

# U, LT, TT Legendre Moments: $\chi^2$

## Hybrid Baryons

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# Legendre moments

$$P_m = \frac{2m+1}{2} \int_{-1}^1 L_m(x) f(x) dx$$

$$L_m(x) = \sum_{j=0}^m a_{mj} x^j \quad a_{mj} = (-1)^{(m-j)/2} \frac{1}{2^m} \frac{(m+j)!}{\left(\frac{m-j}{2}\right)! \left(\frac{m+j}{2}\right)! j!} \quad m-j = even$$

$$L_0 = 1$$

$$L_1 = \cos\vartheta$$

$$L_2 = \frac{1}{2} (3\cos^2\vartheta - 1)$$

$$L_3 = \frac{1}{2} (5\cos^3\vartheta - 3\cos\vartheta)$$

$$L_4 = \frac{1}{8} (35\cos^4\vartheta - 30\cos^2\vartheta + 3)$$

$$L_5 = \frac{1}{8} (63\cos^5\vartheta - 70\cos^3\vartheta + 15\cos\vartheta)$$

$$L_6 = \frac{1}{16} (231\cos^6\vartheta - 315\cos^4\vartheta + 105\cos^2\vartheta - 5)$$

# $\chi^2$ vs $A_{1/2}$

The dependency of  $\chi^2$  calculated as

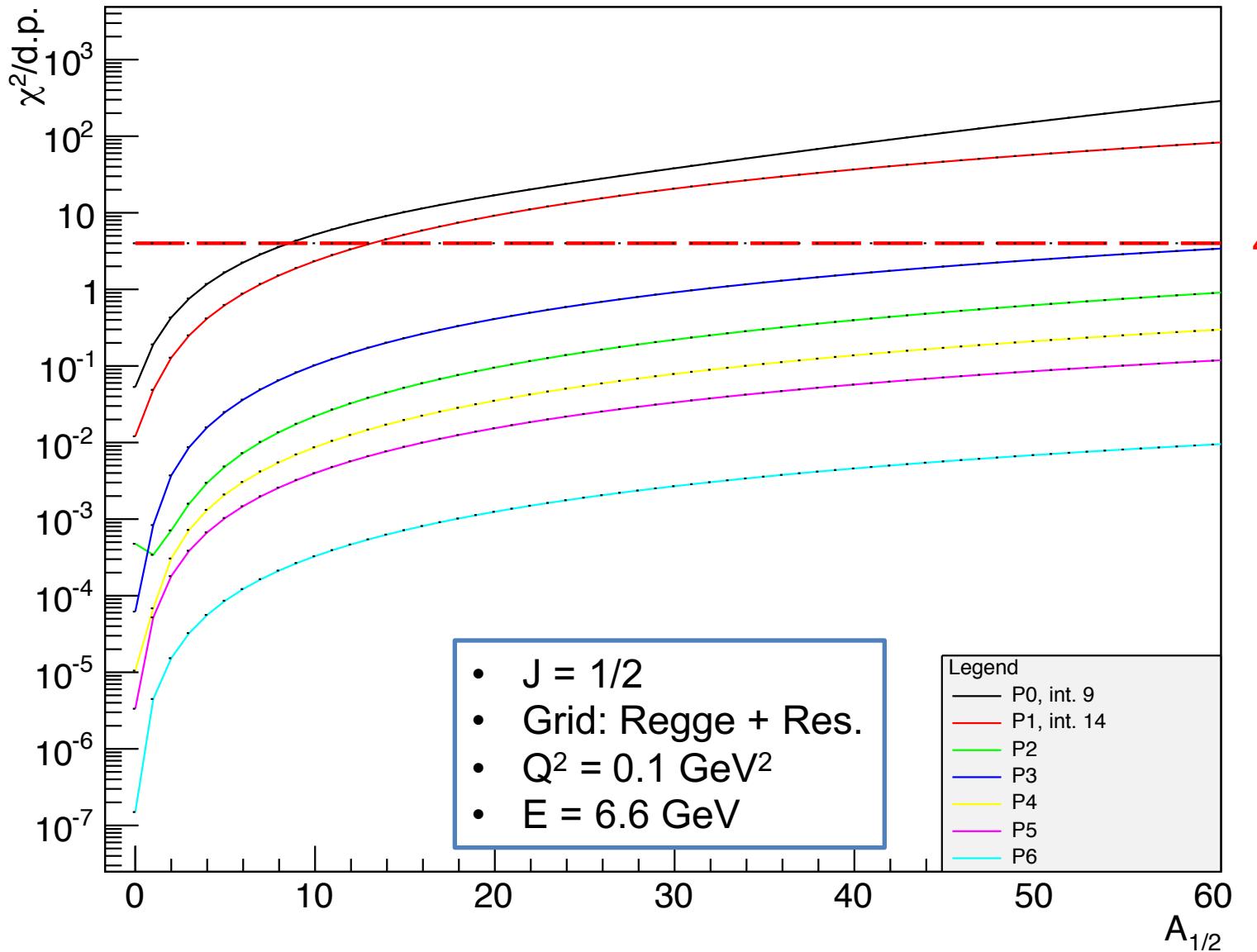
$$\chi^2 = \frac{1}{N_{d.p.}} \sum_w \frac{(P_m^{model + hybrid, variable A_{1/2}} - P_m^{model})^2}{\delta^2}$$

