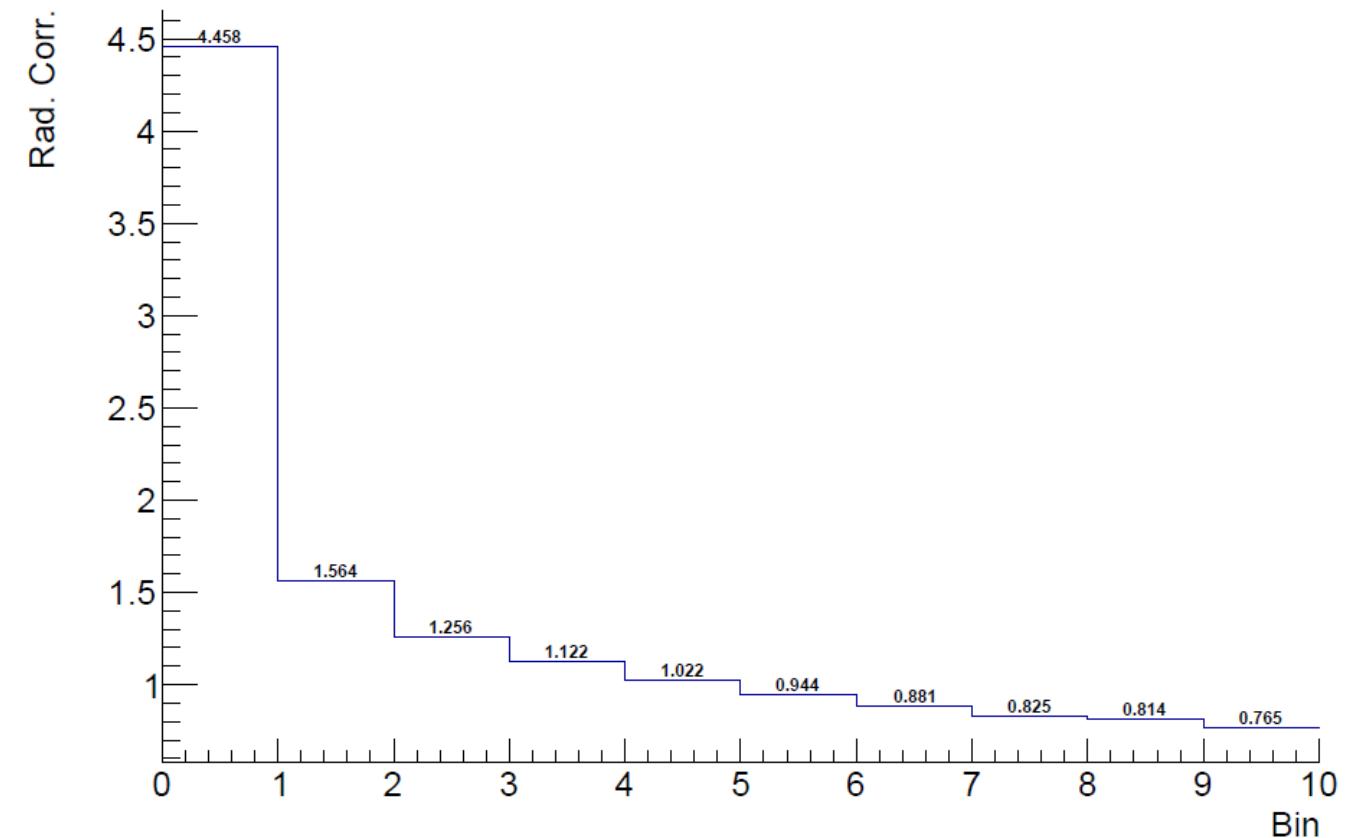
$$\epsilon_j = \frac{N_{J/\psi}|_{j/REC}}{N_{J/\psi}|_{j/RAD}}$$



