

The G_2^p Experiment

A Measurement of Proton g_2 Structure Function
And the Longitudinal-Transverse Spin Polarizability

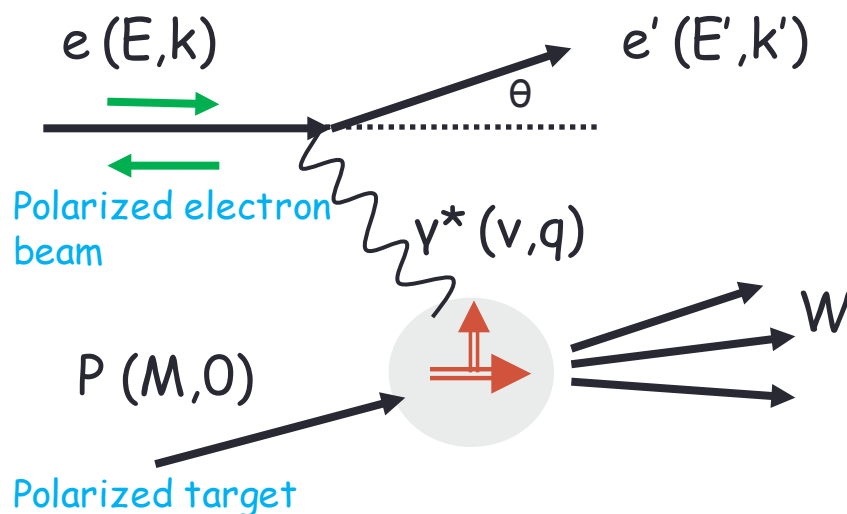
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On behalf of the g_2^p collaboration



Inclusive Electron Scattering



- Invariant Mass
 $W^2 = M^2 + 2M\nu - Q^2$
- Four momentum transfer squared
 $Q^2 = -q^2$
- Bjorken variable
 $x = Q^2 / 2M\nu$ for fixed target

$$\Delta\sigma_{\perp} = \left[\begin{array}{c} \text{Diagram: } e^- \text{ beam and target with opposite polarizations} \end{array} \right] = \frac{4\alpha^2 E'}{M\nu Q^2 E} \left[\sin\theta \left(g_1 + \frac{2E}{\nu} g_2 \right) \right] \quad g_2^P \text{ experiment measure}$$

$$\Delta\sigma_{\parallel} = \left[\begin{array}{c} \text{Diagram: } e^- \text{ beam and target with same polarizations} \end{array} \right] = \frac{4\alpha^2 E'^2}{M\nu Q^2 E} \left[(E + E' \cos\theta) g_1 - 2Mx g_2 \right]$$

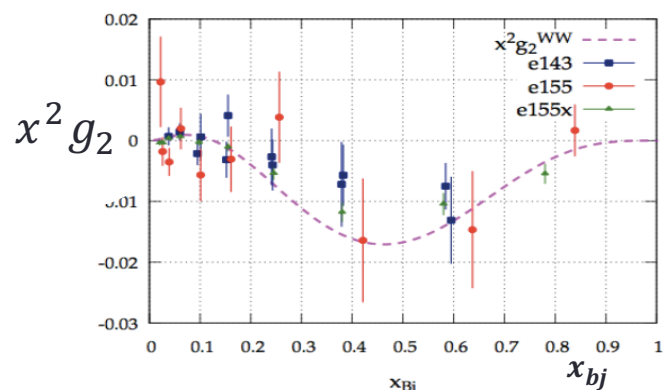
Hall B EG4 measure g_1^P ,
 g_2^P experiment one
 measurement to cross
 check

Motivation

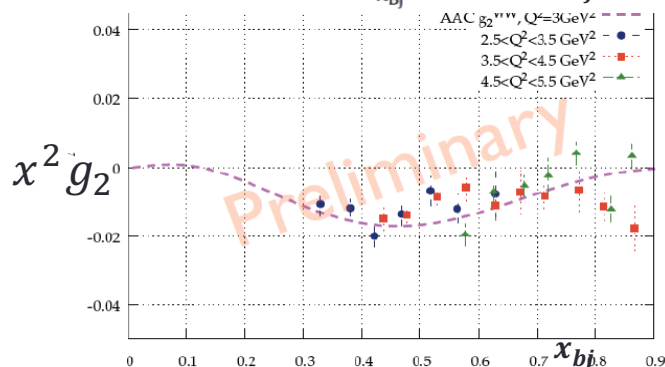
- Measure the proton spin structure function g_2 in the low Q^2 region ($0.02 < Q^2 < 0.2 \text{ GeV}^2$) for the first time
- Benchmark test of χ PT with extraction of δ_{LT}
- Examine the Burkhardt-Cottingham sum rule at low Q^2
- Important inputs for hydrogen hyperfine splitting and proton charge radius measurements

g_2 Existing Data

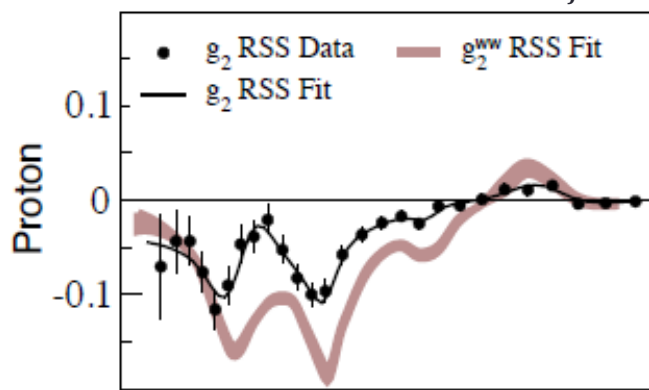
- Hard to cleanly measure g_2^p
No much data before



