

1 High-Statistics Photonuclear Measurements of Short-Range  
2 Correlations

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7 **Abstract**

8 Short-ranged correlated (SRC) pairs of nucleons compose about 20% of nucleons in medium  
9 to heavy nuclei, and have a substantial impact on the structure of the nucleus. Recent years  
10 have seen significant progress in our ability to study SRC pairs using semi-inclusive and ex-  
11 clusive measurements of hard SRC breakup. Interpreting these measurements requires detailed  
12 understanding of the reaction mechanisms.

13 Recent photonuclear data using the Hall D photon beam have enabled the first measurements  
14 of SRC pair breakup using hard quasi-elastic meson photoproduction channels. These measure-  
15 ments have established the possibility of measuring SRC pairs using real photoproduction in the  
16 GlueX detector, and enable measurement of  $A$ -dependent properties. However, the quantity of  
17 data remains a relatively small sample, enabling establishment of basic SRC properties but not  
18 allowing precision measurements.

19 A high-statistics measurement using hard photonuclear reactions can allow us to address  
20 precision questions regarding SRCs. These include detailed study of the  $|t|$  and kinematical  
21 dependencies of the reaction mechanisms necessary to fully establish plane-wave factorization.  
22 We can further extend measurements with this luminosity to search for and characterize exclusive  
23 3N-SRC breakup in kinematic regions distinct from electron-scattering measurements. Finally, a  
24 high-luminosity measurement will allow us to search for rare channels like  $J/\psi$  photoproduction,  
25 the measurement of which would allow the first insights into the high- $x$  gluonic structure of the  
26 nucleus and of the gluonic structure of SRC nucleons in particular.

27 We request 100 PAC days at Hall D using the GlueX detector with a 12 GeV electron beam  
28 energy and a  $^4\text{He}$  target, using a coherent peak energy of 8 GeV.

29 **Contents**

30 **1 Introduction** **4**

31 **2 Recent Results** **6**

32 2.1 Short-Distance  $NN$  Interaction and the Generalized Contact Formalism . . . . . 7

33 2.2 Two-Nucleon Knockout Reactions . . . . . 10

34 2.2.1  $np$ -SRC dominance and the tensor interaction . . . . . 10

35 2.2.2 SRC pair C.M. motion . . . . . 12

36 2.3 Final State Interactions in Hard QE Scattering . . . . . 13

37 2.4 Reaction Mechanisms Uncertainties in the Interpretation of SRCs . . . . . 13

38 2.5 SRC Universality . . . . . 15

39 2.5.1 Resolution-dependence . . . . . 15

40 2.5.2 Photon-Scattering . . . . . 15

41 2.5.3 Hadron-Scattering . . . . . 16

42 2.6 3N-SRC Searches . . . . . 18

43 2.7 The EMC Effect and SRCs . . . . . 19

44 2.8  $J/\psi$  Photoproduction . . . . . 21

45 **3 Physics Goals** **23**

46 3.1 High-Statistics SRC Measurements . . . . . 23

47 3.2 Three-Nucleon SRCs . . . . . 23

48 3.3 Near- and Sub-Threshold  $J/\psi$  from the Nucleus . . . . . 25

49 **4 Proposed Measurement** **26**

50 4.1 Final-State Kinematics and Particle Detection . . . . . 26

51 4.1.1 SRC . . . . . 26

52 4.1.2  $J/\psi$  . . . . . 29

53 4.2 Coherent Photopeak Energy Optimization . . . . . 31

54 4.3 Expected Rates . . . . . 33

55 4.3.1 Hard SRC Breakup Measurements . . . . . 33

56 4.3.2  $J/\psi$  Photoproduction . . . . . 33

57 **5 Relation to Other 12 GeV Experiments** **35**

58 **6 Summary** **35**

# 1 Introduction

Short-range correlations (SRCs) are pairs of nucleons with high relative and lower center-of-mass momentum, which compose a sizeable fraction of the nucleus and have significant impact on nuclear structure [1–3]. Much has been learned about SRCs in recent years; they have been found to account for approximately 20% of nucleons in medium to heavy nuclei, to be dominated by proton-neutron pairs [4–7], and to dominate the high-momentum tail of the nuclear wave function [4, 6, 8–19]. Evidence has also been found linking the abundance of SRCs in a nucleus to the modification of nucleons within the nucleus (the EMC effect).

Many of these recent results have come about from the measurement of semi-inclusive ( $e, e'N$ ) and exclusive ( $e, e'NN$ ) SRC breakup processes. SRC data from the JLab 6 GeV program contribute to many of the recent results [6, 9, 10, 20]. Improvements in theoretical understanding and modeling of SRCs have also allowed us to better interpret SRC breakup data, but have been reliant on basic assumptions about the reaction mechanisms involved in SRC measurements [8, 15, 21, 22]. The 6 GeV data, being both of low statistics and limited purely to quasi-elastic electron-scattering, has been insufficient to guide and constrain these theories as they are developed.

More recently, measurements from the JLab 12 GeV program have sought to better establish the foundations of our theoretical understanding of SRCs. These experiments have included high-statistics measurements of ( $e, e'$ ), ( $e, e'N$ ), and ( $e, e'NN$ ) over a wide range of nuclei in order to provide precision tests of the reaction mechanisms involved in electron-scattering, to gain insight into the details of the  $NN$  interaction and nuclear wave function at short distances, and to search for and characterize Three-Nucleon (3N) SRCs [23].

Recently, a small sample of nuclear data has been measured using the real photon beam of Hall D incident on  $^2\text{H}$ ,  $^4\text{He}$ , and  $^{12}\text{C}$  targets [24]. These data have enabled the first measurements of SRC breakup using quasi-elastic photoproduction channels such as  $A(\gamma, \rho^- pp)$ . Along with similar data measured using hadron-scattering [18, 19], these measurements have enabled basic tests of universality of SRC properties between different probes and hard reactions. However, these data remain at a similar statistical precision to the 6 GeV data, and are insufficient for providing truly high-precision measurements of SRC properties. In order to provide precision data matching theoretical advances and other experimental data, it is necessary to take high-statistics photo-nuclear measurements of SRCs.

High-luminosity photo-nuclear data can also provide access to events such as incoherent  $J/\psi$  photoproduction, which has a relatively low cross section at JLab energies.  $J/\psi$  production at JLab has enabled measurement of the gluonic structure of the proton at high- $x$ , in the threshold region for photoproduction [25, 26]. Measurements of incoherent  $J/\psi$  photoproduction from nuclei have been performed by looking at data from Ultra-Peripheral Collisions at RHIC and the LHC [27–29], but these data are statistically limited and probe much lower values of  $x$  than photoproduction measurements at JLab. A precision measurements of incoherent  $J/\psi$  production from nuclei with photon energies between 6 and 12 GeV would be the first such measurement in the threshold region, and would extend to being the first measurement of sub-threshold photoproduction of  $J/\psi$ . These measurements can provide the first insights into the gluonic structure of nuclei and bound nucleons at high- $x$ . Such a measurement is a necessary complement to measurements of the EMC effect, which show evidence for the modification of quarks in bound nucleons in the region  $0.3 < x < 0.7$  [30]. Measurement of  $J/\psi$  from nuclei near and below threshold can give the first constraints on the distributions of gluons within nuclei at similar values of  $x$ . Furthermore, the quasi-exclusive nature of incoherent ( $\gamma, J/\psi p$ ) photoproduction allows reconstruction of the initial proton involved in the reaction, allowing for direct testing of the differences between  $J/\psi$  photoproduction on mean-field and SRC nucleons.

We propose here a 100-PAC day measurement of the nuclear target  $^4\text{He}$ , using the Hall D real photon beam with a coherent peak energy of 8 GeV and the GlueX detector in its standard configuration. The experiment has three primary goals:

- 109 1. High-precision study of reaction mechanisms of SRC breakup, particularly studying the resolution-  
110 dependence of the reaction by varying the momentum transfer  $|t|$
- 111 2. Searches for exclusive 3N-SRC breakup in kinematics inaccessible to electron-scattering mea-  
112 surements
- 113 3. Measurements of incoherent  $J/\psi$  photoproduction from nuclei, including sub-threshold pro-  
114 duction and production from SRC nucleons

115 We present an overview of the recent experimental and theoretical results in SRC studies in Section 2.  
116 In Section 3, we outline the primary physics goals of this experiments, and in Section 4, we detail  
117 the proposed experiment, including kinematics of the measurement, optimization of the coherent  
118 peak of photon energy, and expected rates for the channels of interest.

## 2 Recent Results

The study of short-range correlations is a broad subject. It covers a large body of experimental and theoretical work, as well as phenomenological studies of the implications of SRCs for various phenomena in nuclear, particle and astro-physics. The discussion below is focused primarily on recent experimental activities co-led by the spokespersons, and theoretical developments that are most relevant for the objectives of the current proposal. A full discussion of SRC physics is available in a recent RMP review [31], as well as in a theory-oriented review [3].

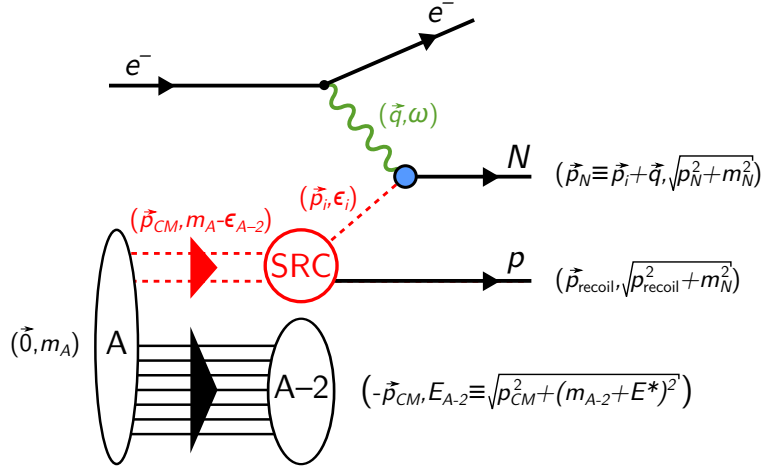


Figure 1: Diagrammatic representation and kinematics of the triple-coincidence  $A(e, e'Np)$  reaction within the SRC breakup model. Dashed red lines represent off-shell particles. Open ovals represent undetected systems. Solid black lines represent detected particles. The momentum and energy of the particles are also indicated.

Previous studies of SRCs have used measurements of Quasi-Elastic (QE) electron scattering at large momentum-transfer, see Fig. 1. Within the single-photon exchange approximation, electrons scatter from the nucleus by transferring a virtual photon carrying momentum  $\vec{q}$  and energy  $\omega$ . In the one-body view of QE scattering, the virtual photon is absorbed by a single off-shell nucleon with initial energy  $\epsilon_i$  and momentum  $\vec{p}_i$ . If the nucleon does not re-interact as it leaves the nucleus, it will emerge with momentum  $\vec{p}_N = \vec{p}_i + \vec{q}$  and energy  $E_N = \sqrt{p_N^2 + m_N^2}$ . Thus, we can approximate the initial momentum and energy of that nucleon using the measured missing momentum,  $\vec{p}_i \approx \vec{p}_{\text{miss}} \equiv \vec{p}_N - \vec{q}$ , and missing energy,  $\epsilon_i \approx m_N - \epsilon_{\text{miss}} \equiv E_N - \omega$ . When  $p_{\text{miss}} > k_F$ , the knockout nucleon is expected to be part of an SRC pair [2, 3, 5, 6, 18, 31, 32]. The knockout of one nucleon from the pair should therefore be accompanied by the simultaneous emission of the second (recoil) nucleon with momentum  $\vec{p}_{\text{recoil}} \approx -\vec{p}_{\text{miss}}$ . At the relevant high- $Q^2$  of our measurements ( $> 1.7\text{--}2.0$  GeV/c), the differential  $A(e, e'p)$  cross-sections can be approximately factorized as [33, 34]:

$$\frac{d^6\sigma}{d\Omega_{k'} d\epsilon_{k'} d\Omega_N d\epsilon_N} = p_N \epsilon_N \cdot \sigma_{ep} \cdot \mathcal{S}(p_i, \epsilon_i), \quad (1)$$

where  $k' = (k', \epsilon_{k'})$  is the final electron four-momentum,  $\sigma_{ep}$  is the off-shell electron-nucleon cross-section [34], and  $\mathcal{S}(p_i, \epsilon_i)$  is the nuclear spectral function that defines the probability for finding a nucleon in the nucleus with momentum  $p_i$  and energy  $\epsilon_i$ . Different models of the  $NN$  interaction can produce different spectral functions that lead to different cross-sections. Therefore, exclusive nucleon knockout cross-sections analyzed with this method are sensitive to the  $NN$  interaction.

In the case of two-nucleon knockout reactions, the cross-section can be factorized in a similar manner to Eq. 1 by replacing the single-nucleon spectral function with the two-nucleon decay function

145  $\mathcal{D}_A(p_i, p_{\text{recoil}}, \epsilon_{\text{recoil}})$  [1, 2, 18]. The latter represents the probability for a hard knockout of a nucleon  
 146 with initial momentum  $\vec{p}_i$ , followed by the emission of a recoil nucleon with momentum  $\vec{p}_{\text{recoil}}$ .  $\epsilon_{\text{recoil}}$   
 147 is the energy of the  $A - 1$  system, composed of the recoil nucleon and residual  $A - 2$  nucleus.

148 Non-QE reaction mechanisms that add coherently to the measured cross-section can lead to  
 149 high- $p_{\text{miss}}$  final states that are not due to the knockout of nucleons from SRC pairs, thus breaking  
 150 the factorization shown in Eq. 1. To address this, the measurements discussed here are carried out  
 151 at anti-parallel kinematics with  $p_{\text{miss}} \geq 300$  MeV/c,  $Q^2 \equiv q^2 - \omega^2 \geq 1.7$  (GeV/c)<sup>2</sup>, and  $x_B \equiv$   
 152  $Q^2/2m_N\omega \geq 1.2$ , where such non-QE reaction mechanisms were shown to be suppressed [2, 3, 31, 32,  
 153 35, 36].

154 For completeness, we note that from a theoretical standpoint, the reaction diagram shown in  
 155 Fig. 1 can be viewed as a ‘high-resolution’ starting point for a unitary-transformed calculation [37].  
 156 Such calculations would soften the input  $NN$  interactions and turn the electron scattering operators  
 157 from one-body to many-body. This ‘unitary-freedom’ does not impact cross-section calculations  
 158 but does make the extracted properties of the nuclear ground-state wave-function (e.g. the spectral  
 159 function) depend on the assumed interaction operator. This discussion focuses on the high-resolution  
 160 electron interaction model of Fig. 1, as it constitutes the simplest reaction picture that is consistent  
 161 with both the measured observables [2, 3, 31, 32] and various reaction and ground-state ab-initio  
 162 calculations [38].

## 163 2.1 Short-Distance $NN$ Interaction and the Generalized Contact Formal- 164 ism

165 Precision SRC studies are only feasible if one has the ability to quantitatively relate experimental  
 166 observables to theoretical calculations, ideally ones starting from the fundamental  $NN$  interaction  
 167 and accounting for all relevant reaction mechanisms. This is a challenging endeavor, as un-factorized  
 168 ab-initio calculations of high- $Q^2$  nucleon knockout cross-sections are currently unfeasible for  $A > 3$   
 169 nuclei. Even the simple factorized approximation of Eq. 1 requires knowledge of the nuclear spectral  
 170 function that, at the moment, cannot be calculated using ab-initio techniques for high-momentum  
 171 states in finite nuclei [38].

172 To help overcome this challenge, Generalized Contact Formalism (GCF), a factorized effective  
 173 theory, was recently developed [21, 22, 39], which allows the calculation of factorized cross-sections,  
 174 within a scale-separated approximation using the underlying  $NN$  interaction as input [7, 39]. This is  
 175 done by providing a factorized model of the short-distance / high-momentum part of the many-body  
 176 nuclear wave function leveraging the separation between the energy scales of the  $A - 2$  system (low  
 177 energy) and the SRC pair (medium energy). Considering a high- $Q^2$  scattering reactions such as  
 178 in Fig. 1 adds a third energy scale of the virtual photon (high-energy) that justifies the factorized  
 179 approximation of Eq. 1.

