

# A Precision Measurement of $d_2^n$ : Probing the Lorentz Color Force

## A Status Report on Behalf of the E06-014 Collaboration

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# Outline

## Introduction

What is  $d_2^n$ ?

Experimental Extraction

## Experimental Setup

## Analysis Update

LHRS

BigBite

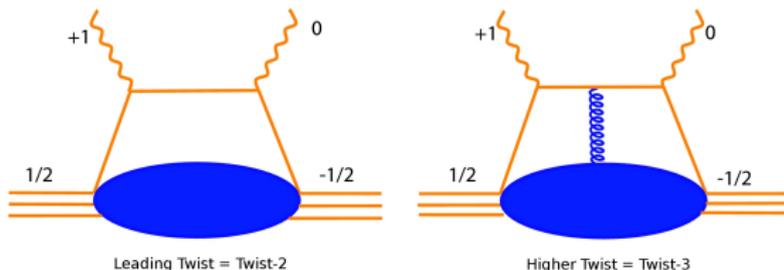
Compton

## Summary

# What is $d_2^n$ ? (1)

## The Spin Structure Function $g_2$

- ▶ The  $g_2$  spin structure function contains quark-gluon correlations
  - ▶ Its study could possibly yield a better understanding of the nature of **confinement**
  - ▶ It is written as:  $g_2(x, Q^2) = g_2^{WW}(x, Q^2) + \bar{g}_2(x, Q^2)$ 
    - ▶  $g_2^{WW}(x, Q^2) = -g_1(x, Q^2) + \int_x^1 \frac{g_1(y, Q^2)}{y} dy$
    - ▶  $\bar{g}_2(x, Q^2) = -\int_x^1 \frac{1}{y} \frac{\partial}{\partial y} \left[ \frac{m_q}{M} h_T(y, Q^2) + \xi(y, Q^2) \right] dy$



# Expressions of $d_2^n$ (2)

$d_2^n$  as a Second Moment of the Structure Functions

- ▶  $d_2^n$  is expressed as the second moment of a linear combination of  $g_1$  and  $g_2$ :

$$\begin{aligned}d_2^n(Q^2) &= \int_0^1 x^2 [2g_1(x, Q^2) + 3g_2(x, Q^2)] dx \\ &= 6 \int_0^1 x^2 \bar{g}_2(x, Q^2) dx\end{aligned}$$

- ▶  $d_2^n$  is a **direct measure** of twist-3 effects in the neutron

# What is $d_2^n$ ? (3)

## Operator Product Expansion, Color Polarizabilities

- ▶ Under Operator Product Expansion,  $d_2^n$  is given as the matrix element:

$$\langle P, S | \psi_q^\dagger \vec{\alpha} \times g \vec{E} \psi_q | P, S \rangle = 2M^2 \chi_E \vec{S},$$

$$\langle P, S | \psi_q^\dagger g \vec{B} \psi_q | P, S \rangle = 2M^2 \chi_B \vec{S}$$

$$\Rightarrow d_2^n = \frac{1}{8} (\chi_E + 2\chi_B)$$

- ▶ At low  $Q^2$ ,  $d_2^n$  is seen as a color polarizability (X. Ji)
- ▶ At high  $Q^2$ ,  $d_2^n$  is more appropriately seen as a transverse color force

$$F^y(0) \equiv g \langle P, S | \bar{\psi}_q(0) G^{+y}(0) \gamma^+ \psi_q(0) | P, S \rangle = -\frac{1}{2} M^2 d_2^n$$

▶ Therefore,  $d_2^n$  is a **measure** of this transverse Lorentz color force (M. Burkardt)