Proton g_2 Data from SLAC
Averaged $Q^2 \approx 5 \text{ GeV}^2$



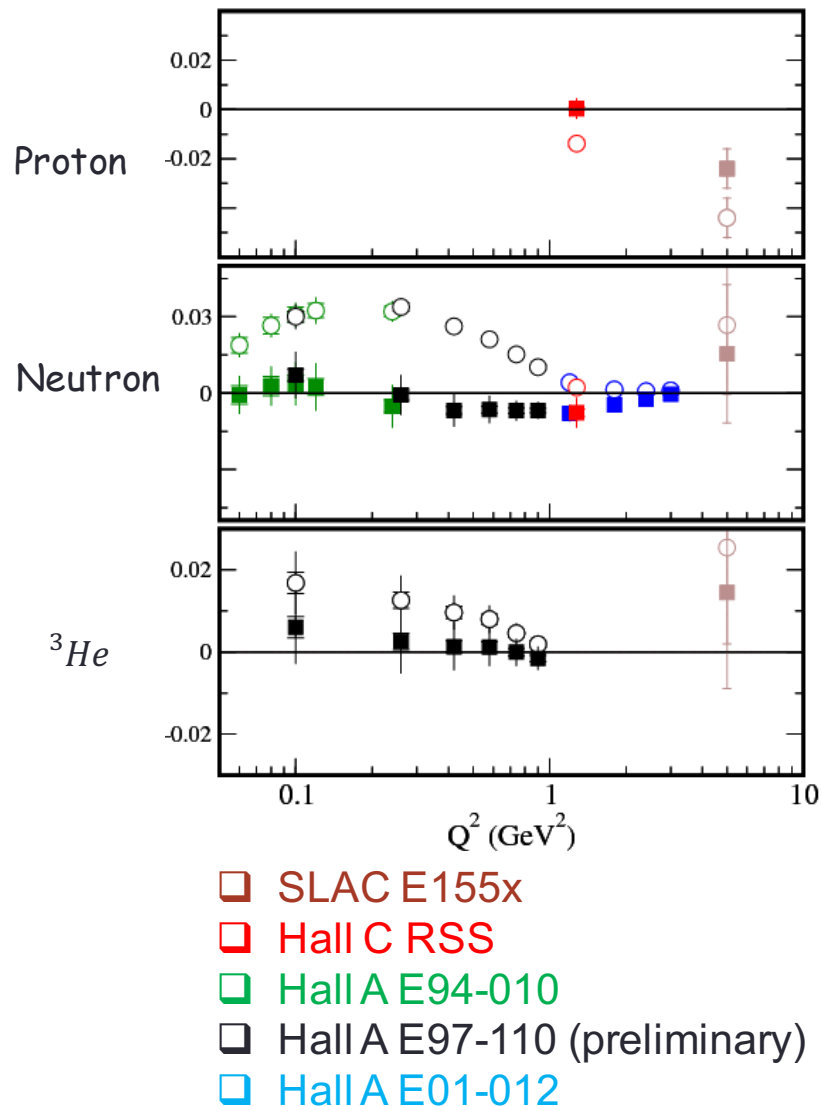
Proton g_2 Data from Jlab SANE
 $Q^2 \approx 2.5 \sim 5.5 \text{ GeV}^2$



Proton g_2 Data from Jlab RSS
 $Q^2 = 1.3 \text{ GeV}^2$

K.S., O. Rondon *et al.*
PRL 105, 101601 (2010)

BC Sum Rule



BC Sum Rule:

$$\int_0^1 g_2(x, Q^2) dx = 0$$

Experiment Test:

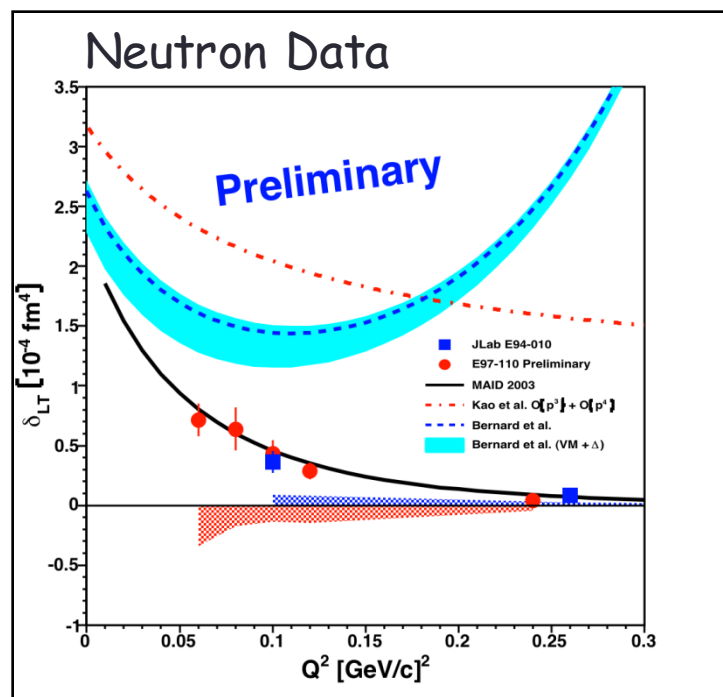
BC = Measured + low_x + Elastic

- **Violation** suggested for proton at large Q^2
- Q^2 is **not a constant** for E155x, varies 0.8 ~ 8.2 GeV^2
- But found satisfied for the neutron & ^3He
- **Mostly unmeasured** for proton

δ_{LT} Puzzle for Neutron

- Generalized Spin Polarizabilities: how nucleons respond to virtual photons

$$\delta_{LT}(Q^2) = \frac{16\alpha M^2}{Q^6} \int_0^{x_0} dx x^2 [g_1(x, Q^2) + g_2(x, Q^2)]$$