Radiative correction

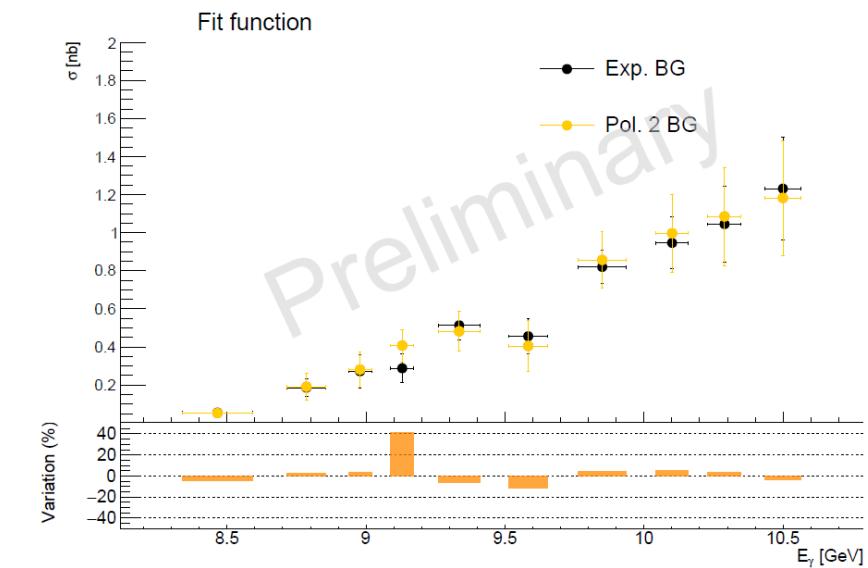
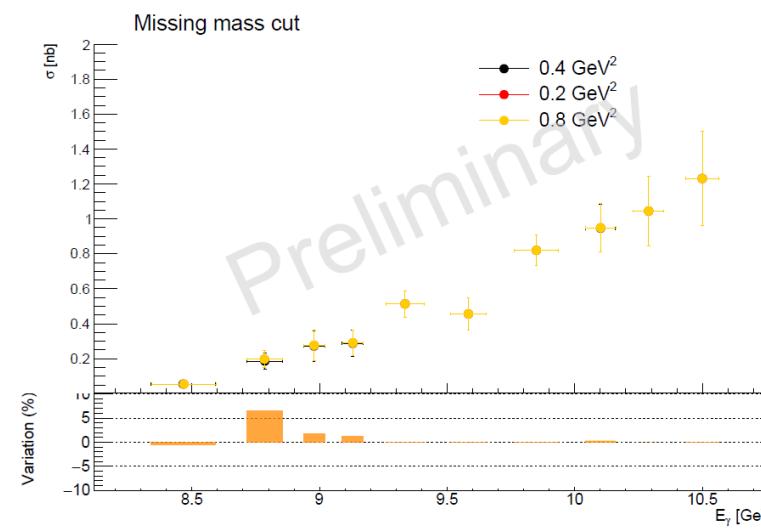
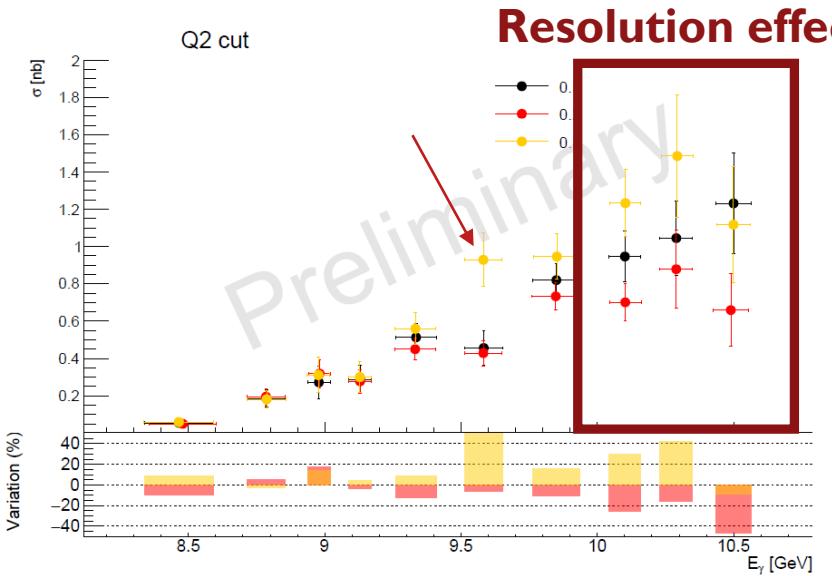
- 1) Jpsi samples without radiative effects are produced
- 2) The radiative correction is defined using the GEN kinematics as:

$$\epsilon_{Rad/j} = \frac{N_{J/\psi}|_{j/RAD}}{N_{J/\psi}|_{j/GEN}}$$



Selection cut systematics

- Every step of the analysis, except normalization factor, is repeated with different cuts:
 - Q^2 **DONE**
 - $|MM|^2$ **DONE**
 - Fit function **DONE**
 - Lepton momenta cut **To be done**
 - Lepton ID cut **To be done**
 - Proton PID **To be done**

