

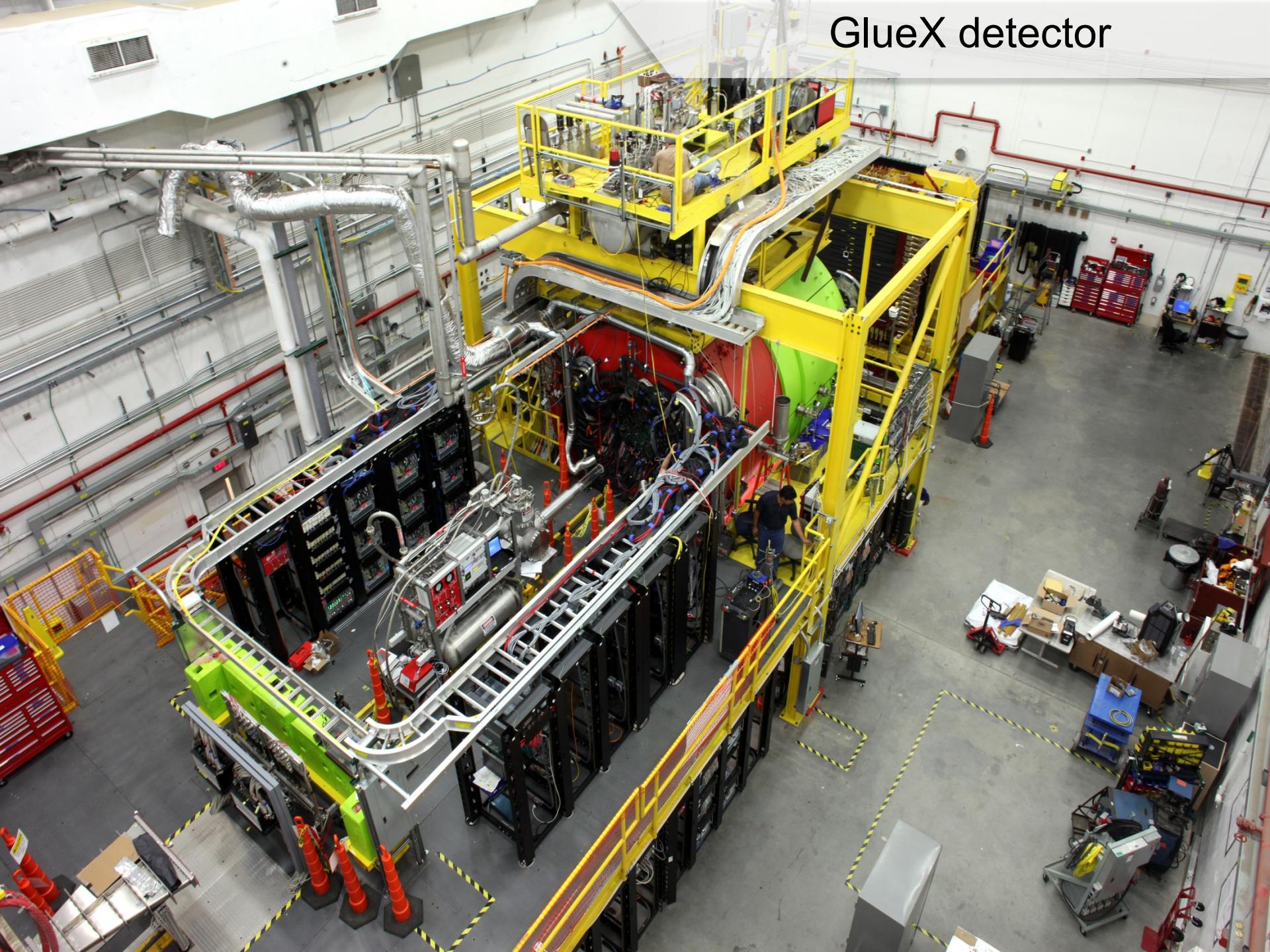
New results on exclusive J/ψ photo-production near threshold with GlueX

$$\gamma p \rightarrow J/\psi p \rightarrow e^+e^-p$$

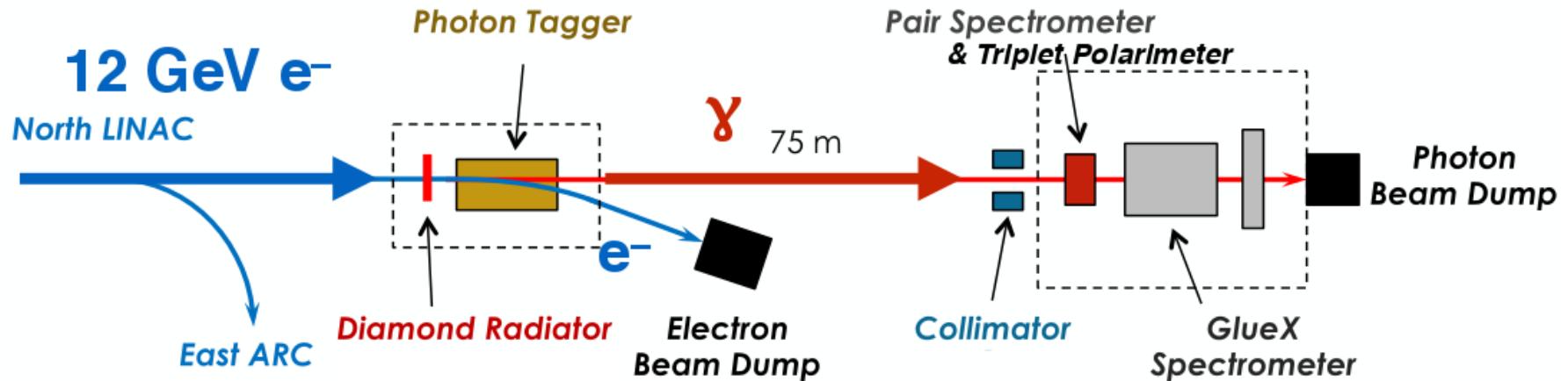
Lubomir Pentchev
(GlueX Collaboration)

- New preliminary results: total and differential cross section in the full near threshold kinematic region - based on full GlueX Phase-I dataset
 - GlueX detector
 - Data analysis: J/ψ identification, normalization
 - Total cross section (from threshold $E_\gamma=8.2\text{-}11.44 \text{ GeV}$)
 - Differential cross sections: three E_γ slices, each $t_{min}(E_\gamma) - t_{max}(E_\gamma)$
- Interpretation of the results
 - Phenomenology - forward cross section at threshold ($t \rightarrow 0, E_\gamma \rightarrow E_{thr.}$)
 - Gluon exchange: asymptotic, VMD, GPD factorization models
 - Open-charm exchange
 - Discussion: relevance to the gluon properties of the proton
- Outlook

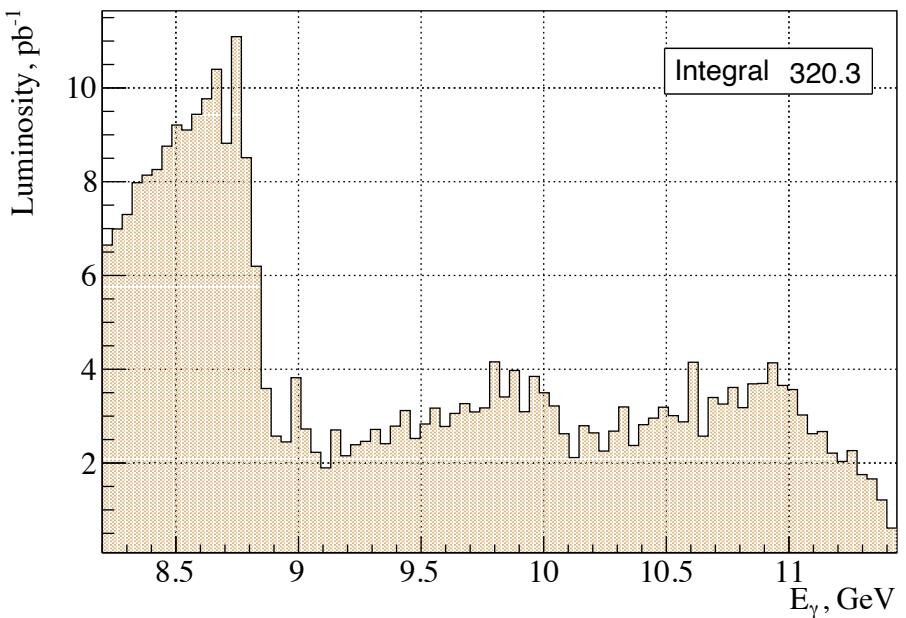
GlueX detector



Hall D Apparatus



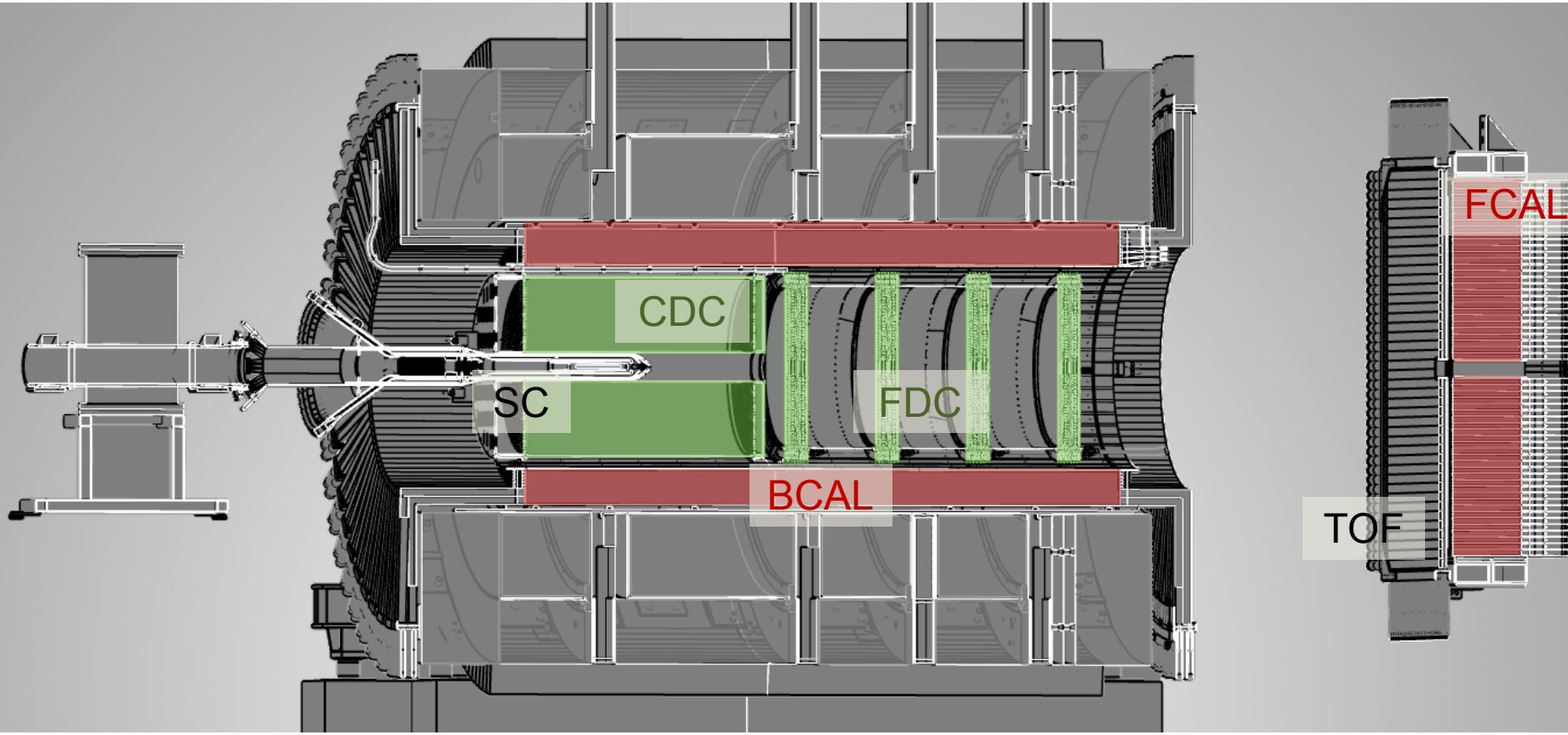
- Photon beam from coherent Bremsstrahlung off thin diamond
- Photon energy tagged by scattered electron: 0.2% resolution
- Beam collimated at 75m, $<35 \mu\text{rad}$
- Intensity: $\sim 2 \cdot 10^7 - 5 \cdot 10^7 \gamma/\text{sec}$ above J/ψ threshold (8.2 GeV) – total $\sim 320 \text{ pb}^{-1}$ in GlueX phase-I runs