on a variable  $A_{1/2}$  has been estimated for Legendre moments  $P_0, \dots, P_6$  for different configurations:

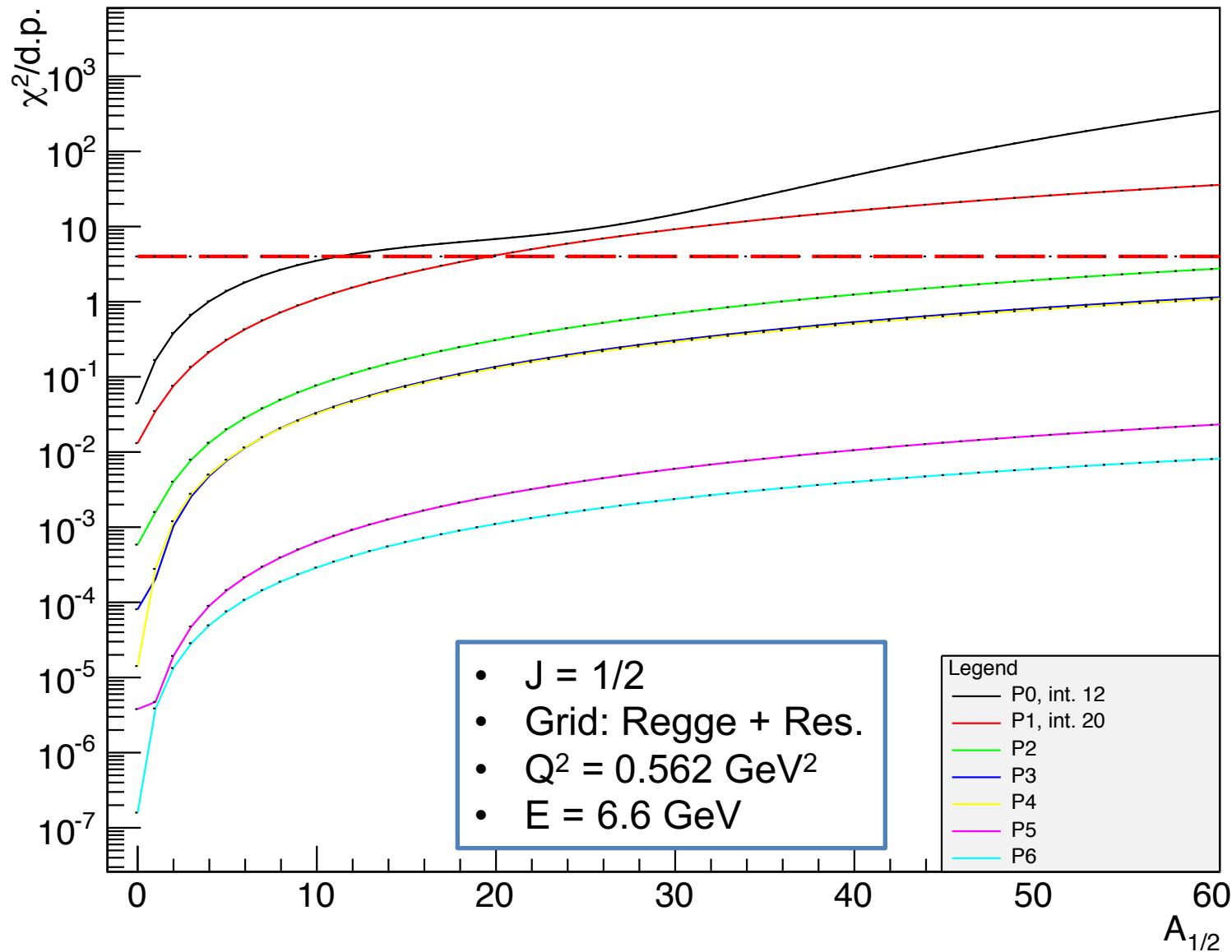
- $E_{beam} = 6.6 \text{ GeV}, 8.8 \text{ GeV} \rightarrow \text{same results}$
- $Q^2 = 0.1 \text{ GeV}^2, 0.562 \text{ GeV}^2, 1.002 \text{ GeV}^2$

