

***Unraveling Excitations of the Nucleon:
Meson Photo-production
from Polarized neutrons in $\vec{H}\vec{D}$ at CLAS***

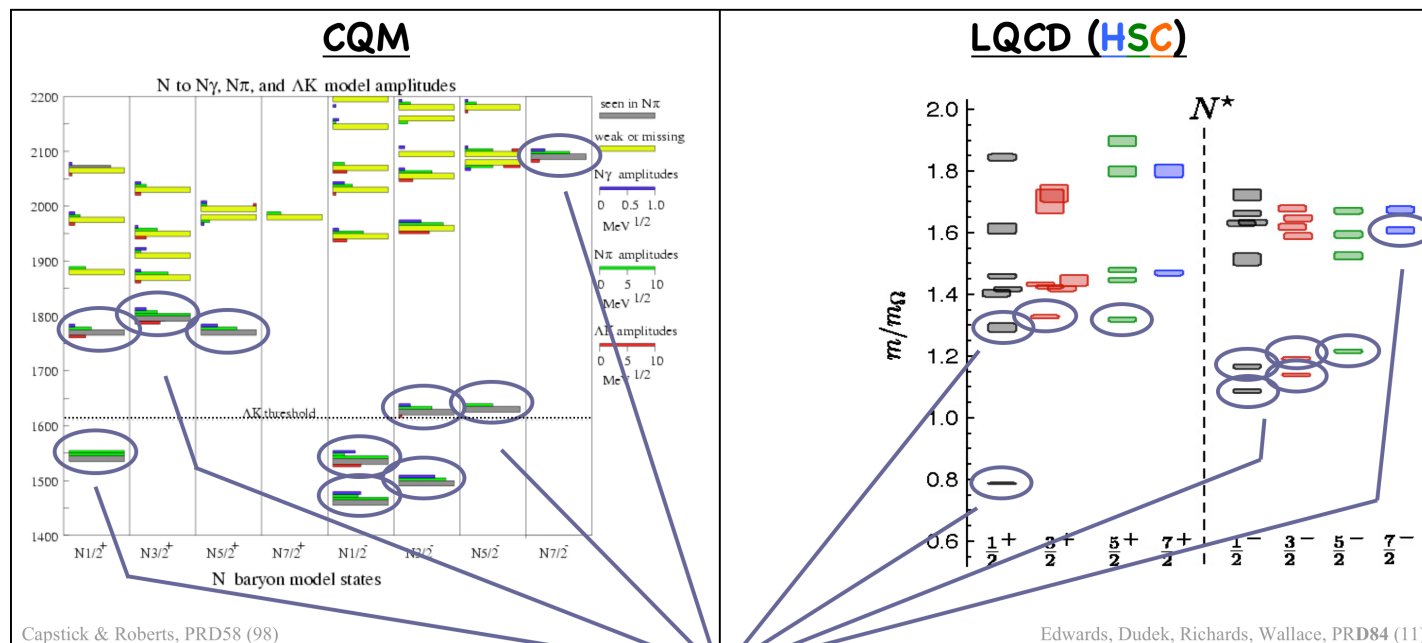
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(for the CLAS-g14 Collaboration)

(Peking University, Beijing – October 21, 2014)

Unfolding and interpreting the N^* spectrum

- low energy structure of QCD lies encoded in the excited-state spectrum of the nucleon, a complex overlap of resonances
- LQCD & CQM $\Rightarrow$ majority of these levels have yet to be identified



- only lowest few in each band seen (in πN) with 4★ or 3★ status
- higher levels predicted to have larger couplings to $\pi\pi N$, $K\Lambda$, $K\Sigma$, ...

N^ s hiding in ambiguities ?*

- $\gamma + N \Rightarrow (J^\pi=0^-) + N/\Lambda/\Sigma$

spin states: $2 + 2 \Rightarrow 0 + 2 \Rightarrow 8$ spin combinations
 $\Rightarrow 4$ unique (parity)

$\Rightarrow 4$ complex amplitudes describe photo-production
 $\Rightarrow 8$ quantities to be determined
 $\Rightarrow$ the 16 possible observables (matrix elements) are not independent
- uniqueness studies: Barker, Donnachie, Storrow, NP B95 (75) 347;
 Chiang, Tabakin, PR C55 (97) 2054;
 Sandorfi, Hoblit, Kamano, Lee, G Phys G38 (11) 053001 .

$\Rightarrow$ “mathematical solution” requires 8 *carefully chosen* observables
 $\Rightarrow$ avoiding ambiguities require asymmetries with recoil polarization

$\Rightarrow$ **with realistic uncertainties, a nearly complete set (≥ 12) is needed**



Photon beam		Target			Recoil			Target - Recoil								
					x'	y'	z'	x'	x'	x'	y'	y'	y'	z'	z'	z'
x	y	z				x	y	z	x	y	z	x	y	z		
<i>unpolarized</i>	σ_0		T			P		T_x ,		L_x ,		Σ		T_z ,		L_z ,
$P_L^\gamma \sin(2\phi_\gamma)$		H		G	O_x ,		O_z ,		C_z ,		E		F		$-C_x$,	
$P_L^\gamma \cos(2\phi_\gamma)$	$-\Sigma$		$-P$			$-T$		$-L_z$,		T_z ,		$-\sigma_0$		L_x ,		$-T_x$,
<i>circular</i> P_c^γ		F		$-E$	C_x ,		C_z ,		$-O_z$,		G		$-H$		O_x ,	



the new campaign to unravel the N^* spectrum

The new goal: (Jlab, Bonn, Mainz)

- **measure large numbers of polarization observables,**
up to all 16 $\Leftrightarrow$ possible in at least a few channels (eg. KY)
 $\Rightarrow$ greatly constrains the photo-production amplitudes
 $\Rightarrow$ best hope to search for poles
- the electromagnetic interactions do not conserve isospin
 $\Rightarrow$ **requires data from both proton and neutron targets**

$$A^{\gamma N} \langle I = 3/2 \rangle \equiv A^{(3)} \langle \mathbf{I}_\gamma = 1, I_N = 1/2; I = 3/2 \rangle \Leftrightarrow \Delta^* (I=3/2) \text{ states}$$

$$A^{\gamma N} \langle I = 1/2 \rangle \equiv A^{(o)} \langle \mathbf{I}_\gamma = 0, I_N = 1/2; I = 1/2 \rangle \pm \frac{1}{\sqrt{3}} A^{(1)} \langle \mathbf{I}_\gamma = 1, I_N = 1/2; I = 1/2 \rangle$$
$$\Leftrightarrow N^* (I=1/2) \text{ states}$$

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Tues Parallel-IV: S6

HD exps

$$A^{\gamma N} \langle I = 3/2 \rangle \equiv A^{(3)} \langle \mathbf{I}_\gamma = 1, \mathbf{I}_N = 1/2; I = 3/2 \rangle \Leftrightarrow \Delta^* (I=3/2) \text{ states}$$

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the E06-101 (g14) experiment & crew

the components

- CLAS detector
- polarized *HDice* target
- calibrations
and ongoing analyses

the crew

- Jlab Hall-B staff, CLAS collaboration
- **C.D. Bass**, **P. Collins**, A. D' Angelo, A. Deur, G. Dezern, **C. Hanretty**, **D. Ho**, T. Kageya, M. Khandaker, **V. Laine**, M.M. Lowry, **C. Nepali**, **T. O'Connell**, **P. Peng**, A.M. Sandorfi, **D. Sokhan**, **N. Walford**, X. Wei, C.S. Whisnant
- A. D' Angelo, **P. Collins**, **J. Fleming**, **D. Ho**, T. Kageya, F. Klein, **H. Lu**, **P. Mattione**, E. Pasyuk, **P. Peng**, A.M. Sandorfi, R. Schumacher, **N. Walford**, D. Watts, **I. Zonta**

Legend: *Students*; *PostDocs*

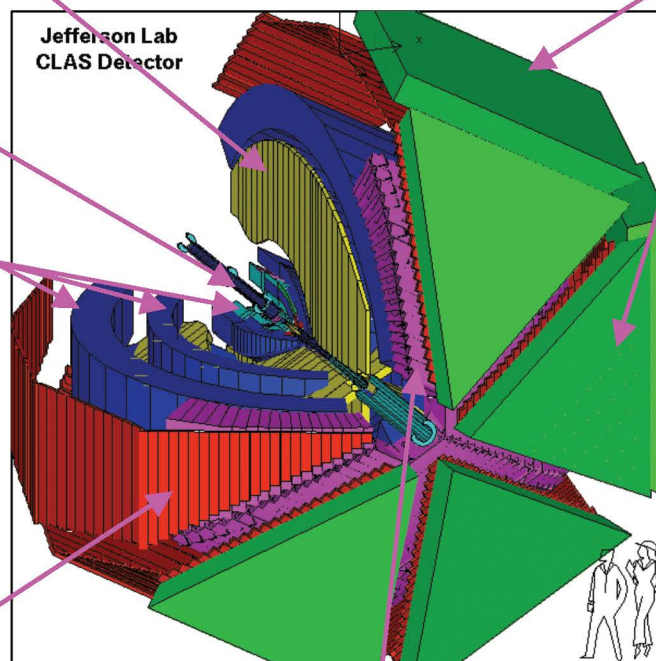
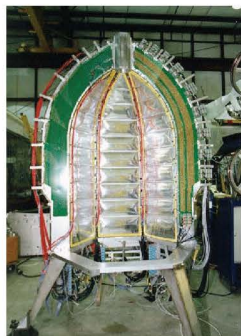
Jlab Hall-B – the CLAS(6) detector

Torus magnet
6 superconducting coils

Electromagnetic calorimeters
Lead/scintillator, 1296 photomultipliers

polarized target + start counter

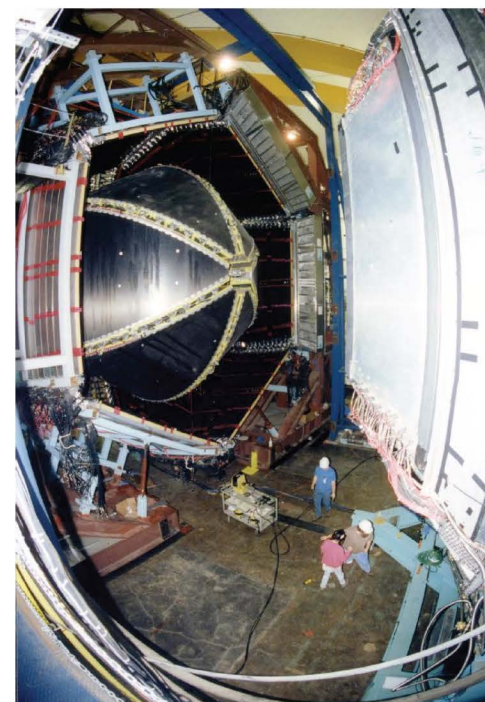
Drift chambers
argon/CO₂ gas, 35,000 cells



Time-of-flight counters
plastic scintillators, 684 photomultipliers

Gas Cherenkov counters
e/ π separation, 256 PMTs

DAQ limit ~ 6kHz (~1.5TB/day)