GlueX detector

2T-solenoid, LH target

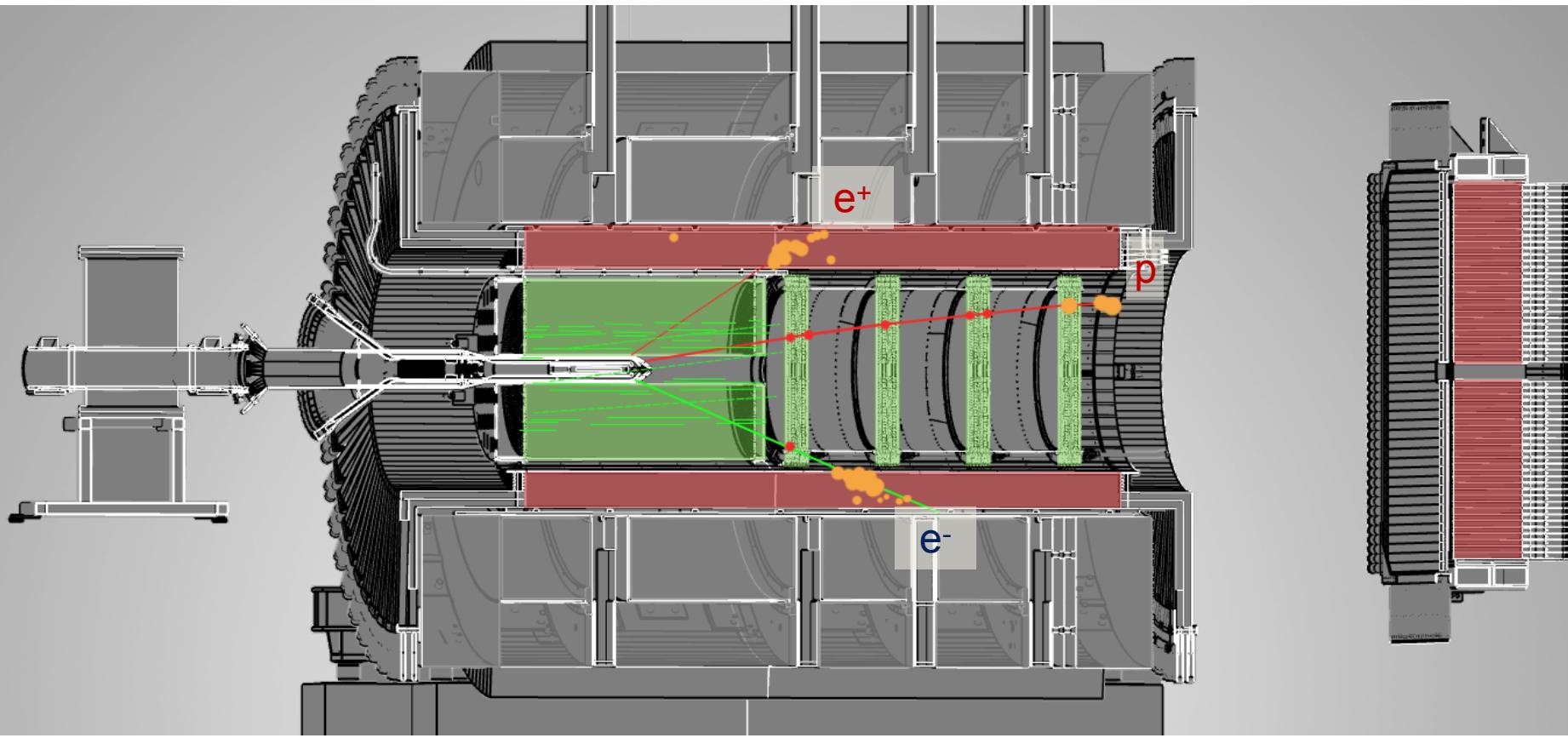
Tracking (FDC,CDC) , Calorimetry (BCAL,FCAL) , Timing (TOF,SC)



- Hermetic detector: $1 - 120^\circ$ polar and full azimuthal acceptance
- Tracking: $\sigma_p/p \sim 1 - 5\%$
- Calorimetry: $\sigma_E/E \sim 6\%/\sqrt{E} + 2\%$

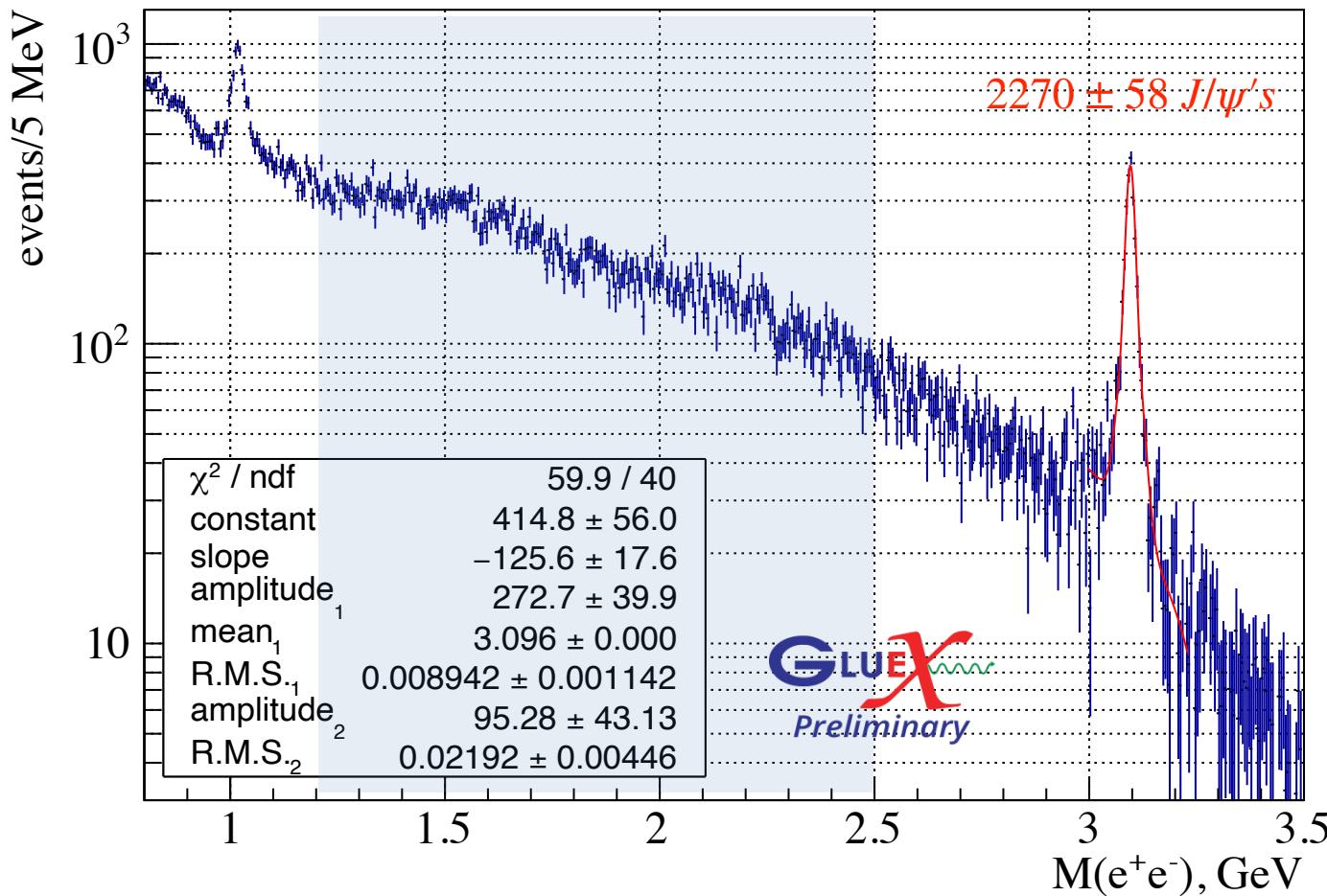
Exclusive reaction $\gamma p \rightarrow J/\psi p \rightarrow e^+e^-p$

- GlueX detector has full acceptance for this reaction - direct measurement of the total cross section - no need to extrapolate to low/high t



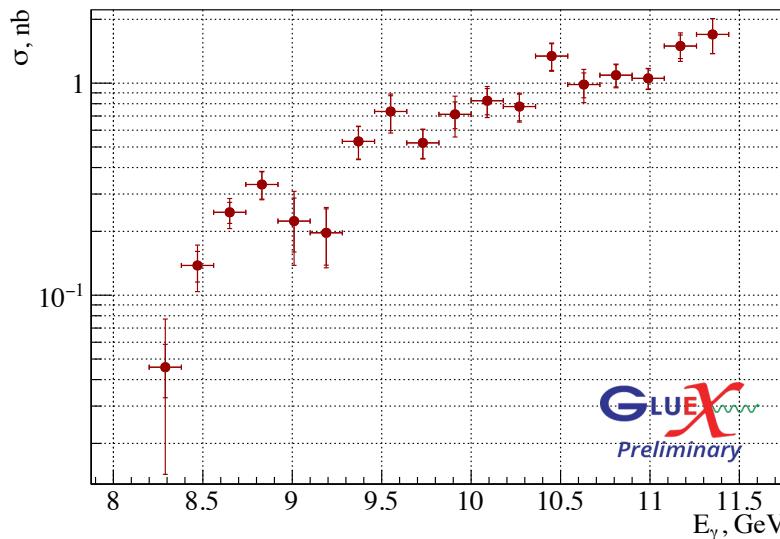
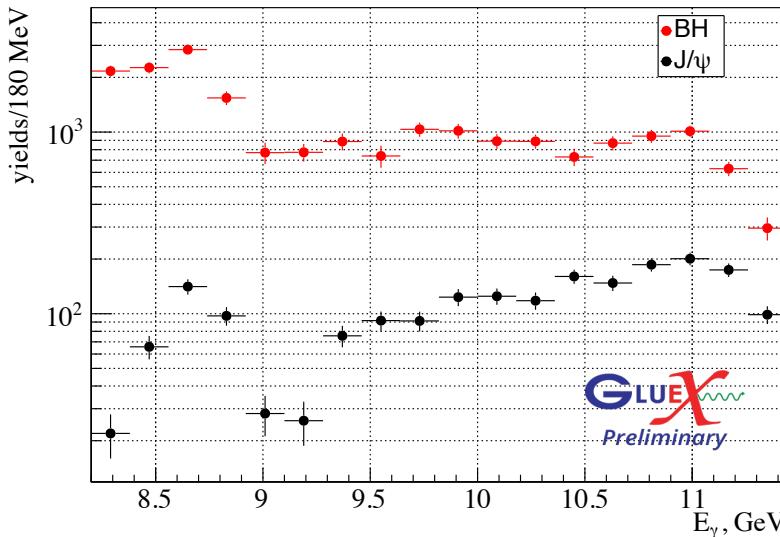
- Electrons separated from pions by E/p – energy deposition in the calorimeters over measured momentum (pions $>10^3$ times more than electrons)

e^+e^- invariant mass spectrum



- Tagged photon beam (0.2% energy resolution) and **exclusivity of the reaction**:
- Kinematic fit (constrained mostly by the recoil proton): 13 MeV mass resolution; **no radiative tail**
- J/ψ yields extracted from fits of $M(e^+e^-)$ distributions
- BH(1.2 – 2.5 GeV) used for normalization