For each curve the value of  $A_{1/2}$  for which the  $\chi^2$  exceeds 4 has been obtained.

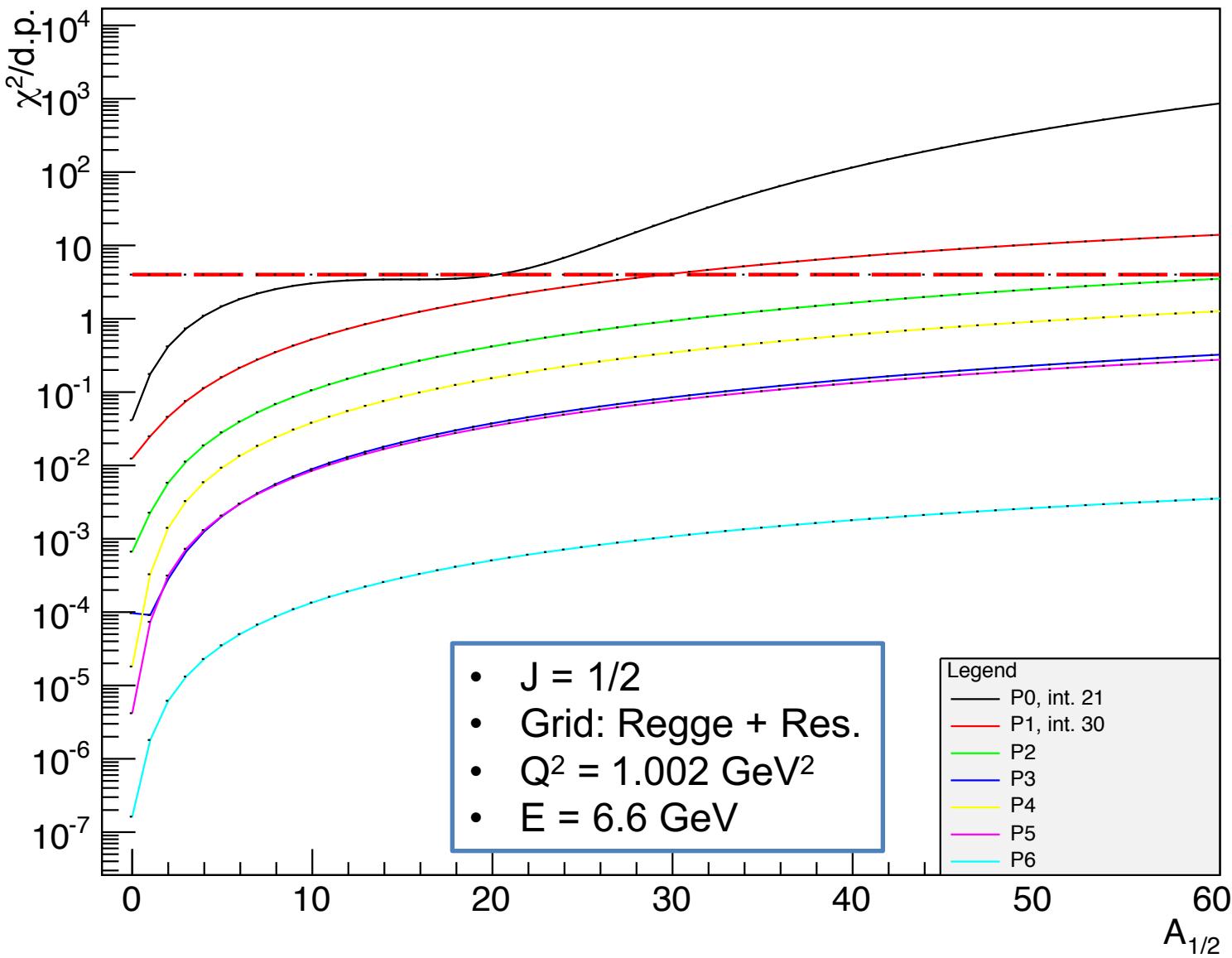
# U Legendre moment: $\chi^2$ vs $A_{1/2}$