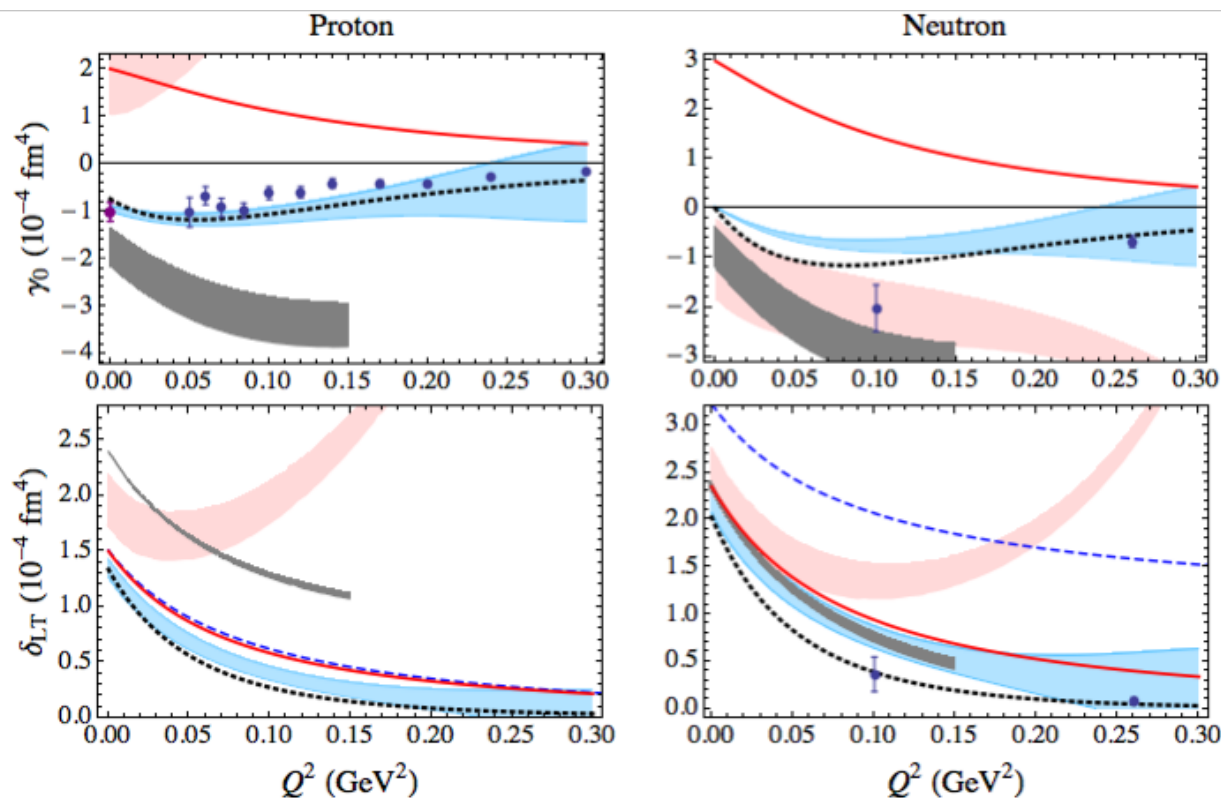


- δ_{LT} not sensitive to Δ , good to test χ_{PT} calculations
- Good agreement with MAID model predictions
- χ_{PT} fail -- puzzle?
- HB χ_{PT}** : Kao, Spitzenberg, Vanderhaeghen
PRD 67:016001(2003)
- RB χ_{PT}** : Bernard, Hemmert, Meissner
PRD 67:076008(2003)
- No proton data yet

Plots courtesy of V. Sulkosky : Preliminary E97-110 and Published E94-010

δ_{LT} Puzzle

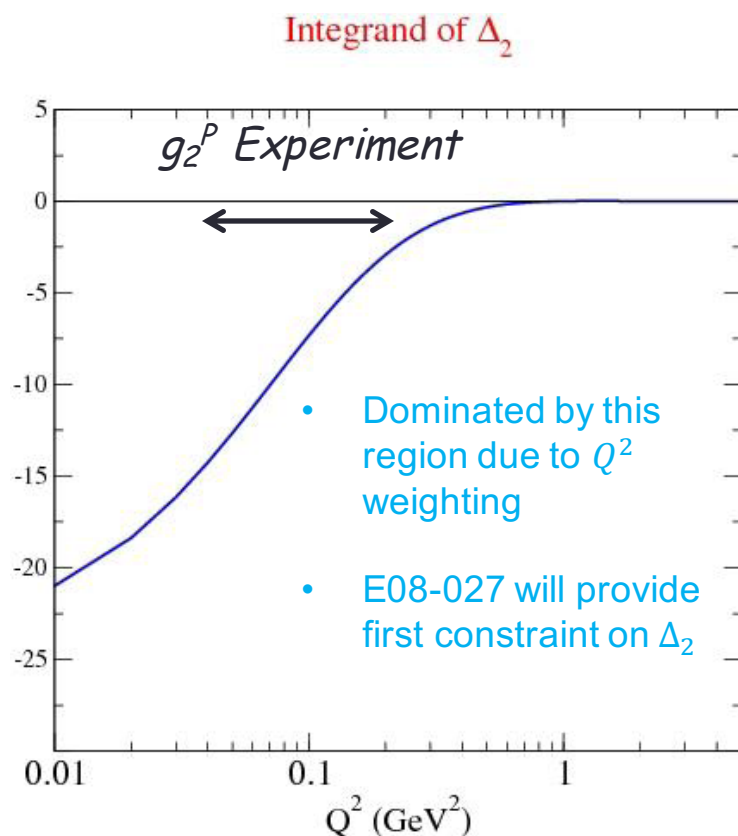
- Recent Theory Progress about $\delta_{LT}(Q^2)$



- Blue Band: χ PT
- Lensky, Alarcon & Pascalutsa
- PRC 90 055202 (2014)
- Grey Band: RB χ PT
- Bernard et al., PRD 87 (2013)
- Black Dotted: MAID
- Disagreement resolved?
- Need proton data

Hydrogen Hyperfine Splitting

- Hydrogen hyperfine splitting in the ground state has been measured to a relative high accuracy of 10^{-13} .