180 The GCF provides a consistent model for nuclear two-body momentum distribution at high-  
 181 momenta and at short-distance, as well as for two-body continuum states of the nuclear spectral  
 182 and decay functions. Recent studies of the GCF:

- 183 • Demonstrated its ability to reproduce many-body ab-initio calculated nucleon momentum  
 184 distributions in nuclei from <sup>4</sup>He to <sup>40</sup>Ca, above  $k_F$ , to  $\approx 10\%$  accuracy [22];
- 185 • Extracted consistent SRC abundances (i.e., nuclear contacts) from ab-initio calculations of  
 186 two-nucleon distributions in both coordinate and momentum space and from experimental  
 187 data [22]; and
- 188 • Derived a new factorized expression for the nuclear correlation function with implications  
 189 for calculations of double beta decay matrix elements [40] and demonstrated its relation to  
 190 single-nucleon charge distribution measurements [41].

191 The main application of the GCF germane to this proposal is the modeling of the nuclear spectral  
 192 and decay functions [39], allowing calculations of nucleon knockout cross-sections. For example, using  
 193 Eq. 1 and the reaction model of Fig. 1, the  $A(e, e'NN)$  cross-section can be expressed within the  
 194 GCF as [7]:

$$\frac{d^8\sigma}{dQ^2 dx_B d\phi_k d^3\vec{p}_{CM} d\Omega_{\text{recoil}}} = K \cdot \sigma_{eN} \cdot n(\vec{p}_{CM}) \cdot \left[ \sum_{\alpha} C_{\alpha} \cdot |\tilde{\varphi}^{\alpha}(|\vec{p}_{CM} - 2\vec{p}_{\text{recoil}}|)|^2 \right], \quad (2)$$

195 where subscripts ‘ $N$ ’ and ‘recoil’ stand for the leading and recoil nucleon respectively,  $K$  is a kine-  
 196 matic term, (detailed in Ref. [7]),  $\sigma_{eN}$  is the off-shell electron-nucleon cross-section, and  $\alpha$  represents  
 197 the spin and isospin quantum numbers of SRC pairs.  $\tilde{\varphi}^{\alpha}$ ,  $n(\vec{p}_{CM})$ , and  $C_{\alpha}$  respectively describe the  
 198 relative motion, CM motion, and abundances of SRC pairs with quantum numbers  $\alpha$ . The functions  
 199  $\tilde{\varphi}^{\alpha}$  are universal SRC pair relative momentum distributions, obtained by solving the zero-energy  
 200 two-body Schrödinger equation of an  $NN$  pair in quantum state  $\alpha$  using an input  $NN$  potential  
 201 model.  $n(\vec{p}_{CM})$  is the SRC pair CM momentum distribution, given by a three-dimensional Gaussian  
 202 with width of  $150 \pm 20$  MeV/ $c$  [42–44].  $C_{\alpha}$  are the nuclear contact terms that determine the relative  
 203 abundance of SRC pairs in quantum state  $\alpha$ . These are obtained through the analysis of ab-initio  
 204 many-body calculations of two-nucleon densities [21, 22, 45].

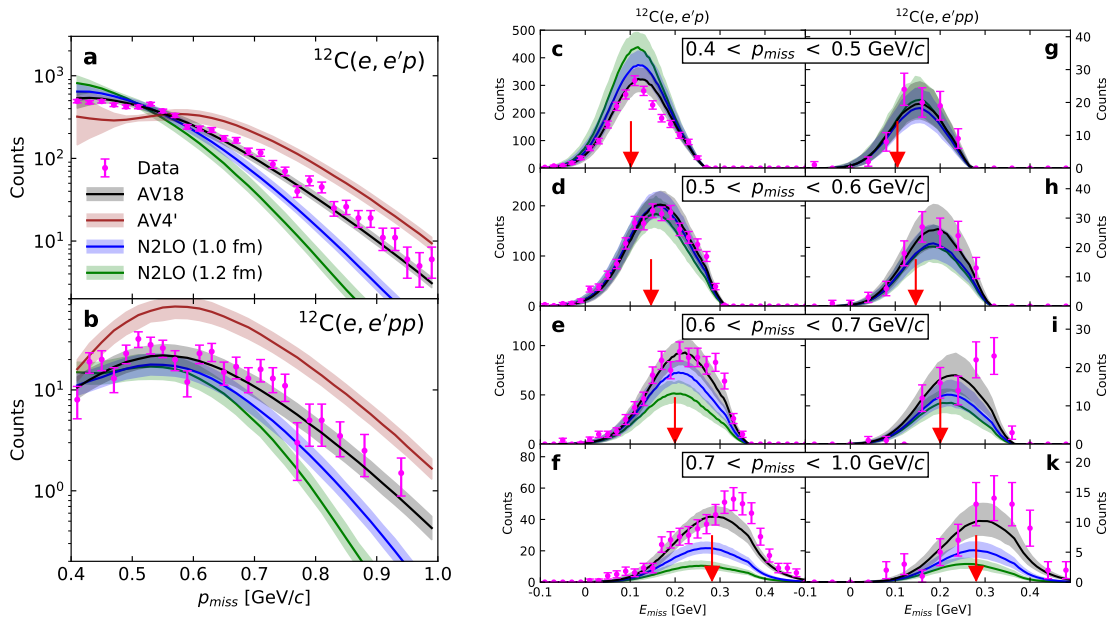


Figure 2: Left panel: the  $p_{\text{miss}}$  dependence of the  $^{12}\text{C}(e, e'p)$  (top) and  $^{12}\text{C}(e, e'pp)$  (bottom) event yields. Points show the measured data. Bands show the GCF calculations using the N2LO(1.0fm) (blue) and AV18 (black) interactions. Right panel: the  $\epsilon_{\text{miss}}$  dependence of the  $^{12}\text{C}(e, e'p)$  (left column) and  $^{12}\text{C}(e, e'pp)$  (right column) event yields in four different ranges of  $p_{\text{miss}}$ . The purple arrow indicates the expected  $\epsilon_{\text{miss}}$  for standing SRC pair breakup with a missing-momentum that is equal to the mean value of the data.

205 Since its development, GCF has been compared to data from a range of experiments [7, 8, 19,  
 206 46, 47], validating and aiding the interpretation of those results. In Figs. 2 and 3 we showcase  
 207 the extensive results from Ref. [8], where Eq. 2 is used to calculate the individual  $(e, e'p)$  and  $(e, e'pp)$   
 208 cross-sections in the kinematics of our SRC measurements. The calculation was done using two  
 209  $NN$  interaction models to obtain  $\tilde{\varphi}^{\alpha}$ : the phenomenological AV18 [48], and Chiral EFT-based



210 local N2LO(1.0 fm) [49]. Nuclear contacts  $C_\alpha$  and width of the CM momentum distribution were  
 211 obtained from theoretical calculations [21, 22, 43–45] and nuclear transparency and single-charge  
 212 exchange reaction effects were accounted for as detailed in the online supplementary materials of  
 213 Ref. [7], using the calculations of Ref. [35]. The model systematic uncertainty is determined from  
 214 the uncertainties in the GCF input parameters and reaction effects correction factors.

215 The left panel of Fig. 2 shows the  $p_{\text{miss}}$  dependence of the measured and GCF-calculated  
 216  $^{12}\text{C}(e, e'pp)$  and  $^{12}\text{C}(e, e'p)$  event yields for the two interactions. The AV18 interaction is observed  
 217 to describe both  $(e, e'p)$  and  $(e, e'pp)$  data over the entire measured  $p_{\text{miss}}$  range. The N2LO(1.0 fm)  
 218 interaction agrees with the data up to its cutoff and, as expected, decreases exponentially above it.

219 The right panel of Fig. 2 shows the  $\epsilon_{\text{miss}}-p_{\text{miss}}$  correlation for the  $^{12}\text{C}(e, e'pp)$  and  $^{12}\text{C}(e, e'p)$   
 220 reactions. The average value of  $m_N - \epsilon_1$  is observed to increase with  $p_{\text{miss}}$ , peaking at the expected  
 221 value for the breakup of a standing SRC pair (indicated by the purple arrows) for both reactions.  
 222 The GCF calculations follow the same trend. However, the AV18 interaction agrees with the data  
 223 over the entire  $\epsilon_{\text{miss}}-p_{\text{miss}}$  range, while the chiral interactions under predict at the highest  $p_{\text{miss}}$ .

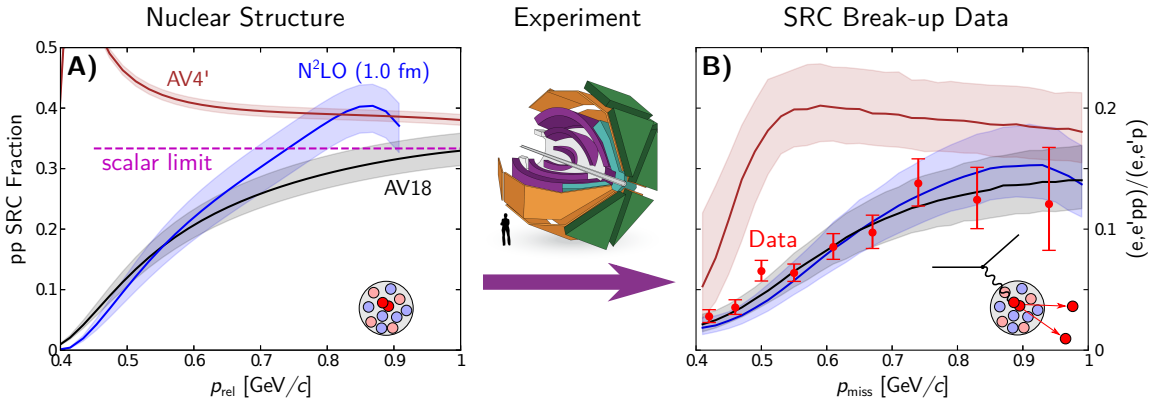


Figure 3: A: the  $pp$  pair fraction in  $^{12}\text{C}$  as predicted by GCF using AV18, AV4', and Chiral N2LO(1.0 fm) interactions. B: the ratio of  $^{12}\text{C}(e, e'pp)$  to  $^{12}\text{C}(e, e'p)$  event yields for data (red points) and GCF (bands), including all experimental effects. Both the AV18 and N2LO(1.0 fm) interactions are consistent with data, and show an increase from a tensor-dominated regime at  $p_{\text{miss}} = 0.4$  GeV/c to scalar spin-independent regime approaching  $p_{\text{miss}} = 1$  GeV/c. The AV4' interaction, which has no tensor component, leads to predictions that are inconsistent with data.

224 Fig. 3 considers the  $^{12}\text{C}(e, e'pp)/^{12}\text{C}(e, e'p)$  yield ratio, a measure of the impact of the tensor  
 225 force in the  $NN$  interaction. In this figure, the AV18 and the chiral N2LO(1.0 fm) interactions are  
 226 compared to the AV4' interaction, which does not include a tensor force. The right panel shows  
 227 the data yield ratio as well as the GCF-calculated yield ratio. Both the data, and the calculations  
 228 with the AV18 and N2LO(1.0 fm) interactions show the  $pp$  fraction increasing with  $p_{\text{miss}}$ , consistent  
 229 with a transition from tensor- to scalar-dominated regions of the interaction [5]. By contrast, the  
 230 calculation with the AV4' interaction over-predicts the fraction of  $pp$  pairs observed in the data.

231 The left panel shows the fraction of  $pp$  pairs in  $^{12}\text{C}$  as predicted by the GCF formalism as  
 232 a function of  $p_{\text{rel.}} \equiv \frac{1}{2}|\vec{p}_{\text{miss}} - \vec{p}_{\text{recoil}}|$ . The AV18 and N2LO(1.0 fm) interactions approach limit  
 233 predicted by a purely spin-independent interaction. The AV4' interaction, without a tensor force,  
 234 predicts a  $pp$  fraction above this scalar limit.

235 We note that our confidence in these results is supported by the fact that the GCF-based cal-  
 236 culations describe well numerous other measured kinematical distributions in both this experiment  
 237 and others. Two examples are shown in Fig. 4. On the left, the missing energy distribution for  
 238  $^4\text{He}(e, e'p)$  data measured in SRC kinematics in Hall A with a small acceptance spectrometer [5]  
 239 are compared to GCF calculations [46], which are able to reproduce the measured distribution. On

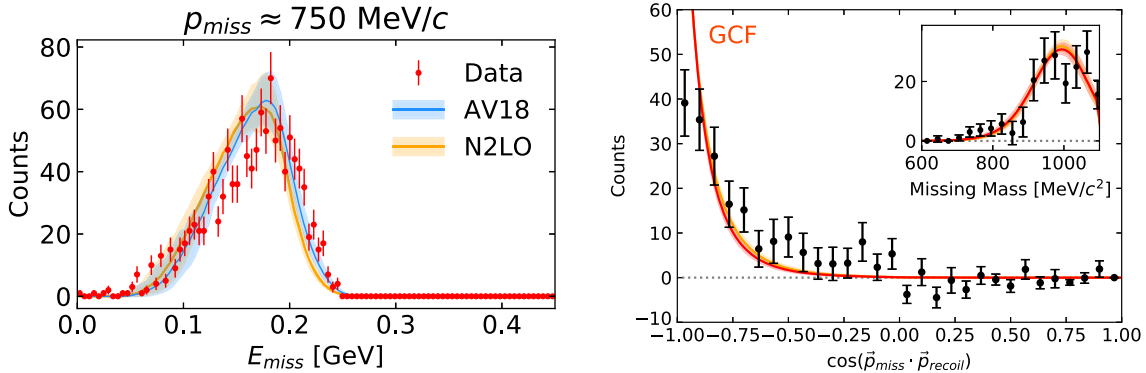


Figure 4: Examples of the agreement between GCF calculations and experimental data. Left: The missing energy distribution for  ${}^4\text{He}(e, e'p)$  events measured in Hall A, with a high-resolution, small acceptance spectrometer (taken from Ref. [46]). Right: The distribution of angles between the missing momentum,  $\vec{p}_{\text{miss}}$  and recoil nucleon momentum,  $\vec{p}_{\text{recoil}}$ , along with the missing mass distribution (inset) for  $C(e, e'pn)$  events measured over a wide acceptance by CLAS (taken from Ref. [47]).

240 the right are shown distributions for the angle between the missing momentum and recoil momentum  
 241 and for the reconstructed missing mass (inset) of  $C(e, e'pn)$  events measured by CLAS over a wide  
 242 acceptance [47]. Again, GCF is able to reproduce the measured distributions.

243 Thus, the results presented here showcase the use of high- $Q^2$  electron scattering data to quanti-  
 244 tatively study the nuclear interaction at very large momenta. It is interesting to note that for the  
 245 AV18 interaction, we observe good agreement with the data up to  $1 \text{ GeV}/c$ , which corresponds to  
 246 SRC configurations with nucleons separated by a distance smaller than their radii [50]. As discussed  
 247 below, previous studies indicated that in such extreme conditions the internal quark-gluon structure  
 248 of SRC nucleons can well be modified as compared with that of free nucleons [9, 31, 51–53]. The  
 249 ability of the AV18-based GCF calculation to reproduce our data over the entire measured  $\epsilon_{\text{miss}}-$   
 250  $p_{\text{miss}}$  range suggests that such modifications do not significantly impact the effective modeling of the  
 251 nuclear interaction, offering support for using point-like nucleons as effective degrees of freedom for  
 252 modeling of nuclear systems up to very high densities.

## 253 2.2 Two-Nucleon Knockout Reactions

254 The above-mentioned results constitute some of the most advanced analyses that employ the scale-  
 255 separated GCF to calculate factorized nucleon-knockout cross-sections using different models of the  
 256  $NN$  interaction. These studies are made possible by the vast progress made in the study of SRCs  
 257 using hard knockout reactions over the last decade. Below, we review key published results from  
 258 initial measurements of nuclei from  ${}^4\text{He}$  to  ${}^{208}\text{Pb}$ .