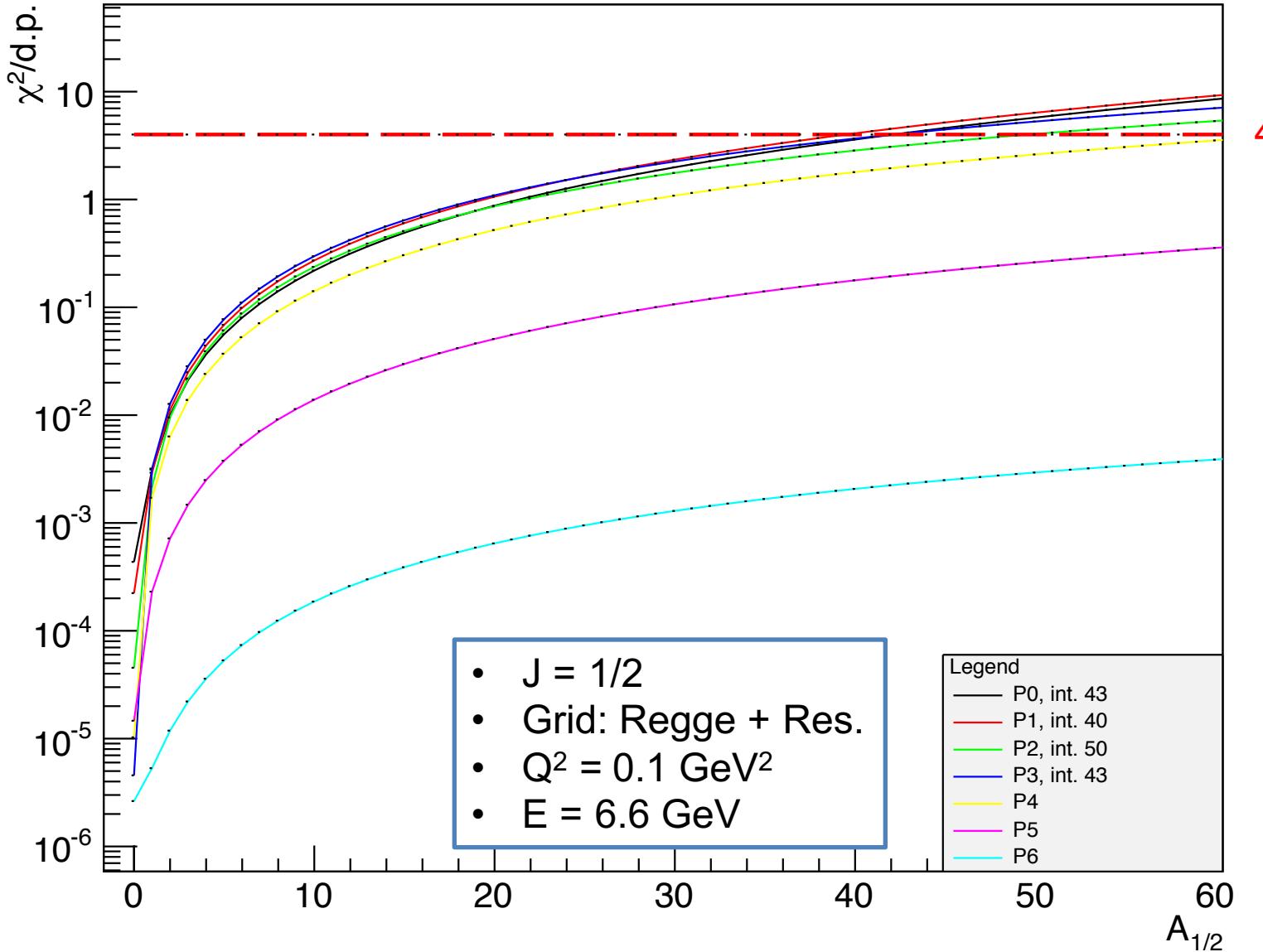
# U Legendre moment: $\chi^2$ vs $A_{1/2}$