$$\Delta_E = 1420.405\,751\,766\,7(9) \text{ MHz}$$

$$= (1 + \delta)E_F$$

$$\delta = (\delta_{QED} + \delta_R + \delta_{small}) + \Delta_s$$

Δ_s : proton structure function correction

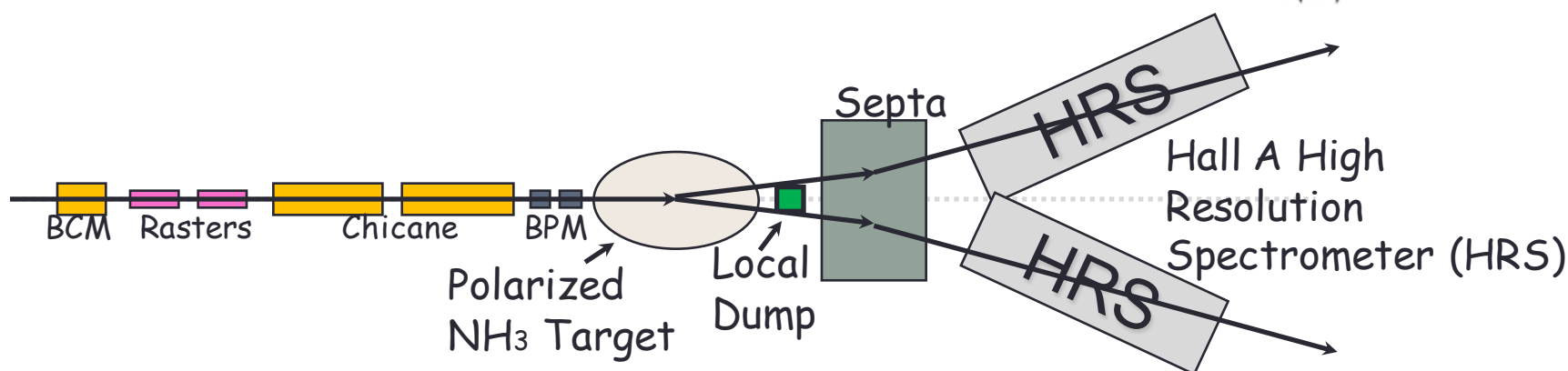
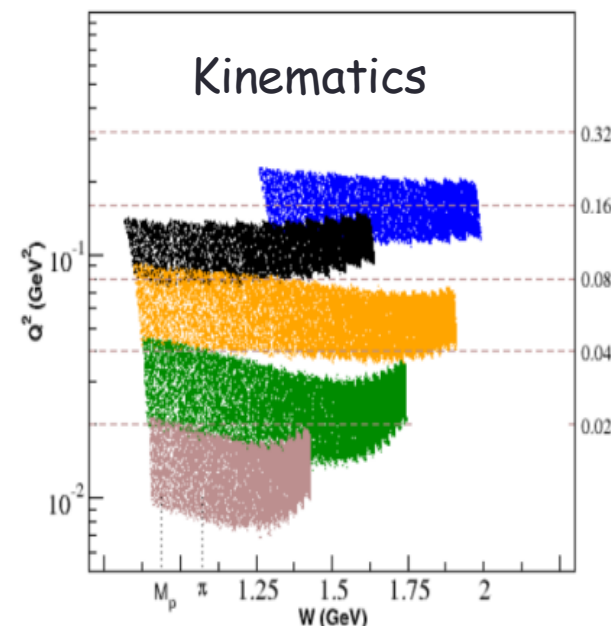
- largest uncertainty
 - depends on ground state and excited properties of the proton
- $$\Delta_s = \Delta_z + \Delta_{pol}, \Delta_{pol} \approx 1.3 \pm 0.3 \text{ ppm}$$

$$\Delta_{pol} = \frac{\alpha m_e}{\pi g_p m_p} (\Delta_1 + \Delta_2)$$

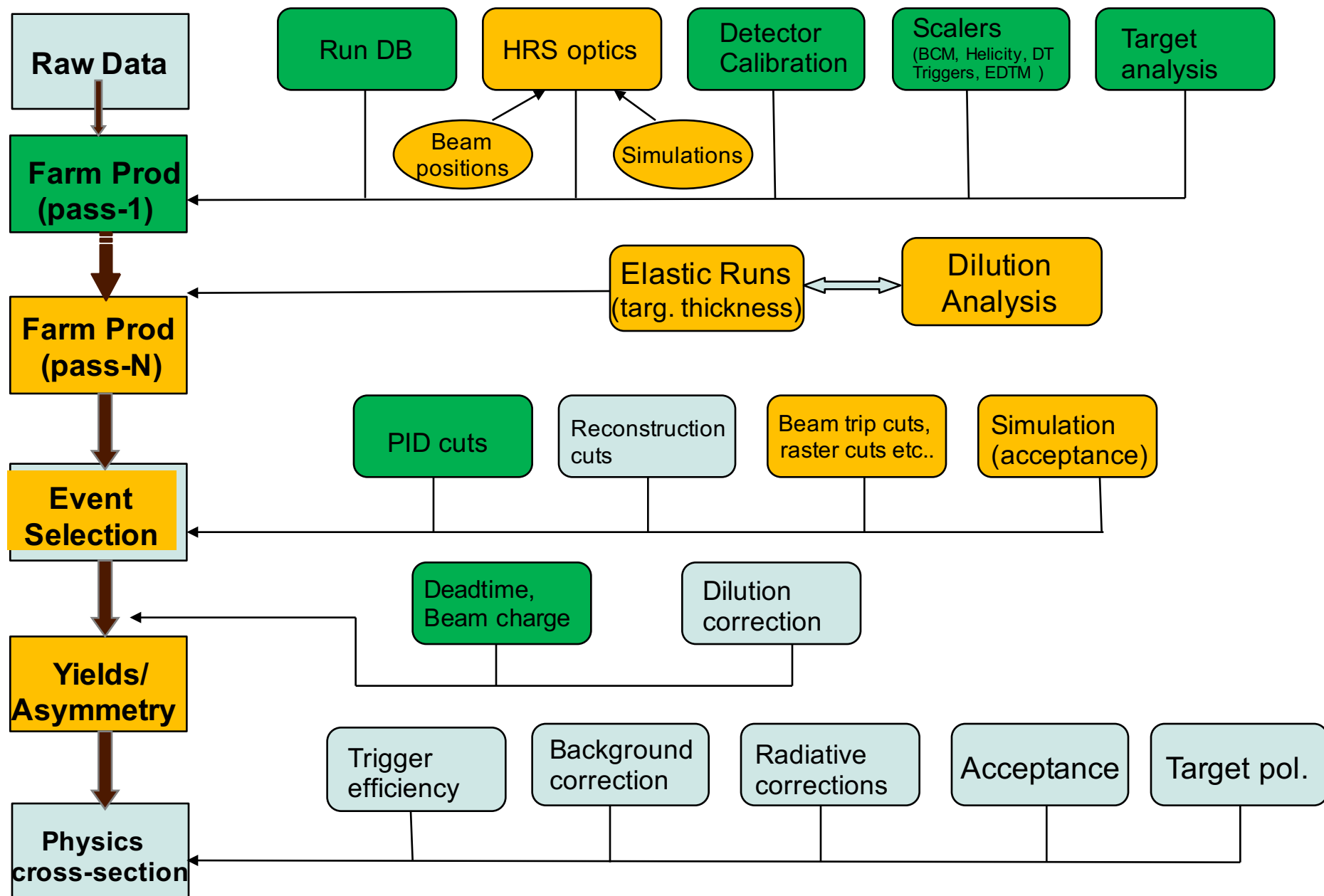
- Improve Δ_2 error from 0.57 to 0.06 ppm