### 259 2.2.1 $np$ -SRC dominance and the tensor interaction

260 First measurements of exclusive SRC pair breakup reactions focused primarily on probing the isospin  
 261 structure of SRC pairs. These experiments were initially done at BNL using hadronic (proton) probes  
 262 on  ${}^{12}\text{C}$ , and continued at JLab with leptonic (electron) probes on  ${}^4\text{He}$ ,  ${}^{12}\text{C}$ ,  ${}^{27}\text{Al}$ ,  ${}^{56}\text{Fe}$  and  ${}^{208}\text{Pb}$ .

263 Focusing on a missing momentum range of  $300\text{--}600 \text{ MeV}/c$ , comparisons of the measured  $A(e, e'p)$   
 264 and  $A(e, e'pN)$  cross-section indicated that the full single-proton knockout cross-section is exhausted  
 265 by the two-nucleon knockout cross-sections, i.e., the data were consistent with every  $(e, e'p)$  event  
 266 having the correlated emission of a recoil nucleon [5–7, 18]. A common interpretation of these results

267 is that the nucleon momentum distribution above  $k_F$  is dominated by nucleons that are members of  
 268 SRC pairs.

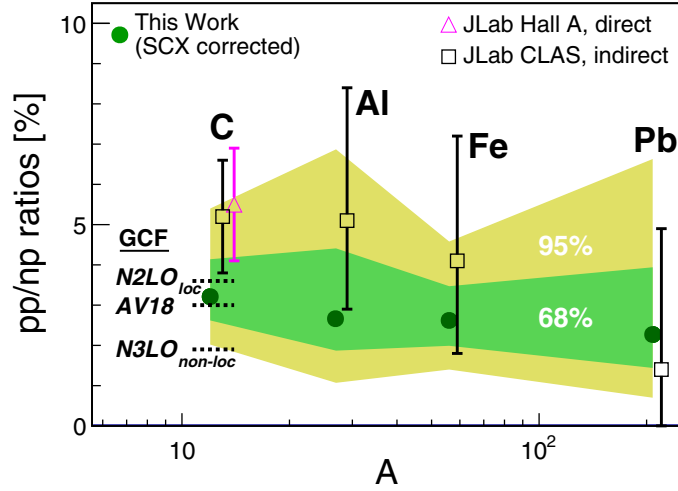


Figure 5:  $np$ -SRC dominance in nuclei from  $^{12}\text{C}$  to  $^{208}\text{Pb}$  extracted from  $A(e, e'Np)$  and  $A(e, e'p)$  measurements [6, 7, 20], compared with GCF calculations [7].

269 Furthermore, the measured  $A(e, e'pn)$  and  $A(e, e'np)$  cross-sections were found to be significantly  
 270 higher than the  $A(e, e'pp)$  cross-section. This finding, consistently observed in all measured nuclei,  
 271 was interpreted as evidence for  $np$ -SRC pairs being about  $20\times$  more abundant than  $pp$ -SRC pairs  
 272 (Fig. 5). From a theoretical standpoint, this  $np$ -SRC predominance was interpreted as resulting from  
 273 the dominance of the tensor part of the  $NN$  interaction at the probed sub-fm distances [3, 31, 54–56]  
 274 (see Fig. 6).

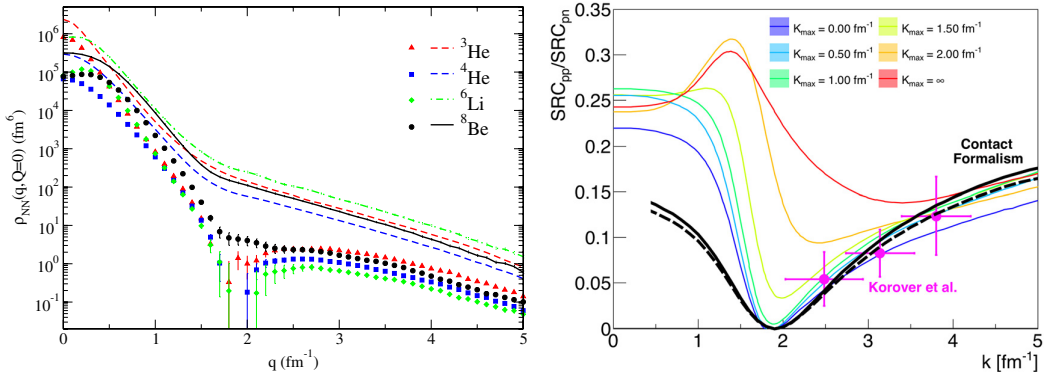


Figure 6: Left: calculated  $pp$  (points) and  $np$  (lines) stationary pair momentum densities in light nuclei [54]. Right: measured and calculated  $^4\text{He}$   $pp/np$  pair density ratios as a function of the pair relative momentum [22].

275 It should be pointed out that, on average, the tensor part of the  $NN$  interaction is long-ranged  
 276 and small compared to the dominant scalar part. However, studies of the deuteron suggest that  
 277 its second order effect, viewed as a two-pion exchange term, becomes important in the momentum  
 278 range where the scalar force approaches zero ( $\approx 0.75\text{--}1$  fm) [31]. At shorter distances, i.e., higher  
 279 relative momenta, the dominance of the tensor interaction is expected to be washed out, which would  
 280 manifest in an increase in the fraction of  $pp$ -SRC pairs with much larger missing momentum. Fig. 6

281 shows the measured increase in the fraction of  $pp$ -SRC pairs [5], which is overall consistent with  
 282 theoretical expectation based on calculations of two-nucleon momentum distributions [45] and their  
 283 GCF representation [22]. The large error bars of the  ${}^4\text{He}$  data made it hard to draw any conclusive  
 284 quantitative conclusions on the evolution of the  $NN$  interaction beyond the tensor-dominated regime.  
 285 However, as shown in Fig. 3, the combination of improved data, and recent theoretical developments  
 286 (such as the GCF), has made studying these extreme limits possible [8,47].

### 287 2.2.2 SRC pair C.M. motion

288 Measurements of exclusive two-nucleon knockout reactions allow us to probe the detailed charac-  
 289 teristics of SRC pairs, going beyond their isospin structure. One such property of interest is the  
 290 C.M. motion of SRC pairs. It is a measure of the interaction of the pair with the ‘mean-field’ po-  
 291 tential created by the residual  $A - 2$  system. Its magnitude, as compared with the relative motion  
 292 of the nucleons in the pairs, is key for establishing effective scale-separated models of SRCs such as  
 293 the GCF presented above and serves as an input for theoretical calculations.

294 The CM motion of SRC pairs is expected to be described by a Gaussian distribution, defined  
 295 by its width. Therefore, experiments often report on their extraction of the C.M. Gaussian width,  
 296  $\sigma_{CM}$ .

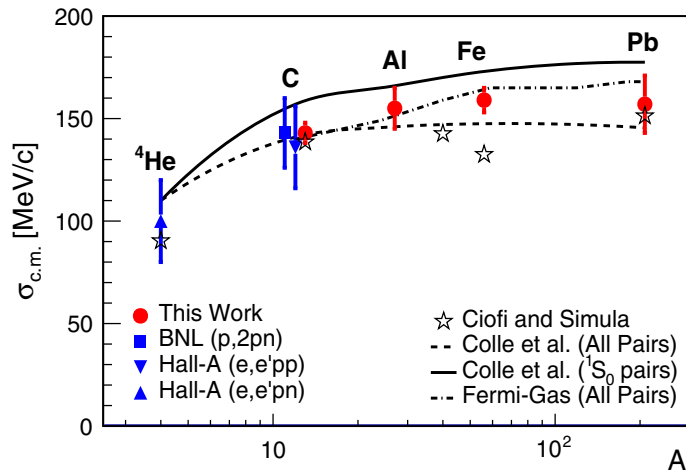


Figure 7: Width of  $pp$ -SRC pairs C.M. momentum distribution, extracted from  $A(e, e'pp)$  data (red circles) [42], compared with previous extractions (blue points). The width is extracted assuming a 3D Gaussian for the C.M. distribution, defined by its width,  $\sigma_{CM}$ . The lines and stars show mean-field theory predictions [43, 44].

297 Fig. 7 shows the latest results from the extraction of the  $\sigma_{CM}$  for  $pp$ -SRC pairs from an analysis  
 298 of  $A(e, e'pp)$  data [42]. The extracted C.M. momentum distribution for the measured nuclei was  
 299 observed to be consistent with a Gaussian distribution in each direction, as expected. The extracted  
 300 values of  $\sigma_{CM}$  were observed to vary between 140 and 160 MeV/ $c$ , and are consistent with a constant  
 301 within experimental uncertainties.

302 Comparisons with theory predictions show good agreement with either a simple Fermi-gas model  
 303 prediction (where the  $NN$  pairs are formed from two randomly chosen nucleons, each following a  
 304 Fermi-Gas momentum distribution with  $k_F = 250$  MeV/ $c$ ) or more realistic mean-field calcula-  
 305 tions [43, 44]. Interestingly, the data seem to be higher than the mean-field predictions that assume  
 306 all  $NN$  pairs can form SRC pairs, but lower than the most restrictive  ${}^1S_0$  calculation (i.e., assum-  
 307 ing only mean-field  $pp$  pairs in a relative  ${}^1S_0$  state can form  $pp$ -SRC pairs). This indicates some  
 308 selectivity in the SRC pair formation process and was suggested to provide insight to their quantum

309 numbers [42, 44, 57].

### 310 2.3 Final State Interactions in Hard QE Scattering

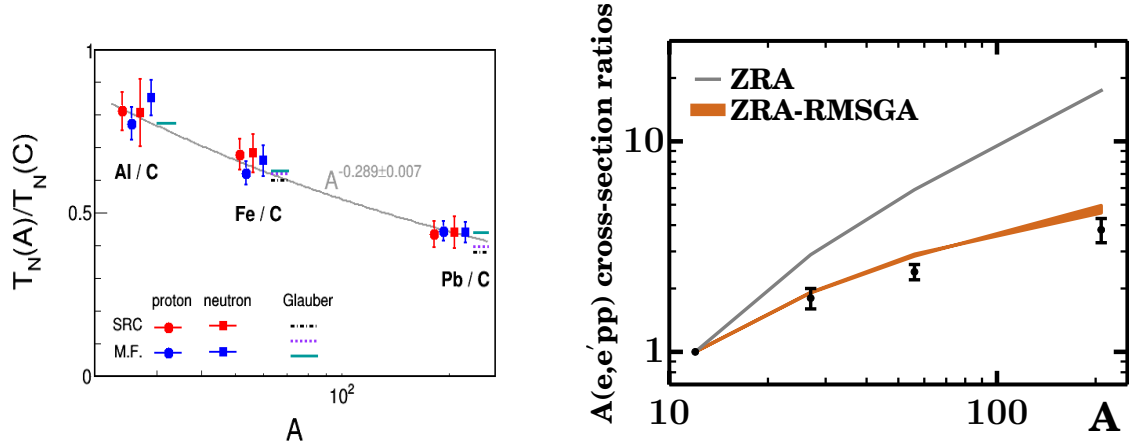


Figure 8: Nucleon transparency ratios for nuclei relative to  $^{12}\text{C}$ , extracted from single-nucleon knockout measurements (left) [58], and calculations of the two-nucleon knockout reaction [57] using Glauber theory (right).

311 The results presented above in sections 2.1 and 2.2 require corrections for reaction effects such  
 312 as final-state interactions (FSI) and single-charge exchange (SCX). Therefore, understanding the  
 313 impact of such reaction mechanism effects on hard electron QE scattering cross-sections is crucial  
 314 for the interpretation of measurements in general, and specifically their relation to ground-state  
 315 properties of nuclei. In high- $Q^2$  reactions, one may use the Generalized Eikonal approximation  
 316 within a Glauber-framework to perform quantitative estimations of reaction effects such as FSI  
 317 and SCX. However, additional experimental verification of this approach in the kinematics of our  
 318 measurements are needed. Several measurements of the nuclear transparency of proton knockout in  
 319  $(e, e'p)$  and  $(e, e'pp)$  reactions in SRC kinematics were compared them with theoretical calculations  
 320 using the Glauber approximation [11, 57] (Fig. 8, right). The experimentally extracted transparency  
 321 ratios showed good agreement with Glauber calculations. Recently, this work was extended to  
 322 measurements of neutron knockout  $(e, e'n)$  reactions in both SRC and Mean-Field kinematics [58]  
 323 (Fig. 7 top panel). The extracted transparency for both proton and neutron knockout in mean-field  
 324 and SRC kinematics were observed to agree with each other and with Glauber calculations. The  
 325 combined nuclear mass dependence of the data is consistent with power-law scaling of  $A^\alpha$  with  
 326  $\alpha = -0.285 \pm 0.011$ , which is consistent with nuclear surface dominance of the reactions.

### 327 2.4 Reaction Mechanisms Uncertainties in the Interpretation of SRCs

328 The results described above are almost all derived from electron scattering measurements, with only  
 329 a single proton scattering  $C(p, ppn)$  measurement [4]. Thus, the interpretation of these experimental  
 330 results relies on an assumed electron interaction mechanism at large momentum transfers. There are  
 331 a number of different electron-scattering reaction mechanisms that can lead to two-nucleon emission  
 332 (see Fig. 9). While the experiments described above have been performed at kinematics where many  
 333 of these effects have been minimized, there are still interpretational uncertainties due to these other  
 334 possible reaction mechanisms. These reaction mechanisms are not present or are very different for  
 335 proton scattering.

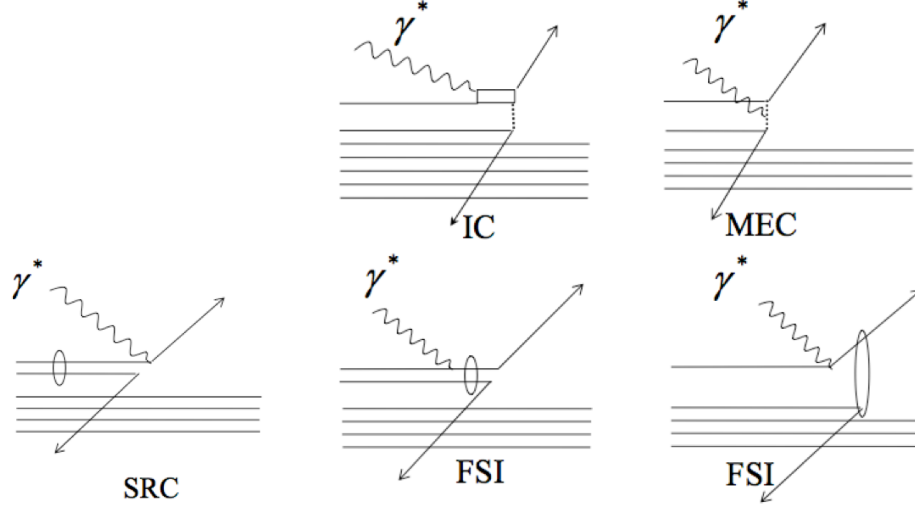


Figure 9: The reaction mechanisms for electron-induced two nucleon knockout. The virtual photon can be absorbed on one nucleon of an SRC pair, leading to the emission of both nucleons (SRC). The virtual photon can excite a nucleon to a  $\Delta$ , which deexcite by exchanging a pion, resulting in the emission of two nucleons (IC). The virtual photon can be absorbed on a pion-in-flight (MEC). The virtual photon can be absorbed on one nucleon of an SRC pair which rescatters from the other nucleon in the pair (FSI (left)). The virtual photon can be absorbed on an uncorrelated nucleon which rescatters from another nucleon (FSI (right)).

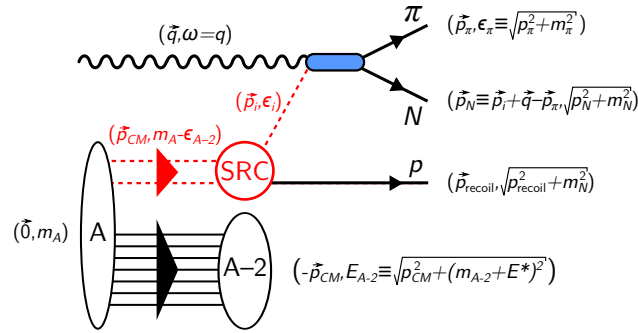


Figure 10: Diagrammatic representation and kinematics of the triple-coincidence  $A(\gamma, \pi N p)$  reaction, one of the main channels of interest for SRC breakup by a real photon beam. As in Fig. 1, dashed red lines represent off-shell particles. Open ovals represent undetected systems. Solid black lines represent detected particles. The momentum and energy of the particles are also indicated.