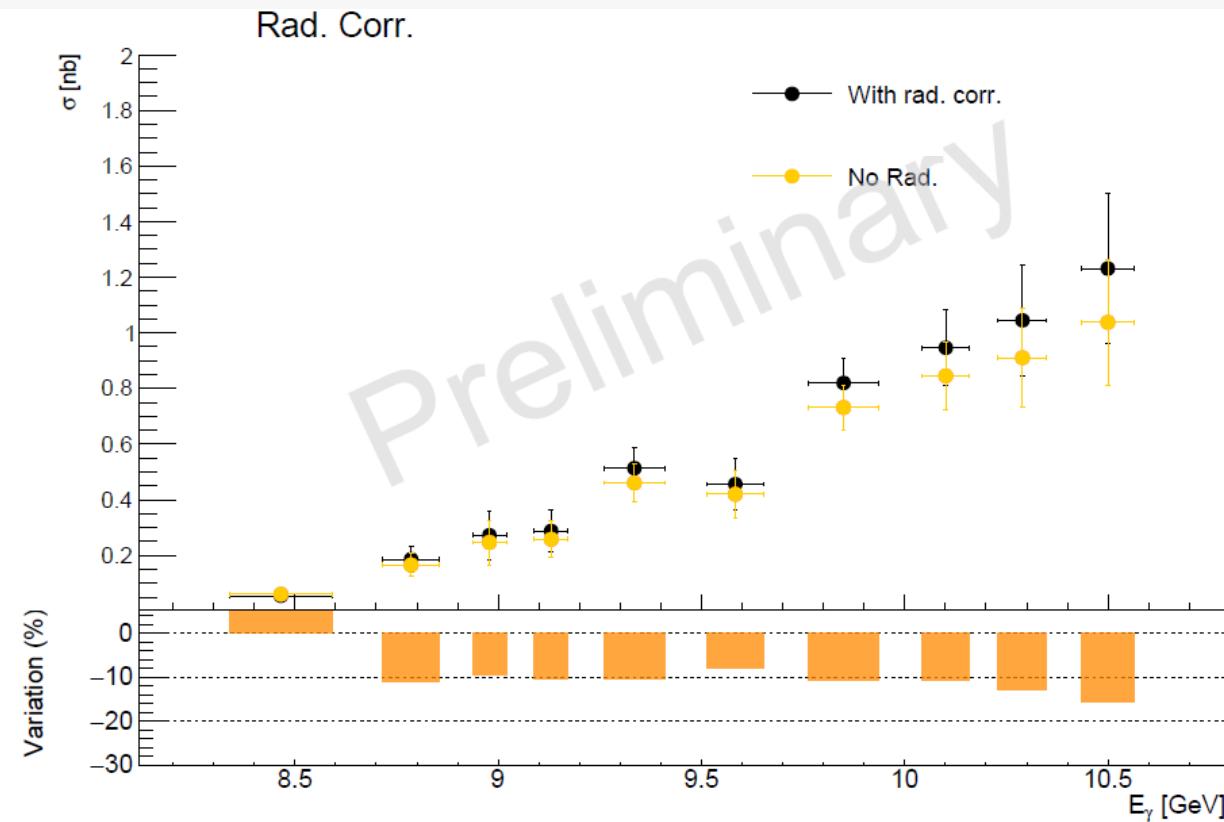


→ Implementation of ad-hoc smearing to reproduce resolution in MC and reduce this systematic