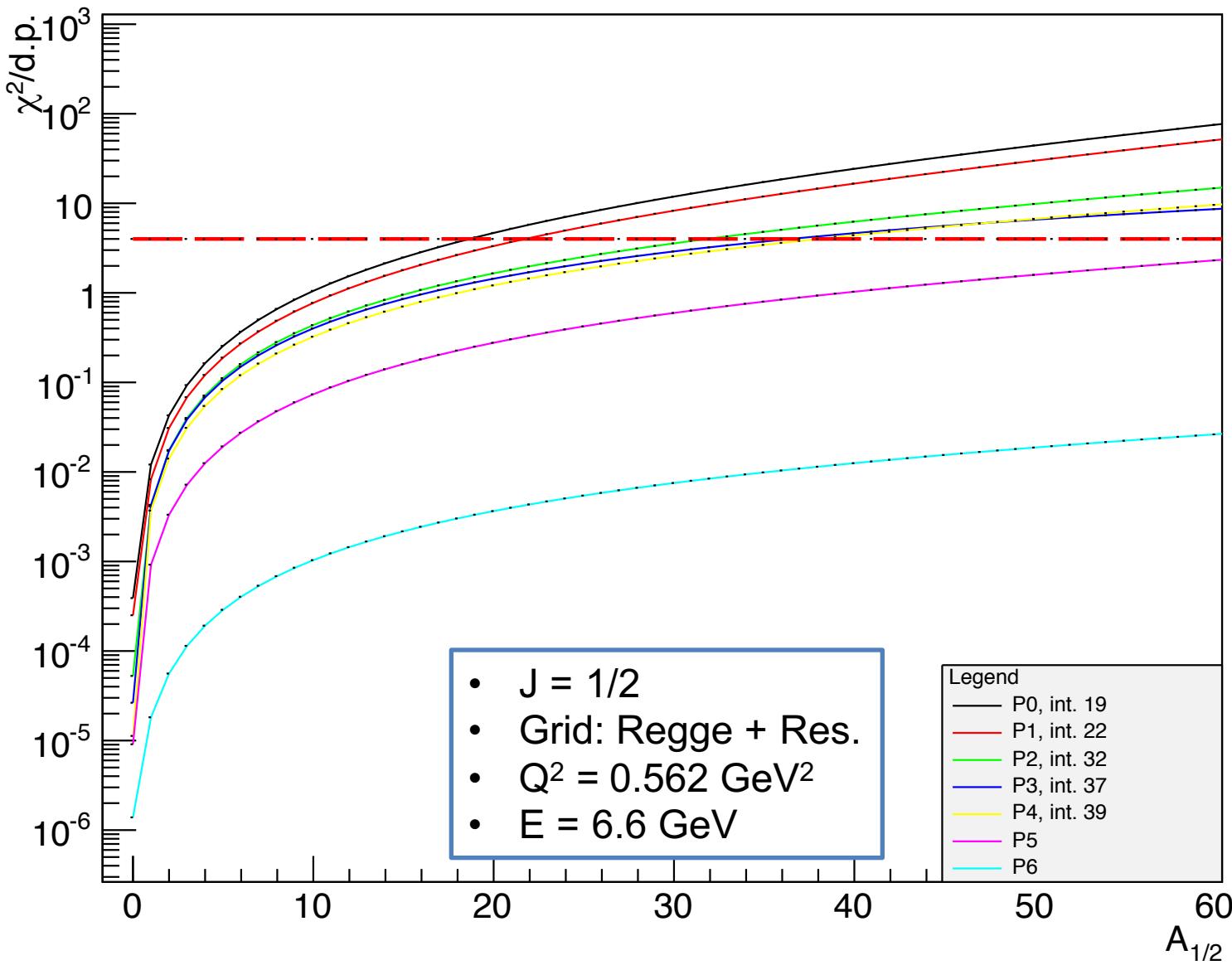
# U Legendre moment: $\chi^2$ vs $A_{1/2}$