336 Photon scattering will also proceed through very different reaction mechanisms. Instead of  
 337 quasielastic nucleon knockout, the primary photo-induced reaction studied here will be  $\gamma n \rightarrow p\pi^-$ ,  
 338 with a second nucleon (the correlated partner nucleon) emitted backward (see Fig. 10. For this  
 339 reaction, the IC and MEC reaction mechanisms will be absent or significantly different. In addition,  
 340 because the correlated partner nucleon will be emitted backwards, the effects of Final State Inter-  
 341 actions (FSI) will also be quite different. It is much more difficult to produce backward nucleons that  
 342 forward ones.

343 Thus photonuclear measurements of SRCs will provide a crucial reaction mechanism check for  
 344 SRC studies.

## 345 2.5 SRC Universality

346 Much of our understanding of SRCs comes from electron scattering measurements. The interpre-  
 347 tation of these experiments rests on assumptions about the mechanism of the reaction. In recent  
 348 years, efforts have been made to decouple our understanding of the ground-state properties of SRCs  
 349 from the specific electron-scattering measurements used to establish them. The factorized GCF  
 350 cross section model has provided a framework for studying this, expressing the total cross section  
 351 for SRC breakup events into the product of a ground-state nuclear spectral function and a single-  
 352 body operator describing the hard reaction with the probe. This factorization may be tested using  
 353 two approaches. First, we may test the resolution-dependence of this factorization by changing  
 354 the momentum-transfer scale of the hard reaction, either  $Q^2$  in electron-scattering or  $|t|$  for other  
 355 probes.. Second, we may compare the ability of the GCF to describe different types of hard reac-  
 356 tions from correlated nucleons, comparing electron-scattering measurements to those using hadron-  
 357 or photon-scattering.

### 358 2.5.1 Resolution-dependence

359 The resolution-dependence of quasi-elastic electron-scattering measurements has been studied in ini-  
 360 tial analysis of the Hall B Run Group M measurement E12-17-006 [59]. Fig. 11 shows an example of  
 361 the ratio  ${}^4\text{He}(e, e'pp)/{}^4\text{He}(e, e'p)$  for a fixed bin in  $p_{miss}$ , examined as a function of resolution  $Q^2$ .  
 362 This observable is sensitive to the isospin structure of SRCs within the nucleus, and varies signifi-  
 363 cantly as a function of  $p_{miss}$ , but GCF calculations predict a very weak dependence on  $Q^2$  (largely  
 364 an effect of the proton form factor). The data are seen to have a roughly constant value as a function  
 365 of  $Q^2$ , with some possible deviation from this scaling at smaller  $Q^2$ . Some deviation from scaling at  
 366 small momentum transfer is anticipated; the assumptions of the plane-wave impulse approximation  
 367 are expected to be valid only at large momentum-transfer, and at small  $Q^2$  contributions from MEC  
 368 or other two-body operators are expected to come into play. As such, these preliminary results  
 369 are largely consistent with the picture of SRC breakup reactions being a universal property of the  
 370 nucleus rather than the reaction. Similar studies have not yet been possible for other measurements  
 371 due to the limited statistics of such data.

### 372 2.5.2 Photon-Scattering

373 The probe-dependence of SRC-breakup measurements has been tested by a number of experiments  
 374 which have measured SRCs using probes other than electrons. The Hall D SRC-CT experiment E12-  
 375 19-003 [60] performed the first measurement of SRCs using high-energy photoproduction channels,  
 376 with analysis currently being performed on  $\rho^-$  and  $\rho^0$  photoproduction from SRC nucleons. Fig. 12  
 377 shows preliminary results from the analysis of the exclusive SRC breakup channel  $(\gamma, \rho^- pp)$ . The  
 378 left plot shows a measurement of the center-of-mass momentum of the SRC pair for each nucleus,  
 379 compared with prediction from the GCF. In each case the center-of-mass motion for the pairs are  
 380 generated using the values extracted from electron-scattering measurements (see Fig. 7). The GCF  
 381 predictions do a good job of describing the measured data, and particularly capture the  $A$ -dependence

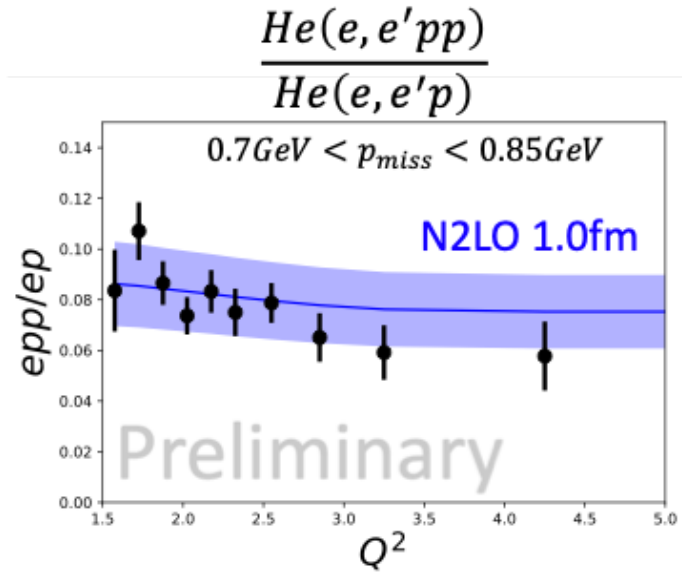


Figure 11: Measurement of the ratio  $(e, e'pp)/(e, e'p)$  as a function of  $Q^2$  for the range  $0.7 < p_{miss} < 0.85$  GeV/c. The data can be seen to be largely independent of  $Q^2$  and to agree with GCF predictions.

of this properties of the SRC pairs. The data seem to be slightly broader than GCF predictions for  ${}^4\text{He}$  and  ${}^{12}\text{C}$ , and it is currently being studied whether this is indicative of SRC properties or FSI rescattering.

Fig. 12 (right) shows measured distributions for the spectator proton in  $(\gamma, \rho^- pp)$  events. These data are compared with GCF predictions using different models of the short-distance  $NN$ -interactions, with the phenomenological AV18 interaction in blue and the chiral N2LO interaction in green. Electron-scattering data have been shown to be sensitive to details of the  $NN$ -interaction at short range, and to agree well with AV18 predictions at high relative momentum. We find here that the AV18 predictions do a similarly good job of describing the data for  ${}^2\text{H}$  and  ${}^4\text{He}$ . The agreement with data for  ${}^{12}\text{C}$  is worse for AV18, but this is likely an effect of FSI; transport calculations of FSI using the GENIE model have calculated that the momentum for spectator nucleons is attenuated in medium-to-heavy nuclei such as  ${}^{12}\text{C}$  due to rescattering, a prediction which has been found to agree with electron-scattering measurements as well [61].

### 2.5.3 Hadron-Scattering

Hadronic probes with proton quasi-elastic scattering off nucleons in nuclei provide another “scheme” to probe SRCs. Taking advantage of the larger nuclear compared to electromagnetic cross section in electron scattering, the event rate increases by two orders of magnitude. In a conventional experimental setup, the beam proton hits a fixed nuclear target and knocks out a high-energy nucleon from an SRC pair and the nucleus. However, it is experimentally challenging to isolate the outgoing SRC nucleons with only a few hundred-MeV/c momenta while the scattered nucleons, including the beam proton, suffer strong final-state interactions (FSI) leading to distorted momenta. A novel approach that we implemented uses inverse kinematics in which the nucleus of interest forms the beam and scatters off a proton target. Thus, one can measure and distinguish all three high-momentum nucleons at different angles and reconstruct the 2N-SRC events. Additional detection of the ion fragments after the reaction, that travel with nearly beam velocity, enables us to identify the



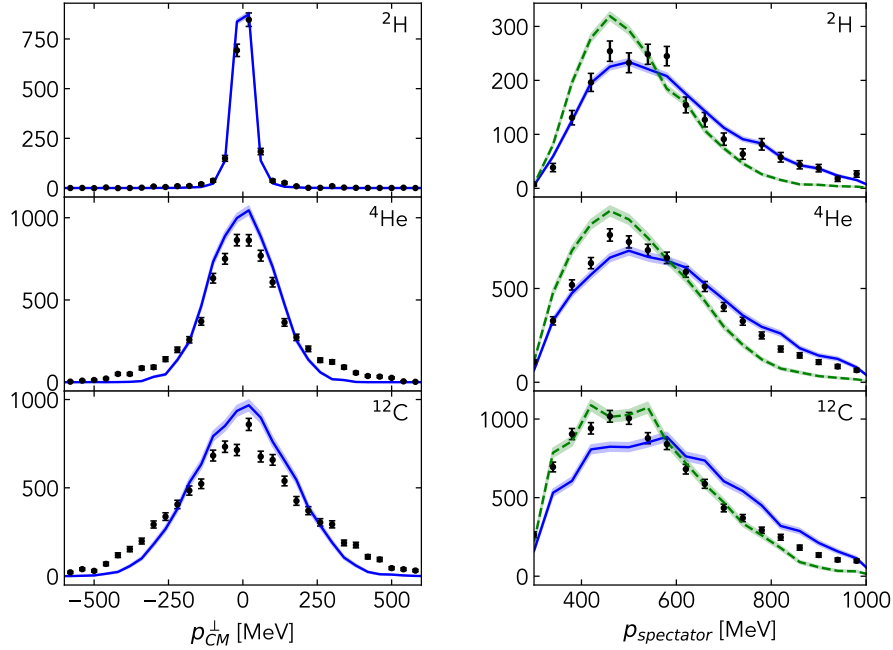


Figure 12: Preliminary results from the analysis of the exclusive SRC breakup channel ( $\gamma, \rho^- pp$ ). Data (black dots) are compared with GCF prediction for each nucleus, using the AV18  $NN$ -interaction model (blue solid line) and the chiral N2LO interaction (green dashed line).

407 final state and largely suppress FSI, and thus gain direct access to observables to study SRC scale  
 408 independence and universality. A pilot experiment at JINR using a  $^{12}\text{C}$  beam of 4 GeV/c/nucleon  
 409 on a proton target [19] demonstrated the principle of the inverse kinematics to probe SRCs and  
 410 opened a new research path to study SRCs, particularly in asymmetric nuclei. The quasi-free  
 411 proton knockout on  $^{12}\text{C}$  with the coincident detection of  $^{11}\text{B}$  demonstrated the suppression of FSI  
 412 and prove the extraction of the ground-state missing-momentum distribution of p-shell nucleons in  
 413  $^{12}\text{C}$ . Based on that, SRCs could be clearly identified for the first time in proton scattering in inverse  
 414 kinematics, resulting in the identification of 23 pn-SRC and two pp-SRC pair break-ups with  $^{10}\text{B}$   
 415 and  $^{10}\text{Be}$  fragments, respectively, as shown in Fig. 13 [19].

416 Despite the limited statistics, the pair ratio reflects the np-pair dominance and is in full agreement  
 417 with predictions based on ab-initio many-body calculations. In case of pair breakup and the quasi-  
 418 free scattering assumption, the ion fragment carries the recoil momentum of the pair, which allows  
 419 to infer the pair center-of-mass momentum directly from the measurement of the  $A - 2$  system in  
 420 inverse kinematics. Done for the first time in this experiment, the obtained Gaussian momentum  
 421 width (sigma) of  $156 \pm 27 \text{ MeV}/c$  agrees well with previous, but only indirect extractions from electron  
 422 scattering [42]. All the experimental results agree with previous electron scattering experiments and  
 423 predictions within the GCF, underlining the universal access to SRCs also using proton probes.

424 As opposed to mean field nucleon knockout, where the  $A - 1$  system carries the recoil momentum,  
 425 for SRC pairs the pair nucleon momenta balance each other which is reflected in the opening angle  
 426 between the missing momentum and reconstructed nucleon recoil momentum. As shown in Fig. 14  
 427 (left), this distribution peaks towards  $180^\circ$  reflecting a back-to-back emission and confirming a strong  
 428 correlation of the pair nucleons. In contrast, we find the first direct experimental evidence that the  
 429 pair is scale separated from the rest of the nucleus by the uncorrelated opening angle between the

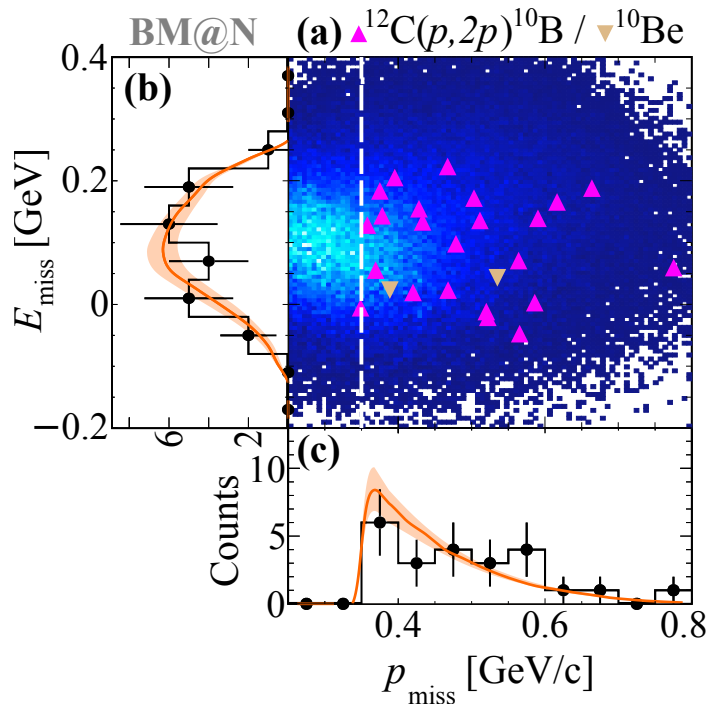


Figure 13: Correlation between the missing energy  $E_{\text{miss}}$  and missing momentum  $p_{\text{miss}}$  for the measured  $^{12}\text{C}(p, 2p)^{10}\text{B}$  (upwards-facing purple triangles) and  $^{12}\text{C}(p, 2p)^{10}\text{Be}$  (downwards-facing brown triangles) SRC events, on top of the GCF simulation (the colour scale is only relative as the absolute scale is set by the simulation statistics). The vertical white dashed line shows our event-selection cut of  $p_{\text{miss}} > 350\text{MeV}/c$ . Taken from Ref. [19]

430  $A - 2$  momentum and the pair's relative momentum, Fig. 14 (right). This angular distribution is  
 431 flat, unlike the previously mentioned nucleon-nucleon angle distribution. The results show a strongly  
 432 correlated pair while it is only weakly correlated with the spectator nucleus. This supports one of the  
 433 main assumptions in our understanding of SRCs and in theories like the GCF, namely a universal  
 434 scale separation.

435 Following this pilot experiment, improved quantitative studies are being performed at JINR, and  
 436 the first SRC experiment on a short-lived and extremely neutron-rich nucleus, namely  $^{16}\text{C}$ , has taken  
 437 place at GSI-FAIR. Taking advantage of inverse kinematics, we can study SRC with radioactive-ion  
 438 beams and for instance understand their dynamics in very asymmetric nuclear systems.

## 439 2.6 3N-SRC Searches

440 Experiments conducted at JLab measured the outgoing high-momentum nucleons from 2N-SRCs  
 441 at intermediate relative momenta ( $\gtrsim 400\text{ MeV}/c$ ) and discovered that these 2N-SRC pairs are  
 442 predominantly neutron-proton pairs with large relative momentum ( $p_{\text{rel}} > k_F$ ) and smaller center-  
 443 of-mass momentum ( $p_{\text{CM}} \sim k_F$ ); see Fig. 15(a). Nucleons can also form close 3N-SRC clusters.  
 444 Breaking up such a 3N-SRC cluster creates three fast-moving nucleons in different directions while  
 445 their total center-of-mass momentum remains small, as shown in Fig. 15(b,c).