HDice frozen-spin target

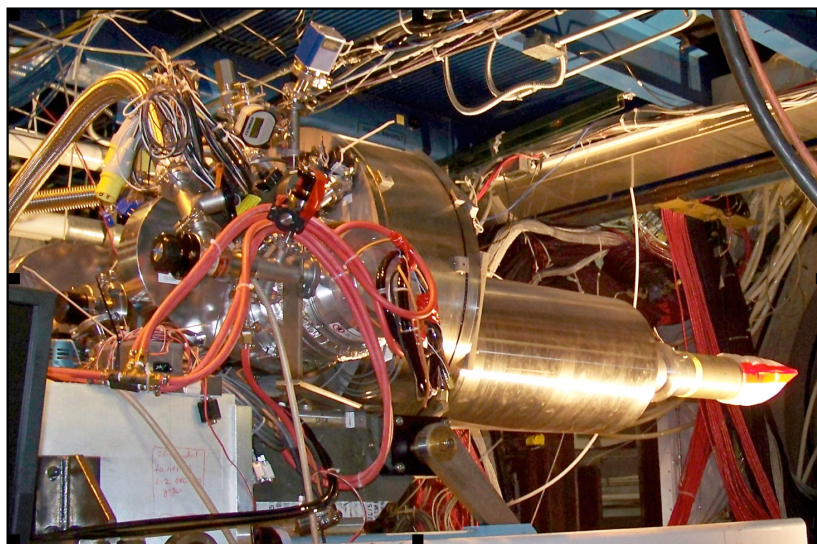
⇒ talk by X. Wei
Friday, Parallel-VII: S10

- target: $\varnothing$ 15 mm $\times$ 50 mm
- material: solid HD
- dilution factors: $1/2$ for $\vec{p}$
 $1/1$ for $\vec{n}$

- $P(H) = 60\%$, $P(D) = 15\%$
or $= 30\%$, $P(D) = 30\%$
- T_1 (1/e relaxation time) $\sim$ years
- no repolarization needed

Polarization mechanism:

- polarize impurities (10^{-3}) of H_2 and D_2 at 0.010 K and 15 Tesla
- spin exchange w HD
 $\vec{H}_2 \Rightarrow \vec{HD} \Leftarrow \vec{D}_2$
- wait for H_2 and D_2 to decay to inert ground st ($\sim$ 3 months)



HDice polarize/freeze-spins/run-exp sequence

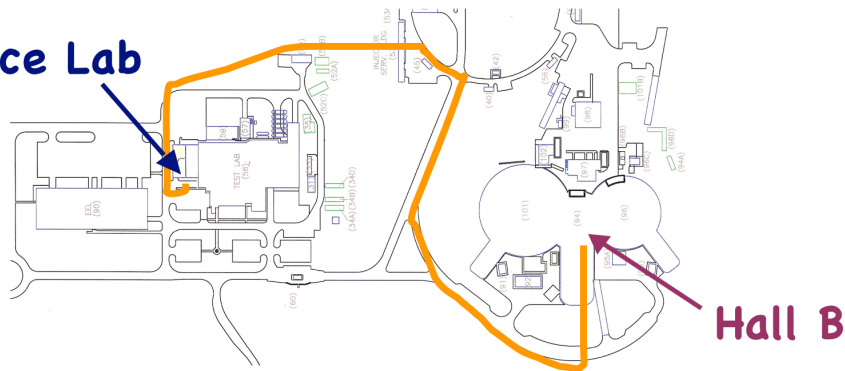
HDice Target Lab

- condense HD gas $\rightarrow$ liquid $\rightarrow$ solid at 16°K
- calibrate pol-NMR at 2°K and 0.2 tesla
- transfer to dilution refrigerator & polarize at 15 Tesla and 10 mK
- hold at high-field and low-temp for >3 months
- transfer to 5 Tesla/1.6°K Storage Cryostat

transfers are the trickiest part

- NIM A737 (14) 107

HDice Lab



Hall B

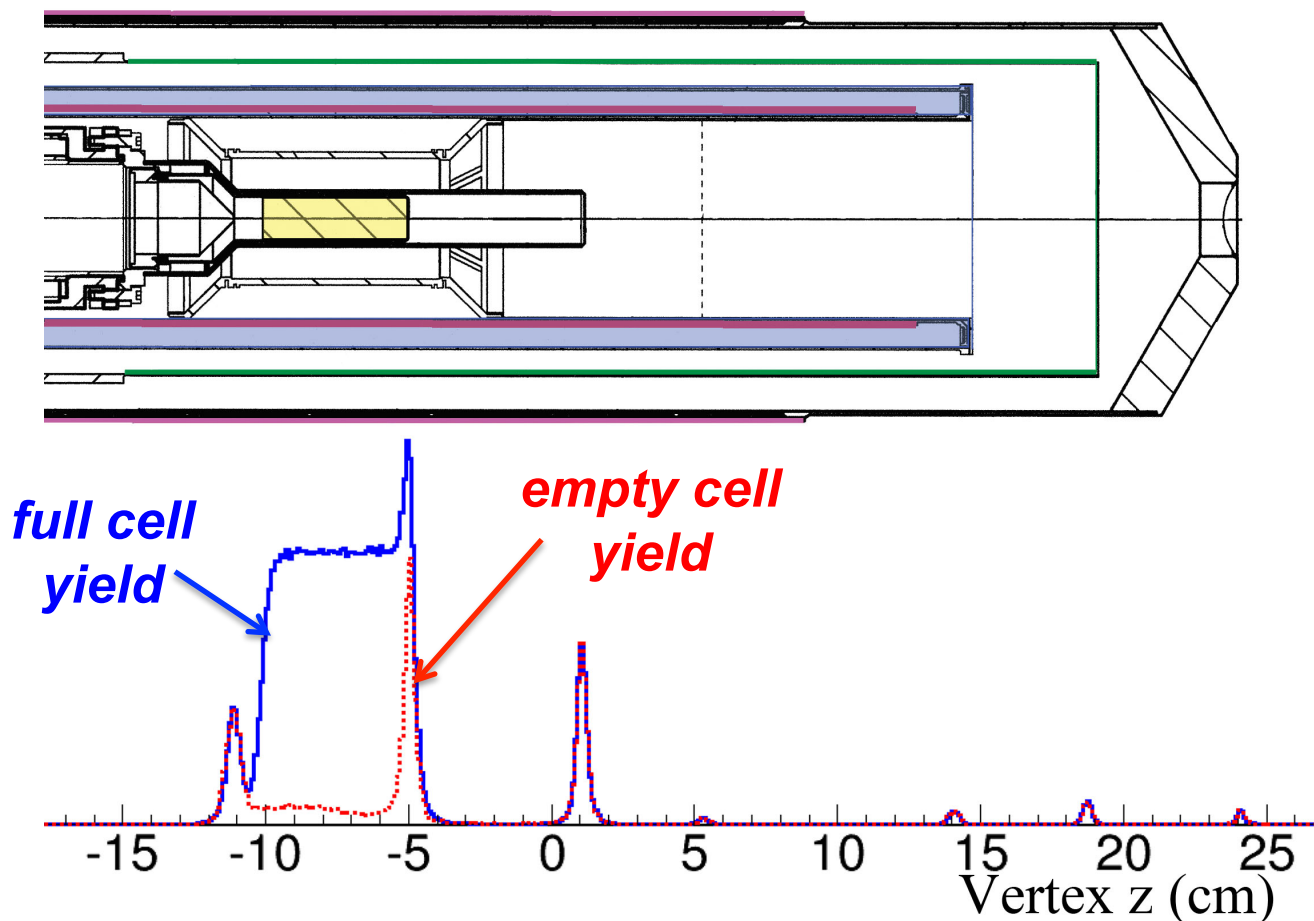


Hall-B

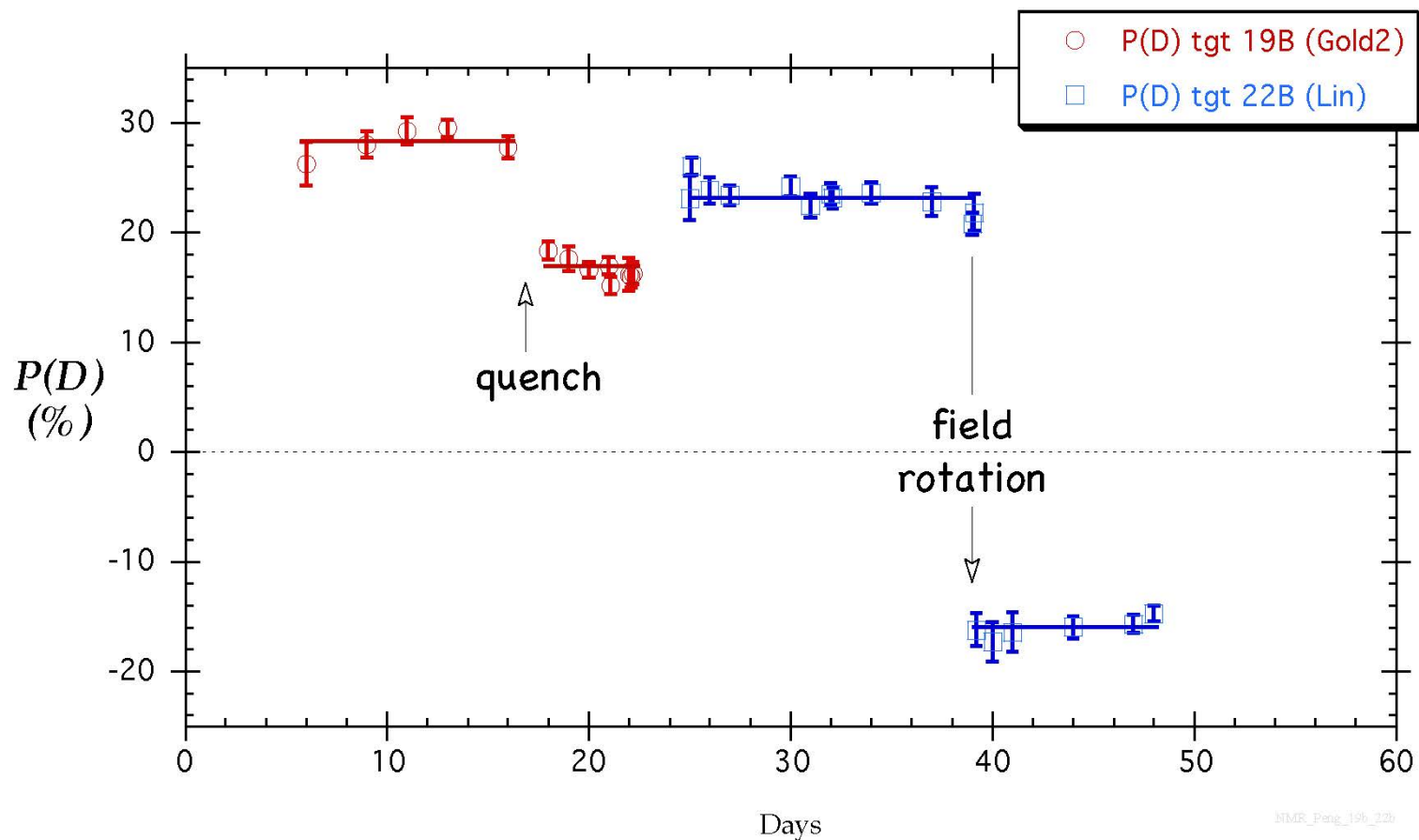
- move to Hall B (~ 1 Km)
- transfer to In-Beam Cryostat (IBC)
- move spins $\vec{H} \Leftrightarrow \vec{D}$ w rf as needed
- roll IBC into CLAS
- run the exp

non-HD target-cell backgrounds

- Evaporate and pump away the HD:
 ⇒ residual non-HD backgrounds are small



D polarization with beam



- $P(D) \times \text{HDice dilution} \sim \text{similar to FROST (DNP) polarization} \times \text{dilution}$
- HD exp able to run with $\times 10$ higher fluxes (due to lower Z)