→ Variation of the signal function to be added

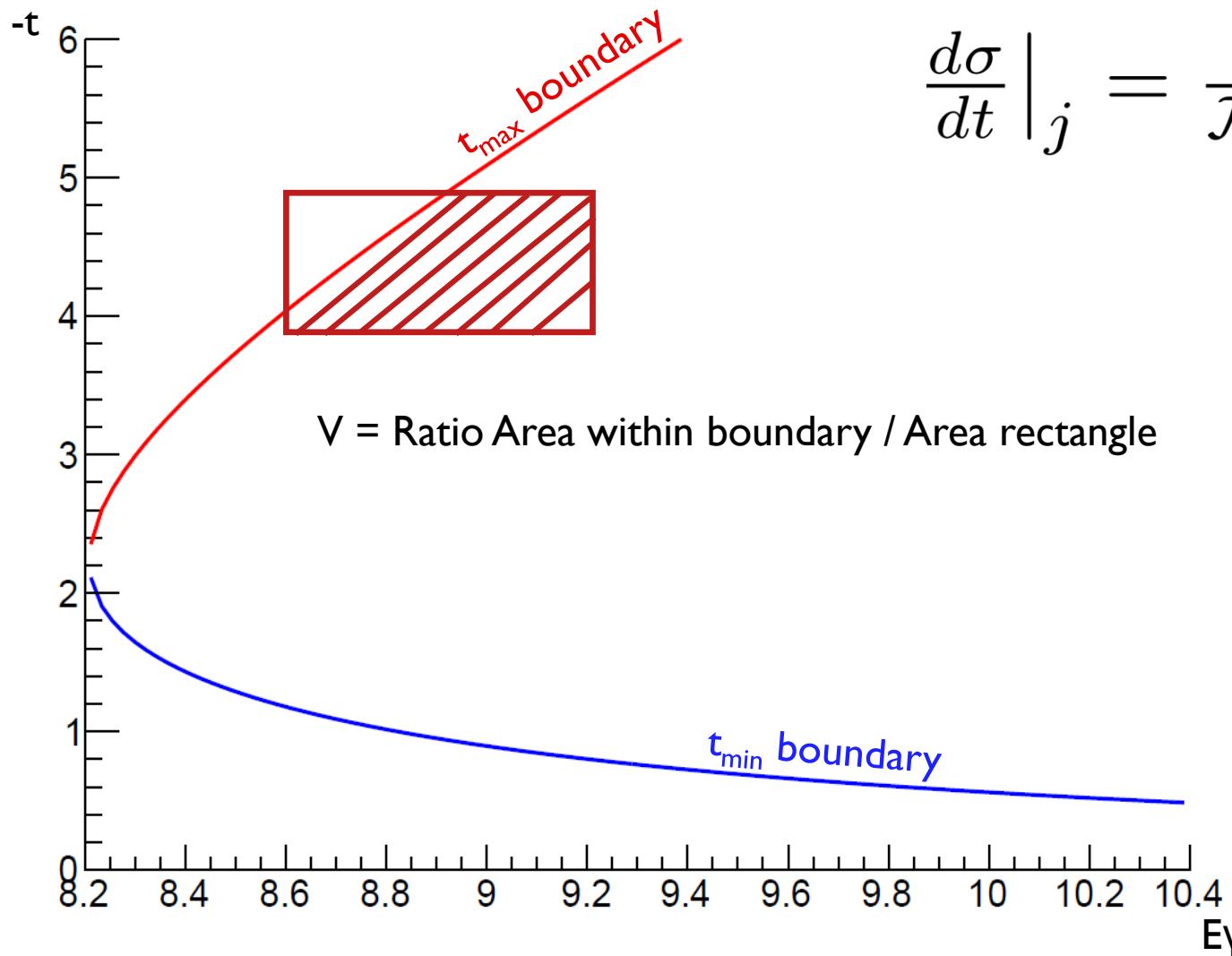
Radiative correction effect

- The standard CS is extracted using the Radiated Jpsi MC samples and radiative correction
- The alternate is using non-radiated MC samples
- The effect is of the order of 10% (GlueX quoted 8.5%)