446 2N-SRC physics has been studied extensively over the last two decades using primarily electron-  
 447 scattering where the nucleons from SRCs are probed with large momentum transfer in quasi-elastic  
 448 (QE) scattering kinematics [12, 14, 20, 31]

449 Unlike 2N-SRC, the features and importance of 3N-SRC are mostly unknown. Given the proba-

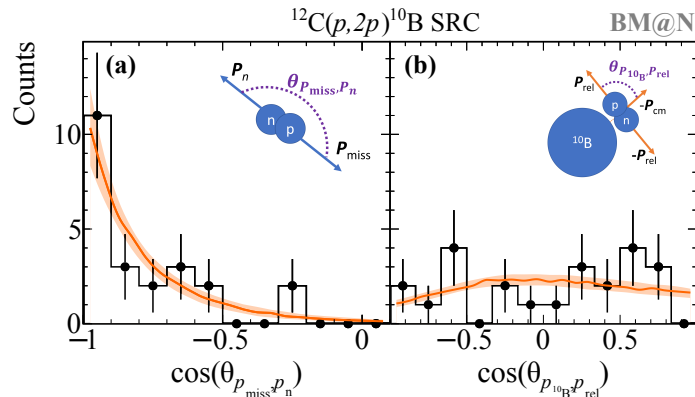


Figure 14: Correlation between the missing energy  $E_{miss}$  and missing momentum  $p_{miss}$  for the measured  $^{12}\text{C}(p, 2p)^{10}\text{B}$  (upwards-facing purple triangles) and  $^{12}\text{C}(p, 2p)^{10}\text{Be}$  (downwards-facing brown triangles) SRC events, on top of the GCF simulation (the colour scale is only relative as the absolute scale is set by the simulation statistics). The vertical white dashed line shows our event-selection cut of  $p_{miss} > 350\text{MeV}/c$ . Taken from Ref. [19]

450 bility of forming a 3N-SRC is significantly lower, a direct measurement of 3N-SRC in the  $(e, e'pNN)$   
 451 reaction channel requires enormous luminosity and beam time.

452 The  $(e, e')$  channel is the only electron-scattering reaction to effectively search for 3N-SRC by  
 453 comparing QE cross-section ratios between heavy nuclei and  $^3\text{He}$ . If 3N-SRC appear in both nuclei,  
 454 the cross section distribution of a nucleus  $A$  would have the same shape as one of  $^3\text{He}$ , so their ratios  
 455 should give a flat value in the  $2 < x_B < 3$  region.

456 An early  $(e, e')$  experiment in Hall B at JLab suggested a hint of 3N-SRC when measuring  $^4\text{He}$   
 457 and  $^3\text{He}$  cross-section ratios [13], but this was later shown to result from a bin-migration effect from  
 458 the detector resolution. A later experiment in Hall C performed the same measurements at higher  
 459  $Q^2$  [63] but the results were inconclusive due to the large uncertainties. A dedicated measurement  
 460 in Hall A was performed to measure  $^4\text{He}$  and  $^3\text{He}$  ratios with high precision and found no indication  
 461 of a 3N-SRC plateau [64], as shown in Fig. 16(a).

462 A recent reanalysis [65] of existing SLAC data and the Hall C data introduced a light-cone variable  
 463 for 3-body interaction ( $\alpha 3N$ ) and claimed to be more sensitive to identifying the 3N-SRC scaling,  
 464 seen in Fig. 16(b). The large errors in the claimed 3N-SRC region leave this claim inconclusive. The  
 465 authors also suggested that a much higher four-momentum-transfer  $Q^2$  is required to suppress FSI  
 466 and separate 3N-SRC from fast-moving 2N-SRC pairs. However, the QE scattering cross section  
 467 drops proportionally to  $1/Q^4$ , making high-precision measurements of 3N-SRC using  $(e, e')$  at high  
 468  $Q^2$  impossible. The precision study of 3N-SRC requires a different experimental technique.

## 469 2.7 The EMC Effect and SRCs

470 The relative abundance of SRC pairs in nuclei can be extracted from measurements of inclusive  $(e, e')$   
 471 cross-section ratios for different nuclei at high- $Q^2$ ,  $x_B > 1$  kinematics [2, 3, 9, 13, 31, 32, 63, 66, 67].  
 472 For fixed  $Q^2$ , these cross-section ratios scale as a function of  $x_B$  starting approximately at  $x_B \geq 1.5$   
 473 The height of the scaling plateau is often used to extract the relative number of high-momentum  
 474 nucleons (i.e. SRC pairs) in the measured nuclei. We refer to these as the ‘SRC scaling coefficients’.

475 In a recent series of publications [31, 68–70], we and others have shown that the extracted SRC  
 476 scaling coefficients linearly correlate with the strength of the EMC effect in nuclei from  $^3\text{He}$  to  $^{197}\text{Au}$ .  
 477 The latter is the slope of the deviation from unity of the isoscalar DIS cross-section ratio for nuclei  
 478 relative to deuterium in the range  $0.3 \leq x_B \leq 0.7$ . The EMC effect is commonly interpreted as

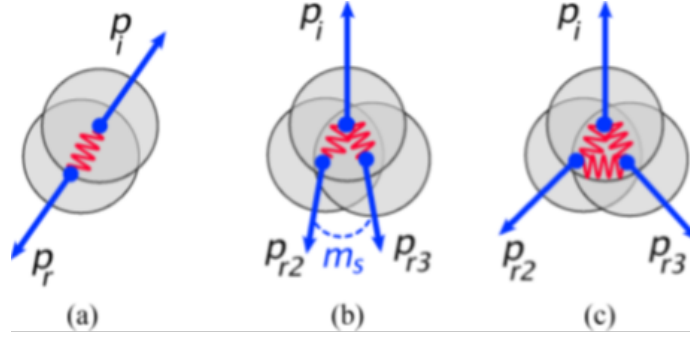


Figure 15: Schematic illustration of 2N-SRC and 3N-SRC structure [62]. Breaking up the 2N-SRC results in a back-to-back correlation of the pair shown in (a). Similarly, breakup up the 3N-SRC results in three nucleons with different momenta, but a small total momentum. Two extreme 3N-SRC configurations are: (b) two nucleons have similar and co-linear momentum while the third has twice the momentum in the opposite direction, or (c) three nucleons travel with equal momenta along different directions separated by an angle of  $120^\circ$ . Other configurations lie between these two extremes.

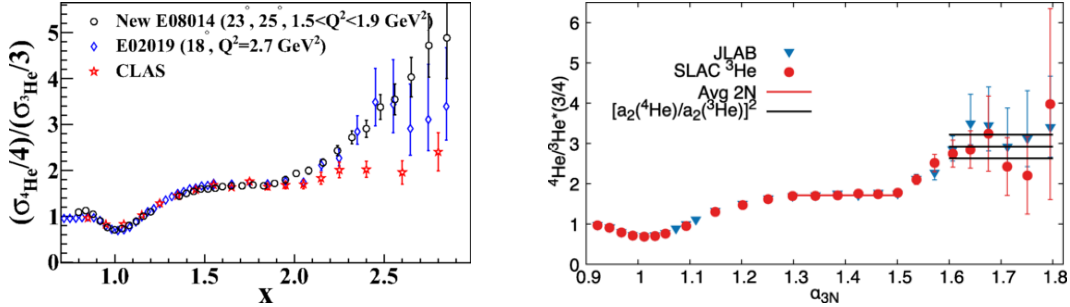


Figure 16: (a) JLab Hall A ( $e, e'$ ) QE cross-section ratio of  ${}^4\text{He}$  to  ${}^3\text{He}$  showing no 3N-SRC plateau [64]. (b) Reanalysis of SLAC and Hall C data with a light cone variable indicating a possible 3N-SRC plateau [65]

479 evidence for modification of the partonic structure function of bound nucleons [31, 52, 53].

480 The observation of a correlation between the strength of the EMC effect and the SRC scaling  
 481 coefficients in nuclei generated new interest in the EMC effect (see e.g. CERN Courier cover paper  
 482 from May 2013; ‘Deep in the nucleus: a puzzle revisited’ [71]) and gave new insight into its possible  
 483 origin. Several models have been proposed by us and others that attempt to explain the underlying  
 484 dynamics that drive the EMC effect and its correlation with SRC pair abundances; see a recent  
 485 review in Ref. [31].

486 In a data-mining analysis recently published in Nature [9], led by graduate student B. Schmookler  
 487 and the spokespersons, a high-precision measurement of both the SRC scaling coefficients and the  
 488 EMC effect was performed for  ${}^{12}\text{C}$ ,  ${}^{27}\text{Al}$ ,  ${}^{56}\text{Fe}$  and  ${}^{208}\text{Pb}$  (see Fig. 17). The new data were used to  
 489 examine the finer aspects of the EMC-SRC correlation. Specifically, we examined whether the EMC  
 490 data can indeed be explained by assuming the nuclear structure function can be factorized into a  
 491 collection of un-modified mean-field nucleons and modified SRC pairs:

$$F_2^A = (Z - n_{\text{SRC}}^A)F_2^p + (N - n_{\text{SRC}}^A)F_2^n + n_{\text{SRC}}^A (F_2^{p*} + F_2^{n*}), \quad (3)$$

492 where  $n_{\text{SRC}}^A$  is the number of  $np$ -SRC pairs,  $F_2^N(x_B)$  are the free nucleon (proton and neutron)  
 493 structure functions, and  $F_2^{N*}(x_B)$  are the average modified nucleon structure functions in SRC  
 494 pairs.  $n_{\text{SRC}}^A$  is taken from experiment (i.e. from  $(e, e')$  scaling ratios at  $x_B > 1.5$ ), and the modified

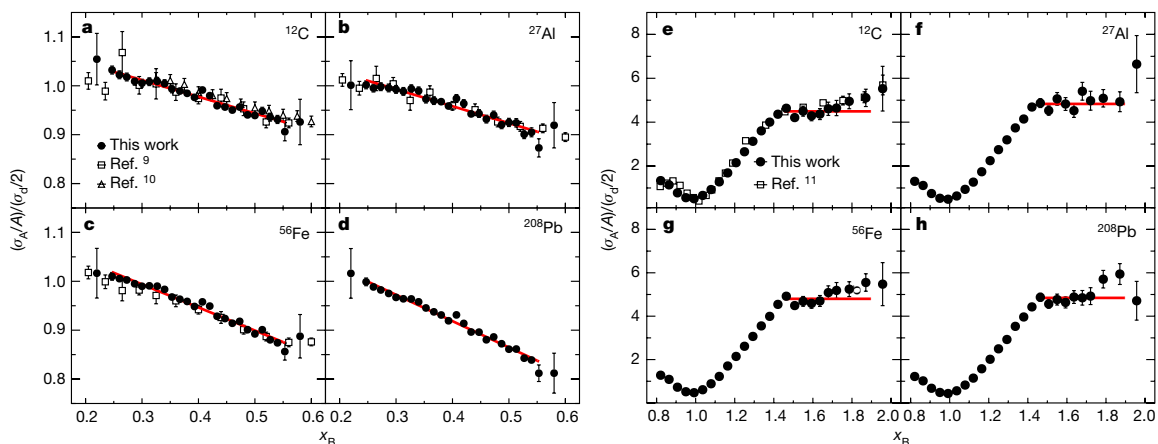


Figure 17: High-precision measurements of the EMC effect (left) and SRC scaling (right) led by the spokespersons [9].

495 structure function of SRC nucleons,  $F_2^{N*}(x_B)$ , is expected to be universal (i.e., independent of the  
 496 surrounding nuclear environment).

497 Figure 18 shows the measured structure function ratios of nuclei relative to deuterium (left panel),  
 498 and the extracted modification function of SRC pairs, using  $\Delta F_2^N = F_2^{N*} - F_2^N$  (right panel). As  
 499 can be seen, while the nuclear structure functions vary significantly between different nuclei, the  
 500 extracted SRC pair modification function is universal for all nuclei.

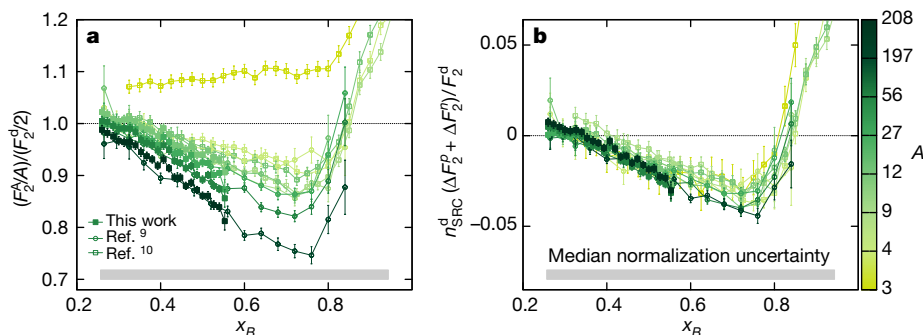


Figure 18: Left: measured structure function ratio for nuclei relative to deuterium (without model-dependent iso-scalar corrections). Right: the extracted universal modification function of nucleons in SRC pairs [9].

## 501 2.8 $J/\psi$ Photoproduction

502 Photoproduction of the  $J/\psi$  meson from the proton was observed at both Cornell [72] ( $E_\gamma = 11$  GeV)  
 503 and SLAC [73] ( $E_\gamma = 19$  GeV) soon after the discovery of the particle. Since the first observation  
 504 of the phenomenon  $J/\psi$  photoproduction have come to be understood as largely resulting from the  
 505 exchange of gluons [74–76]. The 12-GeV upgrade to Jefferson Lab has enabled the first detailed  
 506 differential measurements of  $J/\psi$  photoproduction near the photoproduction threshold energy of  
 507  $E_\gamma \approx 8.2$  GeV.

508 A 2019 study by GlueX [25] used real photon-proton data measured in Hall D to perform the first  
 509 exclusive measurement of the  $\gamma p \rightarrow J/\psi p$  cross section in the threshold region, spanning the photon

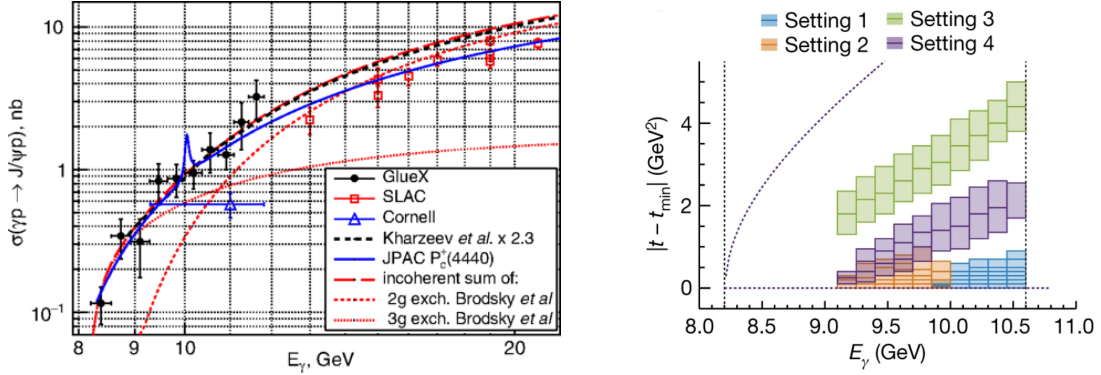


Figure 19: Measurements of  $J/\psi$  photoproduction at Jefferson Lab. Left: The total cross section  $\sigma(\gamma p \rightarrow J/\psi p)$  as a function of  $E_\gamma$  from Ref. [25]. Right: Kinematic coverage of the measurement  $\frac{d^2\sigma}{dt}(\gamma p \rightarrow J/\psi p)$  in bins of  $E_\gamma$  and  $t$  from Ref. [26].

510 energy range  $8.2 < E_\gamma < 11.8$  GeV. This study measured both the total  $J/\psi$  production cross  
 511 section as a function of photon energy  $E_\gamma$  (shown in Fig. 19) and the energy-integrated differential  
 512 cross section as a function of 4-momentum transfer  $t$ .

513 As the first precision  $J/\psi$  photoproduction data in the threshold region, this measurement pro-  
 514 vided substantial new insight into the gluonic structure of the proton not previously possible. The  
 515 measurement has enabled insights into the gluonic/mechanical radius of the proton [77, 78], has  
 516 been interpreted under the frameworks of gluon Generalized Parton Distributions (GPDs) [79] and  
 517 holographic QCD [80], and has aided in understanding the proton mass by allowing extraction of  
 518 the proton “trace anomaly” mass term [81].