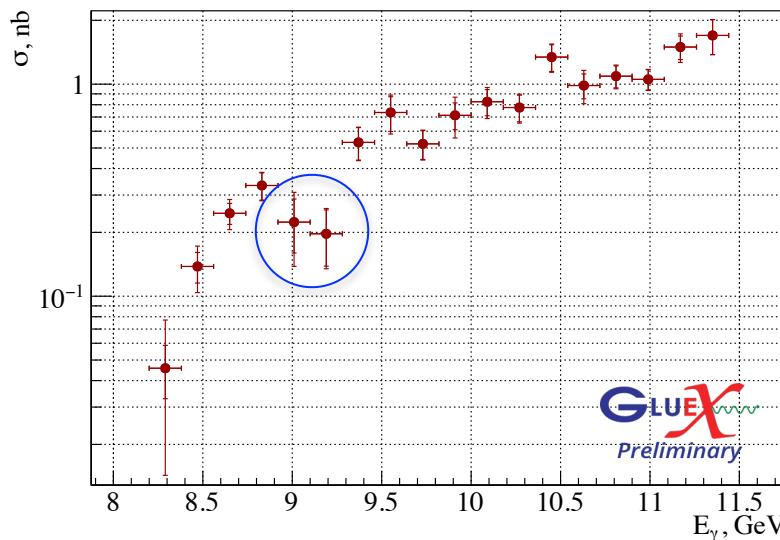
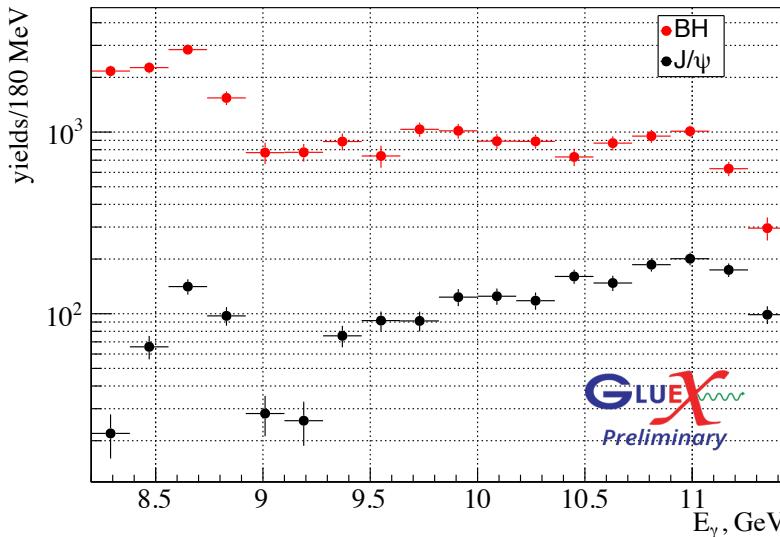
Preliminary results: total cross-section



- Yields ($N_{J/\psi}$ and N_{BH}) extracted from fits of $M(e^+e^-)$ and p/E in bins of energy
- σ_{BH} calculated using analytical and numerical calculation of e.m. tree level diagrams
- Systematic errors of individual data points assigned to max deviation when varying fitting methods
- Errors dominated by statistics
- ~20% overall normalization error

$$\sigma_{J/\psi}(E_\gamma) = \frac{N_{J/\psi}(E_\gamma)}{N_{BH}(E_\gamma)} \frac{\sigma_{BH}(E_\gamma)}{\mathcal{B}_{J/\psi}} \frac{\varepsilon_{BH}(E_\gamma)}{\varepsilon_{J/\psi}(E_\gamma)}$$

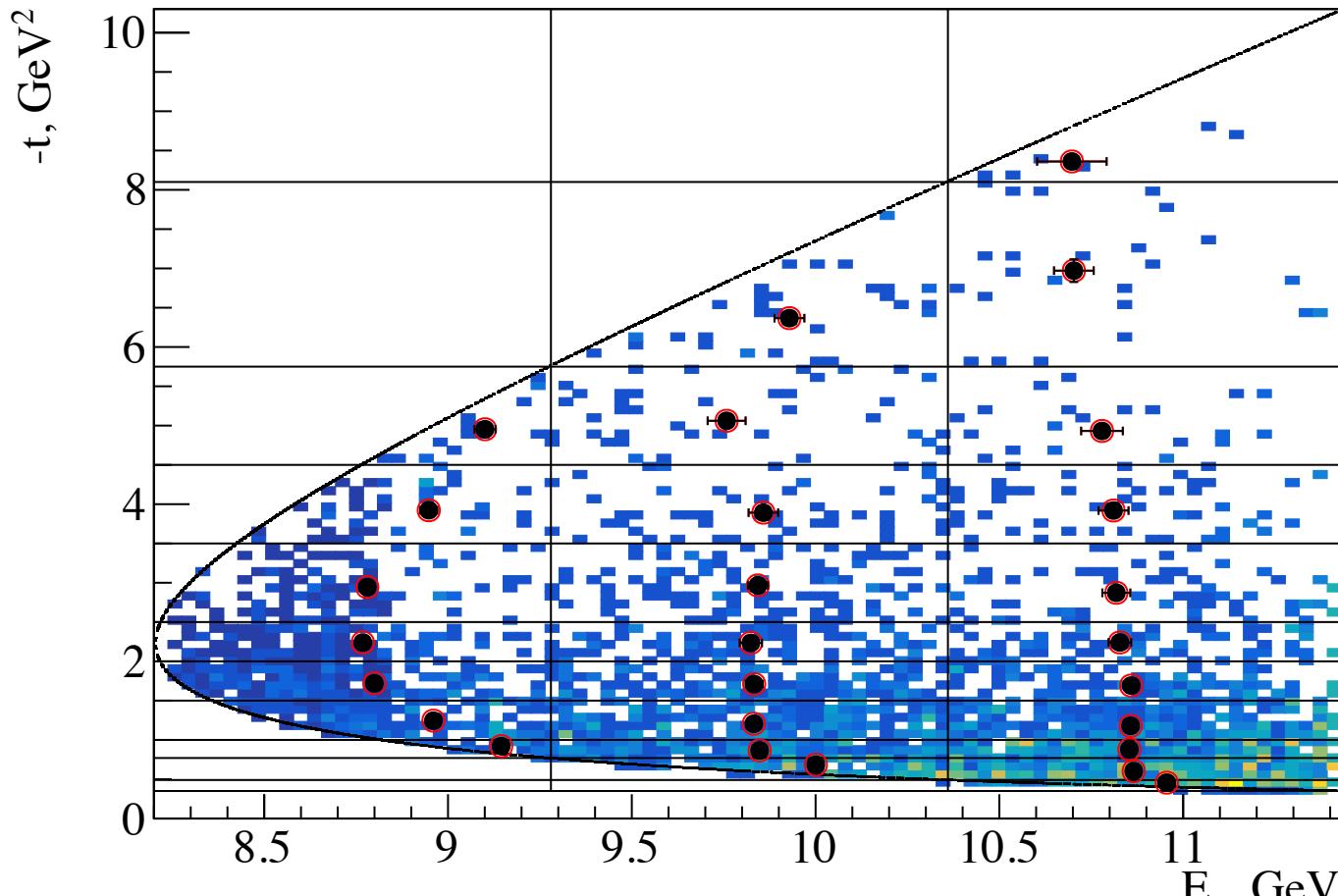
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- σ_{BH} calculated using analytical and numerical calculation of e.m. tree level diagrams
- Systematic errors of individual data points assigned to max deviation when varying fitting methods
- Errors dominated by statistics
- ~20% overall normalization error
- No “dip” seen in BH and also in the $\gamma p \rightarrow (p\bar{p})p$ reaction, where $M(p\bar{p})$ fixed at J/ψ mass
- Statistical significance of the two “dip” points 2.6σ ; if include look-elsewhere effect - 1.3σ

$$\sigma_{J/\psi}(E_\gamma) = \frac{N_{J/\psi}(E_\gamma)}{N_{BH}(E_\gamma)} \frac{\sigma_{BH}(E_\gamma)}{\mathcal{B}_{J/\psi}} \frac{\varepsilon_{BH}(E_\gamma)}{\varepsilon_{J/\psi}(E_\gamma)}$$