Run period: Dec' 11 – May' 12 (last CLAS6 experiment before Jlab upgrade)

On-going Analyses:

- T. Kageya (Jlab): $\gamma_c n(p) \rightarrow \pi^- p(p)$
- H. Lu (CMU, U. Iowa): $\gamma_L n(p) \rightarrow \pi^- p(p)$
- P. Peng (U. Virginia): $\gamma_c p \rightarrow \pi^+ \pi^- p$; $\gamma_c n(p) \rightarrow \pi^+ \pi^- n(p)$
- J. Fleming (U. Edinburgh): $\gamma_L p \rightarrow \pi^+ \pi^- p$; $\gamma_L n(p) \rightarrow \pi^+ \pi^- n(p)$
 $\gamma_c n(p) \rightarrow K^+ \Sigma^-(p)$
- I. Zonta (U. Roma-II): $\gamma_c n(p) \rightarrow p n(p) \rightarrow \pi^+ \pi^- n(p)$
- D. Ho (Carnegie-Mellon U.): $\gamma_c n(p) \rightarrow K^0 \Lambda(p)$

$\Rightarrow$ some examples with $\sim 1/3$ to $2/3$ data processed

Jlab E06-101 (g14) experiment

Run period: Dec' 11 – May' 12 (last CLAS6 experiment before Jlab upgrade)

eg of bkg removal methods

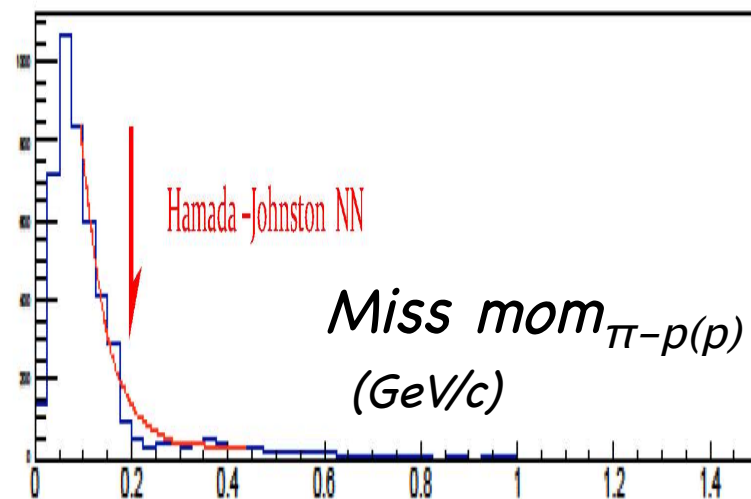
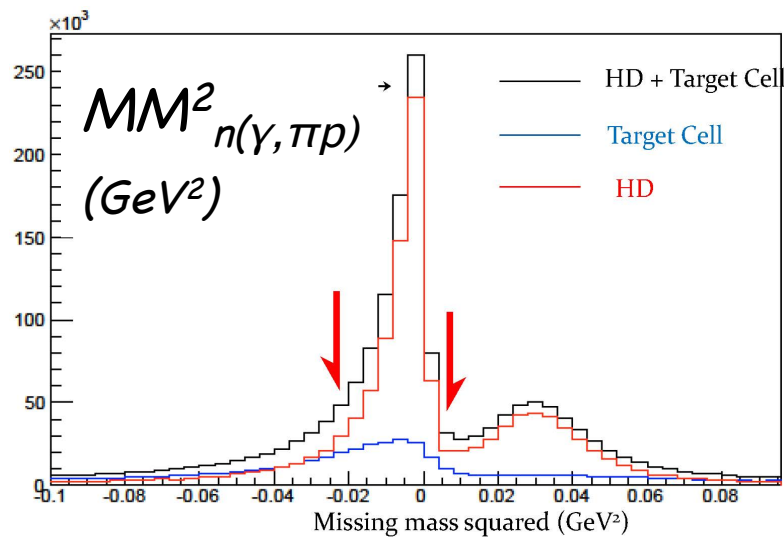
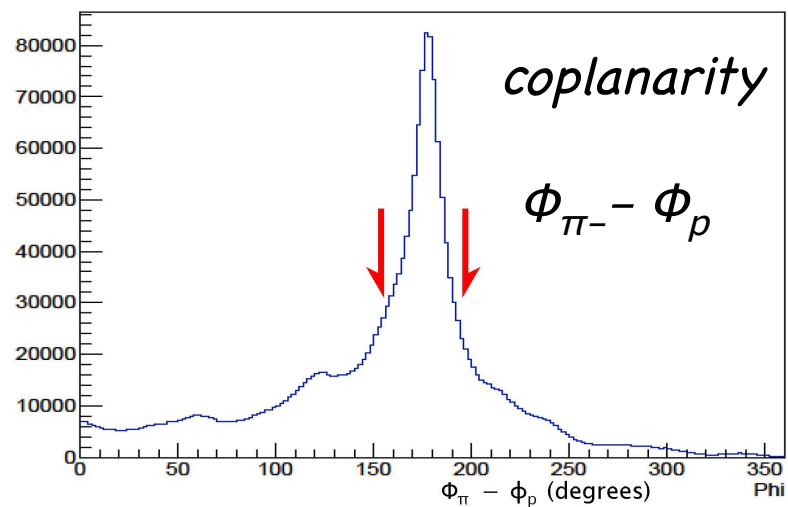
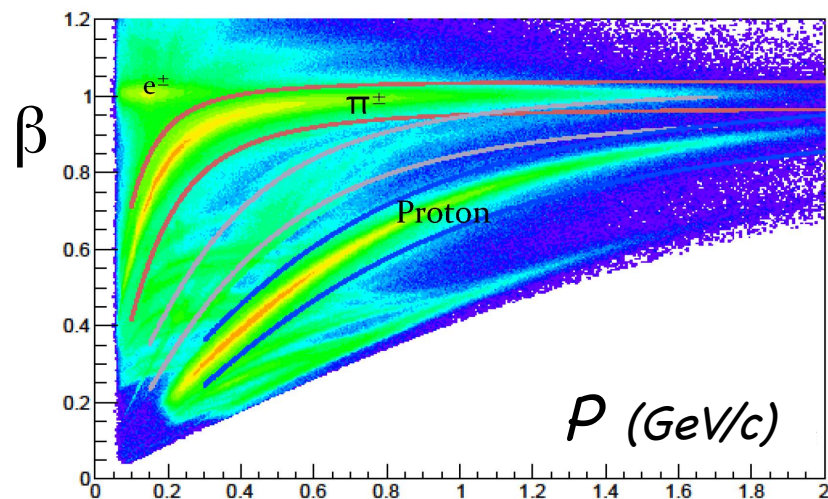
On-going Analyses:

- T. Kageya (Jlab): $\gamma_c n(p) \rightarrow \pi^- p(p)$ *empty subtraction*
- H. Lu (CMU, U. Iowa): $\gamma_L n(p) \rightarrow \pi^- p(p)$
- P. Peng (U. Virginia): $\gamma_c p \rightarrow \pi^+ \pi^- p; \gamma_c n(p) \rightarrow \pi^+ \pi^- n(p)$ *Kinematic fitting*
- J. Fleming (U. Edinburgh): $\gamma_L p \rightarrow \pi^+ \pi^- p; \gamma_L n(p) \rightarrow \pi^+ \pi^- n(p)$
 $\gamma_c n(p) \rightarrow K^+ \Sigma^-(p)$
- I. Zonta (U. Roma-II): $\gamma_c n(p) \rightarrow p n(p) \rightarrow \pi^+ \pi^- n(p)$
- D. Ho (Carnegie-Mellon U.): $\gamma_c n(p) \rightarrow K^0 \Lambda(p)$ *Boosted Decision Trees*

⇒ some examples with $\sim 1/3$ to $2/3$ data processed

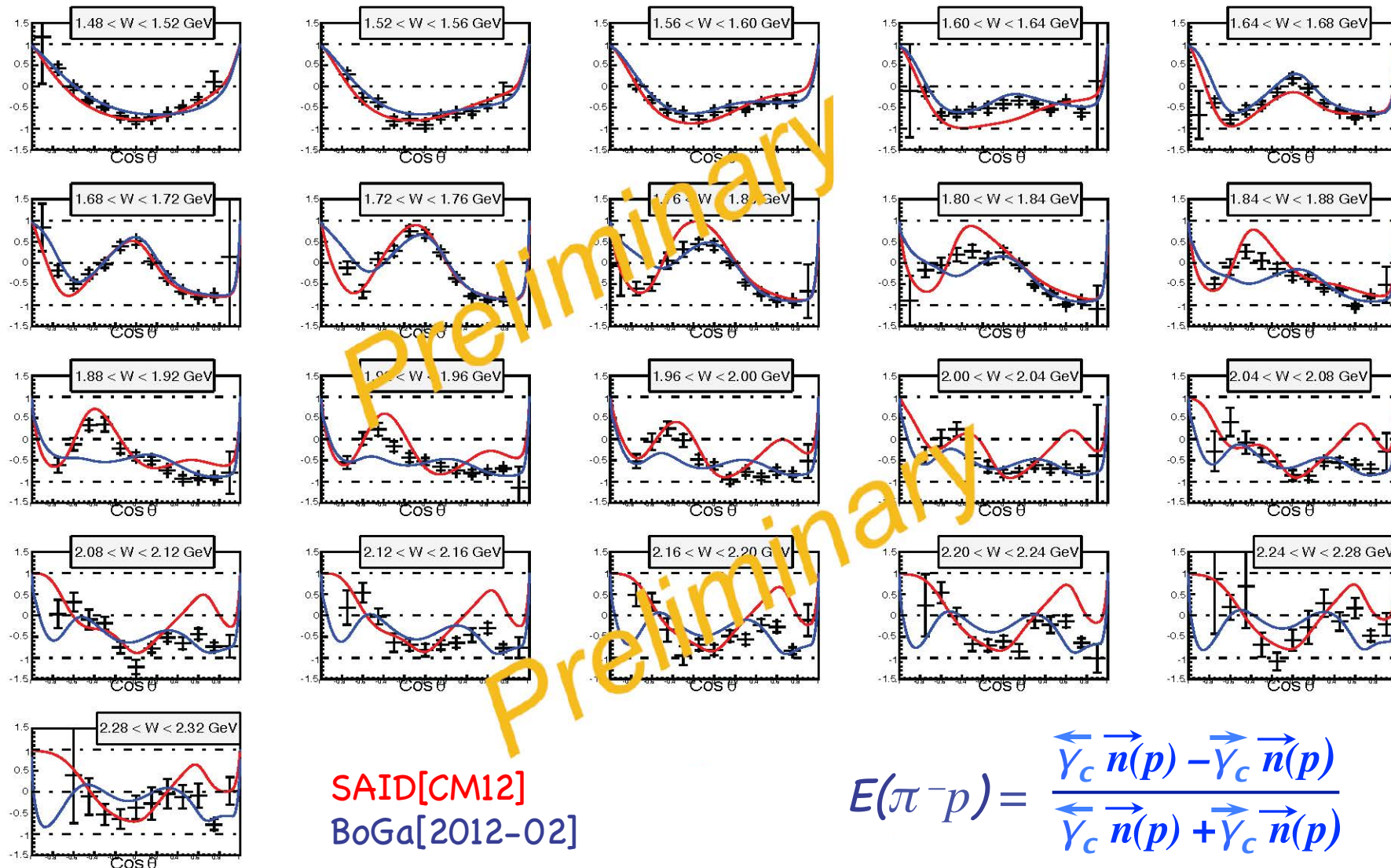
$$\vec{\gamma}_c + \vec{n}(p) \rightarrow \pi^- p(p)$$