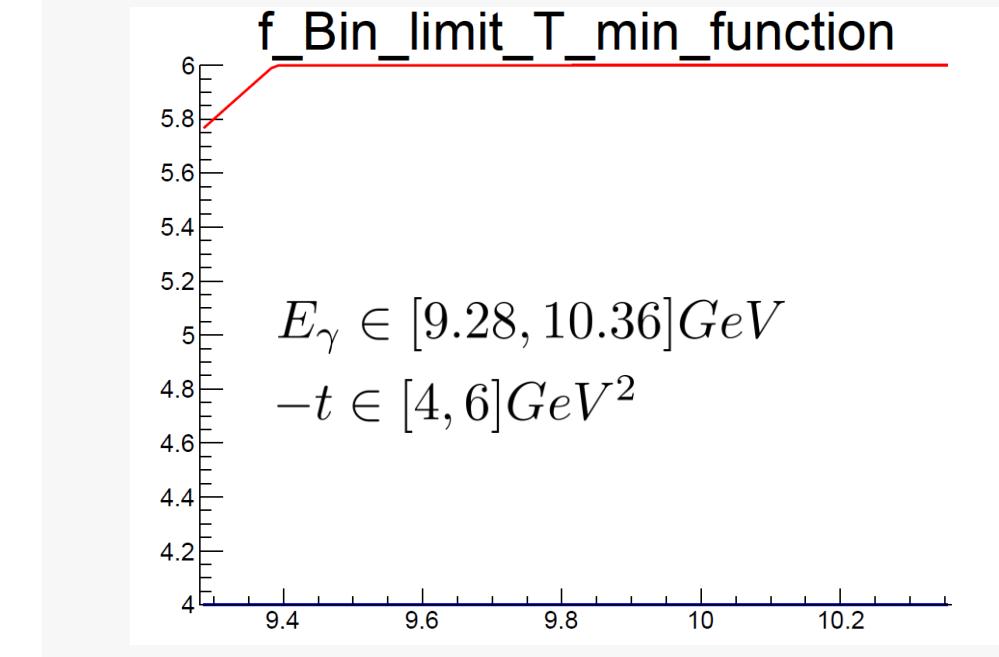
+ Closure test (Implemented but not presented here)

Bin volume correction



$$\frac{d\sigma}{dt} \Big|_j = \frac{N_{J/\psi/j}}{\mathcal{F}_j \cdot \mathcal{L} \cdot \omega_{c/j} \cdot B_r \cdot \epsilon_j \cdot \epsilon_{Rad/j} \cdot \boxed{\mathcal{V}_j \cdot \Delta t_j}}$$