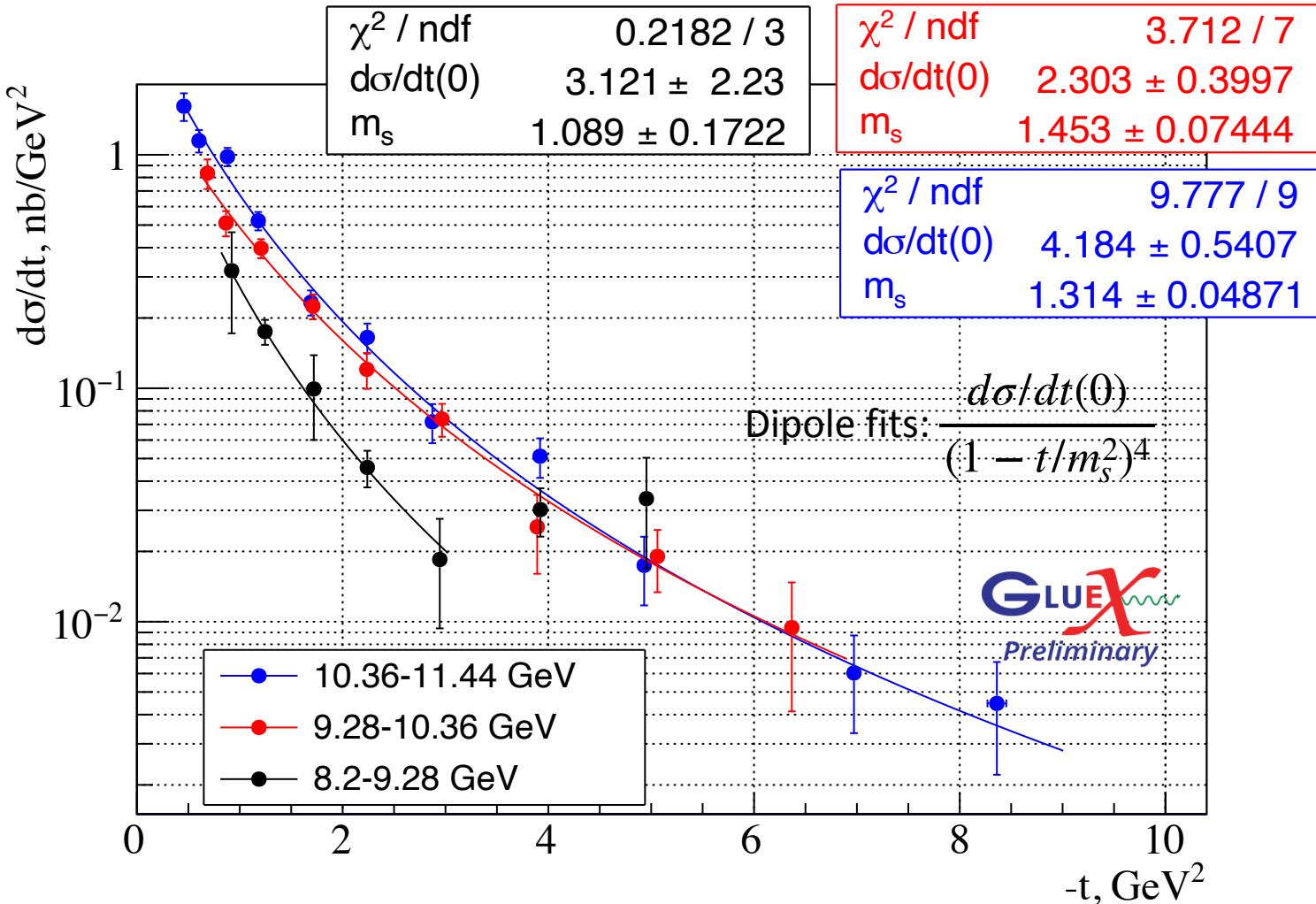
Differential cross-sections



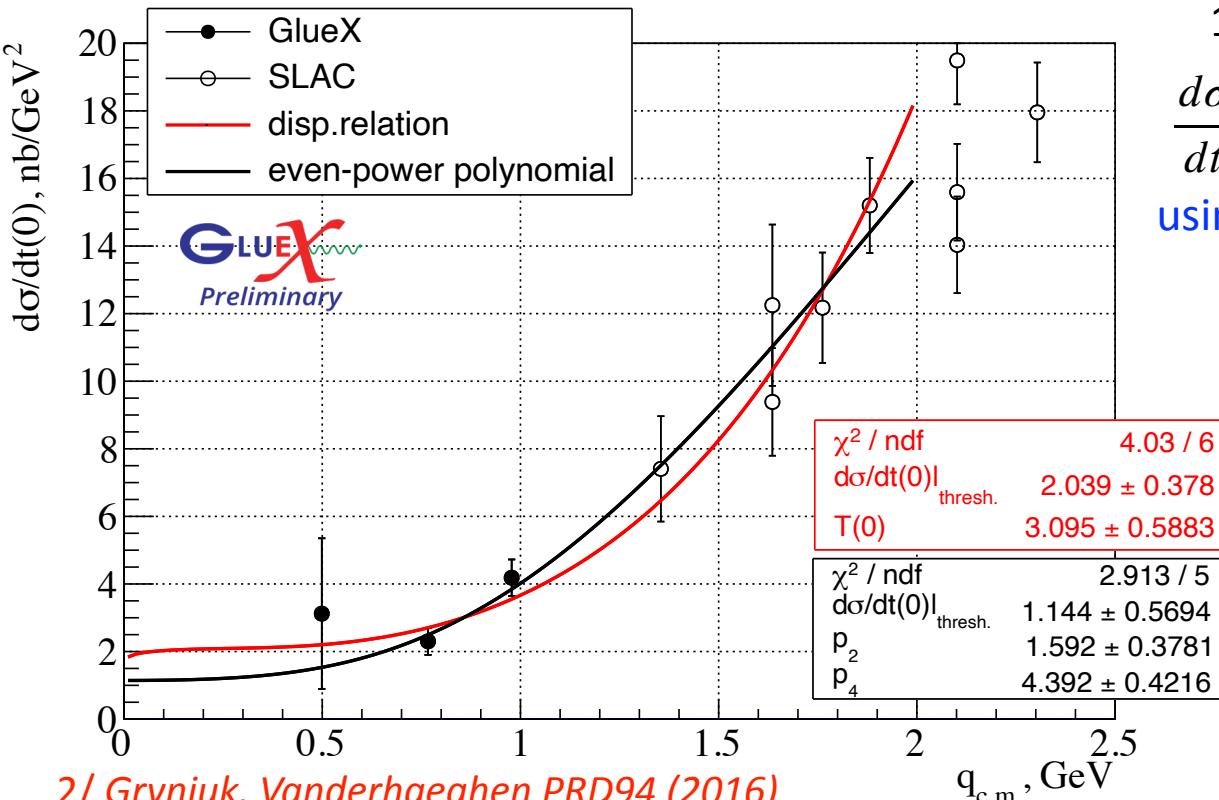
$$\frac{d\sigma}{dt}(E, t) = \frac{N_{J/\psi}}{L(E_\gamma)[nb^{-1}]/0.045\text{GeV}} \frac{1}{\text{area}(E, t)[\text{GeV} \cdot \text{GeV}^2]} \frac{1}{\varepsilon(E, t)}$$

- Event-by-event weighting by luminosity
- Dots - mean energy and t -value for the corresponding bin
- Results reported at mean energy for corresponding slice
- Deviations due to bin averaging included in the systematic errors

Differential cross-sections - forward extrapolation



Forward differential cross-sections - threshold extrapolation



2/ Gryniuk, Vanderhaeghen PRD94 (2016)

dispersive relation:

$$ReT^{\psi p}(\nu) = T(0) + \frac{2}{\pi} \nu^2 \int_{\nu_{th.}}^{\infty} d\nu' \frac{ImT^{\psi p}(\nu')}{\nu'(\nu'^2 - \nu^2)}$$

$$\frac{p_0}{p_1^2} [p_1 + DI(q)]^2 \frac{(sk_{\gamma p}^2)_{\text{thr.}}}{sk_{\gamma p}^2}$$

p_1 - subtraction constant $T(0)$

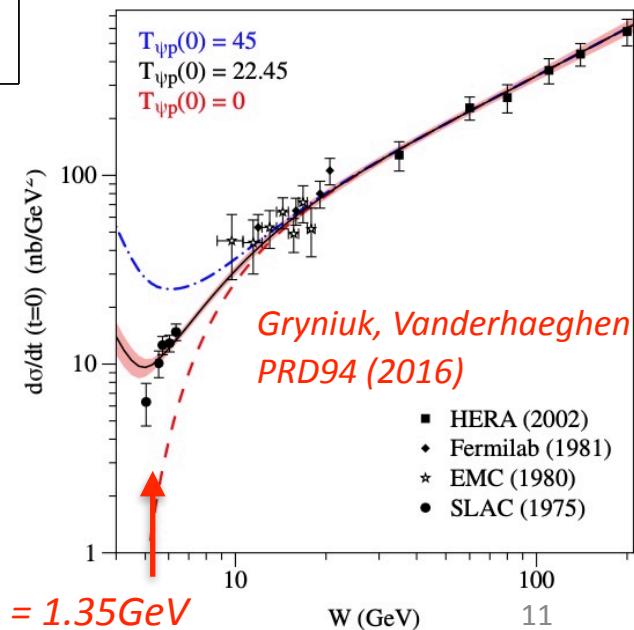
$$d\sigma/dt(0) \Big|_{\text{thr.}} = 1.14 \pm 0.57 \quad 2.04 \pm 0.38 \text{ nb/GeV}^2$$

1/ Even-power polynomial fit

$$\frac{d\sigma}{dt}(q,0) = \frac{\alpha\pi}{\gamma_\psi^2} \frac{1}{64\pi sk_{\gamma p}^2} \cdot |T^{\psi p}(q,0)|^2$$

using VMD

$$\frac{(sk_{\gamma p}^2)_{\text{thr.}}}{sk_{\gamma p}^2} [p_0 + p_2 q^2 + p_4 q^4]$$



Forward differential cross-sections - model dependent applications

1/ $J/\psi - p$ scattering length:

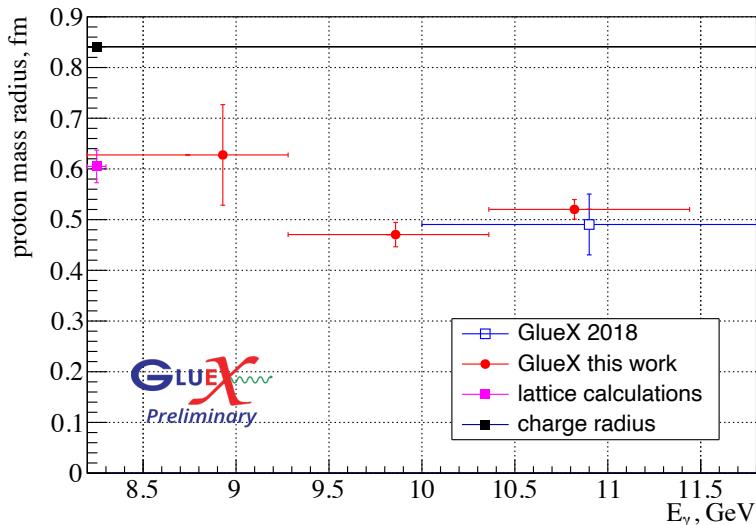
$$13.4 \pm 3.8 \text{ fm}, \quad 17.9 \pm 1.7 \text{ fm}$$

very weak $J/\psi - p$ interaction

$$|\alpha_{J/\psi p}| = \sqrt{\frac{d\sigma}{dt}(0) \Big|_{thr} \frac{\gamma_\psi^2 k_{\gamma p}^2}{\alpha \pi} \frac{\pi}{\pi}}$$

using VMD

2/



$$r_m = \frac{6}{m_p} \frac{dG}{dt} \Big|_{t=0} = \frac{12}{m_s^2}$$

D.Kharzeev PRD104(2021)