519 A 2023 study [26] used real photon-proton data measured in Hall C to perform the first double-  
 520 differential measurement of  $J/\psi$  photoproduction. While this measurement was not exclusive, de-  
 521 tecting only the  $J/\psi \rightarrow e^+e^-$  decay, the high luminosity of a spectrometer-based measurement  
 522 allowed detailed measurements of  $\frac{d^2\sigma}{dt}(\gamma p \rightarrow J/\psi p)$  as a function of both  $E_\gamma$  and  $t$ . The double-  
 523 differential nature of this measurement allowed for detailed determination of gluonic gravitational  
 524 form factors (GFFs) for the proton and higher-precision extraction of the proton trace anomaly mass.  
 525 Theoretical analysis of this data was performed using both GPD [79] and holographic QCD [80] and  
 526 was benchmarked against lattice QCD (LQCD) calculations for the proton [82]. The holographic  
 527 QCD framework was found to agree particularly well with LQCD predictions, which provides fur-  
 528 ther insight into the reaction mechanisms of  $J/\psi$  photoproduction near threshold and enables more  
 529 precise interpretation of future  $J/\psi$  data.

## 3 Physics Goals

### 3.1 High-Statistics SRC Measurements

Existing photonuclear data enable initial measurements of SRC breakup to a similar level of precision to 6 GeV electron-scattering measurements. However, these data are insufficient to provide detailed tests of the reaction mechanisms needed to interpret the results. The reactions desired for measuring SRC properties are quasi-elastic-like (QE) meson photoproduction events, wherein the incident photon interacts solely with a single nucleon in an SRC pair, producing a meson and a baryon in the final state, as well as a high-momentum recoil nucleon which was a spectator to the reaction. This final-state may be produced through other reaction mechanisms which can complicate the interpretation of data. Coupling to Meson-Exchange Currents (MEC) or other multi-body reactions can result in a similar final state with multiple nucleons knocked out of the nucleus. Additionally, Final-State Interactions (FSI) in which the produced particles rescatter with one another or the residual nucleus can further impact the observed distributions. These effects differ substantially in photoproduction as compared with quasi-elastic electron-scattering, and have not been studied experimentally in these kinematics.

The high-statistics measurement proposed here is focused on a single nucleus and will enable detailed tests of these reaction mechanisms. A key goal of this experiment is to maximize the reach of the data over a large range of momentum transfer  $|t|$ . At large values of  $|t|$ , multi-body reactions such as MEC are suppressed relative to QE reactions, allowing for cleaner extraction of SRC properties. As photoproduction cross sections fall exponentially with  $|t|$  for forward production, an increase in statistics by an order of magnitude allows for much higher values of  $|t|$  to be observed in data. This allows for more stringent cuts to be placed on  $|t|$  in order to isolate clean SRC breakup data. Additionally, the reaction mechanisms may be studied themselves by examining the dependence of our observables on  $|t|$ , what we term the “resolution-dependence” of the reaction. We expect some variation in the measured quantities at low  $|t|$ , as non-QE reactions are present and contribute differently from QE interactions, but at larger  $|t|$  this dependence should no longer be present. This resolution-dependence is being studied in electron-scattering by varying the momentum-transfer  $Q^2$ , but a similar test has not yet been possible in photoproduction.

This measurement will also allow us to better determine the impact of FSI on the SRC breakup signal. FSI is strongly dependent on the angular orientation of the initial nucleon momentum, requiring control over the final-state kinematics to minimize. The high-statistics data obtained in this measurement will enable tests of the angular dependence of the data, enabling us to disentangle the effects of FSI on SRC photoproduction observables.

### 3.2 Three-Nucleon SRCs

In addition to providing detailed measurements of Two-Nucleon (2N) SRCs, this data would enable us to search for exclusive signals of Three-Nucleon (3N) SRC breakup. 3N-SRCs remain poorly-known [12], with much remaining to be learned regarding their abundance, formation, and structure. Of the possible configurations of 3N-SRCs, it is not known which dominate in nuclei, and how momentum is distributed between the three nucleons. Detailed study of 3N-SRC structure can give understanding both to the formation mechanisms involved and to the details of irreducible three-nucleon forces at short distance, which should strongly influence the momentum distributions within the triple. To perform such studies, exclusive measurements of 3N-SRC breakup over a wide range of kinematics are necessary.

Recent data from Hall B could enable exclusive measurements of 3N-SRC breakup [59]. However, FSI and background limit the kinematic space available to electron-scattering. In particular, electron-scattering measurements of SRC are largely limited to  $x_B > 1.2$  to suppress FSI and inelastic backgrounds. This requirement allows access only to a fraction of possible 3N-SRC states due to the large binding energy involved and the necessary energy transfer to liberate the system.

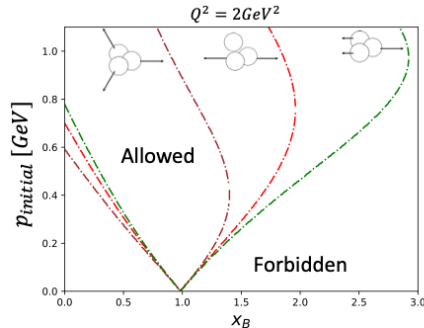


Figure 20: The allowed phase space for quasi-elastic scattering off an SRC is in the region above the curve while the forbidden phase space is the region below the curve. The red curve represents the 2 nucleon SRC. The brown curve represents a 3 nucleon SRC where all nucleons carry equal momenta (star configuration). The green curve represents a 3 nucleon SRC where the struck nucleon carries twice the momentum of its recoiling partners (rocket configuration).

578 Fig. 20 shows the allowed kinematic phase space for quasi-elastic electron scattering from  ${}^3\text{He}$  at  
 579  $Q^2 = 2 \text{ GeV}^2$  for different configurations of the 3 nucleons. In the 2N-SRC case (red), also included  
 580 in the figure, the kinematic range extends nearly to  $x_B = 2$ . Values of  $x_B$  around and below 1 can  
 581 have large backgrounds caused by inelastic scattering and final-state interactions. For this reaction,  
 582 electron-scattering studies of SRC breakup are typically restricted to  $x_B > 1.2$ .

583 In the case of 3N-SRCs, there are several possible momentum configurations of the triplet. In  
 584 the “rocket” configuration (green), the kinematic range extends nearly to  $x_B = 3$ , and standard  
 585 electron-scattering experiments with  $x_B > 1.2$  are therefore capable of accessing probing these  
 586 triplets. However, the “star” configuration (brown) is much more limited in kinematic phase space.  
 587 A maximum  $x_B$  of 1.3 is possible in this configuration, and that only for a narrow range of initial  
 588 nucleon momentum. Electron-scattering experiments are therefore incapable of measuring the star  
 589 configuration without extending to low  $x_B$  and contending with the contamination from inelastic  
 590 backgrounds.

591 Quasi-elastic meson photoproduction provides not only an independent probe of SRCs from  
 592 electron-scattering, but also access to different kinematics. Photoproduction cross sections favor  
 593 parallel kinematics rather than anti-parallel, which differs from the requirements of high- $x_B$  electron-  
 594 scattering. The cross sections for meson photoproduction are large momentum-transfer  $|t|$  are de-  
 595 scribed by “constituent counting rules” [83], which predict that the differential cross section falls  
 596 with the center-of-mass energy by  $d\sigma/dt \sim s^{-7} \times f(\theta_{cm})$ . This cross section heavily favors nucleon  
 597 motion in the direction of the photon, whereas the requirement of large- $x_B$  favors nucleon motion  
 598 opposite the virtual photon. This difference in kinematics means that photon-scattering probes the  
 599 equivalent kinematic region of  $x_B < 1$ , while being less susceptible to inelastic backgrounds present  
 600 in electron-scattering. The combination of high-statistics data using electron-scattering and photon-  
 601 scattering will enable measurement of exclusive 3N-SRC breakup over the full spectrum of possible  
 602 configurations, which is necessary to fully characterize their properties.

603 An additional benefit of photoproduction in this case is the ability to measure initial-state neu-  
 604 trons via the production of charged mesons. This is particularly valuable because  $n$ - $p$ - $p$  triplets  
 605 are expected to be favored over  $p$ - $p$ - $p$  due to spin and isospin effects. While measuring this triplet  
 606 with electron-scattering requires overcoming the technical challenge of neutron detection, photon-  
 607 scattering can instead use charge-exchange channels such as  $(\gamma, \pi^- ppp)$  and  $(\gamma, \rho^- ppp)$ , allowing  
 608 greater ease in probing this type of 3N-SRC.



### 609 3.3 Near- and Sub-Threshold $J/\psi$ from the Nucleus

610 Photoproduction of  $J/\psi$  from nuclear targets provides the opportunity to perform probes of the  
611 gluonic structure of the nucleus, similar to recent studies on the proton [25, 26]. Incoherent  $J/\psi$   
612 photoproduction from nuclei is sensitive to the fluctuations of gluons within the nucleus [84], as well  
613 as the gluonic structure of the bound nucleon. The study of near-threshold  $J/\psi$  photoproduction  
614 from nuclei would allow a first search for a gluonic EMC effect in the valence region of  $x \sim 0.5$ .

615 Of similar interest is the possibility of measuring sub-threshold photoproduction of  $J/\psi$  [85]. In  
616 nuclei, the Fermi motion of nucleons enables production of  $J/\psi$  at lower photon energies than the  
617 production threshold of  $E_\gamma \approx 8.2$  GeV from the proton. Such production is predicted to be directly  
618 sensitive to the details of nuclear structure. At sub-threshold energies, the production of  $J/\psi$  has  
619 a higher contribution from Short-Range Correlations, enabling a probe of the gluon structure of  
620 correlated nucleons. Sub-threshold production is also sensitive to a number of phenomena which  
621 could enhance its production, such as hidden-color or non-nucleonic states [76, 86] or interaction of  
622 the  $J/\psi$  with the nuclear medium [87]. A detailed scan of nuclear  $J/\psi$  photoproduction over the  
623 photon energy threshold is at this point only possible at JLab following the 12-GeV upgrade, and  
624 this would provide critical insights into the gluon structure of the nucleus.

625 A high-statistics measurement of  $(\gamma, J/\psi p)$  photoproduction from  ${}^4\text{He}$  would enable a scan of  
626 the incoherent nuclear photoproduction cross section as a function of photon energy. The cross  
627 section can be measured with photon energies ranging from 7.5 GeV to the endpoint energy of 12  
628 GeV. Optimal placement of the coherent photopeak can enable measurement of the cross section  
629 even below threshold, where the cross section is expected to be small. Measurements at

630 Detecting the proton in such events improves the mass resolution of the  $J/\psi$ , and additionally  
631 enables reconstruction of the initial-state momentum of the proton involved in quasi-free production.  
632 This semi-inclusive measurement will enable detailed study of the reaction mechanisms for sub-  
633 threshold production by examining the correlation between the initial nuclear motion and the photon  
634 energy of the reaction.

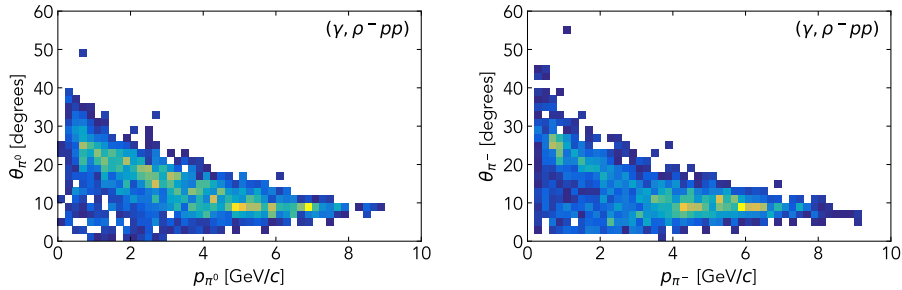


Figure 21: Kinematic distribution of the pions in measured data for  ${}^4\text{He}(\gamma, \rho^- pp)$  with  $|t| > 1.5 \text{ GeV}^2$ . Left: Kinematic distributions for the  $\pi^0 \rightarrow \gamma\gamma$  decay, detected by the measurement of photon showers in the Forward and Barrel Calorimeter. Right: Kinematic distributions for the  $\pi^-$  meson, detected by the measurement of charged tracks in the Forward and Central Drift Chambers.

## 4 Proposed Measurement

### 4.1 Final-State Kinematics and Particle Detection

#### 4.1.1 SRC

There is a number of possible photoproduction channels that can be used to study hard SRC breakup. Of these we can select channels which maximize our ability to measure the reaction as desired; This typically means selecting channels with a high cross section, in order to maximize signal yields, and a distinctive final state, in order to reject backgrounds. Comparing multiple channels helps to better separate properties of the initial nuclear state from the reaction kinematics and nuclear many-body effects. Comparison of multiple final-state also helps to study detector systematics, which may differently impact the measurement of various meson decays (e.g.  $\eta \rightarrow \gamma\gamma$  vs.  $\eta \rightarrow \pi^+\pi^-\pi^0$ ).

As there are a large number of possible photoproduction channels to consider, we select here the representative channel of  $\rho^-$  photoproduction from a neutron in a  $n$ - $p$  pair to simplify the picture and examine particle kinematics and detection. The final-state measured in the exclusive SRC breakup channel is  $\rho^- pp \rightarrow (\pi^0\pi^-)pp \rightarrow ((\gamma\gamma)\pi^-)pp$ . For the case of the  $\pi^0 \rightarrow \gamma\gamma$  decay, the detection requires the measurement of the decay photons, which are observed by measuring “neutral” showers (with no corresponding charged track) in the Forward and Barrel calorimeters, which cover the angular ranges of  $\theta_\gamma < 11^\circ$  and  $11^\circ < \theta_\gamma < 126^\circ$  respectively. Fig. 21(left) shows the kinematic distributions for the measured  $\pi^0$  in existing  ${}^4\text{He}(\gamma, \rho^- pp)$  data. We see no substantial effect of acceptance from the detectors; while events are focused at forward production angles this is largely an effect of the cross section falling rapidly with  $t$ .

The other final-state particles in this reaction are charged and can therefore be measured using the resulting charged tracks in the Forward and Central Drift Chambers. Fig. 21(right) shows the kinematic distributions for the charged  $\pi^-$  meson in existing data. We note that this kinematic distribution is very similar to that for the  $\pi^0$ , which demonstrates that detector acceptance effects which would differentiate them are not present. In Fig. 22 we show the kinematic distributions for the final-state protons in  ${}^4\text{He}(\gamma, \rho^- pp)$  data, including both the high-momentum “leading” proton from the hard reaction (left) and the lower-momentum “recoil” proton which was a spectator within the SRC pair. While cuts have been placed on these to ensure clear separation between the two protons in the event and remove ambiguity in the interpretation, we note no acceptance effects other than the detectors inability to resolve tracks with momentum below  $0.4 \text{ GeV}/c$ . We note that for the higher-momentum charged particles, the  $\pi^-$  and the leading proton, the GlueX detector provides limited ability to perform reliable particle-identification. For lower-momentum charged particles

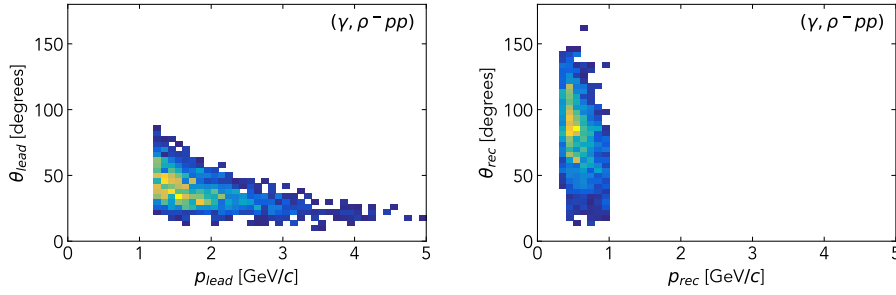


Figure 22: Kinematic distribution of the protons in measured data for  ${}^4\text{He}(\gamma, \rho^- pp)$  with  $|t| > 1.5 \text{ GeV}^2$ . Left: Kinematic distributions for the high-momentum “leading” proton. Right: Kinematic distributions for the lower-momentum “recoil” proton.