Experiment setup

- Transverse polarized NH_3 target
- Low beam current ($< 100nA$) diagnostics
- Rasters/Chicane magnets
- Local beam dump
- High DAQ rates 6~7kHz with $< 30\%$ dead time (Courtesy of Ryan Zielinski)

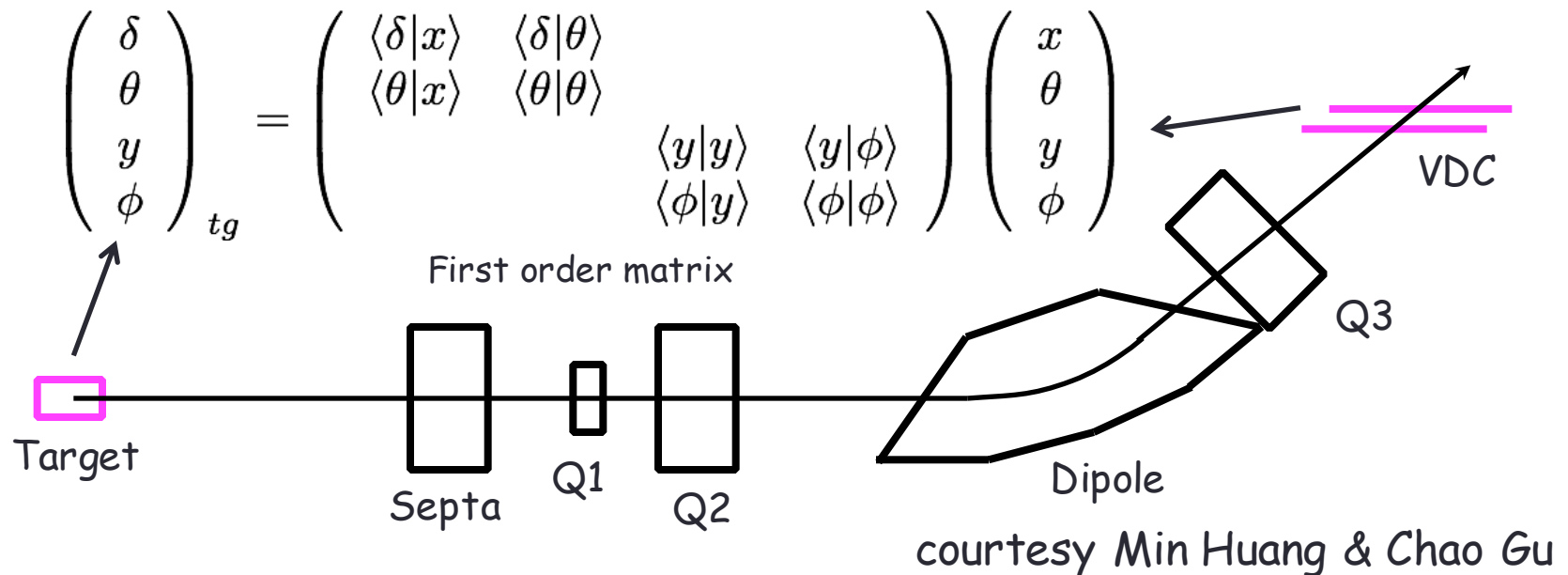


Analysis Flow Chart



Optics

- Goal: 5% systematic uncertainty when measuring cross section
- 1.0% systematic uncertainty of scattering angle, which will contribute around 4.0% to the uncertainty of cross section
- Reconstruct the kinematics variables of the scattered electrons with the tracking information by a matrix



Optics

- Optics without Target Field

-- Beam energy 2.254 GeV, carbon foil

	LHRS	RHRS	Ref
δ [dp]	1.5×10^{-4}	2.4×10^{-4}	1.1×10^{-4}
θ [out-of-plane angle]	1.59 mrad	1.57 mrad	2.5 mrad
y	3.3 mm	2.9 mm	1.7 mm
φ [in-plane angle]	0.99 mrad	0.82 mrad	0.9 mrad