# Experimental Extraction (1)

## Methodology and Kinematics

- ▶ A longitudinally polarized electron beam is scattered off of a  $^3\text{He}$  target, polarized either transversely or longitudinally with respect to the beam
- ▶ Measure the unpolarized total cross section  $\sigma_0$ , and the longitudinal and perpendicular asymmetries  $A_{\parallel}$ ,  $A_{\perp}$ , which allows for the determination of  $g_1$ ,  $g_2$  and subsequently  $d_2^n$
- ▶ Kinematics – covers the resonance and deep inelastic quark regions:
  - ▶  $E = 4.73, 5.89$  GeV
  - ▶  $0.2 \leq x \leq 0.7$
  - ▶  $2 \leq Q^2 \leq 6$  GeV $^2$

# Experimental Extraction (2)



Expressions of  $g_1$ ,  $g_2$ ,  $d_2^n$

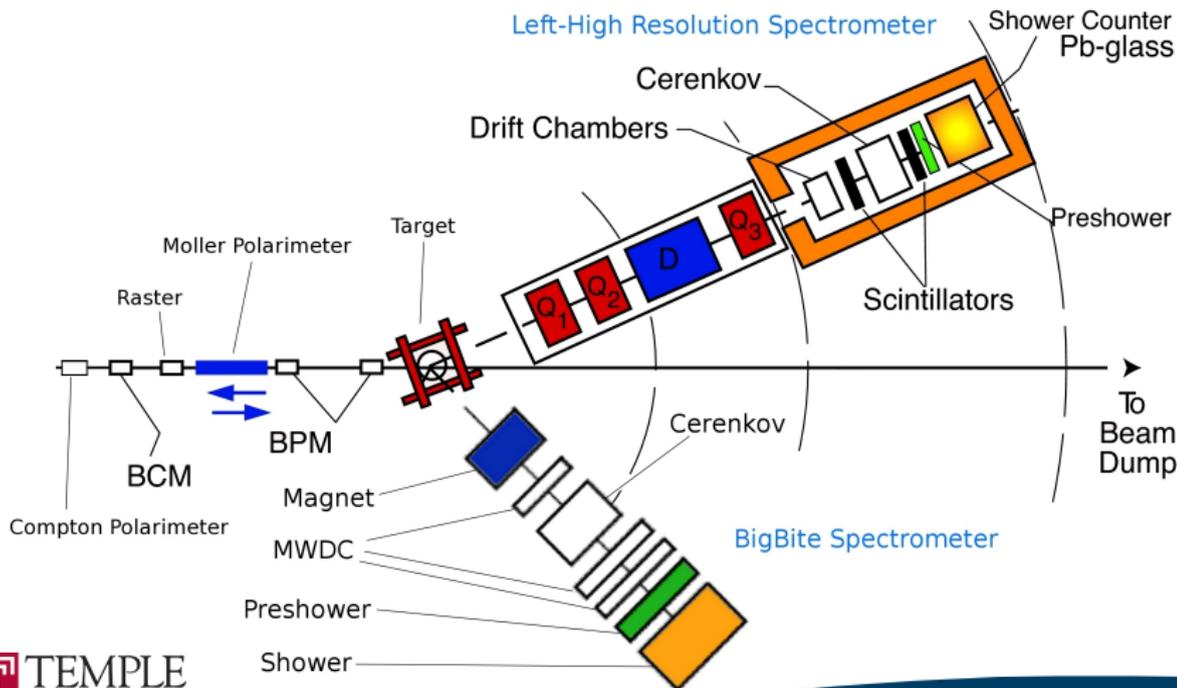
$$g_1 = \frac{MQ^2}{4\alpha^2} \frac{2y}{(1-y)(2-y)} \sigma_0 [A_{\parallel} + \tan(\theta/2) A_{\perp}]$$

$$g_2 = \frac{MQ^2}{4\alpha^2} \frac{y^2}{(1-y)(2-y)} \sigma_0 \left[ -A_{\parallel} + \frac{1 + (1-y) \cos \theta}{(1-y) \sin \theta} A_{\perp} \right]$$

$$d_2^n = \int_0^1 \frac{MQ^2}{4\alpha^2} \frac{x^2 y^2}{(1-y)(2-y)} \sigma_0$$
$$\times \left[ \left( 3 \frac{1 + (1-y) \cos \theta}{(1-y) \sin \theta} + \frac{4}{y} \tan(\theta/2) \right) A_{\perp} + \left( \frac{4}{y} - 3 \right) A_{\parallel} \right] dx$$

$$A_{\parallel} = \frac{\sigma^{\downarrow\uparrow} - \sigma^{\uparrow\uparrow}}{2\sigma_0} \quad A_{\perp} = \frac{\sigma^{\downarrow\Rightarrow} - \sigma^{\uparrow\Rightarrow}}{2\sigma_0}$$