667 ( $p \lesssim 2.5 \text{ GeV}/c$ ) in the forward direction ( $\theta < 13^\circ$ ), the scintillating Time-of-Flight detector may  
 668 be used to perform measurements of  $\beta$  and perform particle separation, but this covers only a  
 669 fraction of the phase-space of these reactions. For the even lower-momentum recoil proton, particle  
 670 identification may be reliably performed by examining measurements of  $dE/dx$  in the straw-tube  
 671 Central Drift Chamber, which allows particle separation to  $p \sim 1 \text{ GeV}/c$ .

672 Rejection of backgrounds resulting from particle-misidentification has nonetheless been possible  
 673 by leveraging understanding of the kinematics of the reaction for both the signal channel and the  
 674 background. In the case of  ${}^4\text{He}(\gamma, \rho^- pp)$ , the largest background has been identified as diffractive  
 675 multi-pion production  $\gamma^4\text{He} \rightarrow \pi^0 \pi^- \pi^+ p$ , with the misidentification of the  $\pi^+$  as a high-momentum  
 676 proton. Fig. 23 (left) shows the selection cut that has been used to achieve separation between SRC  
 677 breakup events and this background channel. This takes advantage of the fact that diffractive  
 678 multi-pion production like this is predominantly produced at very forward angles, whereas the  
 679 knockout protons from quasi-elastic photoproduction are produced over a wide range of angles.  
 680 This observation, along with understanding of the momentum balance of the two nucleons within  
 681 an SRC pair, allows for the placement of a cut which allows clean isolation of SRC breakup data  
 682 from this background. We also examine the invariant mass spectrum of the  $\rho^- \rightarrow \pi^0 \pi^-$  decay,  
 683 shown in Fig. 23 after application of background cuts. We note that the level of background is  
 684 very small compared to the  $\rho^- \rightarrow \pi^0 \pi^-$  decay peak at 775 MeV. The rejection of background  
 685 resulting from particle-misidentification must be considered on a case-by-case basis for the different  
 686 photoproduction channels. For this reason it is ideal to select channels with a similar invariant  
 687 mass spectrum to examine. This test allows a means of quantifying the level of background present  
 688 relative to signal, and helps in optimizing cuts to remove these backgrounds.

689 In standard GlueX running “kinematic fitting” is used to improve resolution on measured par-  
 690 ticle momentum. This method uses known constraints on the reaction in order to improve the  
 691 reconstruction of poorly-measured kinematic variables. In the case of a proton target, often a fully  
 692 exclusive final-state is measured. This enables the greatest power for kinematic fitting by requir-  
 693 ing conservation of 4-momentum between the initial- and final-state. In the case of nuclear targets  
 694 (other than deuterium), most hard reactions result in a residual nuclear state which is not measured.  
 695 This reduces the utility of kinematic fitting, at the conservation of 4-momentum is by far the most  
 696 strict constraint that can be applied. Other constraints on the reaction, such as a common reaction  
 697 vertex between the particles and the invariant mass of an intermediate decay such as  $\pi^0 \rightarrow \gamma\gamma$ , can  
 698 be applied and provide a modest improvement in the resolution of final-state particle momentum.  
 699 However, the smearing of high-momentum particles in the GlueX detector still results in difficulties  
 700 when attempting to reconstruct initial-state nuclear momentum. When we define the “missing”

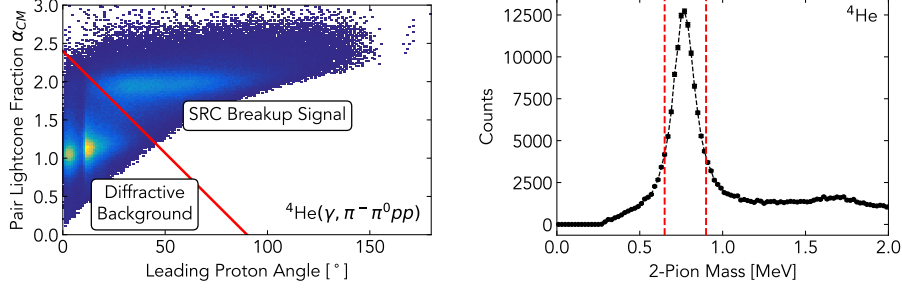


Figure 23: Left: The cut used to remove 3-pion diffractive background from  ${}^4\text{He}(\gamma, \rho^- pp)$  in data. To the bottom-left of the plot is the forward-peaked  $\gamma{}^4\text{He} \rightarrow \pi^0 \pi^- \pi^+ p$  background with the misidentification of the  $\pi^+$  as a proton. To the top-right is the signal for SRC breakup. The red line denotes the cut used to separate the two. Right: The invariant mass spectrum for the decay  $\rho^- \rightarrow \pi^0 \pi^-$  in data. The decay peak can be clearly seen at 775 MeV.

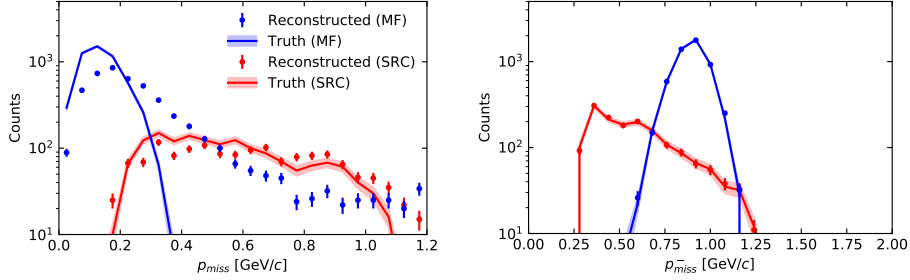


Figure 24: The effects of detector smearing on the inferred missing momentum in simulation are shown. Left: The effect of smearing on the magnitude of the reconstructed missing momentum. It can be seen that this smearing causes substantial bin migration, and particularly results in a large number of mean-field events reconstructed with large missing momentum. Right: The effect of smearing on the “minus” component of the missing momentum. Resolution effect can be seen to cause very little smearing or bin migration in this variable.

701 momentum for the initial-state neutron in  $\rho^-$  photoproduction

$$p_{miss} = p_{\pi^0} + p_{\pi^-} + p_{lead} - p_{\gamma}, \quad (4)$$

702 we observe that the missing momentum, which is on the order of several hundred MeV, is obtained  
 703 by subtracting the momentum of several GeV-scale particles. This results in substantial smearing  
 704 on this variable, washing out any sensitivity to initial-state nuclear properties [88]; see Fig. 24(left).

705 This effect can be substantially mitigated by the use of “light-front” variables, which decompose  
 706 the 4-momentum into the two “transverse” components of momentum perpendicular to the beamline

$$\vec{p}_{\perp} \equiv (p_x, p_y) \quad (5)$$

707 and into the linear combinations of the particle energy  $E$  and the longitudinal momentum  $p_z$

$$p^{\pm} \equiv E \pm p_z, \quad (6)$$

708 henceforth labelled the “plus” and “minus” components of momentum. These variables have previ-  
 709 ously been used in analysis of SRC breakup data [18] and can be used to address effects of momentum

710 smearing; while the “plus” component of missing momentum is subject to substantial smearing, the  
 711 “minus” component is reconstructed extremely well, as seen in the simulations shown in Fig. 24.  
 712 This can be understood as a cancellation in the definition of the variable, which leaves it relatively  
 713 insensitive to smearing in  $p_z$ :

$$\frac{\partial p^-}{\partial p_z} = \frac{p_z}{E} - 1 = \mathcal{O}\left(p_{\perp}^2/p_z^2\right) \quad (7)$$

714 This effect, combined with the relatively small smearing for the transverse components of momentum  
 715 in GlueX (a consequence of the solenoid magnet), provides us a combination of momentum variables  
 716 that may be reliably used to describe the initial nuclear state.

717 While the details of measuring exclusive 3N-SRC breakup have not yet been established, it is  
 718 likely that the same challenges will be present when using the GlueX spectrometer, and must be  
 719 addressed in the same manner. Simulations of the signal process will be necessary to understand  
 720 the kinematics of the reaction and to identify the kinematics of the measurement. The large number  
 721 of potential signal channels will provide the opportunity to determine which final-state allow the  
 722 greatest ability to isolate signal from background.

#### 723 4.1.2 $J/\psi$

724 The quasi-elastic channel ( $\gamma, J/\psi p$ ) was simulated using a factorized cross section model in the  
 725 Plane-Wave Impulse Approximation (PWIA):

$$\frac{d\sigma(\gamma A \rightarrow J/\psi p X)}{dt d^3 p_{miss} dE_{miss}} = K \cdot \frac{d\sigma}{dt}(\gamma p \rightarrow J/\psi p) \cdot S(p_{miss}, E_{miss}) \quad (8)$$

726 where  $K$  is a kinematic flux factor, the differential cross section  $d\sigma/dt$  for the exclusive process  
 727 ( $\gamma p \rightarrow J/\psi p$ ) was taken from a fit to GlueX data [25], and the spectral function  $S(p_{miss}, E_{miss})$   
 728 for Helium was taken from Ref. [89] for the mean-field component and the Generalized Contact  
 729 Formalism [8, 39, 46] for the SRC component. The generated PWIA events were simulated using  
 730 the GEANT description of the GlueX detector [90], and were reconstructed using standard GlueX  
 731 reconstruction software in the same manner as measured data.

732 The kinematical distributions of the final-state particles in ( $\gamma, J/\psi p$ ) events are shown in Fig. 25  
 733 for production from mean-field proton and in Fig. 26 for SRC protons. For mean-field production, the  
 734 leptons (electrons and positrons) have a wide kinematic distribution but a strong correlation between  
 735 the momentum and angle of the particles; these kinematics are strongly controlled by kinematics  
 736 of the decay  $J/\psi \rightarrow e^+e^-$ . The leptons as a result impact in both the Barrel Calorimeter (BCAL)  
 737 and the Forward Calorimeter (FCAL). Particle identification for electrons and positrons is primarily  
 738 possible in the GlueX detector by comparing the energy deposition into the calorimeters with the  
 739 measured momentum of the charged track; for electrons and positrons, these values should have  
 740 a ratio of  $E_{dep}/p_{track} \sim 1$ . The protons are consistently produced at low momentum  $p_{proton} \sim 1$   
 741 GeV/c and at moderate angles. The protons therefore primarily impact the BCAL, and additionally  
 742 frequently have low enough momentum to allow particle identification using  $dE/dx$  and time-of-  
 743 flight. The kinematics for production from SRC protons are largely similar, with the largest difference  
 744 being a wider kinematic distribution for the outgoing proton as a result of larger nuclear momentum.

745 A major consideration in the GlueX detector is resolving the peak of the  $J/\psi \rightarrow e^+e^-$  decay.  
 746 Using only the measured momentum of the leptons in the final state results in a reconstructed  
 747 invariant mass with relatively poor resolution. As the  $J/\psi \rightarrow e^+e^-$  decay sits atop a fairly substantial  
 748 background of both Bethe-Heitler  $e^+e^-$  and photoproduced  $\pi^+\pi^-$ , which cannot be reliably rejected  
 749 by particle identification, improving the resolution of the peak is critical for achieving an accurate  
 750 measure of the  $J/\psi$  yield.

751 In standard GlueX proton-target configuration, kinematic fitting enables very sharp resolution  
 752 of the  $J/\psi$  mass peak [25]. The full exclusivity of the process  $\gamma p \rightarrow J/\psi p$  allows for the constraint of  
 753 total 4-momentum conservation, allowing for improvement in the resolution of poorly reconstructed

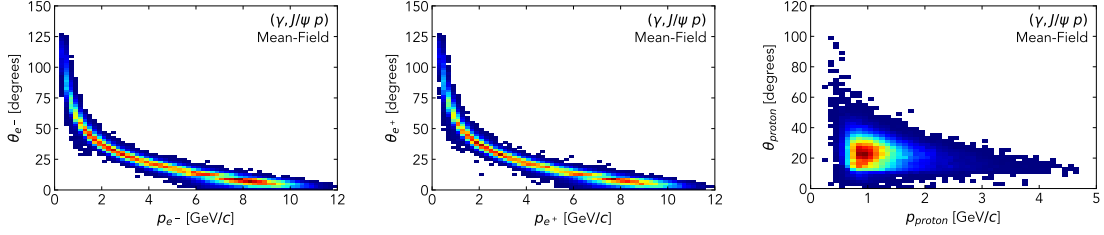


Figure 25: Simulated kinematic distributions for the final-state particles for  $(\gamma, J/\psi p)$  production from mean-field protons. The electron (left) and positron (center) have a wide distribution of kinematics but a strong correlation between the momentum and the angle of the lepton. The proton (right) consistently is produced at moderate angles and low momentum.

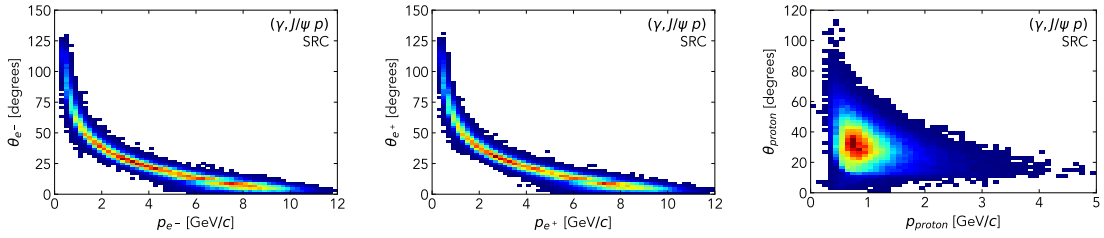


Figure 26: Simulated kinematic distributions for the final-state particles for  $(\gamma, J/\psi p)$  production from SRC protons. Kinematics are similar to those events from mean-field protons, shown in Fig. 25

754 momentum components using those which are well-measured in the GlueX detector. In quasi-elastic  
 755 photoproduction, total exclusivity may no longer be used to improve resolution to the same degree,  
 756 but known kinematic constraints can still be used to improve resolution.

757 Using the previously described “light-front” components of momentum, we note that the “plus”  
 758 component of momentum  $p^+ \equiv E + p_z$  is poorly reconstructed for the high-momentum  $J/\psi \rightarrow$   
 759  $e^+e^-$  final-state. The low-momentum proton is more accurately reconstructed and may be used to  
 760 constrain this component.

761 First, we note the “measured” value of the  $J/\psi$  invariant mass:

$$m_{J/\psi, \text{measured}}^2 = p_{J/\psi}^- \cdot p_{J/\psi}^+ - p_{J/\psi, \perp}^2 \quad (9)$$

762 where the 4-momentum  $p_{J/\psi} \equiv p_{e^+} + p_{e^-}$  of the  $J/\psi$  is calculated from those of the measured  
 763 leptons. One assumption, which holds well for low nuclear momentum, is that of a standing proton  
 764 with no initial momentum. In this case the invariant mass may be redefined by a simple substitution:

$$m_{J/\psi, \text{stationary}}^2 = p_{J/\psi}^- \cdot (m_N + 2E_\gamma - p_{\text{proton}}^+) - p_{J/\psi, \perp}^2 \quad (10)$$

765 Another assumption may be that of a standing SRC pair: the initial proton has substantial  
 766 momentum which is balanced only by a single on-shell spectator nucleon. We may define in this  
 767 case a “recoil” nucleon with momentum

$$p_{\text{rec}} = p_{2N} + p_{\text{beam}} - p_{J/\psi} - p_{\text{proton}} \quad (11)$$

768 and may use this to redefine the  $J/\psi$  mass:

$$m_{J/\psi, \text{QE}}^2 = p_{J/\psi}^- \cdot \left( 2m_N + 2E_\gamma - p_{\text{proton}}^+ - \frac{m_N^2 + p_{\text{rec}, \perp}^2}{p_{\text{rec}}} \right) - p_{J/\psi, \perp}^2 \quad (12)$$

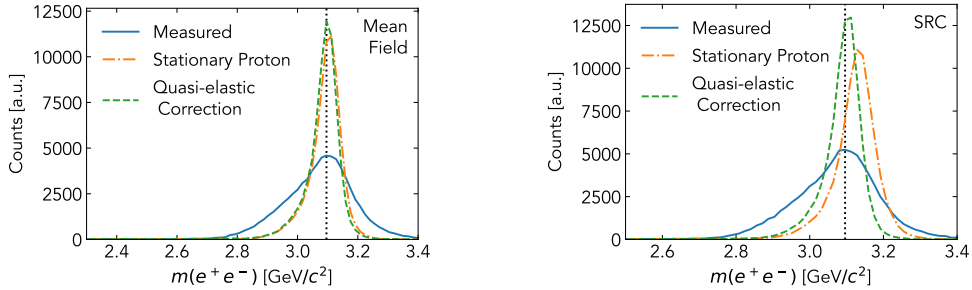


Figure 27: Simulated invariant dilepton mass for  $(\gamma A \rightarrow J/\psi pX)$ , in the mean-field regime (left) and the SRC regime (right). The measured invariant mass (blue, solid) is poorly resolved and has a substantial tail at low invariant masses. The assumption of a standing proton (orange, dash-dot) improves the  $J/\psi$  resolution for the mean-field case, but is shifted in the case of large nuclear motion for SRC protons. The two-body quasi-elastic correction to the mass (green, dashed) shows the largest improvement in the resolution for both cases.