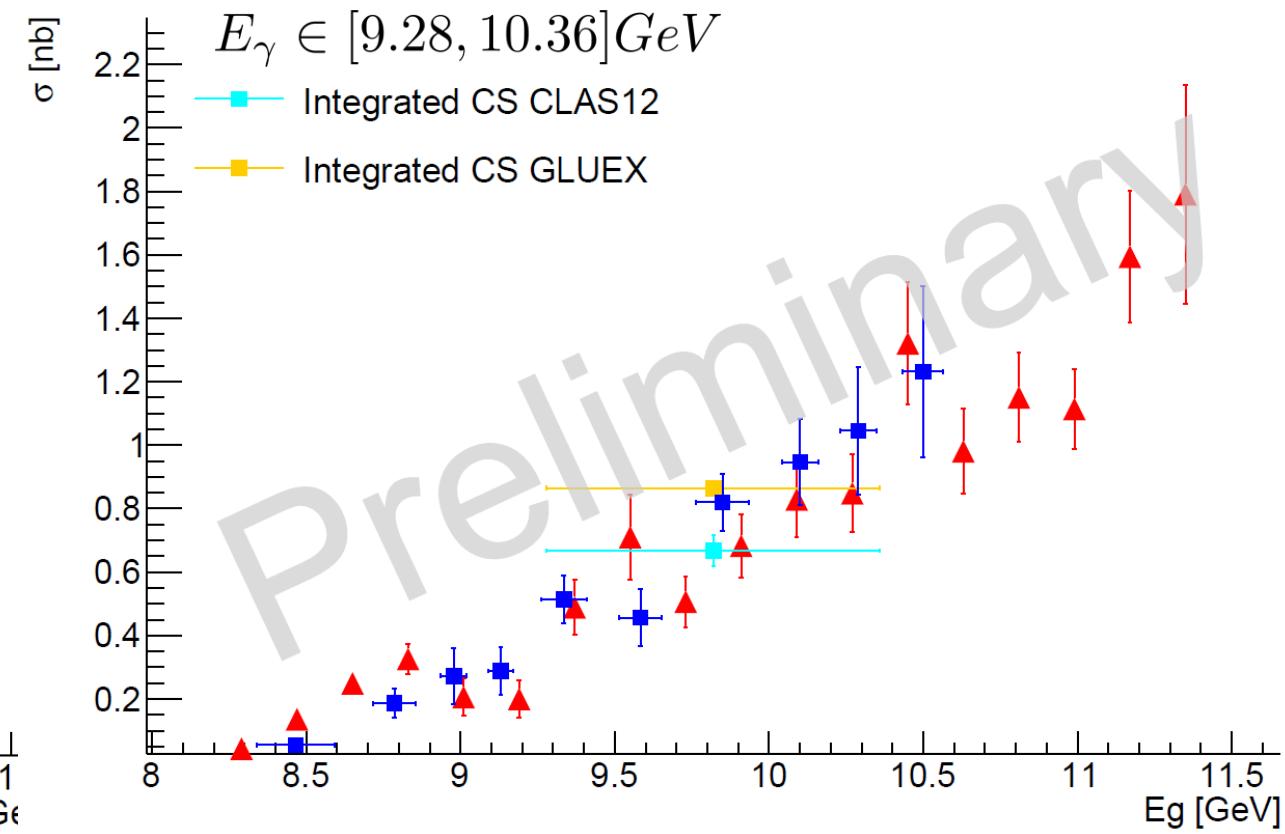
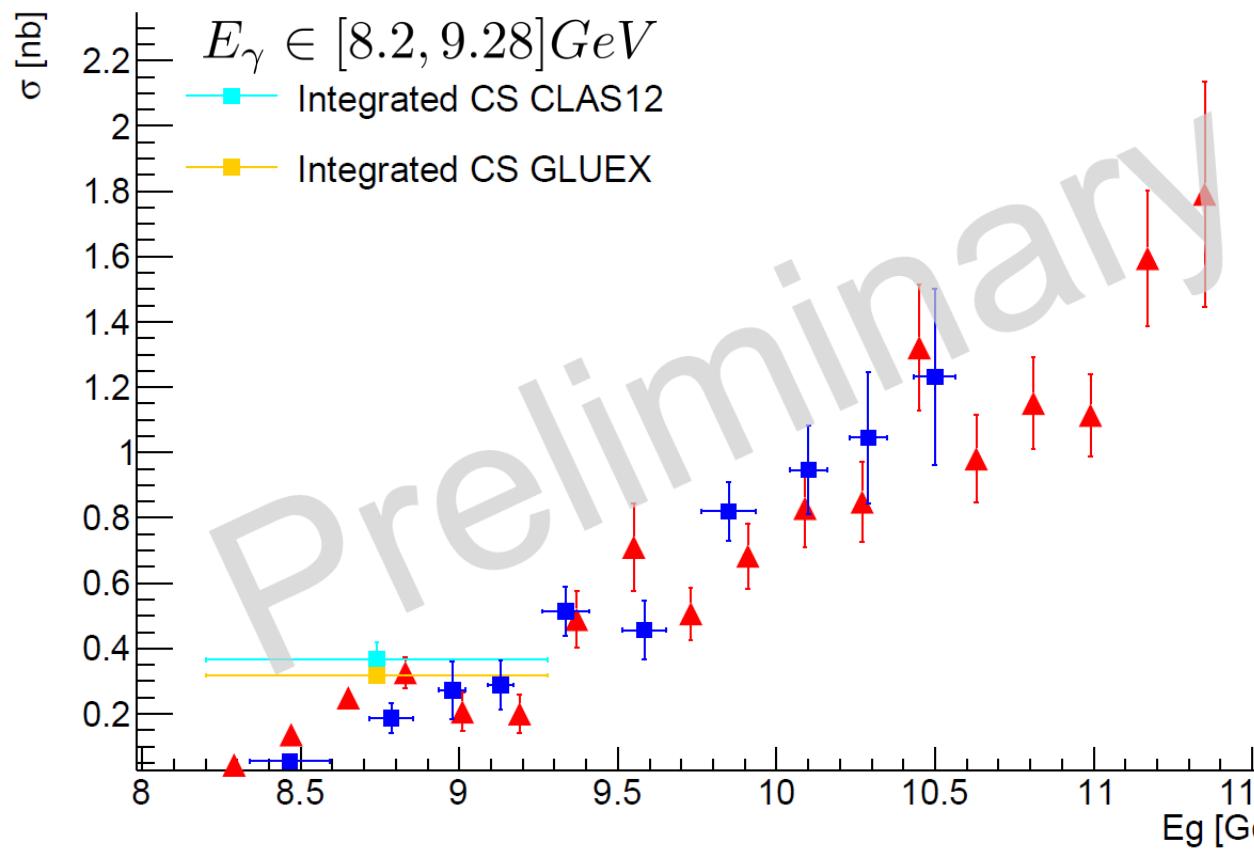
- In practice is this readily done using integral of functions in root