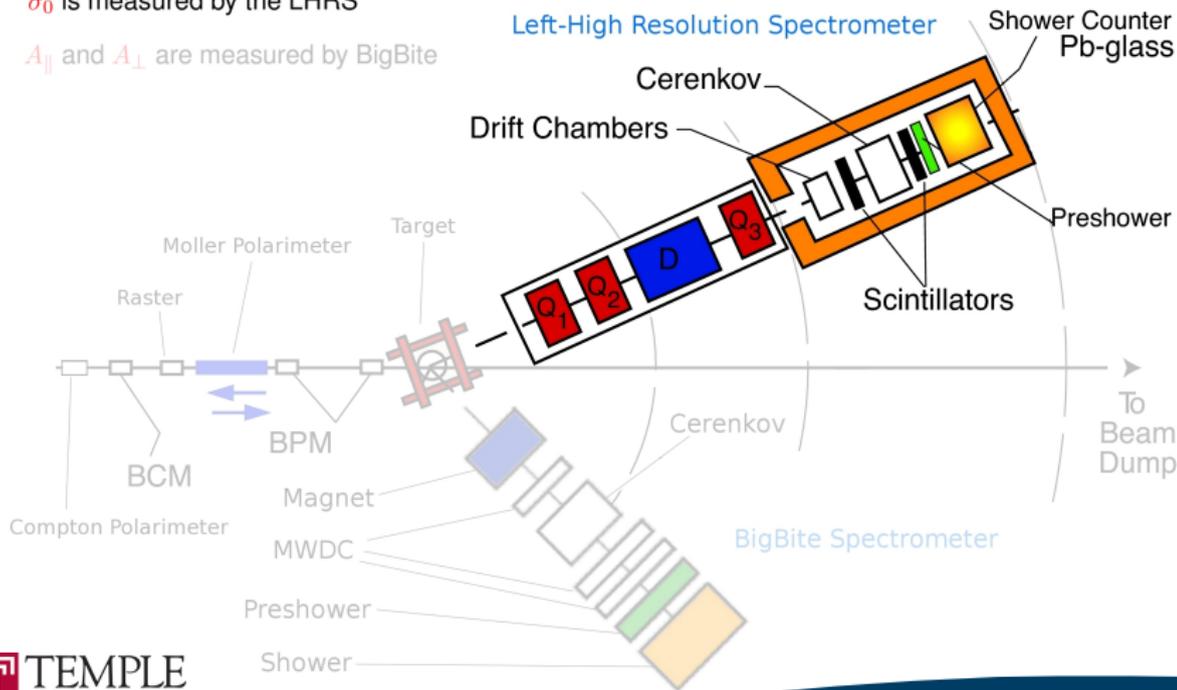
# Experimental Setup (1)