- T. Kageya (Jlab)

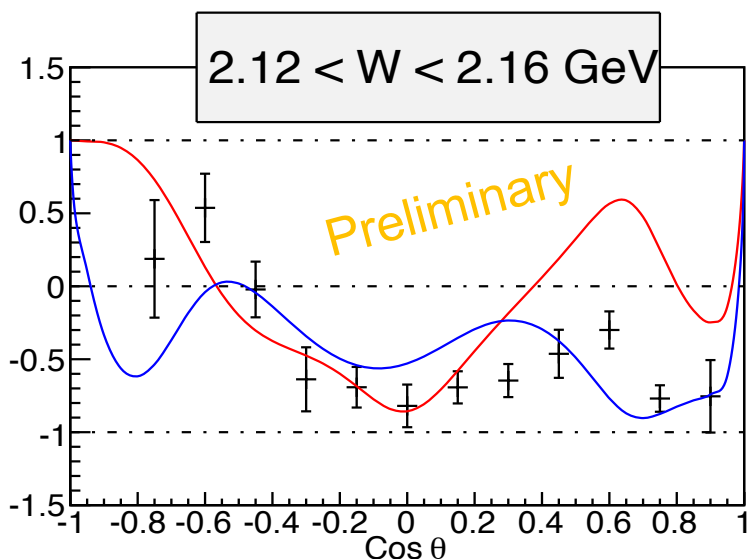
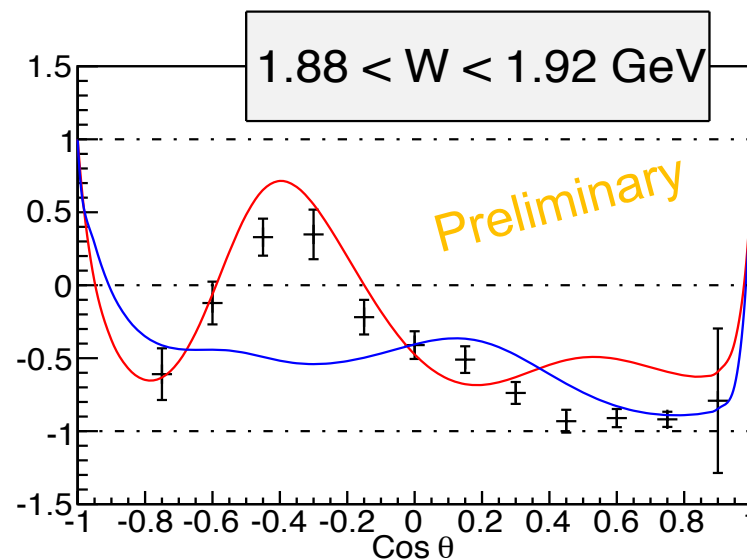
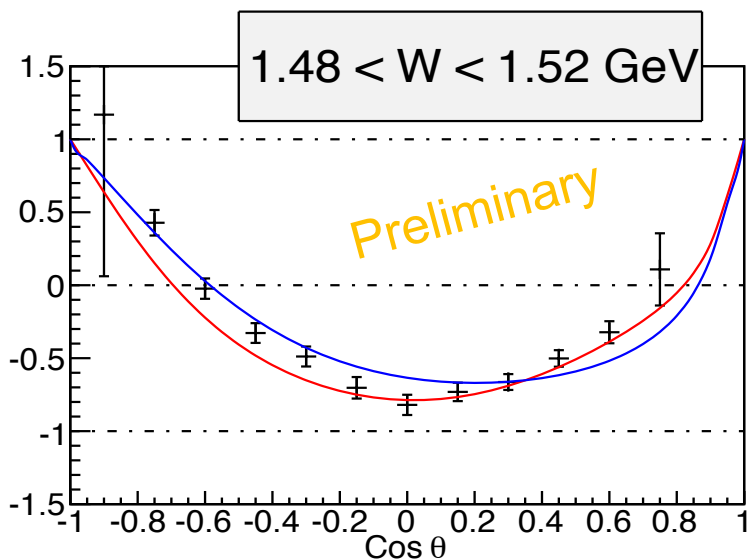




Beam-Target Helicity asymmetry $E(\pi^-p)$ - T. Kageya (Jlab)



selected Helicity asymmetry $E(\pi^-p)$ - T. Kageya (Jlab)



$$E(\pi^-p) = \frac{\overleftarrow{\gamma}_c \vec{n}(p) - \overrightarrow{\gamma}_c \vec{n}(p)}{\overleftarrow{\gamma}_c \vec{n}(p) + \overrightarrow{\gamma}_c \vec{n}(p)}$$

PWA: SAID[CM12]
BoGa[2012-02]

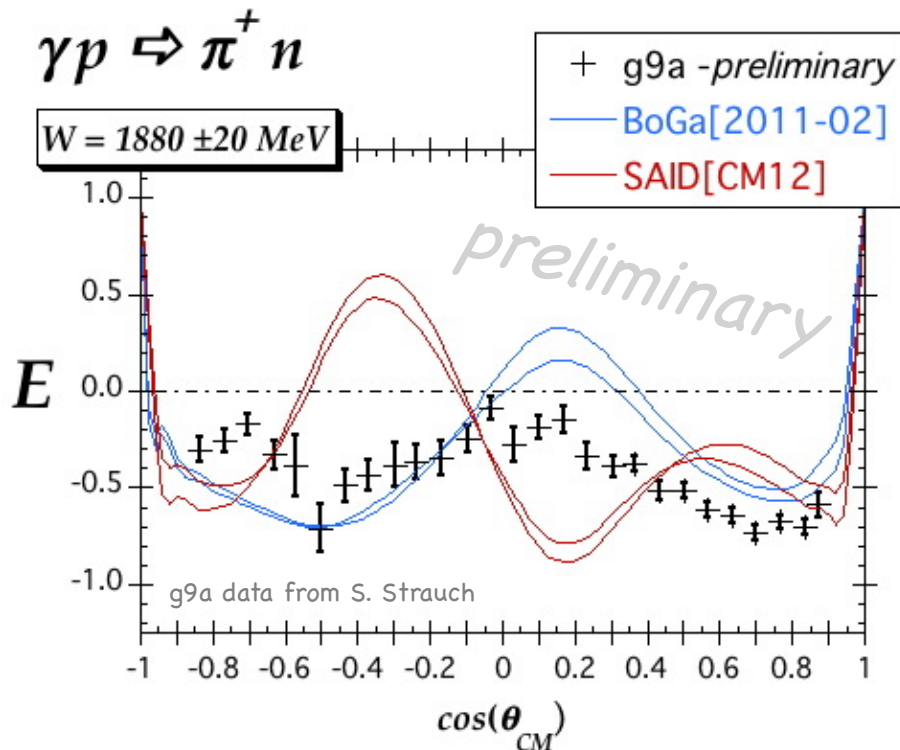
Comparing proton and neutron targets in the N^* hunt