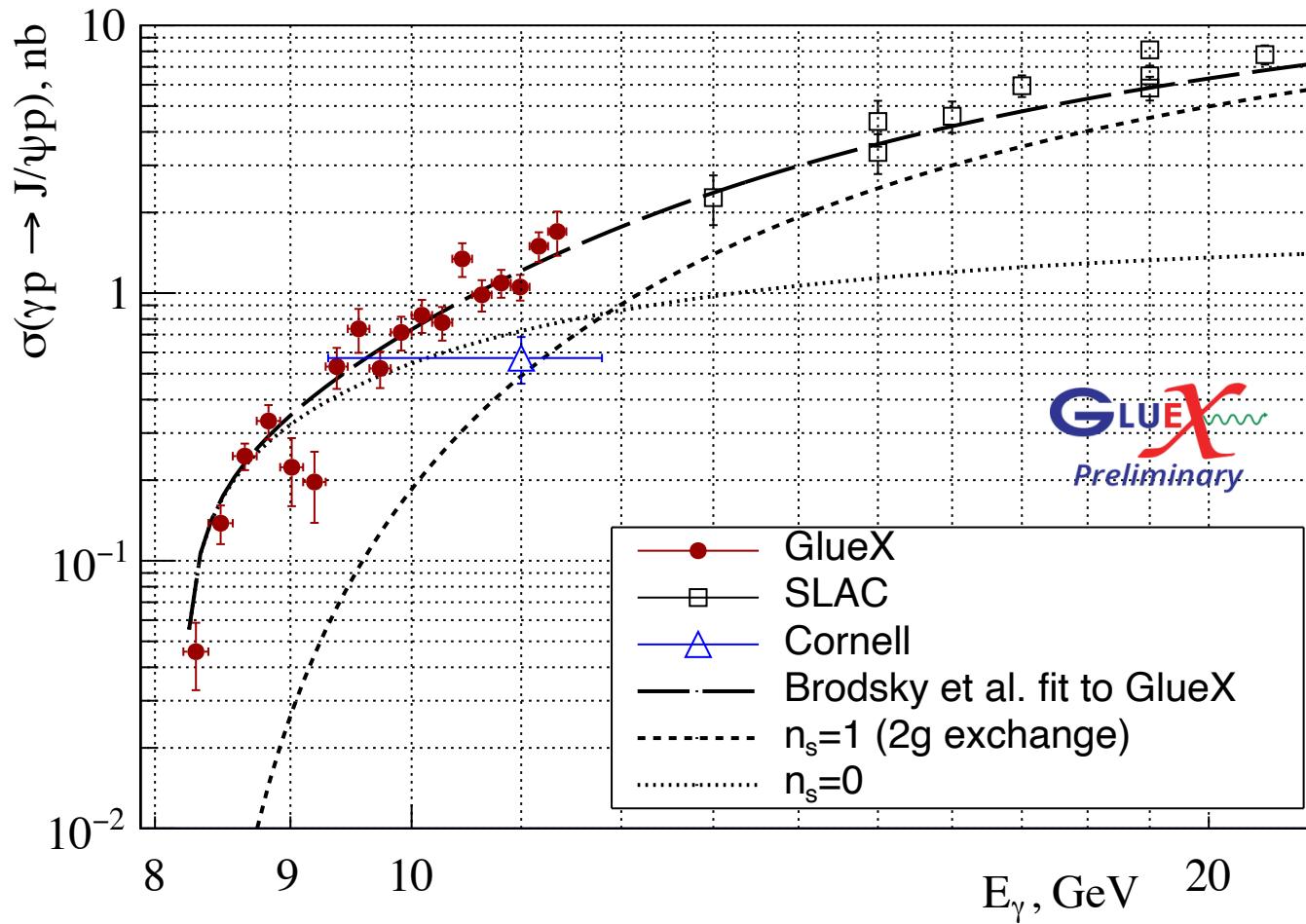
3/ Relation to GFFs - QCD: Guo, Ji, Liu PRD103 (2021); holographic: Mamo, Zahed PRD104 (2021), Hatta, Rajan, Yang PRD100 (2019)

$$r_s = 6 \frac{dA(t)}{dt} \Big|_{t=0} - 18 \frac{C(0)}{m_p^2}$$

$$r_m = 6 \frac{dA(t)}{dt} \Big|_{t=0} - 6 \frac{C(0)}{m_p^2}$$

4/ Anomalous contribution to proton mass: M_a/M_N from $d\sigma/dt(0)$, e.g. following: Wang, Chen, Evelin EPJ C80 (2020), based on Kharzeev Proc.ISPF (1996)

Total cross section asymptotic - power counting

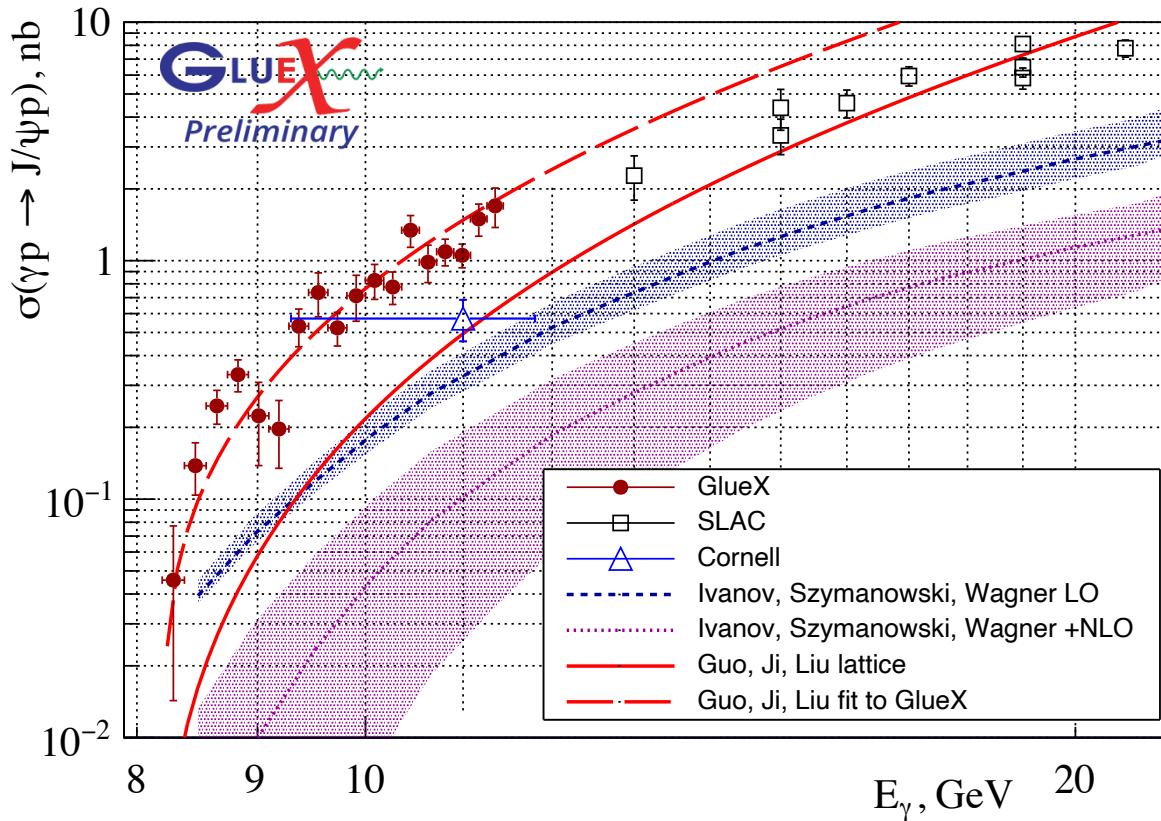


$$\frac{d\sigma_{n_s}^{rp}}{dt} = \mathcal{N}_{n_s} (1-x)^{2n_s} \cdot F_{n_s}^2(t), \text{ where } n_s \text{ is number of spectators in proton}$$

Brodsky et al. PLB498 (2001)

2g exchange alone not enough to describe x-section near threshold

QCD factorization models

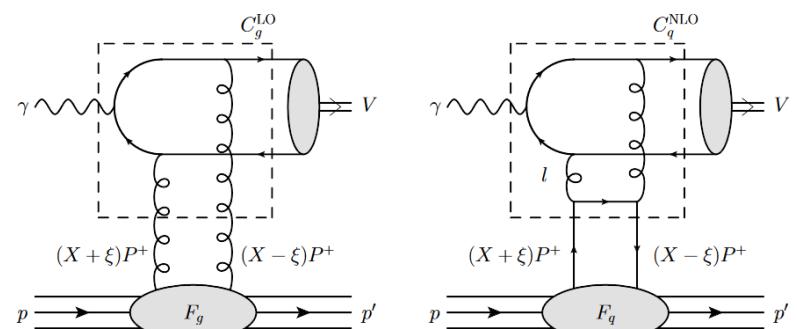


Ivanov, Schafer, Szymanowski, Krasnikov EPJ C34 (2004)

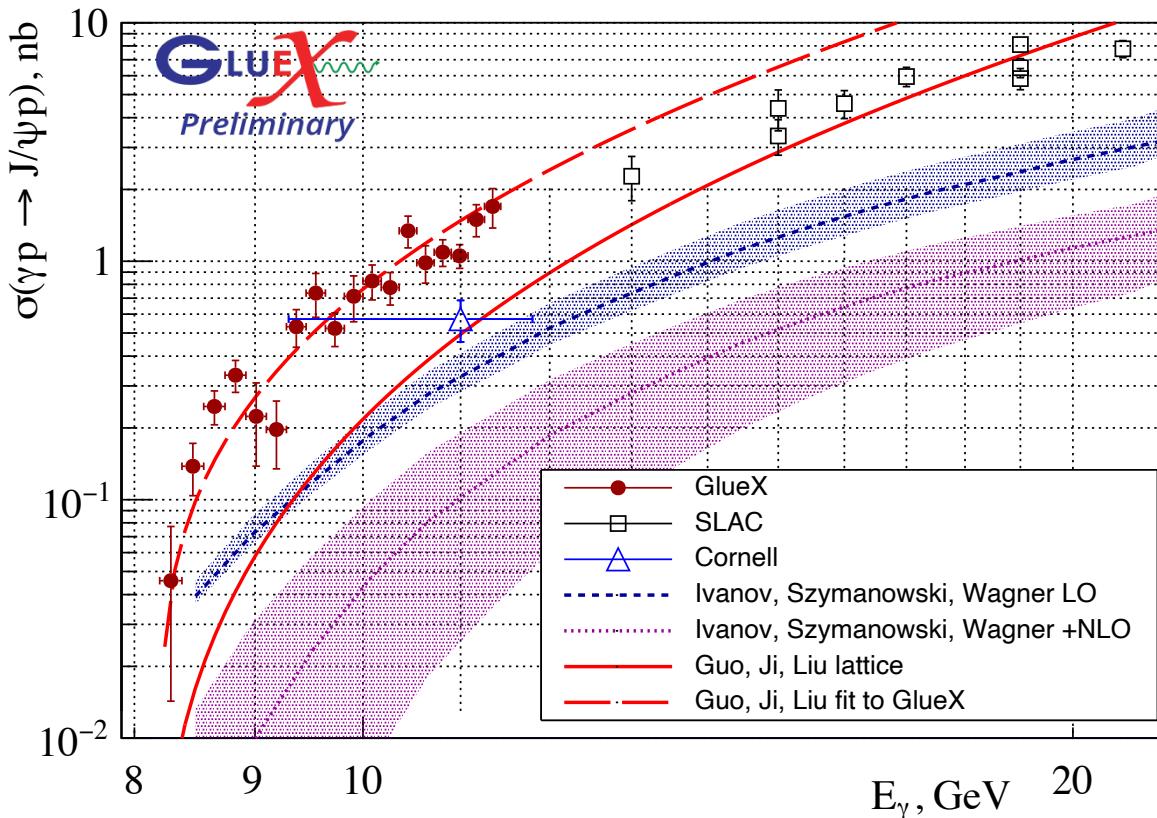
Ivanov, Szymanowski, Wagner - private communication

Factorization LO, NLO at high energies and low t

QCD models underestimate x-section significantly



QCD factorization models

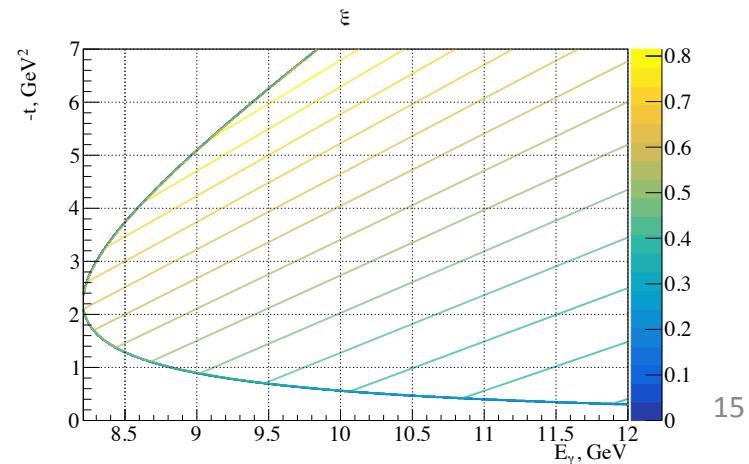


Guo, Ji, Liu PRD103 (2021)