# Experimental Setup (2)

$\sigma_0$  is measured by the LHRS

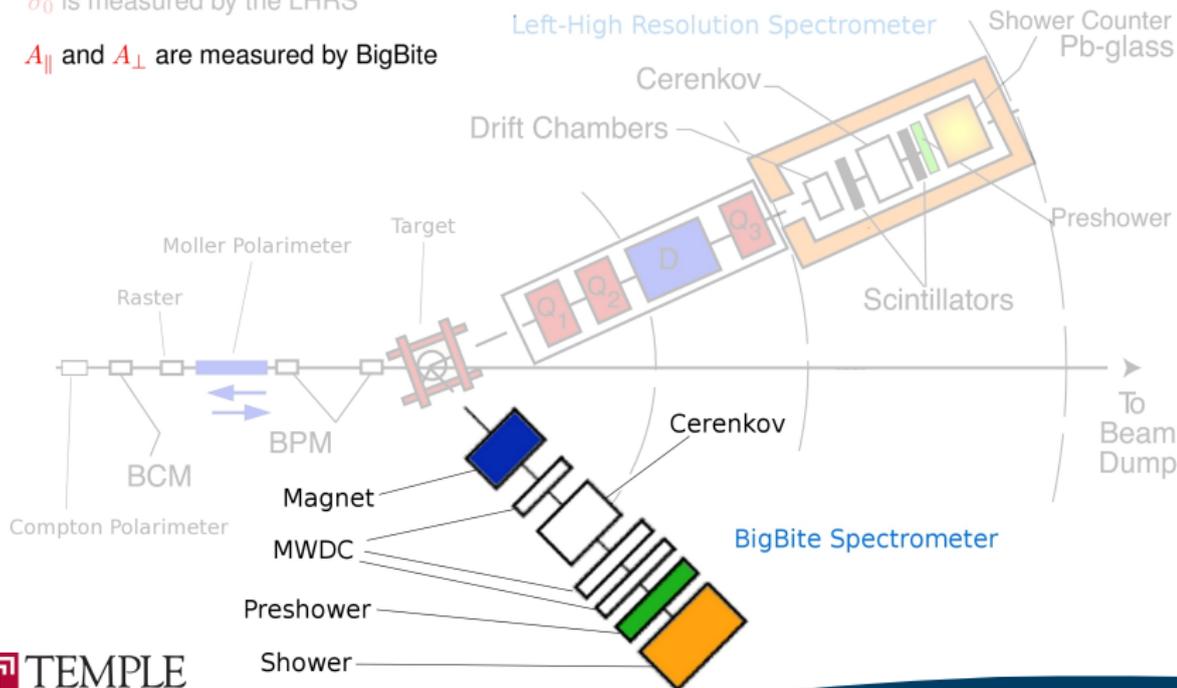
$A_{\parallel}$  and  $A_{\perp}$  are measured by BigBite



# Experimental Setup (3)

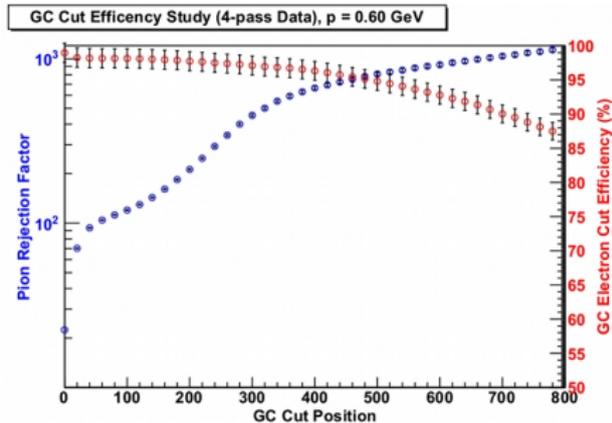
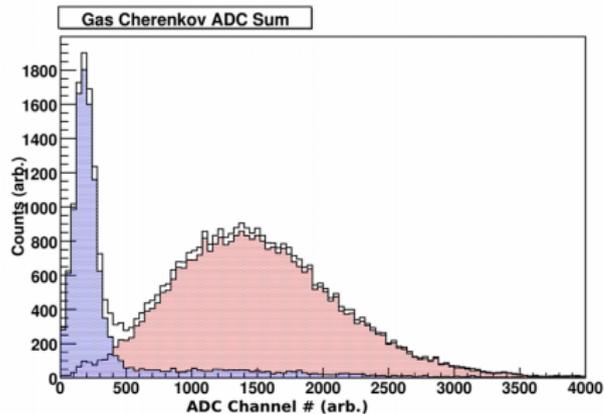
$\sigma_0$  is measured by the LHRS