Integrated t-dependent cross-section

- The integral of the t-dependent cross section is done bin-by-bin:
- And compared to the total CS

$$\sigma = \sum_j \frac{d\sigma}{dt} \Big|_j \cdot \Delta t_j$$

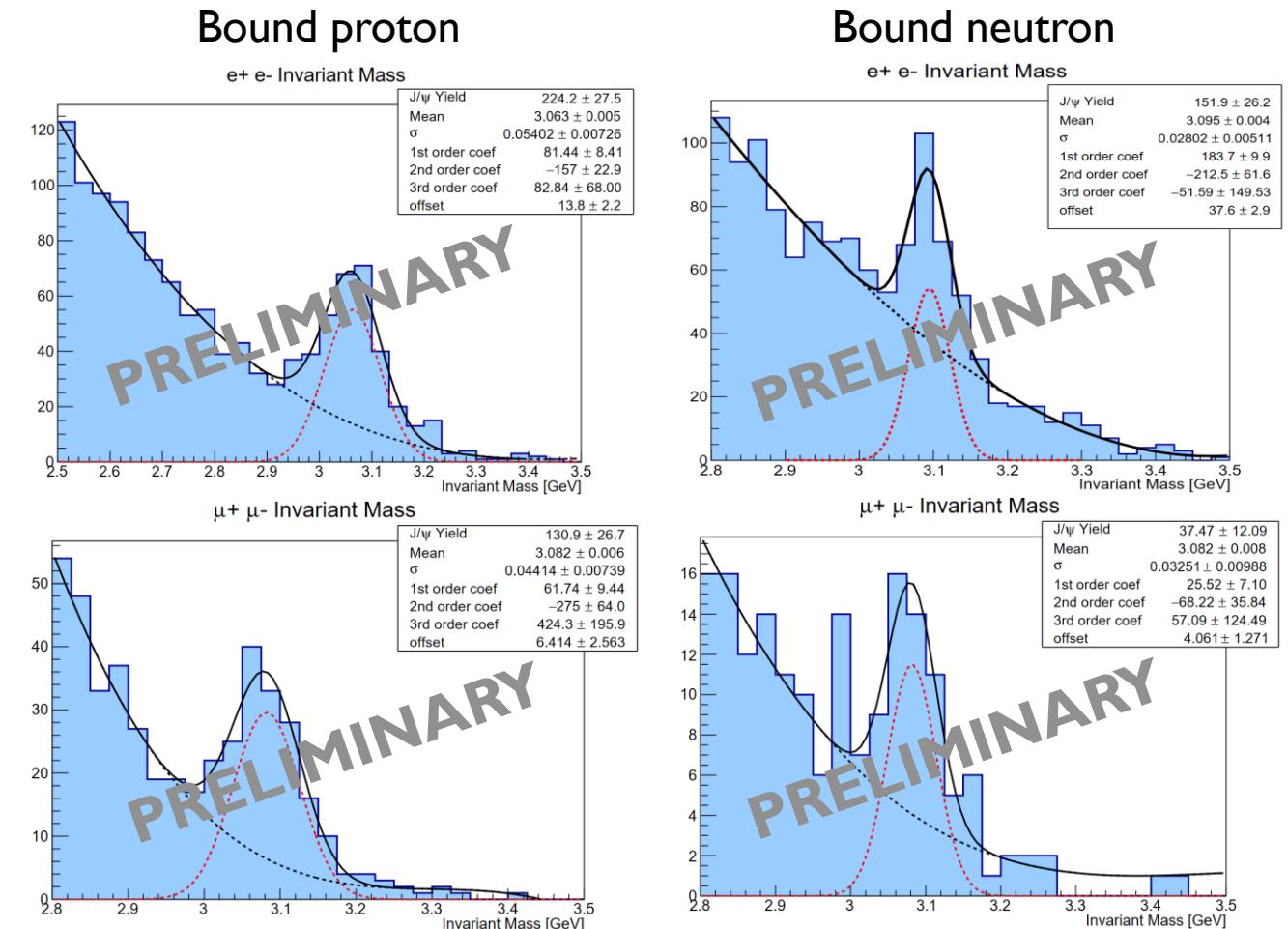


- Good agreement between integrated t-dependent CS and E_γ -dependent CS

Deuterium target and muon final state

[Back up](#)