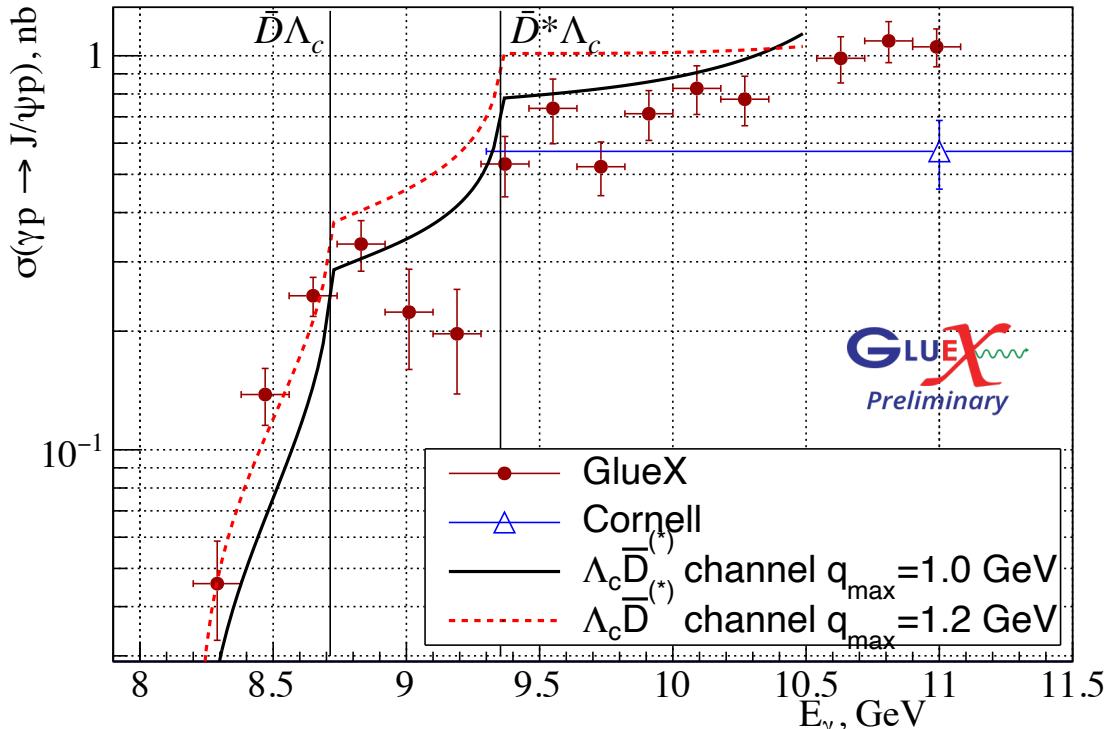
In heavy-quark mass limit - factorization valid near threshold (resp. for high t)

- GPD + lattice results for $A_g(t)$ and $C_g(t)$
- Fit to published GlueX data (2019)

QCD models underestimate x-section significantly



Open-charm exchange



Du, Baru, Guo, Hanhart,
Meissner, Nefediev,
Strakovsky EPJ C80 (2020)

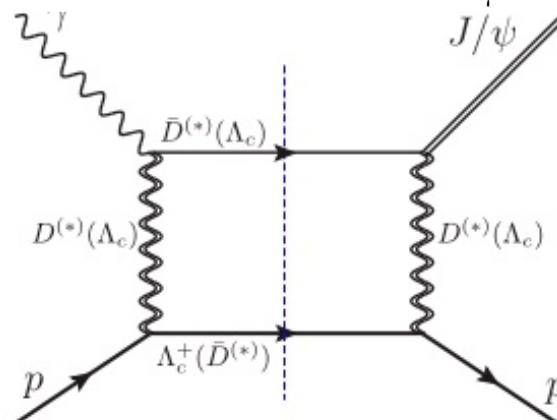
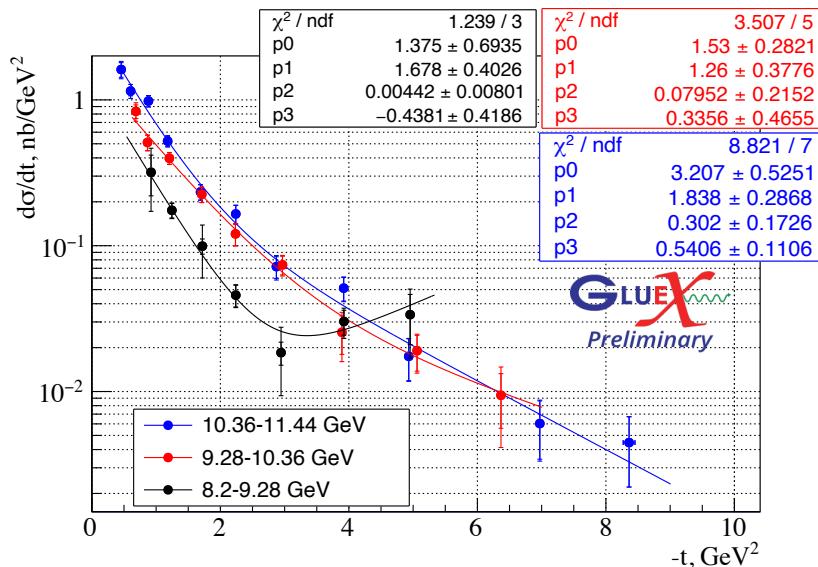


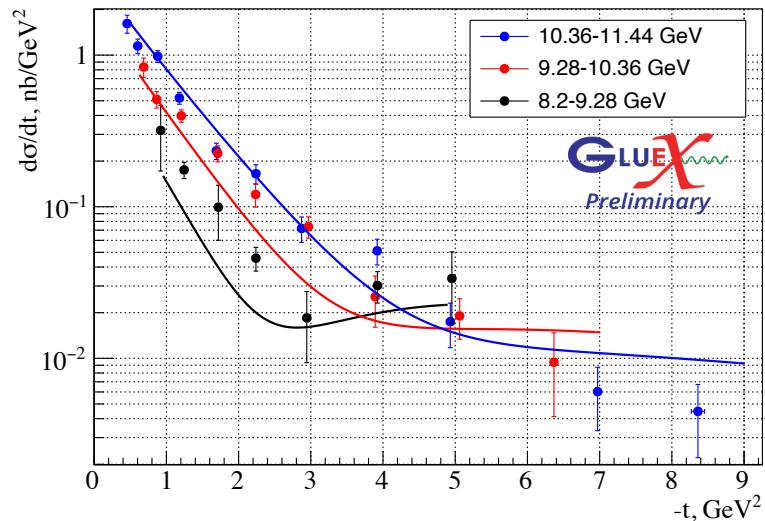
FIG. 3. Feynman diagram for the proposed CC mechanism. The dashed blue line pinpoints the open-charm intermediate state.

Open-charm or gluon exchange dominates?

Experimental observations	open-charm exchange	gluon exchange
possible structures in total cross section	cusp-like structures at $\bar{D}^{(*)}\Lambda_c$ thresholds ✓	no structures ✗
$d\sigma/dt$ enhancement at high t	u-channel - charm baryon exchange ✓	possible ?
sharp t-slope	expect shallow t-dependance due to high mass exchange ✗	consistent with gluon FFs as predicted on lattice ✓
$d\sigma/dt$ - weak energy dependence especially at high t (approx.)	?	expected from power counting rules? ✓
helicity conservation	?	?
Naturality	?	2g - natural parity exchange



Double-exponent fits: $p_0 e^{tp_1} + p_2 e^{tp_3}$



Guo, Ji, Liu PRD103 (2021)

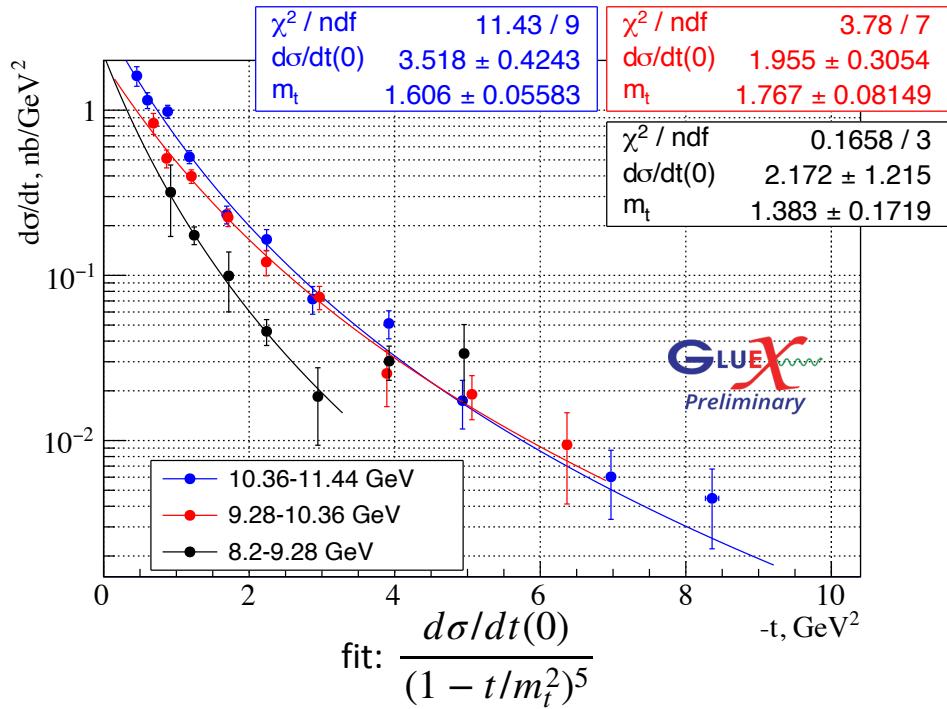
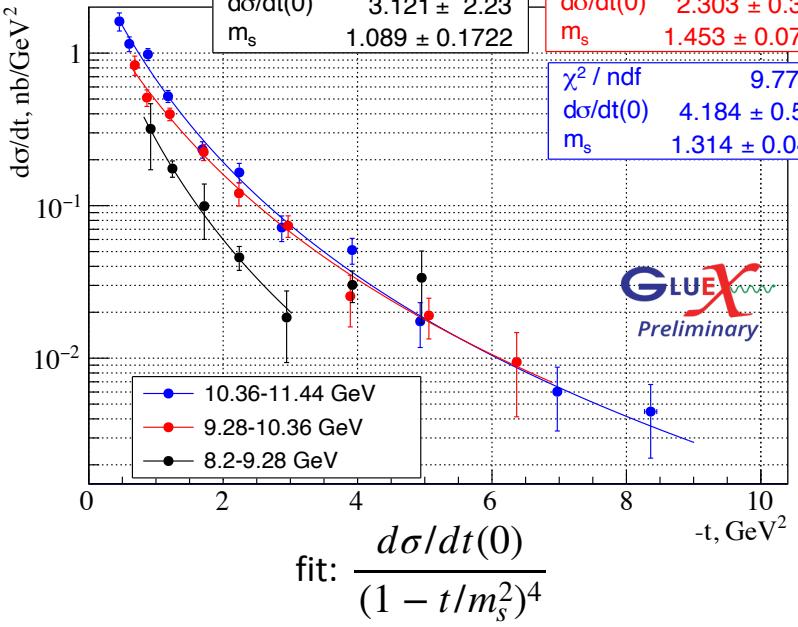
Assuming $C_g(t) = -A_g(t)/2$