- Optics with target field

Standard HRS + target field + septum

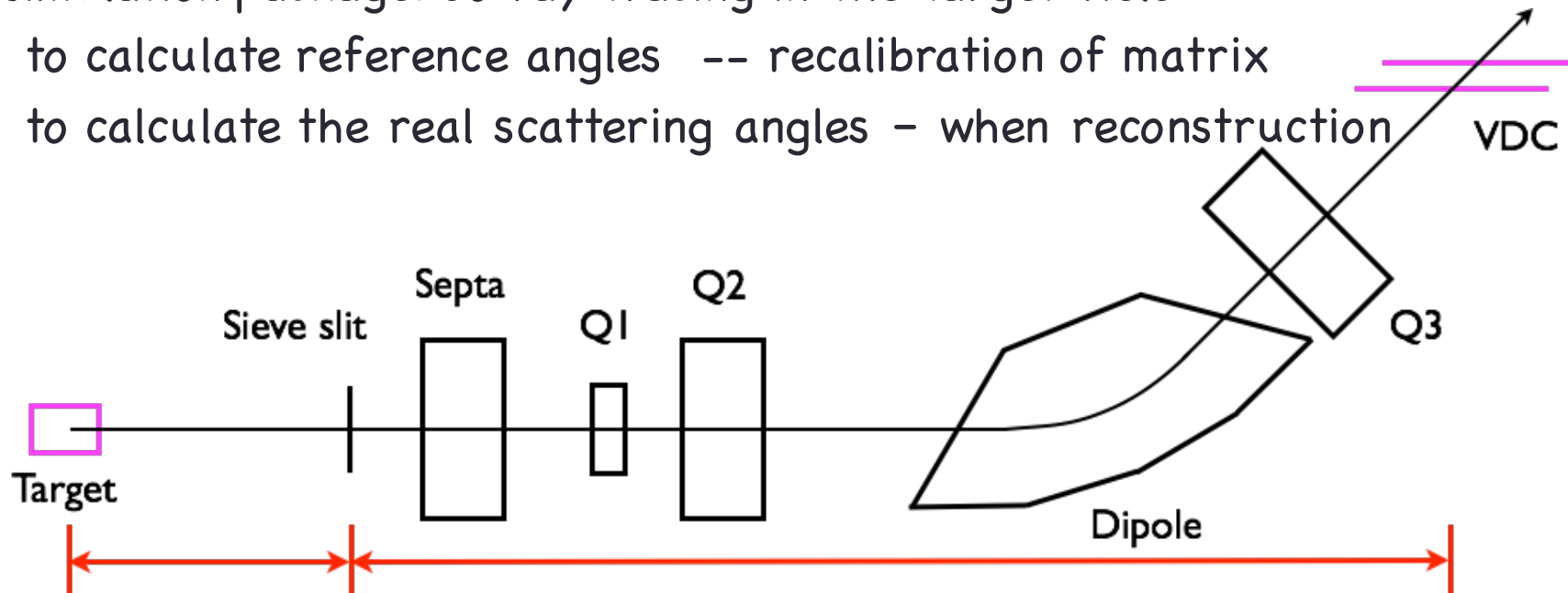
But septum magnets broken...

Optics

- Optics with Target Field

Standard HRS + target field + septum

- ✓ use the data taken with the broken septum to recalibrate angle matrix
- ✓ A simulation package: do ray tracing in the target field
 - to calculate reference angles -- recalibration of matrix
 - to calculate the real scattering angles - when reconstruction



Acceptance

- Unpolarized cross section

$$\frac{d\sigma^{raw}}{d\Omega dE'} = \frac{N \cdot ps \cdot RC}{Q/q \cdot N_{tg} LT \cdot \epsilon_{det}} \frac{Acc}{\Delta\Omega \Delta E'}$$

- Use Monte-Carlo simulation to study Acceptance

$$\frac{Acc}{\Delta\Omega \Delta E'} = \frac{1}{\Delta\Omega^{MC} \Delta E'^{MC}} \frac{N_{simu}^{MC}}{N_{acc}^{MC}}$$

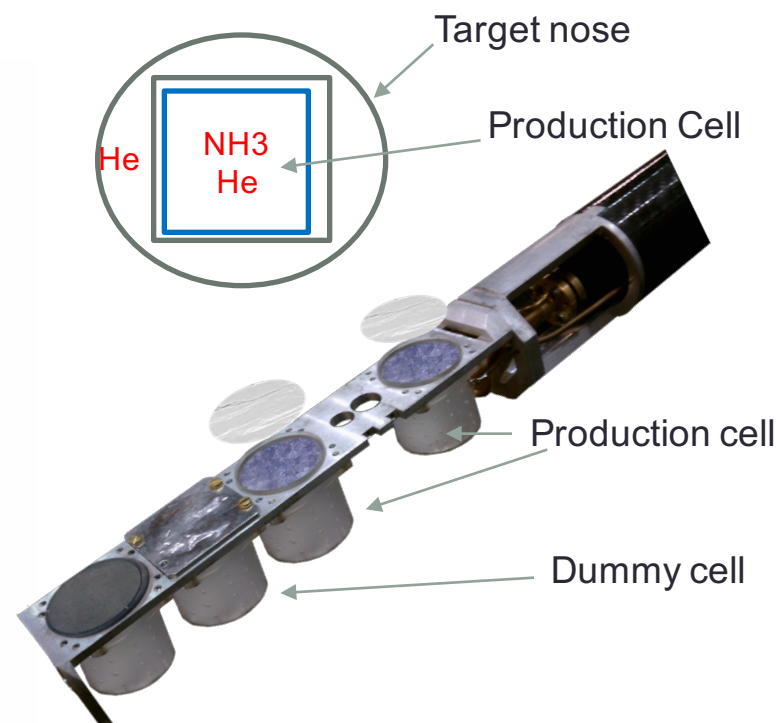
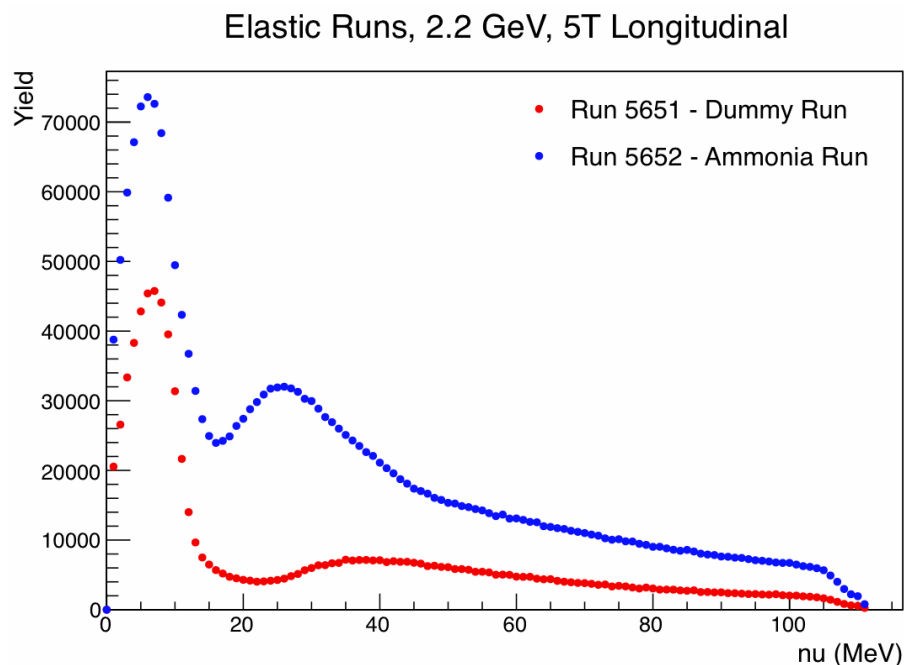
Method:

- Generate transport functions to describe trajectories (Snake)
 - Forward/backward between target and focal plane
 - Forward to multiple end-planes along the trajectories to define apertures
- Transport functions compiled into simulation package (g2psim)
- Work still continue ...

courtesy of Min Huang

Target Cell Packing Fraction

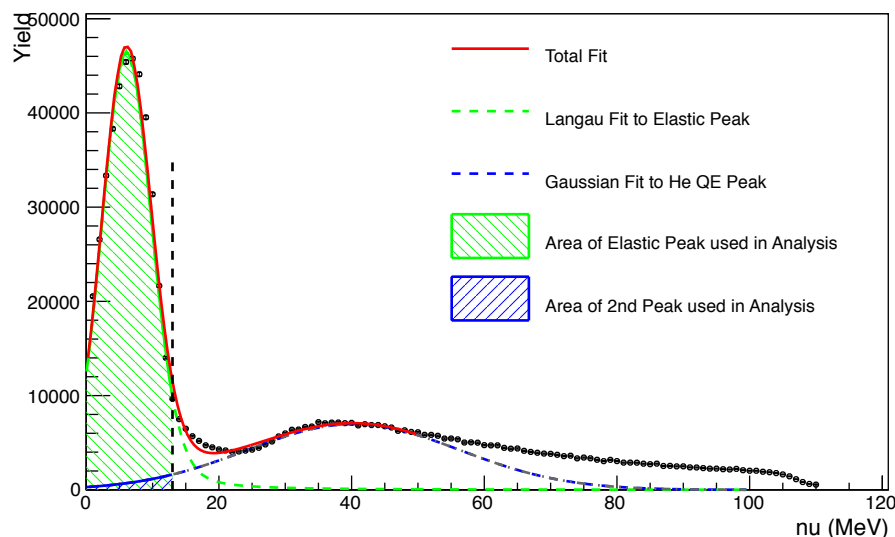
- Packing Fraction (p_f) -- Ratio of NH_3 volume to the whole cell
- Method: $Y_{prod} = Y_{He}^{out} + (1 - p_f)Y_{He}^{full} + p_f Y_{NH_3}^{full}$
- ✓ Compare the experiment elastic yields
- ✓ Extract N/He volume ratio with input from simulation



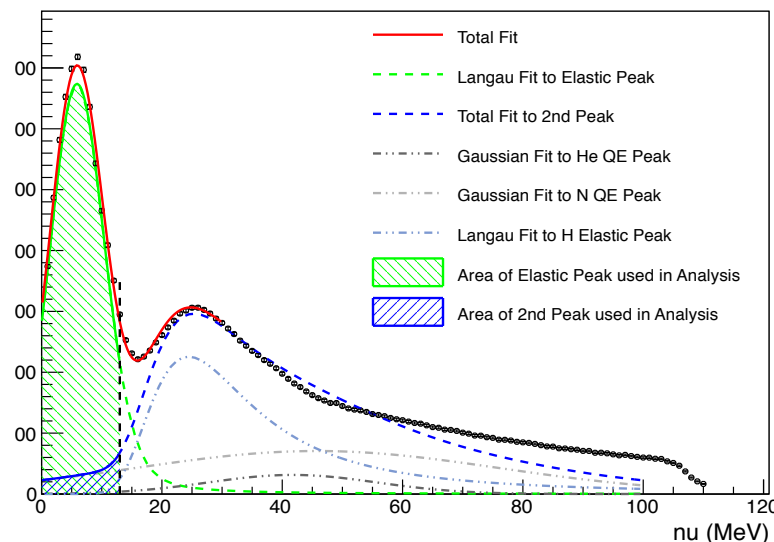
Target Cell Packing Fraction

- Packing Fraction (p_f) -- $Y_{prod} = Y_{He}^{out} + (1 - p_f)Y_{He}^{full} + p_f Y_{NH_3}^{full}$

Fit to Dummy Run



Fit to Production Run



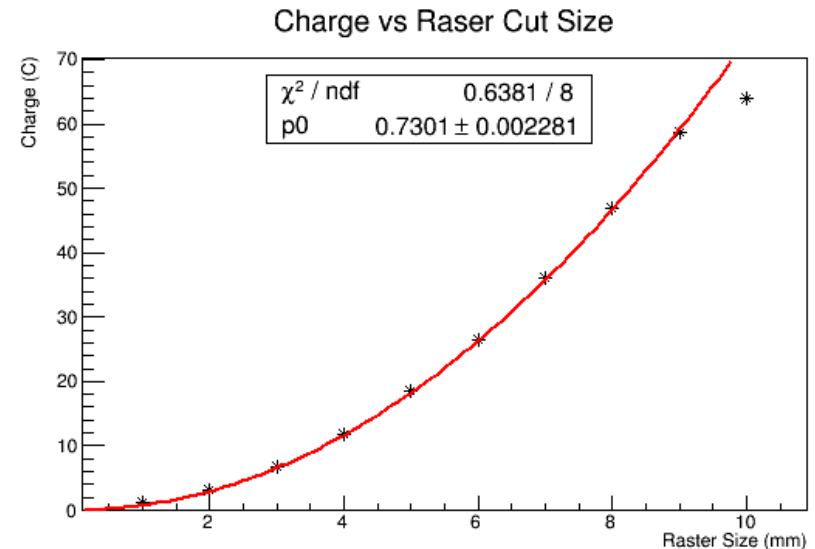
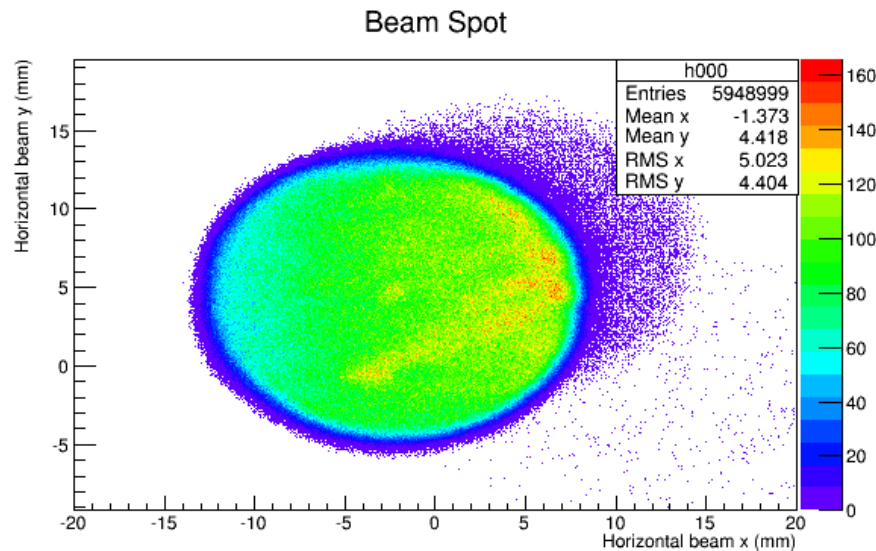
- Only concerned with elastic peak
- 2nd peak: contributions from multiple materials -- QFS model to understand relative contributions