$P_{13}(1900)$ -driven by BoGa

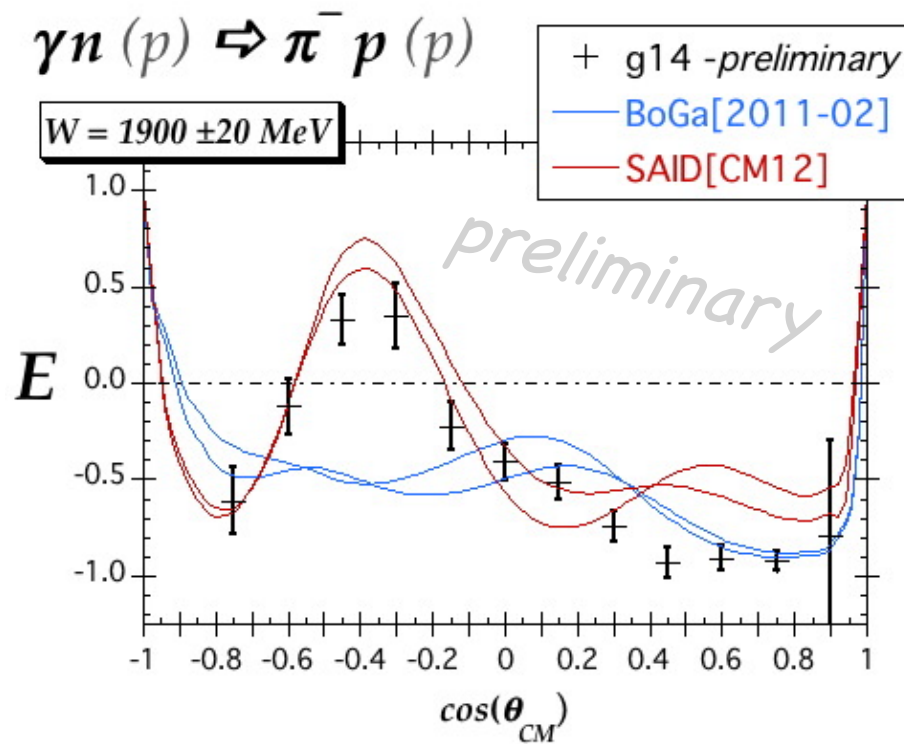
⇒ $N(1900)3/2^+$ *** PDG' 12

$\text{Br}(K\Lambda) \approx \text{Br}(\pi N) \approx 10\%$

- BoGa PWA includes $P_{13}(1900)$
- SAID PWA does not

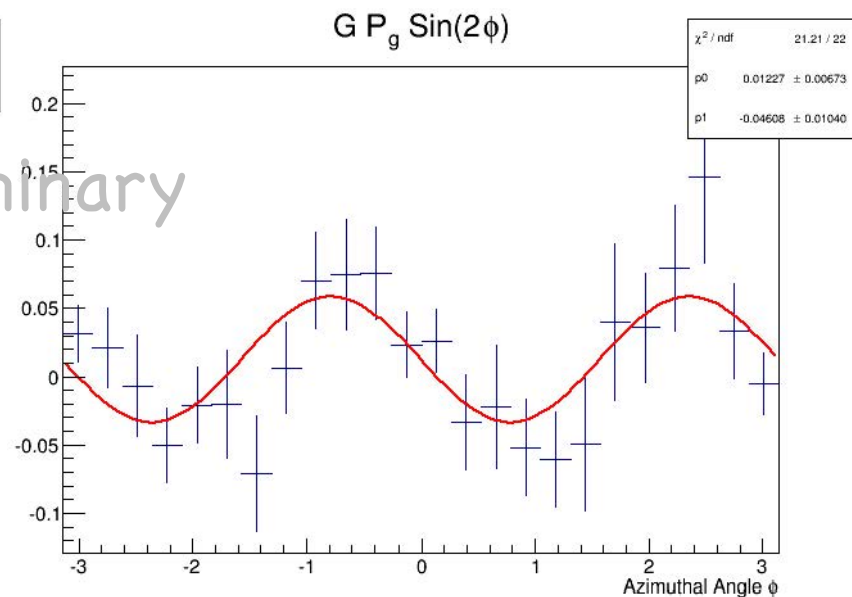
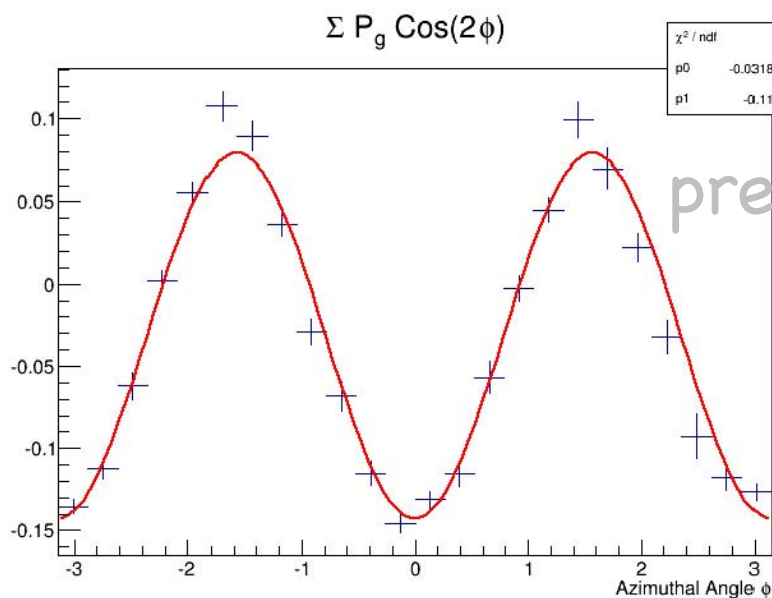


$E(\pi^+ n) W 1880$ g9a PWA

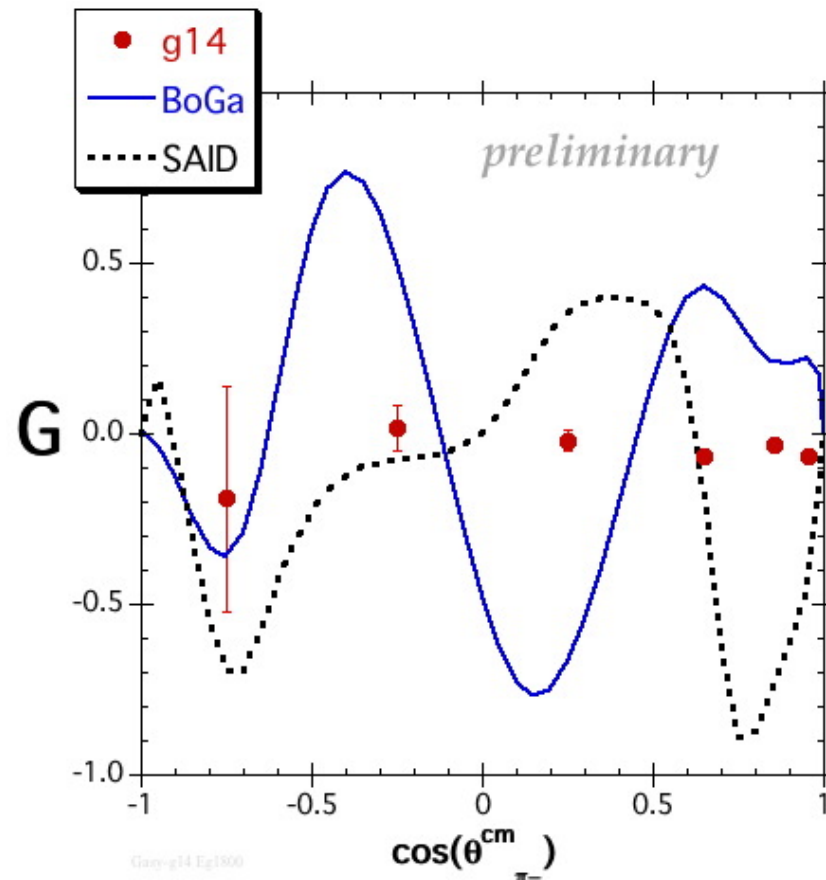
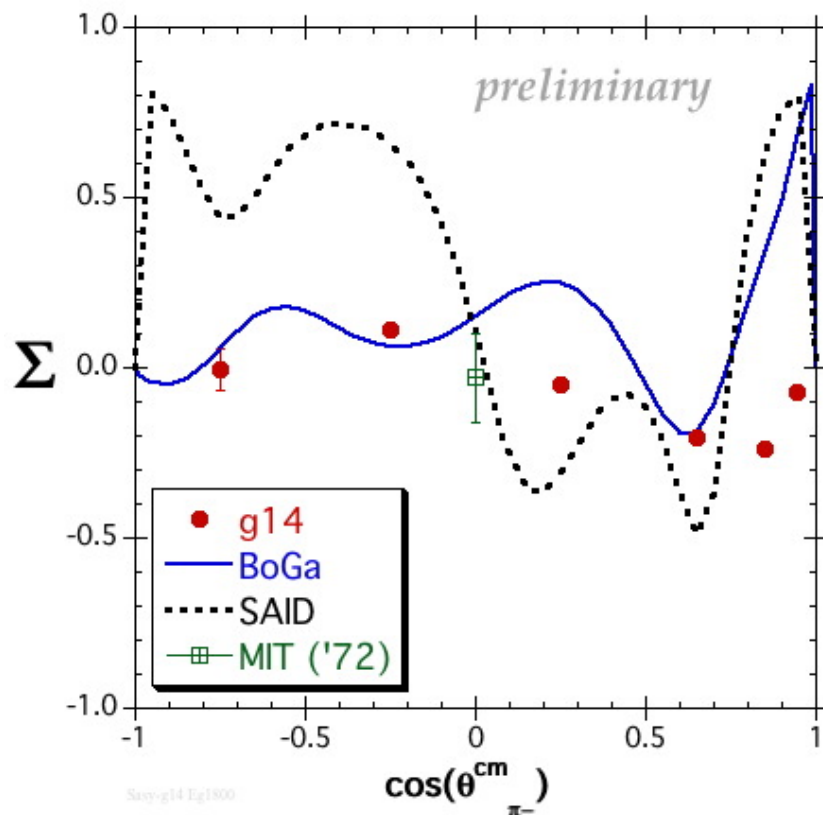


$E(\pi^- p) W 1900$ g14 PWA

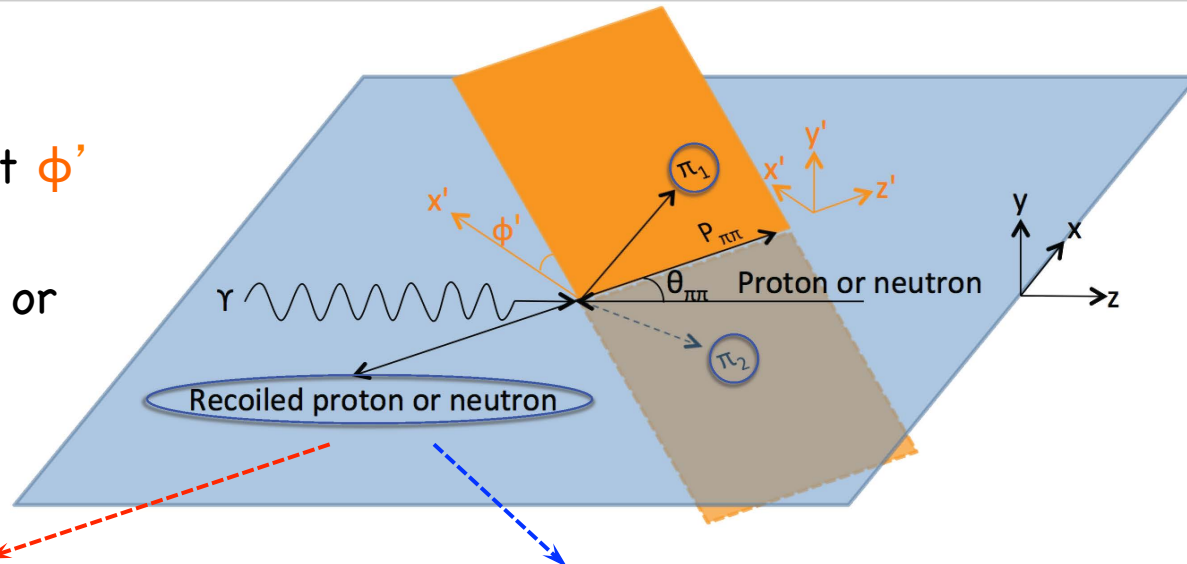
- linearly polarized beam from bremsstrahlung in diamond
- $d\sigma_{(B,T)} = \frac{1}{2} d\sigma_0 \left\{ 1 - \Sigma(\theta) \cdot P_L^\gamma \cos(2\phi_\gamma) + G(\theta) \cdot P_L^\gamma \cdot P_z^T \cdot \sin(2\phi_\gamma) \right\}$
- combine diff beam and target orientations to separate Σ and G