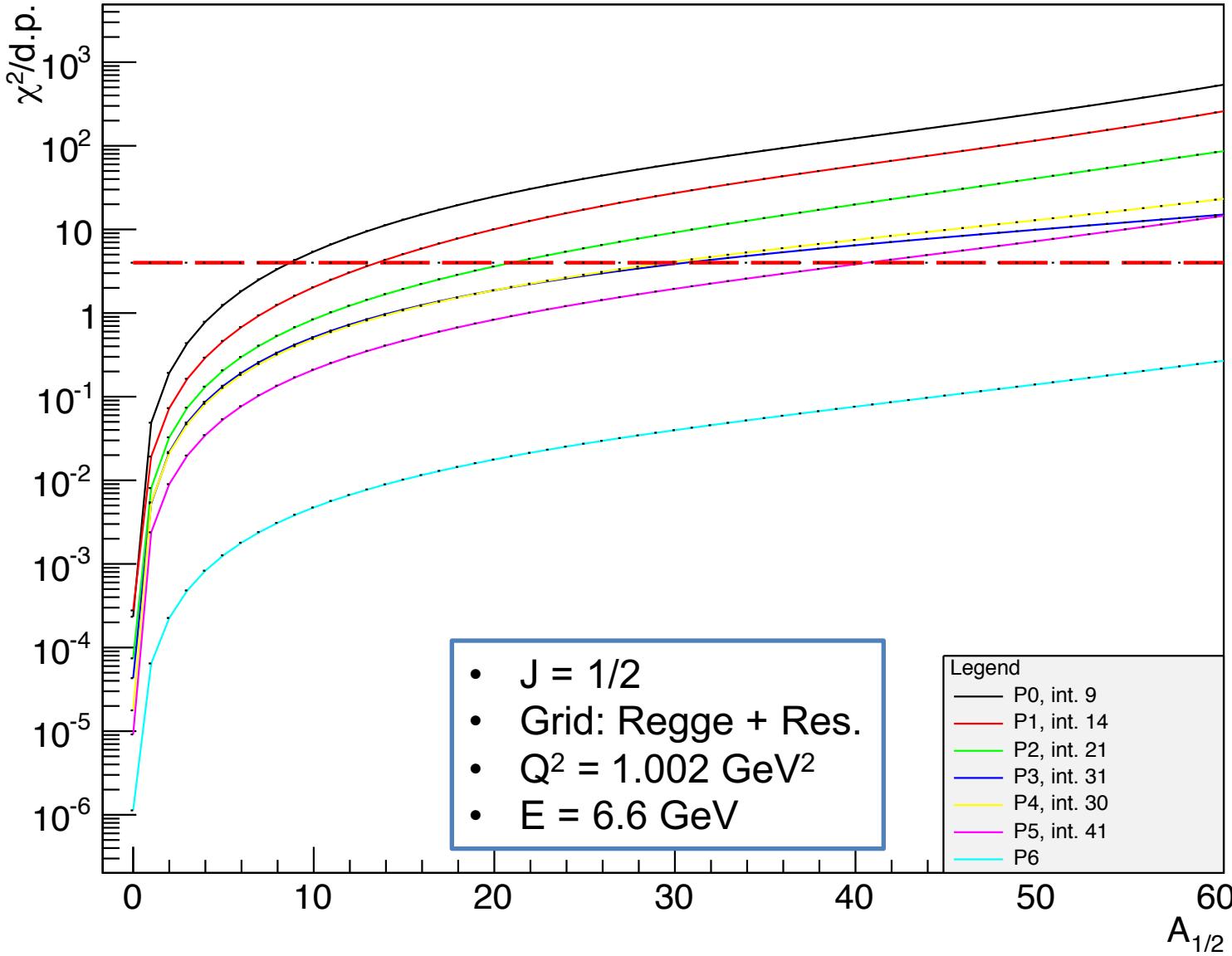
# LT Legendre moment: $\chi^2$ vs $A_{1/2}$