Conclusions

- New GlueX data - more questions than answers:
- Proximity of the reported total/differential cross sections to threshold in the full kinematic space allows (more reliable) extrapolation to $t = 0$ and $E_{thr.}$ and gives access to very important physics - gluon properties of the proton - however
 - ... assuming VMD, QCD factorization
 - ... assuming relation of the measured cross sections and the gluon FFs
 - assuming gluon exchange over open-charm exchange mechanism:
- Total cross section - in agreement with open-charm exchange, while QCD predictions underestimate the data
- Differential cross section - generally consistent with gluon exchange and predicted by lattice QCD
- More precise measurements near threshold (including polarization quantities) are needed to better understand the reaction mechanism - expect x4 more data from Phase-II
- Important input from theorists is expected

Back-ups

QCD: high- t asymptotic

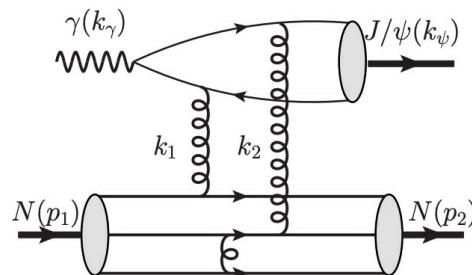


Sun, Tong, Yuan PRD105 (2022)

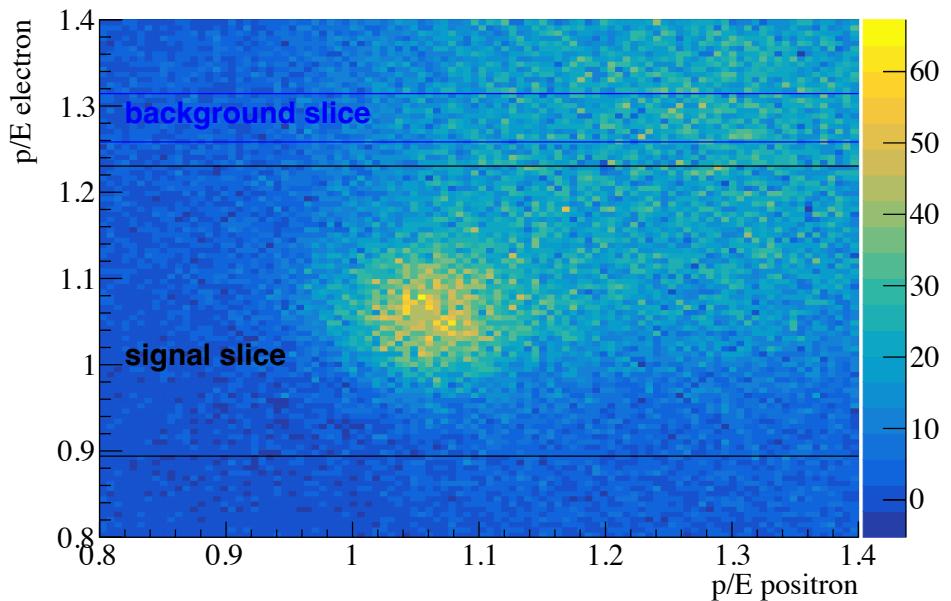
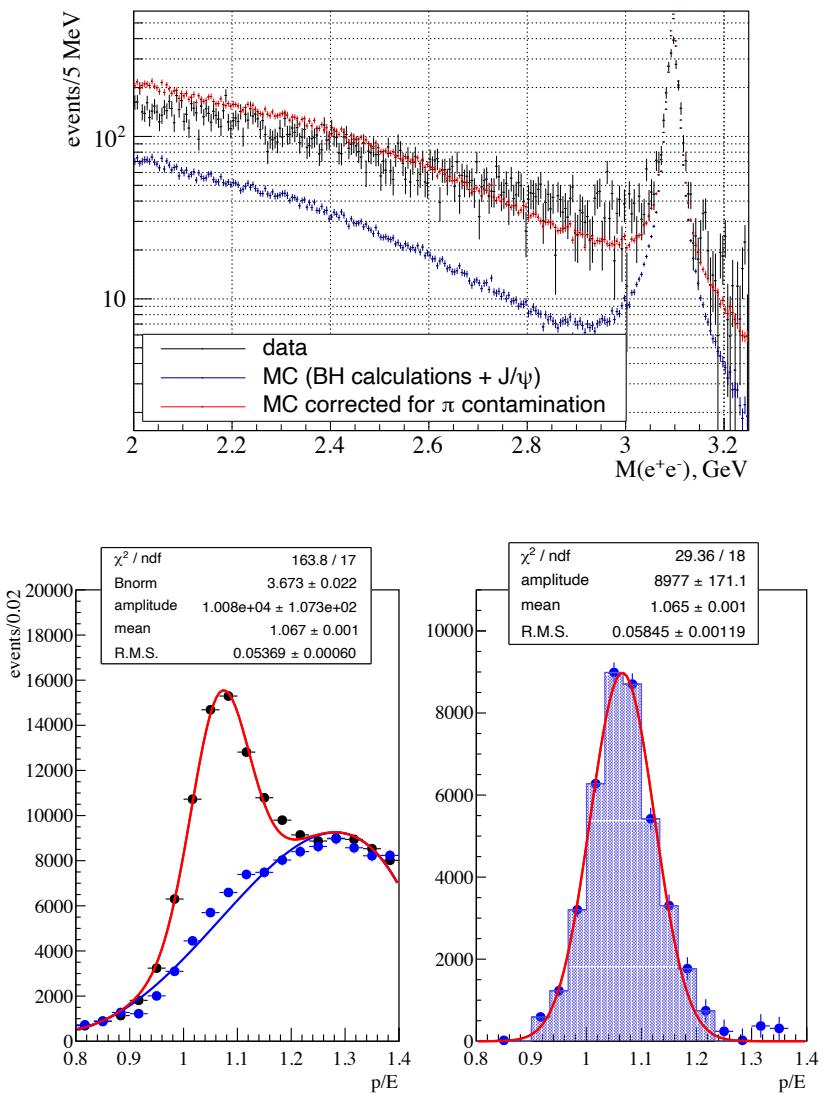
Asymptotic t -dependance $1/t^5$ (vs $1/t^4$)
due to helicity flip

Not enough statistics to test the t -asymptotic

However we can check J/ψ helicity conservation/flip, naturality?

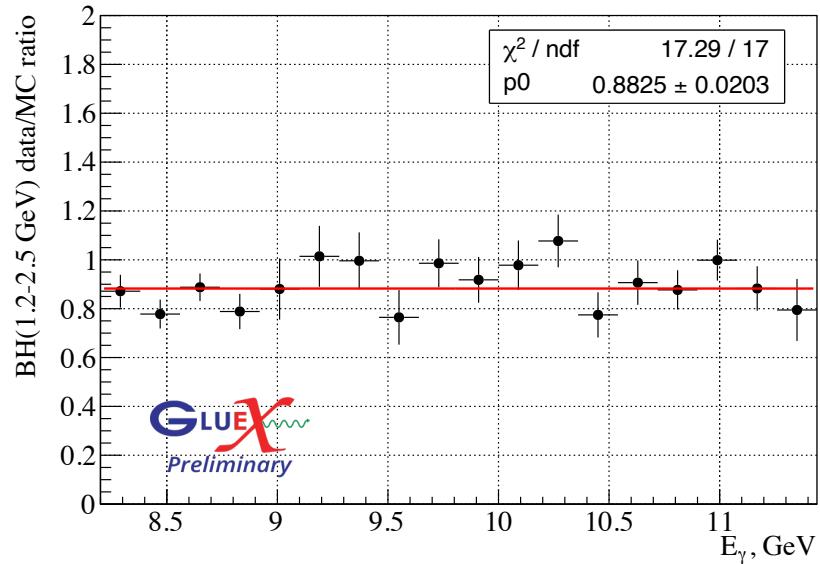
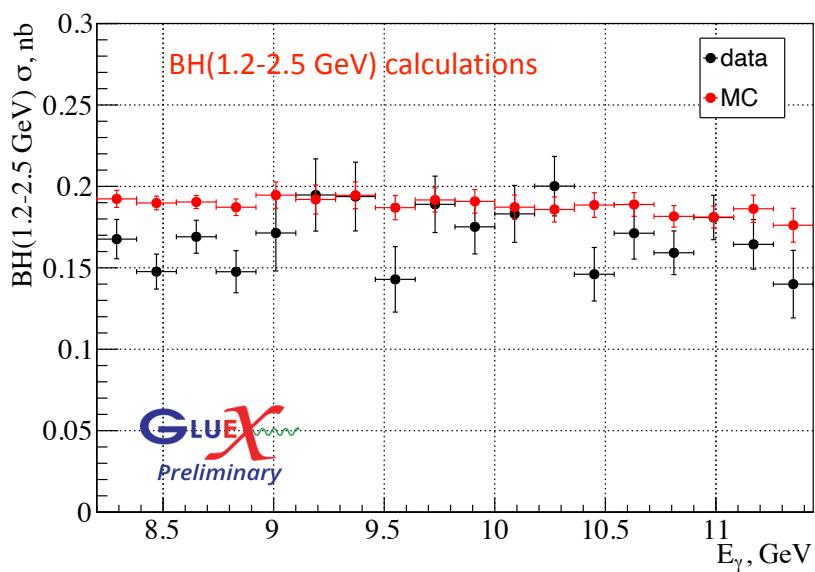
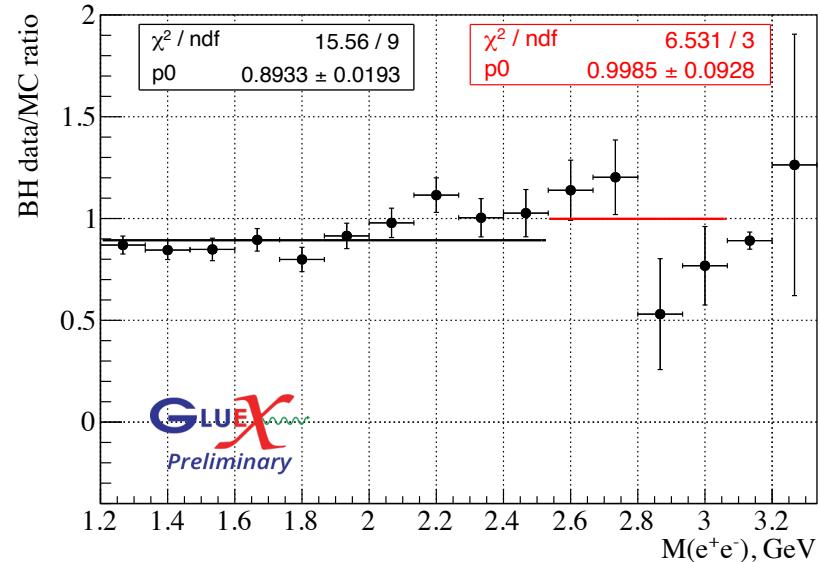
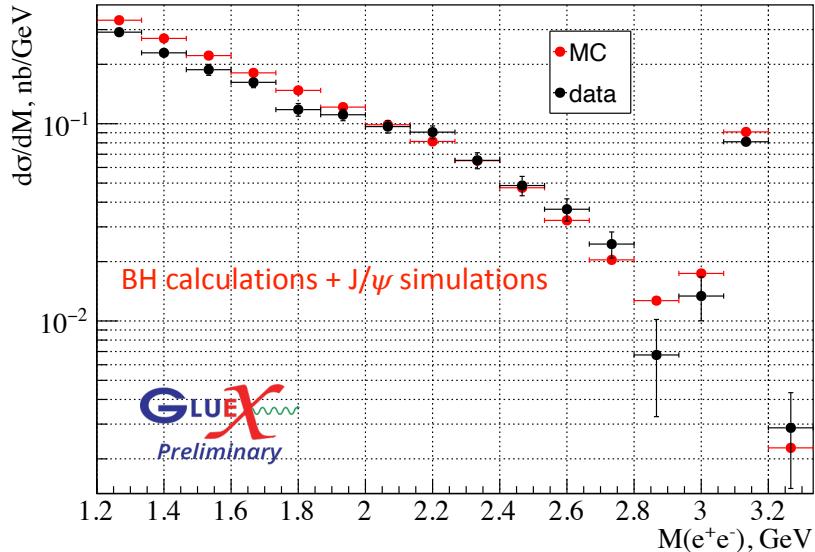