Preliminary Result
(material 17):
 $p_f = 0.579 \pm 0.025$

courtesy of Melissa Cummings

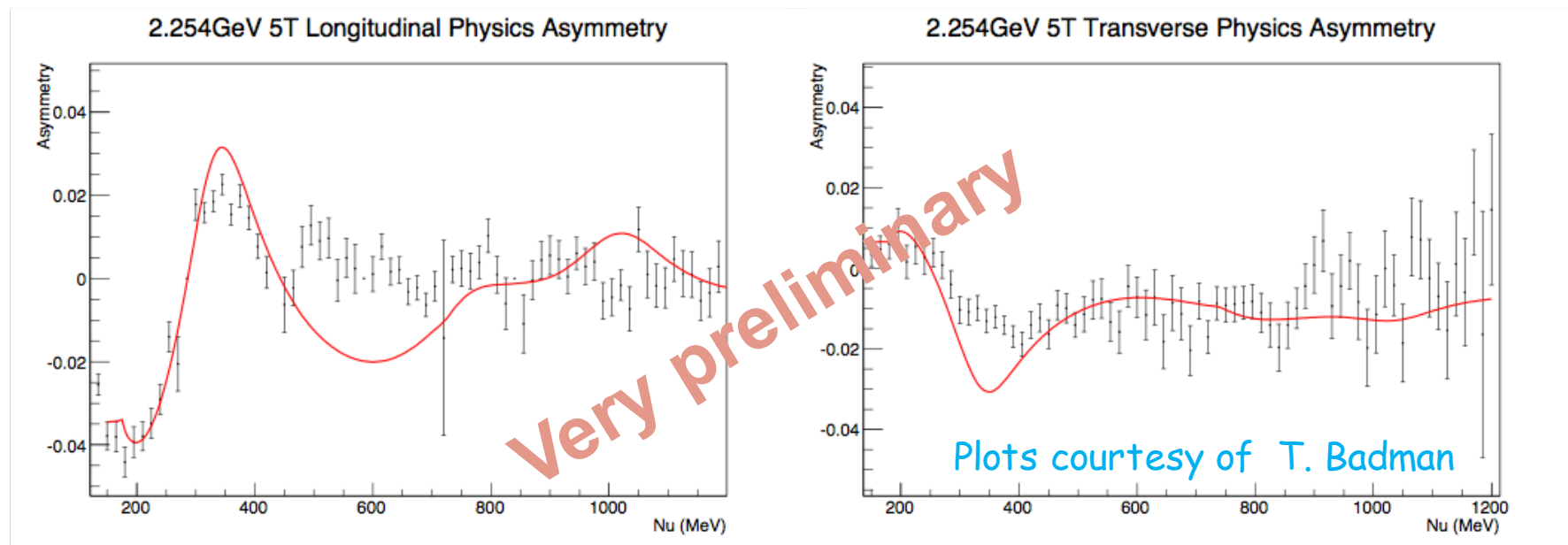
Yields Drift

- Around 7% data have yields spread $> 3.5\%$ respect to runs in the same setting
- Method: Cut the raster size (corresponding charge) to remove the boundary effects



- Yields Drift problem resolved for half of these yields drifting data

Preliminary Results



$$\Delta\sigma_{\perp} = A_{\perp} \times \sigma_0$$

$$A_{\perp} = \frac{\sigma^{\uparrow\Rightarrow} - \sigma^{\downarrow\Rightarrow}}{\sigma^{\uparrow\Rightarrow} + \sigma^{\downarrow\Rightarrow}}$$

$$A_{\parallel} = \frac{\sigma^{\uparrow\uparrow} - \sigma^{\downarrow\uparrow}}{\sigma^{\uparrow\uparrow} + \sigma^{\downarrow\uparrow}}$$

- ✓ Fully radiated asymmetries (red curve)
- ✓ Cross section models: Peter Bosted's fit (unpolarized) and MAID 2007 (polarized)
- ✓ Include Unpolarized and polarized elastic tail
- ✓ Radiating methods: Mo/Tsai (unpolarized) and Akushevich/Ilyichev/Shumeiko (polarized)

Summary

- The $g2p$ experiment took data covering $M_p < W < 2 \text{ GeV}$, $0.02 < Q^2 < 0.2 \text{ GeV}^2$
- Will provide a precision measurement of g_2^p in the low Q^2 region for the first time
- Results will help to understand several physics puzzles, such as δ_{LT}
- Analysis is in progress
 - Target polarizations: Nucl. Instrum. Meth. A738(2014)54
 - BPM reconstruction: Nucl.Instrum.Meth. A808 (2016) 1-10 ...

G_2^P Collaboration

▪ Spokepeople

- Alexandre Camsonne (Jlab)
- Jian-Ping Chen (JLab)
- Don Crabb (UVA)
- Karl Slifer (UNH)

▪ Post Docs

- Kalyan Allada
- Elena Long
- James Maxwell
- Vince Sulkosky
- Jixie Zhang

▪ Graduate Student

- Toby Badman
- Melissa Cummings
- Chao Gu
- Min Huang
- Jie Liu
- Pengjia Zhu
- Ryan Zielinski

Thanks!