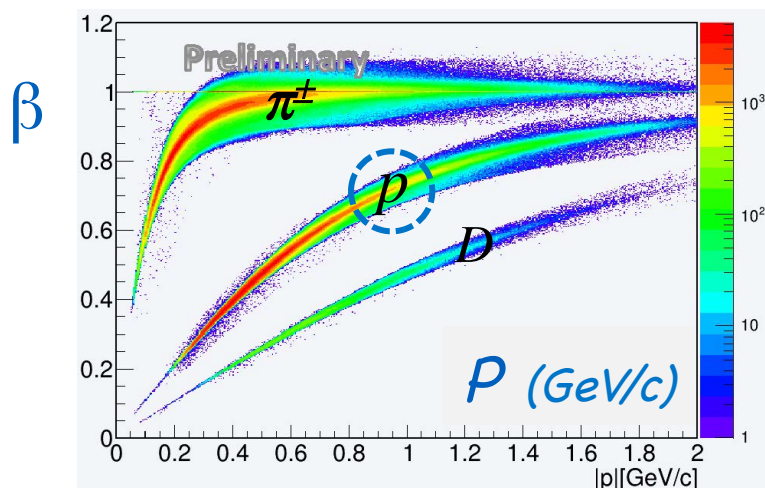
- $d\sigma_{(B,T)} = \frac{1}{2} d\sigma_0 \left\{ 1 - \Sigma(\theta) \cdot P_L^\gamma \cos(2\phi_\gamma) + G(\theta) \cdot P_L^\gamma \cdot P_z^T \cdot \sin(2\phi_\gamma) \right\}$
- $E_\gamma \sim 1800 \text{ MeV} \Leftrightarrow W \sim 2060 \text{ MeV}$



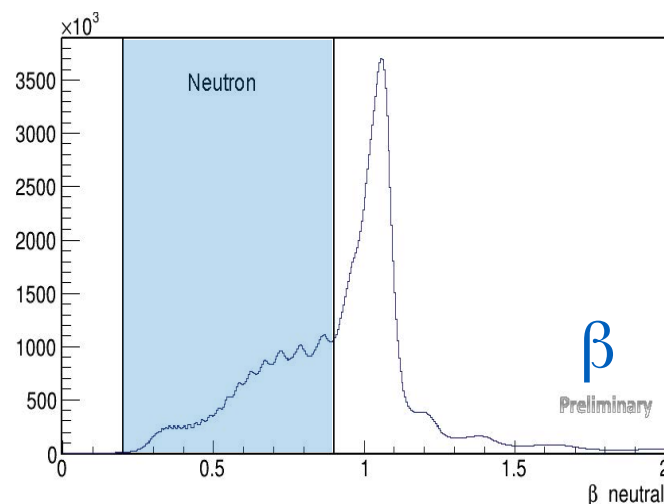
- elementary $d^5\sigma$
- $\pi^+ \pi^-$ define a plane at ϕ' wrt reaction plane
- observables are even or odd wrt ϕ'
- $P_{\pi\pi}(\theta_{\pi\pi}) = P_{\pi^+} + P_{\pi^-}$



protons in drift chambers

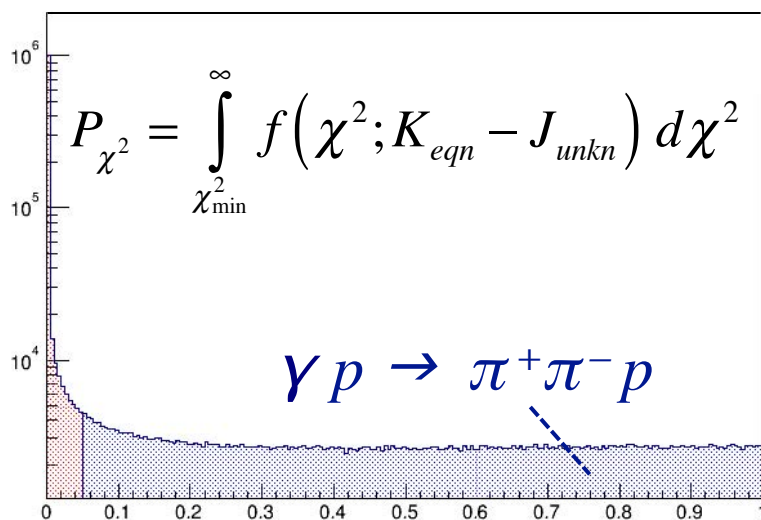


neutrons in forward calorimeter



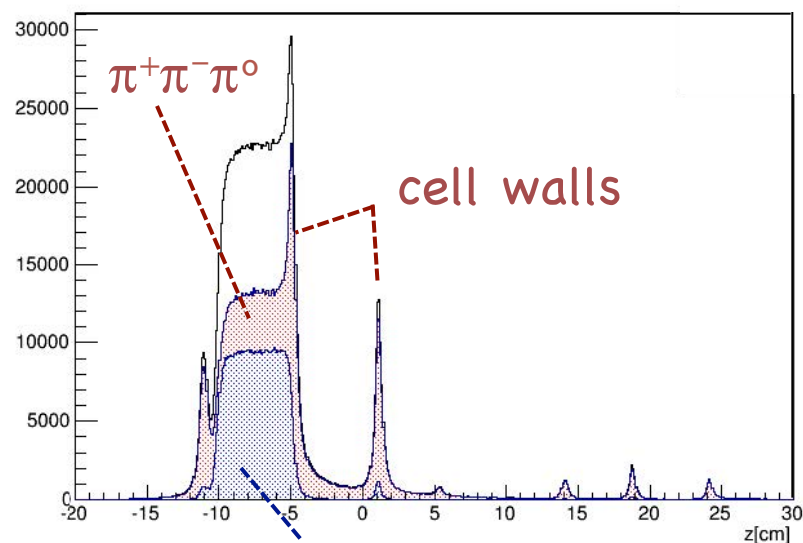
- kinematic fitting uses (p, E) constraints to improve measured quantities and estimate unmeasured ones
- bound nucleons in target cell (C, Al, F) do not strictly follow elementary kinematics $\Rightarrow$ separate cell without subtraction
- requires accurate knowledge of the detector's covariance matrix

Confidence Level



$$P_{\chi^2} \in [0,1]$$

Vertex reconstruction



$$\gamma p \rightarrow \pi^+\pi^-p$$

- in the notation of Roberts and Oed, PR C71 (05) 055201
- 64 possible **polarization observables**; ≥ 15 needed to determine amplitude

$$\frac{d\sigma^{BT}}{d\Omega} = d\sigma_0 \left\{ \left(1 + \vec{\Lambda} \cdot \vec{P} \right) + \delta_{\odot} \left(I^{\odot} + \vec{\Lambda} \cdot \vec{P}^{\odot} \right) \right. \\ \left. + \delta_L \left[\sin(2\varphi_{\gamma}) \left(I^S + \vec{\Lambda} \cdot \vec{P}^S \right) + \cos(2\varphi_{\gamma}) \left(I^C + \vec{\Lambda} \cdot \vec{P}^C \right) \right] \right\}$$

- $\delta_{\odot}, \delta_L$: **beam polarization** ; • $\vec{\Lambda}$: **target polarization**
- eg. circularly polarized beam on a longitudinally polarized target

$$\frac{d\sigma}{d\Omega} = d\sigma_0 \left\{ \left(1 + \Lambda_z \cdot P_z \right) + \delta_{\odot} \left(I^{\odot} + \Lambda_z \cdot P_z^{\odot} \right) \right\}$$

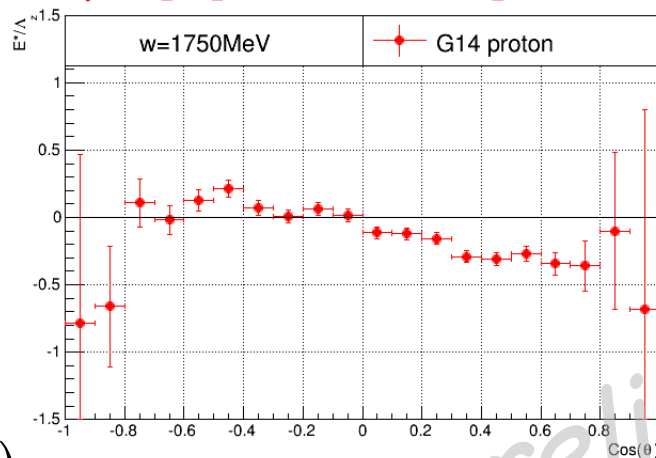
$$E^* = \frac{1}{\delta_{\odot}} \frac{Y(\rightarrow\Rightarrow) - Y(\leftarrow\Rightarrow)}{Y(\rightarrow\Rightarrow) + Y(\leftarrow\Rightarrow)} = \frac{I^{\odot} + \Lambda_z P_z^{\odot}}{1 + \Lambda_z P_z} \cong \underbrace{I^{\odot} + \Lambda_z P_z^{\odot} - \Lambda_z I^{\odot} P_z}_{\text{odd functions of } \phi'}$$



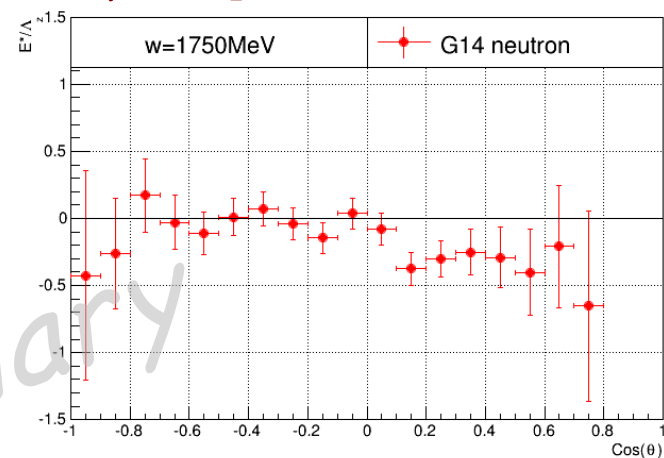
$$\frac{1}{\Lambda_z} \int E^*(\theta_{\pi\pi}, \phi'_{\pi\pi}) \cdot d\phi'_{\pi\pi} \cong P_z^\odot(\theta_{\pi\pi})$$

- P. Peng (UVa)

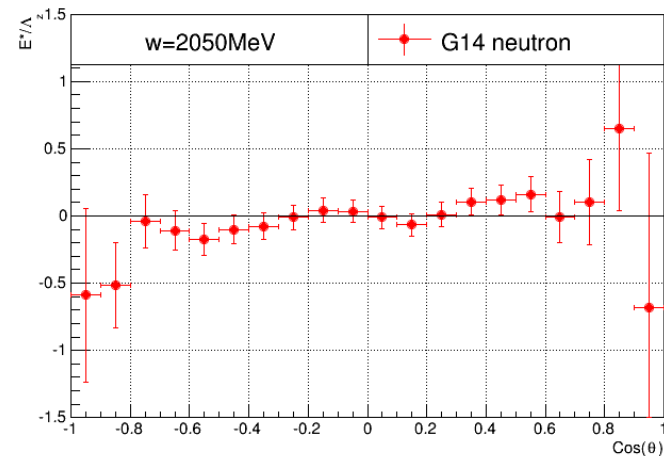
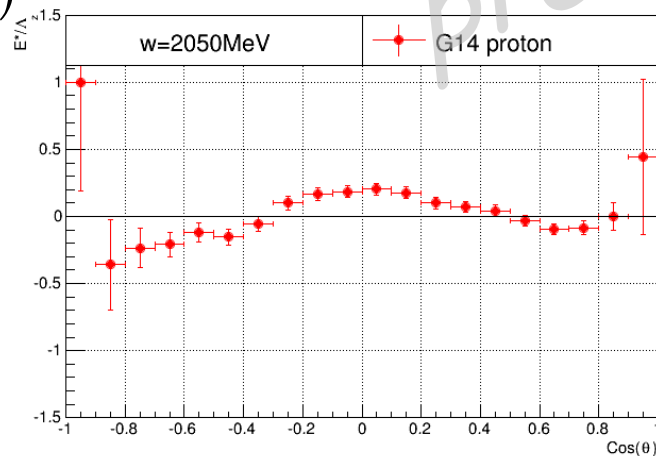
$\gamma + p, p(n) \Rightarrow \pi^+ \pi^-$ proton