$A_{\parallel}$  and  $A_{\perp}$  are measured by BigBite



# Analysis Update (1)

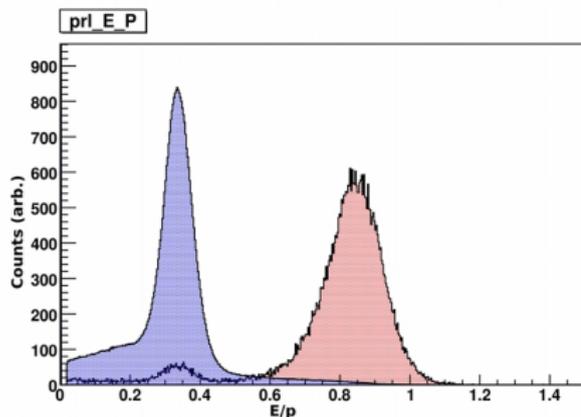
LHRS: Gas Čerenkov PID Study



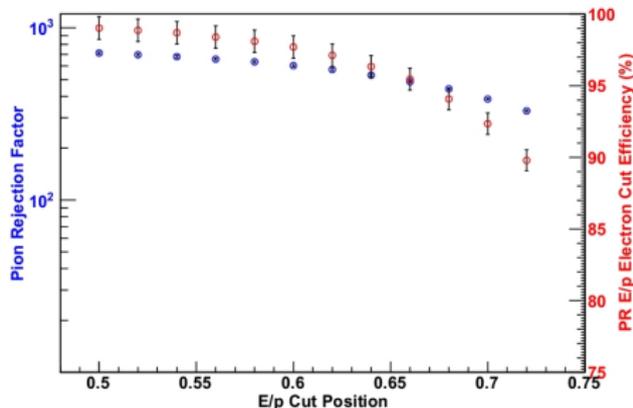
- ▶ Projected cut:  $\sim 300$  Channels in the ADC (1.5 photoelectrons)
- ▶ Electron cut efficiency:  $\sim 97\%$  for all kinematics
- ▶ Pion rejection factor:  $\sim 10^2$

# Analysis Update (2)

## LHRS: Pion Rejector PID Study



PR e/p Cut Efficiency Study (4-pass Data),  $p = 0.60$  GeV



- ▶ Projected cut:  $E/p \sim 0.54$
- ▶ Electron cut efficiency:  $\sim 99\%$  for all kinematics
- ▶ Pion rejection factor:  $\sim 10^2$

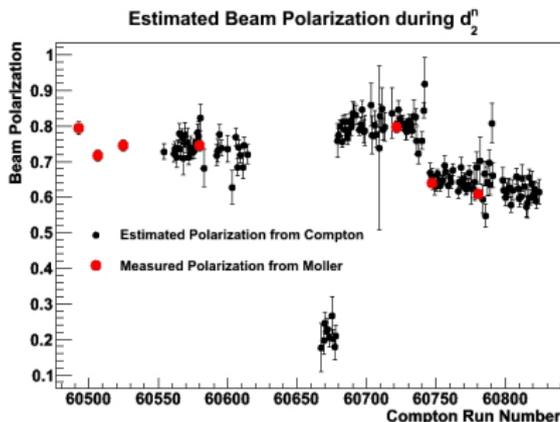
# Analysis Update (3)

BigBite:

- ▶ BigBite Analysis

# Analysis Update (4)

## Compton: Beam Polarimetry



- ▶ Translation from asymmetry to polarization:
  - ▶ Measured photon polarization
  - ▶ Analyzing power computed using GEANT4 Monte Carlo
- ▶ Polarization measurements from both the Compton and Møller provide checks for one another

# What's Next?

- ▶ Detector Analysis:
  - ▶ LHRS: Currently checking the Optics
  - ▶ BigBite:
  - ▶ Compton: Still working on quantifying systematic errors, which we think will be at percent-level or below
- ▶ Work towards extraction of:
  - ▶ Statistical errors
  - ▶ Preliminary  $\sigma_0$ ,  $A_{\parallel}$ ,  $A_{\perp}$

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