e/π separation



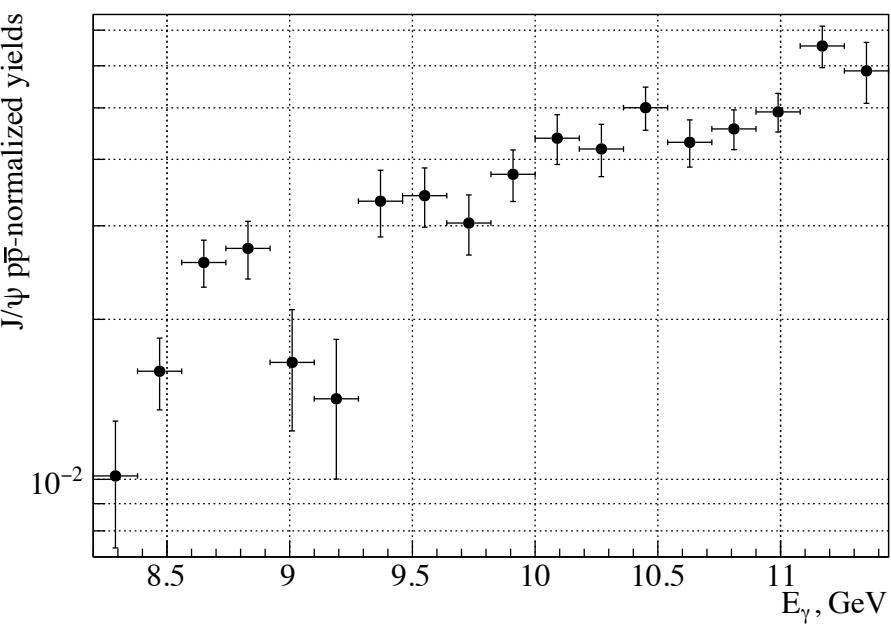
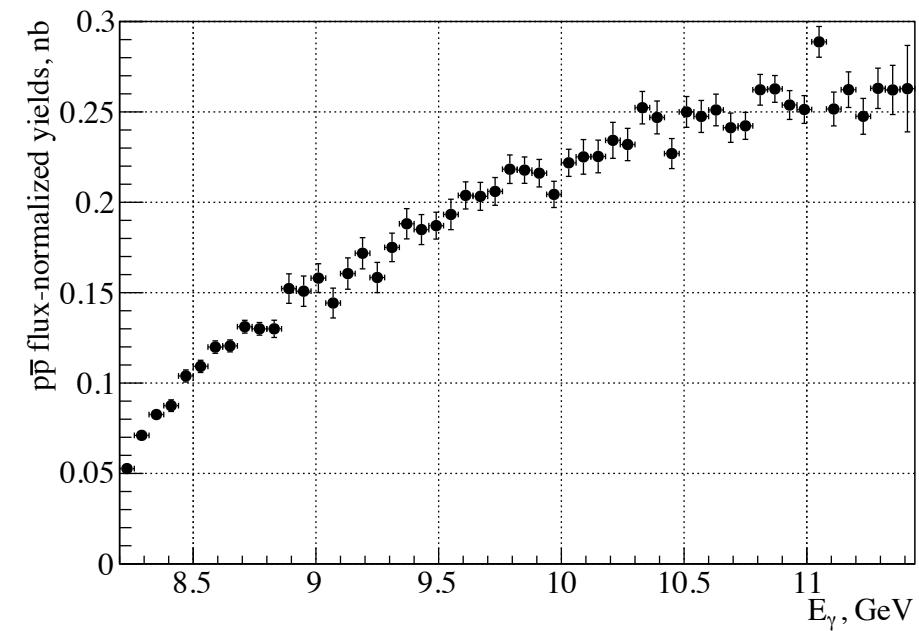
- Pion contamination ~50% in the continuum (using p/E fits to estimate it)

BH e.m. calculations vs data

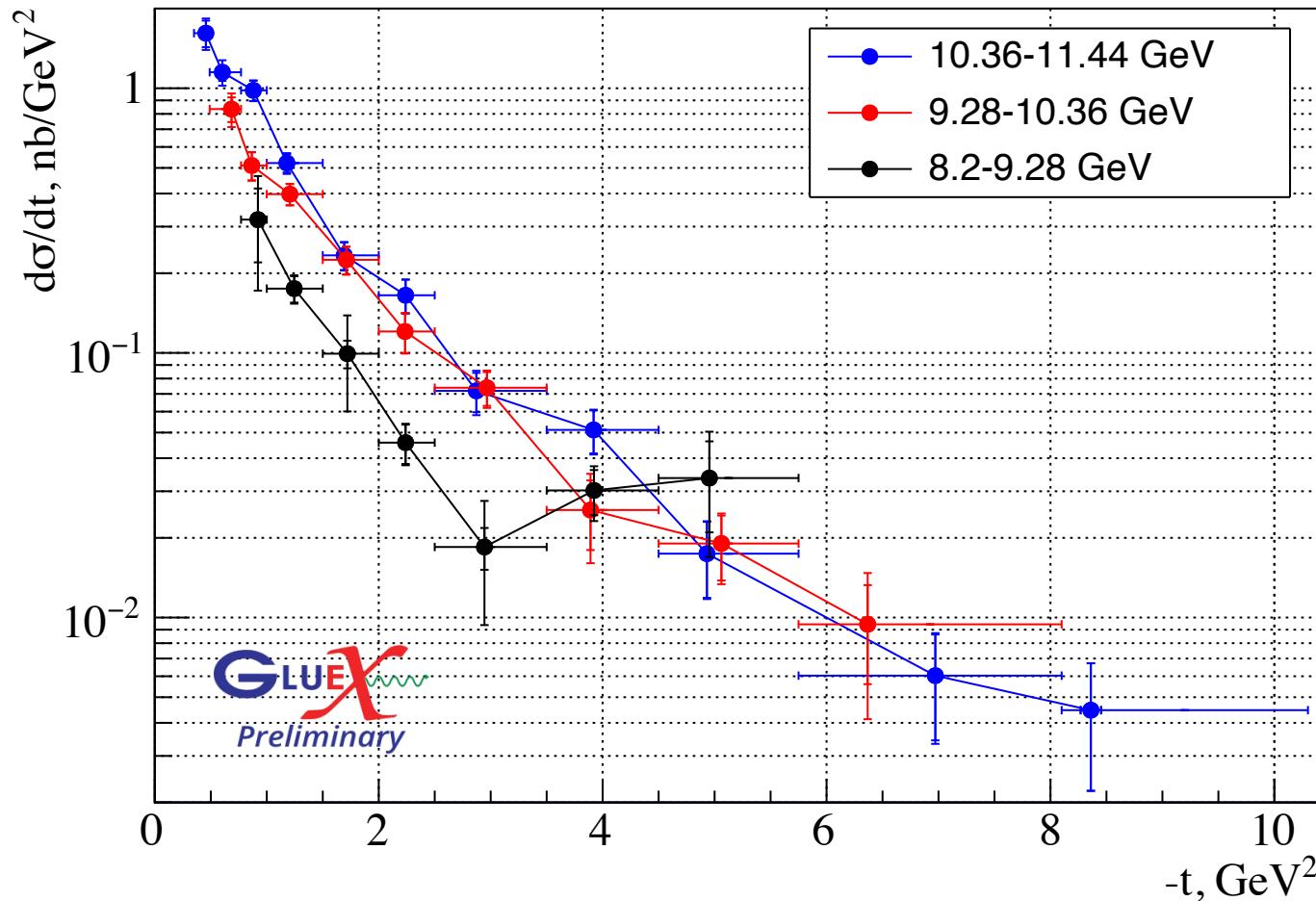


BH yields extracted from fits of E/p distributions

$\gamma p \rightarrow (p\bar{p})p$ with $M(p\bar{p}) \sim M_{J/\psi}$



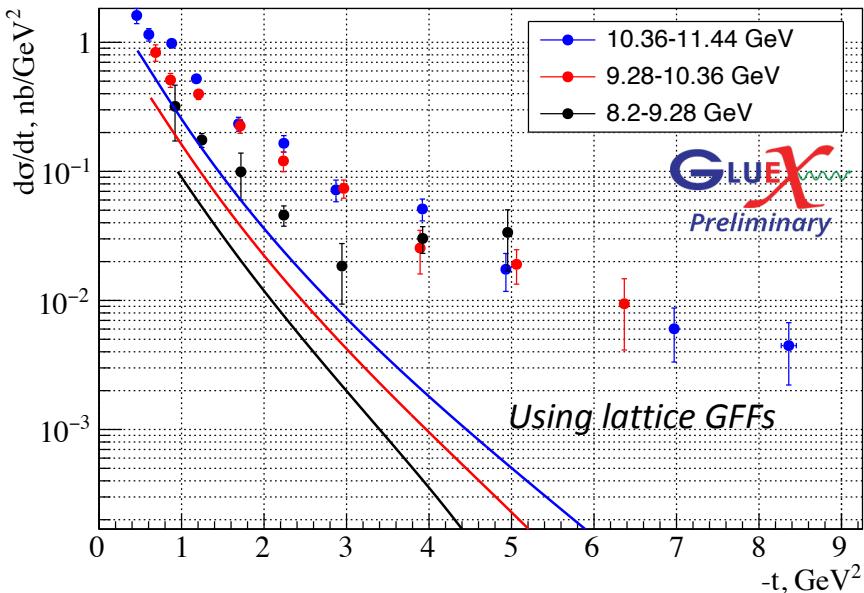
Preliminary results: differential cross-sections



$$\frac{d\sigma}{dt}(E, t) = \frac{N_{J/\psi}}{L(E_\gamma)[\text{nb}^{-1}]/0.045\text{GeV}} \frac{1}{\text{area}(E, t)[\text{GeV} \cdot \text{GeV}^2]} \frac{1}{\epsilon(E, t)}$$

- Results reported at mean energy for corresponding slice
- Deviations due to bin averaging included in the systematic errors using data-driven model

Differential cross sections - QCD factorization



Guo, Ji, Liu PRD103 (2021)