$\gamma + n(p) \Rightarrow \pi^+ \pi^-$ neutron



$P_z^\odot(\theta_{\pi\pi})$



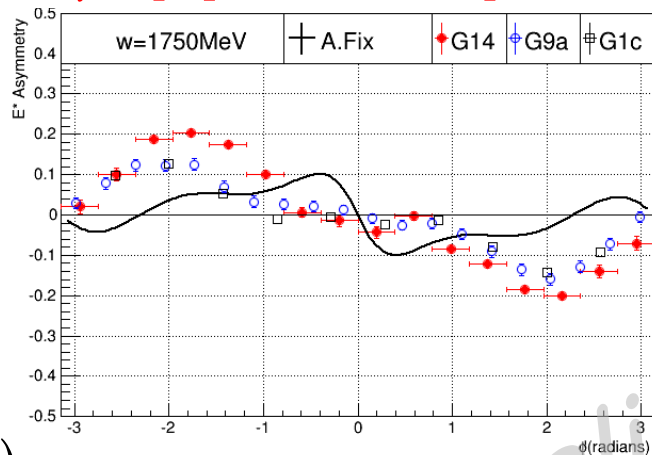
$\cos(\theta_{\pi\pi})$

$\cos(\theta_{\pi\pi})$

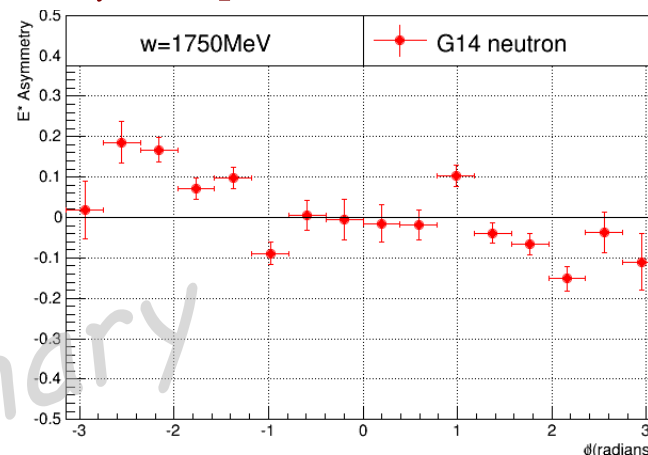
$$\int E^*(\theta_{\pi\pi}, \phi'_{\pi\pi}) \cdot d\cos(\theta_{\pi\pi}) \cong I^\odot(\phi'_{\pi\pi})$$

- P. Peng (UVa)

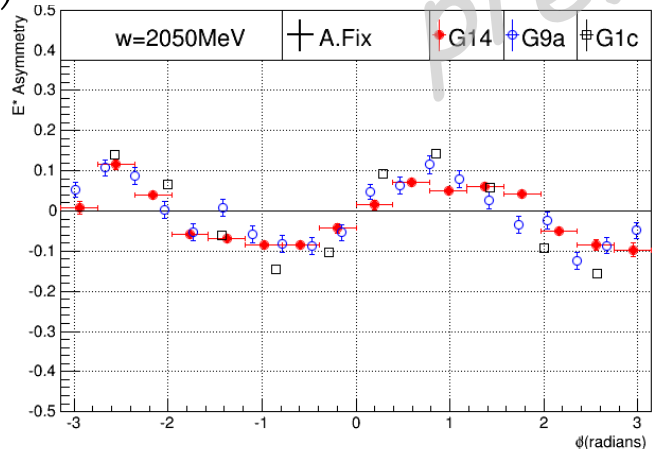
$\gamma + p, p(n) \Rightarrow \pi^+ \pi^-$ proton



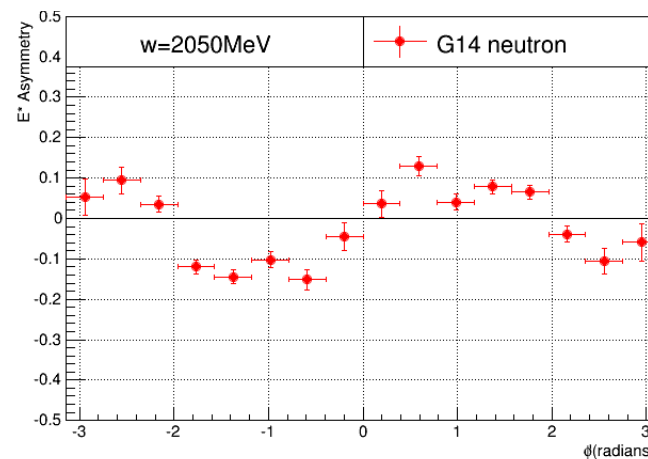
$\gamma + n(p) \Rightarrow \pi^+ \pi^-$ neutron



$I^\odot(\phi'_{\pi\pi})$

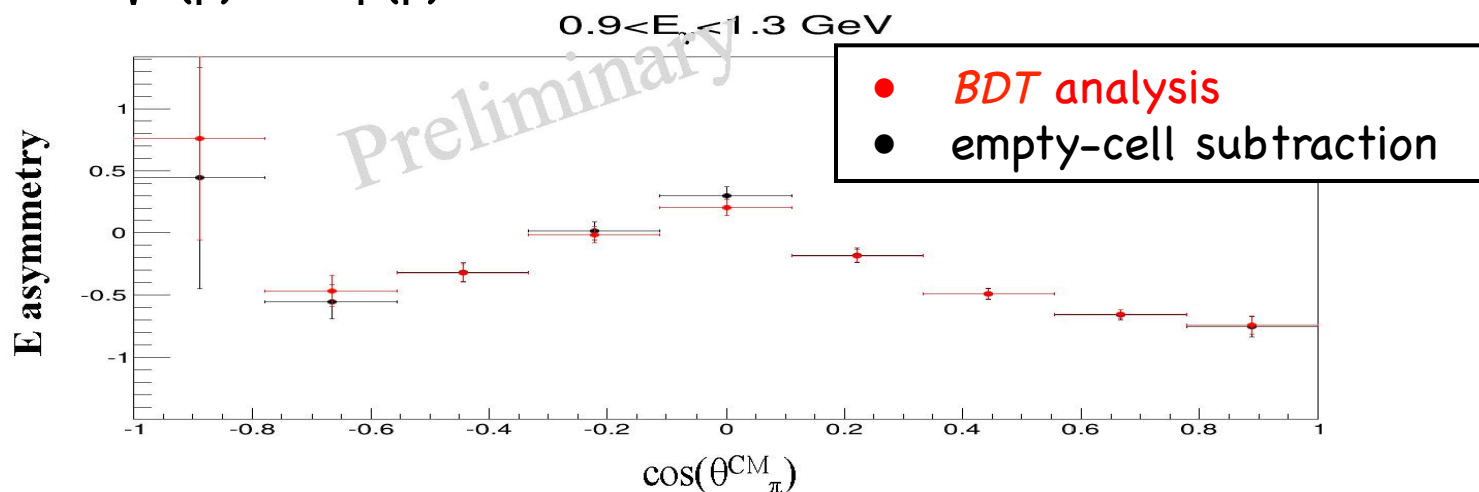


$\phi'_{\pi\pi}$ (rad)



$\phi'_{\pi\pi}$ (rad)

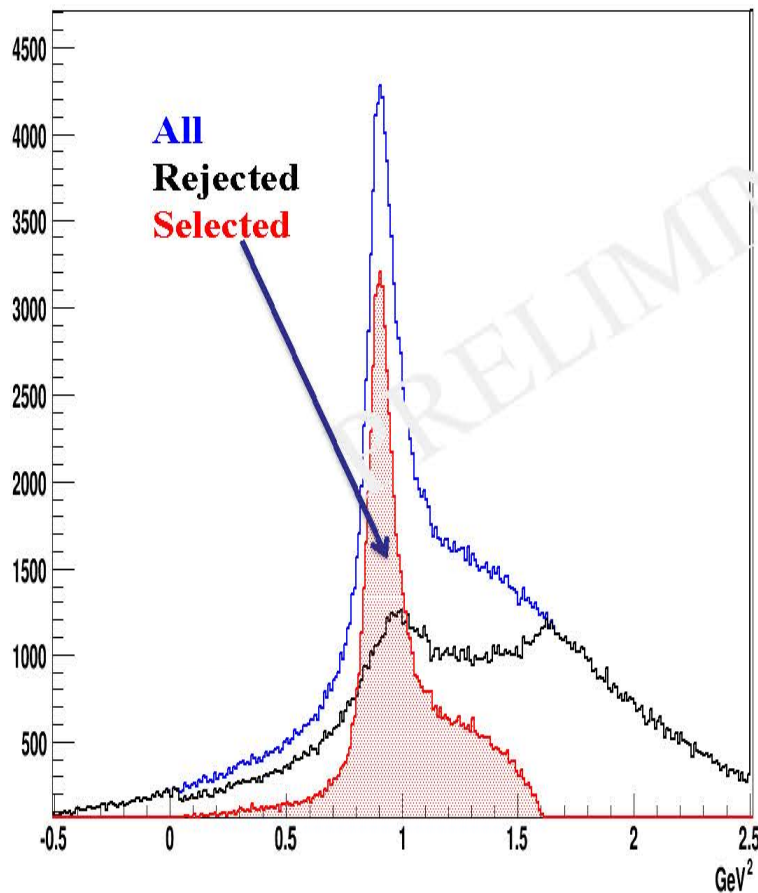
- no published data on $K^0 \Lambda$ photo-production
 $\Rightarrow$ cross sections turned out to be smaller than anticipated (KaonMAID)
- maximize signal using a multivariate *Boosted-Decision-Tree* (BDT)
 (standard in HEP: arXiv.physics/0703039v5)
 $\Rightarrow$ separate events into *signal* or *background* with simultaneous
 (rather than sequential) requirements/cuts on many variables
 $\Rightarrow$ BDT is *trained* on *empty-target* data and on MC
- test on $\gamma n(p) \rightarrow \pi^- p(p)$:



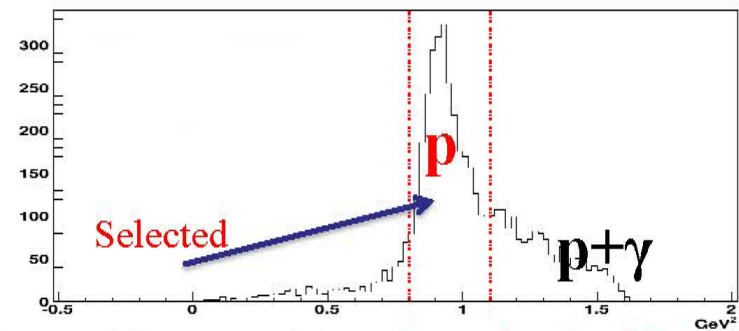
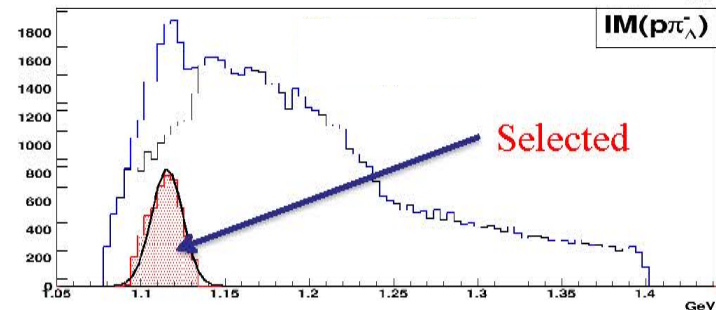
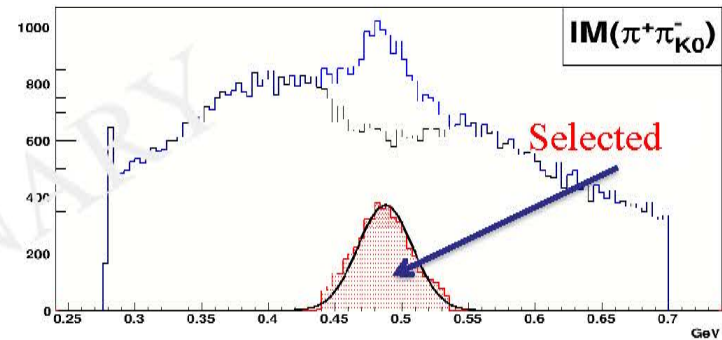


$\gamma n(p) \rightarrow K^0 \Lambda(p) \rightarrow \pi^+ \pi^- \pi^- p (p)$ - D. Ho (Carnegie-Mellon U)

eg. stages in $K^0 \Lambda(p_s)$ separation :

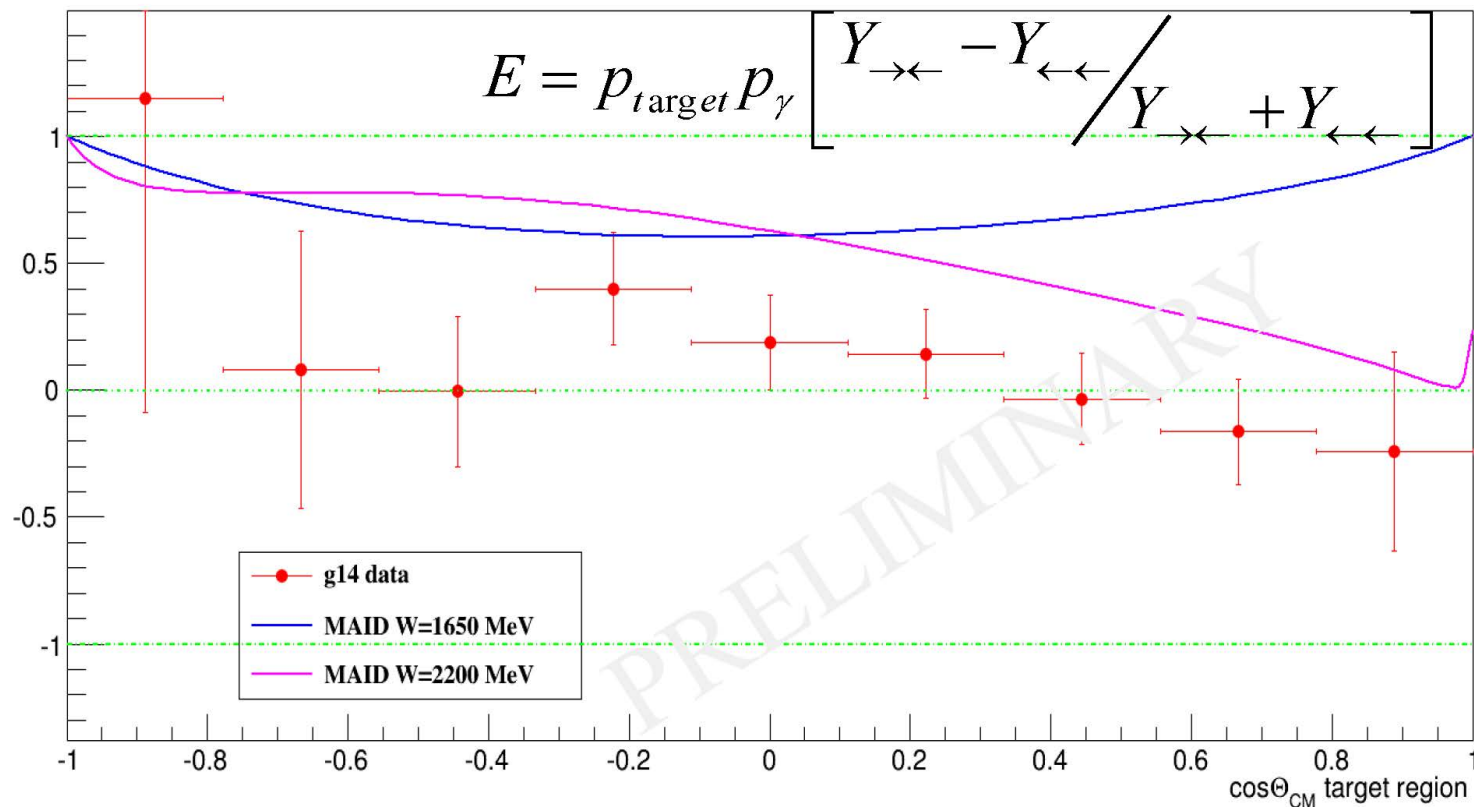


Squared Spectator Mass



Squared Spectator Mass **after selecting $K^0 \Lambda$**

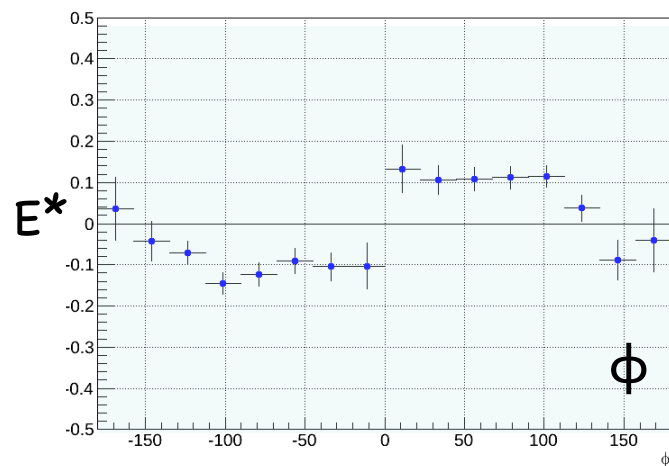
E asymmetry vs. θ_{CoM} of K^0 ($1600 \text{ MeV} < W < 2200 \text{ MeV}$)



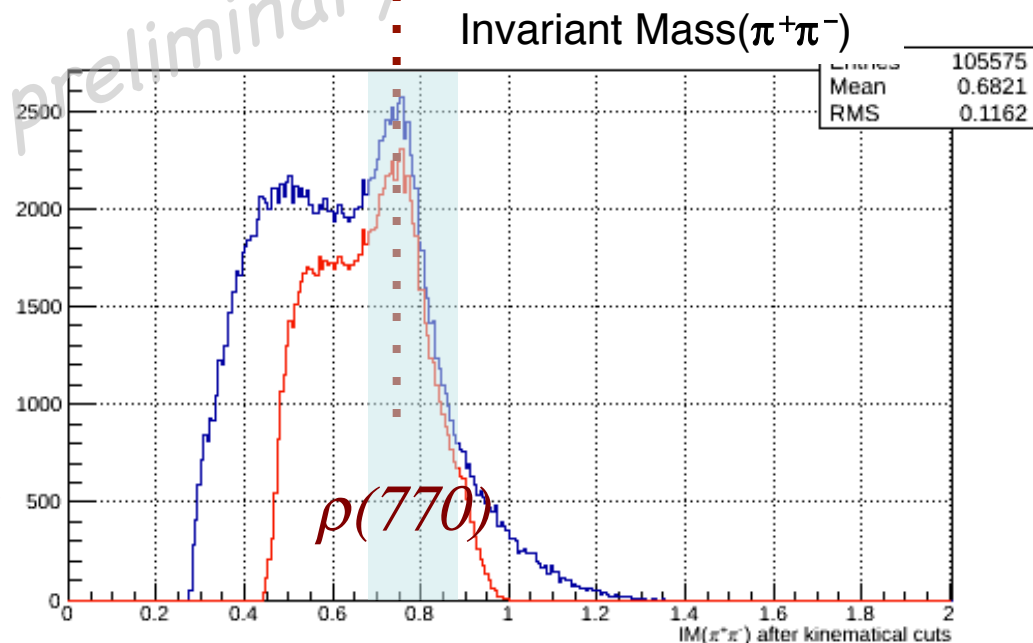
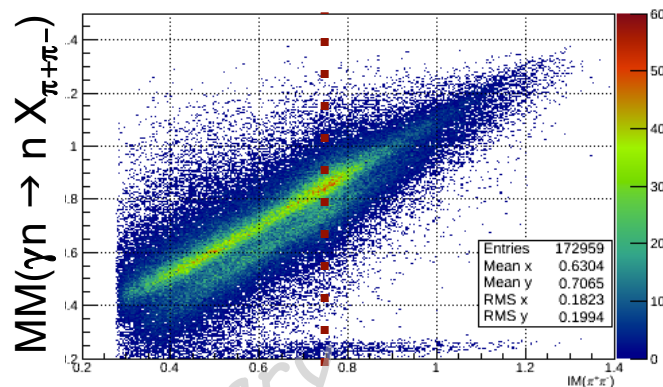
After selecting $K^0 \Lambda$ (rejecting possible $K^0 \Sigma^0$) events

- ρ^0 photo-production from polarized neutrons in D;
 $\rho^0 \Leftrightarrow \pi^+ \pi^-$, ~100% branch
- test of ρ^0 separation:
 $E^*(\phi) = 0$ for 2-body decay

E asymmetry for W=2050



- Boosted-Decision-Tree (BDT) analysis under development to improve ρ separation



- 1st look at “neutron” data from g14 suggests many *unexpected* differences from proton experiments,
(although there was really no good reason to take any expectation too seriously result since all were badly under-constrained)
- collaboration goal for 1st data release:
⇒ helicity asymmetry **E** for quasi-free π^-p $\leftrightarrow$ our bench-mark
- cross sections for hyperon production ($K\Lambda$, $K\Sigma$) smaller than expected
⇒ *kinematic fitting* and *Boosted-Decision-Trees* are promising methods to maximize statistics and remove backgrounds
- a question we must eventually face:
how close are “quasi-free” neutrons to a really *free neutron* !
⇒ will require collaboration with theory efforts