- Deuterium data were taken by CLAS12 in 2019/2020.
- Opportunity to measure J/ψ production on (bound) neutron and (bound) proton.
- Alongside this analysis, a framework to explore the muon decay channel was developed.
- This effort is lead by R.Tyson from University of Glasgow.

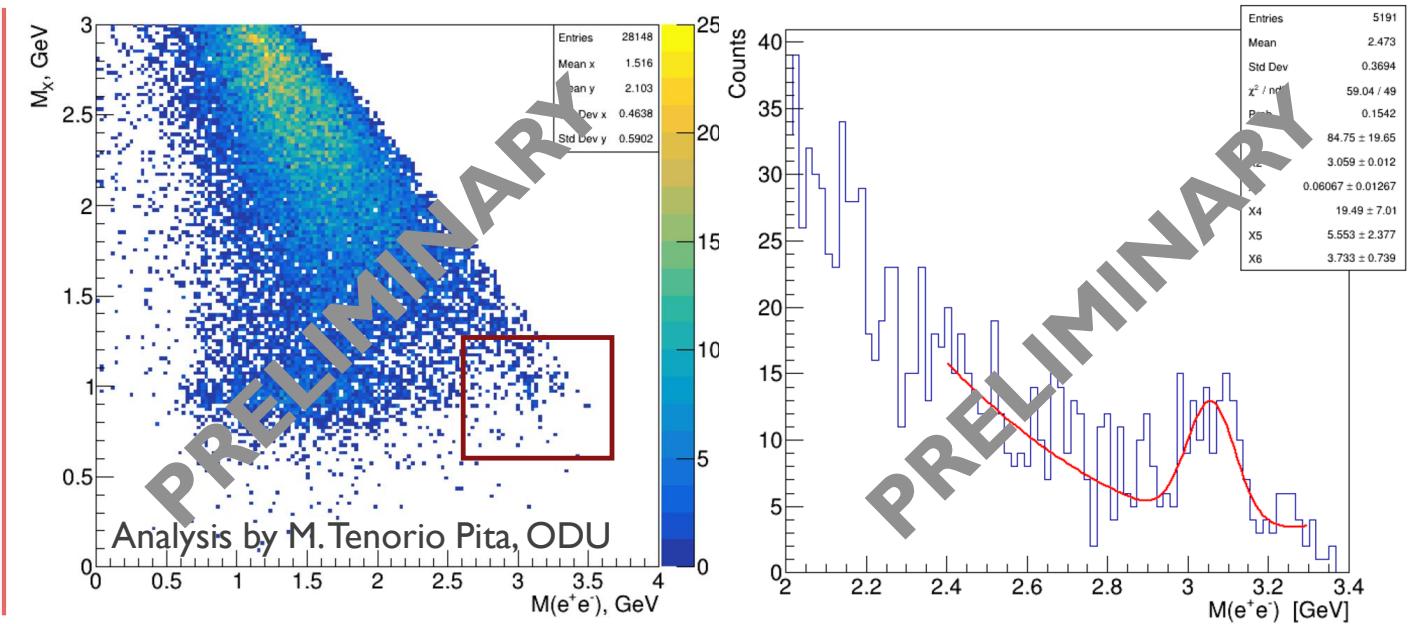


Taken from R.Tyson PhD analysis, Univ. of Glasgow

Tagged J/ ψ quasi-photoproduction with CLAS12

$$ep \rightarrow e' J/\psi \ p' \rightarrow e' l^+ l^- (X)$$

- Analysis conducted by M.Tenorio Pita, ODU.
- In this case, one electron in the Forward Tagger (Low lab angle $<5^\circ$) and a lepton pair in CLAS12.
- Excellent cross-check of the quasi-photoproduction approach.
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- Other event topologies will be explored.



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