769 In Fig. 27 we show these three methods of reconstructing the  $J/\psi$  mass, both in the case of  
 770 small nuclear motion (mean-field) and large motion (SRC). The measured mass value in each case is  
 771 poorly reconstructed, with a large width and a substantial tail to lower masses. The assumption of  
 772 the stationary proton works considerably better in the mean-field case, improving the resolution by  
 773 a factor of  $\sim 3$ . This assumption is still an improvement in the SRC case, but deviates significantly  
 774 from the true  $J/\psi$  mass due to the large nuclear motion. The two-body quasi-elastic correction is  
 775 shown to be a substantial improvement in both cases, matching the standing-proton assumption  
 776 for the mean-field and improving upon it for SRC production. This correction can be seen to be  
 777 generally effective for allowing efficient reconstruction of the decay  $J/\psi \rightarrow e^+e^-$ .

778 We have also examined existing  $\gamma^4\text{He}$  data taken in the GlueX detector during the SRC-CT  
 779 experiment to verify that this observable allows for successful identification of a  $J/\psi \rightarrow e^+e^-$  peak  
 780 above backgrounds. Fig. 28 shows the measured dilepton invariant mass for selected  $\gamma^4\text{He} \rightarrow J/\psi pX$   
 781 events, with the application of particle-identification and fiducial cuts, as well as cuts on the energy-  
 782 balance of the reaction to remove accidental beam photons. The quasi-elastic correction of Eq. 12 has  
 783 been applied to improve the  $J/\psi$  mass resolution. It is clear that the application of this correction  
 784 allows the resolution of the  $J/\psi$  into a statistically significant peak above background. The total yield  
 785 of  $J/\psi$  events in this data is low, which is unsurprising given the total integrated nucleus-luminosity  
 786 of  $16.7 \text{ pb}^{-1}$  and the lower beam energy during the run.

787 We also use simulation to estimate the efficiency of detecting  $\gamma^4\text{He} \rightarrow J/\psi pX$  events. Stringent  
 788 cuts must be placed on data to remove the large backgrounds contributing to an apparently-similar  
 789 final-state, and it is necessary to quantify the impact of these selection criteria, along with detector  
 790 efficiency, on the measured signal yield. Fig. 29 shows the simulated efficiency for generated  $\gamma^4\text{He} \rightarrow$   
 791  $J/\psi pX$  events as a function of the beam photon energy. This efficiency includes both the inherent  
 792 detector effects and the impact of particle-identification, fiducial, and energy-balance cuts previously  
 793 listed. We observe that the efficiency is roughly constant as a function of beam energy, and stays  
 794 between  $15 - 20\%$  over the simulated range. This efficiency is somewhat smaller than for the  
 795 exclusive process  $\gamma p \rightarrow J/\psi p$  in GlueX, but remains relatively high and sufficient for a differential  
 796 measurement.

## 797 4.2 Coherent Photopeak Energy Optimization

798 The placement of the coherent peak of the diamond radiator has a significant impact upon the photon  
 799 flux as a function of  $E_\gamma$ , and is therefore of greatest relevance when considering the measurement

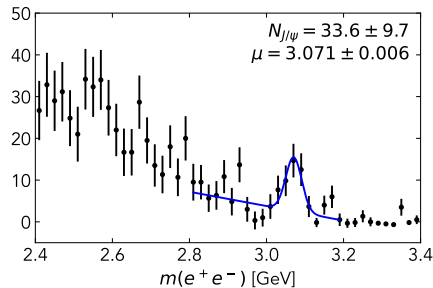


Figure 28: Measured dilepton invariant mass for  $\sigma(\gamma^4\text{He} \rightarrow J/\psi pX)$  during the previous SRC-CT experiment in Hall D. The quasi-elastic correction of Eq. 12 is used here in reconstructing the mass. The  $J/\psi$  mass peak can be seen at around 3.07 GeV, slightly shifted from the known value. In blue is a fit using a Gaussian signal and a linear background.

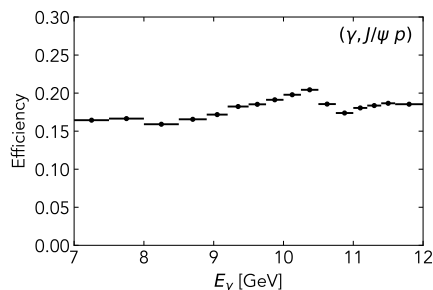


Figure 29: Total efficiency for measuring  $\gamma^4\text{He} \rightarrow J/\psi pX$  events as a function of  $E_\gamma$ , calculated using simulation. The efficiency is simulated to be between 15 – 20% and roughly constant with  $E_\gamma$ .

800 of the  $J/\psi$  incoherent cross section. The placement of the coherent peak was selected in order to  
 801 maximize our ability to measure the sub-threshold cross section for  $J/\psi$  from  ${}^4\text{He}$ . A coherent  
 802 peak at 8 GeV greatly enhances the tagged luminosity below the  $J/\psi$  threshold, and results in an  
 803 estimated  $\sim 40$  measured  $J/\psi$  events from beam photons with energies  $E_\gamma < 8$  GeV.

804 A smaller coherent peak energy of 7.5 GeV was also considered, in order to improve the mea-  
 805 surement in the deeper sub-threshold region of  $E_\gamma < 7.5$  GeV. It was found that the total number of  
 806  $J/\psi$  events with  $E_\gamma < 8$  GeV was reduced to 20 in this case, with only a small relative enhancement  
 807 to the  $E_\gamma < 7.5$  GeV bin (which remains below 10 estimated events). This is primarily an effect  
 808 of the fact that the Hall D Tagger Hodoscope for  $E_\gamma \lesssim 7.8$  GeV is only a sampling tagger, and  
 809 has only a 50% acceptance for the tagging of beam photons. As a result of this, and the very low  
 810 predicted  $J/\psi$  cross section for these photon energies, it is challenging to optimize for a reasonable  
 811 measurement of the  $J/\psi$  deeply-sub-threshold cross section with  $E_\gamma < 7.5$  GeV.

812 For completeness we also considered a coherent peak energy at an energy of 9 GeV. This increases  
 813 the average beam photon energy and results in an increased total  $J/\psi$  yield from  $\sim 1300$  to  $\sim 1700$ .  
 814 However, these increases are in photon energy ranges which are already predicted to have relatively  
 815 high yields; the total number of  $J/\psi$  events with  $E_\gamma < 8$  GeV is again reduced to  $\sim 20$ .

816 In order to optimize the number of sub-threshold events, we found that a coherent peak energy  
 817 of 8 GeV resulted in roughly twice as many events with  $E_\gamma < 8$  GeV than the other two cases  
 818 considered. We therefore select this as the optimal coherent peak for mapping out the process  
 819  $\sigma(\gamma^4\text{He} \rightarrow J/\psi pX)$  as a function of beam photon energy.



820 It is worth noting that it could be possible to improve the tagging efficiency for lower photon  
 821 energies by adding extra taggers to the “sampling” region of the Hall D Tagger Hodoscope. This  
 822 could potentially improve the measurement of sub-threshold  $J/\psi$  in the kinematic region  $E_\gamma \lesssim 7.8$   
 823 GeV. However, the ability to implement this in Hall D requires further study, and this possibility  
 824 was not factored into either the selection of the coherent peak energy or the estimated event rates.

825 For estimates in this proposal calculated using the projected flux, we assumed a tagged flux  
 826 equivalent to the SRC-CT experiment [60], roughly  $3.4 \times 10^7$   $\gamma/s$  when summing over all energy  
 827 bins. This results in an estimated integrated luminosity of  $\sim 160$   $\text{pb}^{-1}$ ·nucleus ( $E_\gamma > 6$  GeV), an  
 828 increase over the SRC-CT  $^4\text{He}$  data by a factor of 10.

### 829 4.3 Expected Rates

#### 830 4.3.1 Hard SRC Breakup Measurements

831 Current data measured on  $^4\text{He}$  enables us to estimate the event rates for the measured SRC yields.  
 832 Using the event yields observed in current data, we scale by the expected 100 PAC days to determine  
 833 the estimated number of events for each channel of interest at different values of momentum-transfer  
 834  $t$ . We show in Table 1 the projected rates for semi-inclusive  $(\gamma, \rho^0 p)$  photoproduction from mean-  
 835 field nucleons as well as for exclusive  $(\gamma, \rho^0 pp)$  and  $(\gamma, \rho^- pp)$ , which probe 2N-SRC proton-proton  
 836  $pp$  and neutron-proton  $np$  pairs respectively. We also calculate the event rates for exclusive 3N-SRC  
 837 breakup channels by estimating the relative abundance of 2N- and 3N-SRCs in  $^4\text{He}$ . We anticipate a  
 838 high-statistics coverage of 2N-SRC breakup events, which extend well into the region of large  $|t|$  and  
 839 enable mapping out any  $|t|$ -dependence. For 3N-SRC breakup, we expect a modest yield of events  
 840 with a sufficient momentum transfer of  $|t| > 1.5$   $\text{GeV}^2$ , though any harsher requirement on  $|t|$  would  
 841 substantially reduce event yields.

Table 1: Expected number of counts for various MF, 2N, and 3N knockout reactions for different values of momentum-transfer  $t$ .

	MF	2N-SRC		3N-SRC	
Reaction	$(\gamma, \rho^0 p)$	$(\gamma, \rho^0 pp)$	$(\gamma, \rho^- pp)$	$(\gamma, \rho^0 ppp)$	$(\gamma, \rho^- ppp)$
# Events Projected $^4\text{He}$ ( $ t  > 1.5$ $\text{GeV}^2$ )	510k	10k	12k	100	120
# Events Projected $^4\text{He}$ ( $ t  > 2$ $\text{GeV}^2$ )	110k	2.5k	4.7k	30	50
# Events Projected $^4\text{He}$ ( $ t  > 3$ $\text{GeV}^2$ )	20k	500	480	5	5

#### 842 4.3.2 $J/\psi$ Photoproduction

843 The simulations of incoherent  $J/\psi$  photoproduction described in Sec. 4.1.2 were used to perform  
 844 yield estimates for 100 days of running. Fig. 30 (left) shows the estimated yield of semi-inclusive  
 845  $(J/\psi p)$  events in bins of beam photon energy  $E_\gamma$ . We find that the estimated yields are sufficient  
 846 to allow a differential measurement in  $E_\gamma$ , and to provide sufficiently fine binning to map out the  
 847 cross section over the  $J/\psi$  threshold while maintaining adequate statistics in each bin. Notably, we  
 848 anticipate a yield of  $\sim 40$  subthreshold  $J/\psi$  photoproduction events in addition to roughly 1300  
 849 higher-energy events.

850 We also use these yields in bins of  $E_\gamma$  to estimate the precision on the total incoherent cross  
 851 section  $\sigma(\gamma^4\text{He} \rightarrow J/\psi pX)$  as a function of  $E_\gamma$ , as shown in Fig. 30 (right). The fractional statistical  
 852 uncertainties on the cross section are calculated as  $1/\sqrt{N}$  for each bin. The uncertainties resulting  
 853 from background statistics are estimated to be twice the systematic uncertainties. Other point-to-  
 854 point systematic uncertainties are estimated to be 10%, and the overall normalization uncertainty  
 855 is estimated to be 25%, in both cases similar to the previous GlueX study [25].

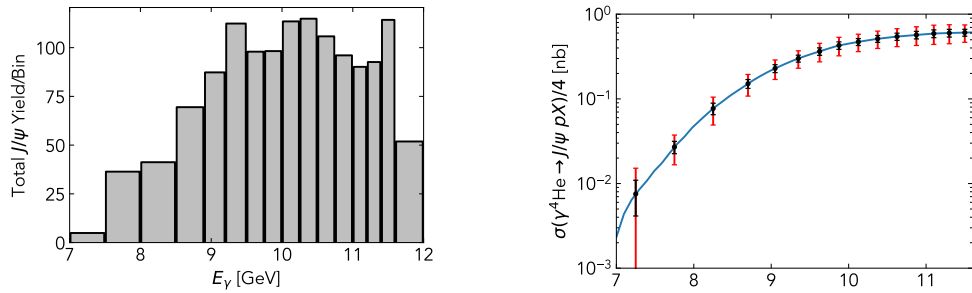


Figure 30: (Left): Projected yields for  $(\gamma^4\text{He} \rightarrow J/\psi pX)$  as a function of beam photon energy  $E_\gamma$ . Bin sizes were selected to provide a balance between the statistical uncertainties of the points. (Right): Projected measurement of  $\sigma(\gamma^4\text{He} \rightarrow J/\psi pX)$  as a function of  $E_\gamma$ . In black are shown the estimated statistical uncertainties resulting from the measured  $J/\psi \rightarrow e^+e^-$  yield. In red are the estimated total uncertainties, including the contributions from background and point-to-point systematic uncertainties. Not shown is an estimated 25% overall normalization uncertainty.

## 5 Relation to Other 12 GeV Experiments

The goal of this experiment is to perform the highest-statistics measurement of real photonuclear reactions at JLab energies. No equivalent dataset yet exists, but two complementary experiments should be noted.

The recent Hall D SRC-CT experiment E12-19-003 [60] measured 28 days of beam split between the nuclear targets  $^2\text{H}$ ,  $^4\text{He}$ , and  $^{12}\text{C}$ . This experiment sought to perform first measurement of photonuclear probes of SRCs, as well as high-energy measurements of color-transparency in meson photoproduction reactions. This measurement lack the luminosity requested in this proposal, but has the benefit of examining multiple nuclei. This comparison between these nuclei allows for studying  $A$ -dependent phenomena in SRCs such as abundance and center-of-mass behavior. The interpretation of these data will be greatly aided by a the proposed high-statistics measurement of a single nucleus, which will aid in our understanding of the reaction mechanisms at play in these measurements. We note that these data also allow measuring the total  $(\gamma, J/\psi p)$  cross section across these three nuclei when integrating over beam photon energy, but do not allow a differential measurement as proposed here.

The Hall B Run Group M measurement E12-17-006 [59] is another relevant measurement as the only other high-luminosity, large-acceptance measurement of SRC breakup in the 12-GeV era. This measurement has taken place and the data is being used to perform high-statistics studies of exclusive SRC breakup. The statistics of this measurement have allowed study of the reaction-mechanisms at play in electron-scattering measurements by examining the  $Q^2$ -dependence of observables. In addition, the large number of targets used in the experiment are allowing study of the  $A$ -dependence of exclusive SRC breakup reactions.

## 6 Summary

We propose a 100-day measurement using the real photon beam in Hall D, a  $^4\text{He}$  target, and the GlueX detector in its standard configuration, in order to study SRC breakup reactions, search for exclusive 3N-SRC breakup, and to measure nuclear  $J/\psi$  photoproduction at and below the energy threshold. The high statistics of this measurement allows for precision study of the reaction mechanisms involved in photoproduction breakup of SRCs, complementing similar study of reaction mechanisms using SRC measurements in Hall B. The high luminosity also allows for a large number of  $J/\psi$  events over a wide energy range, allowing for a detailed probe of high- $x$  gluons in the nucleus not possible at other facilities.

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