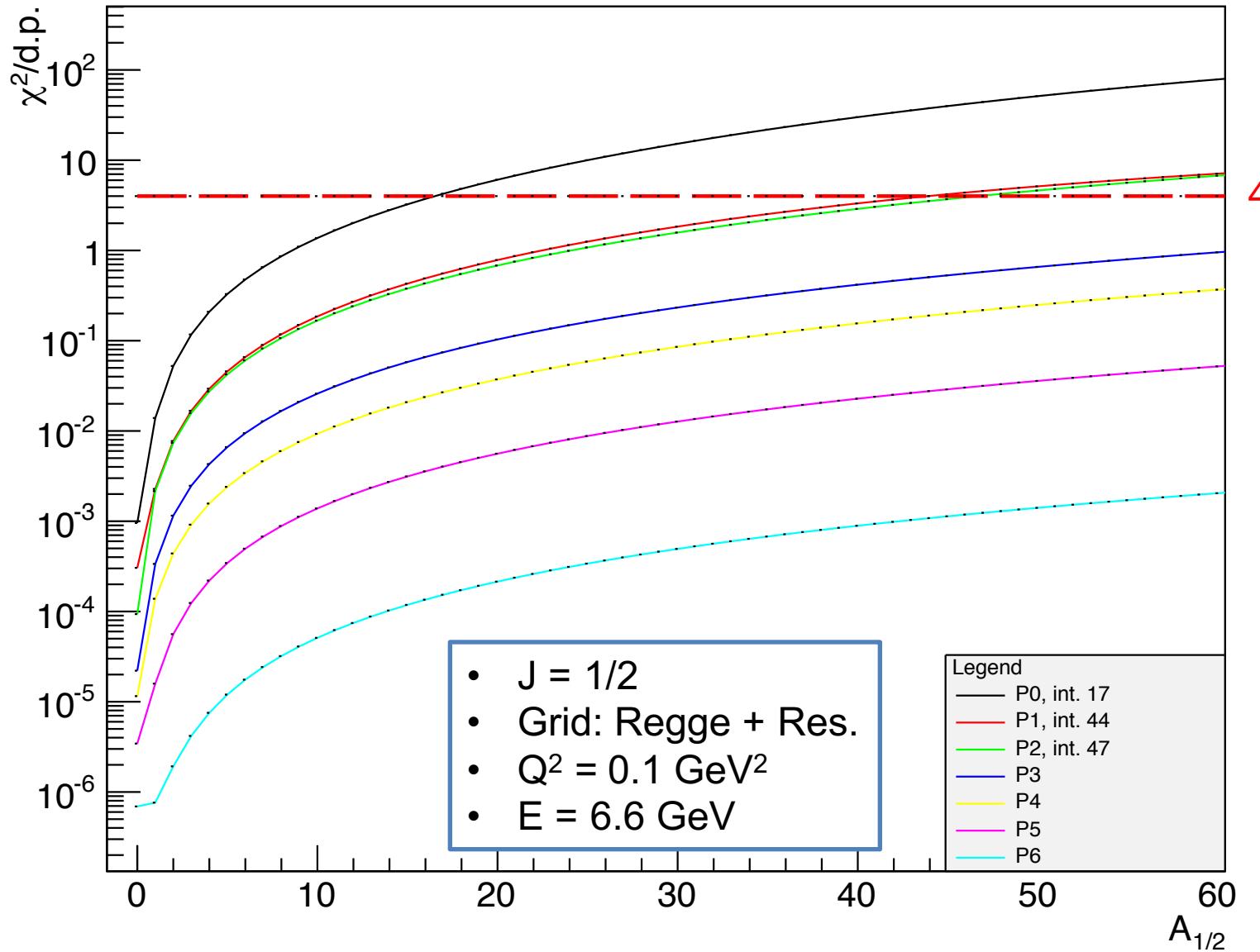
# LT Legendre moment: $\chi^2$ vs $A_{1/2}$



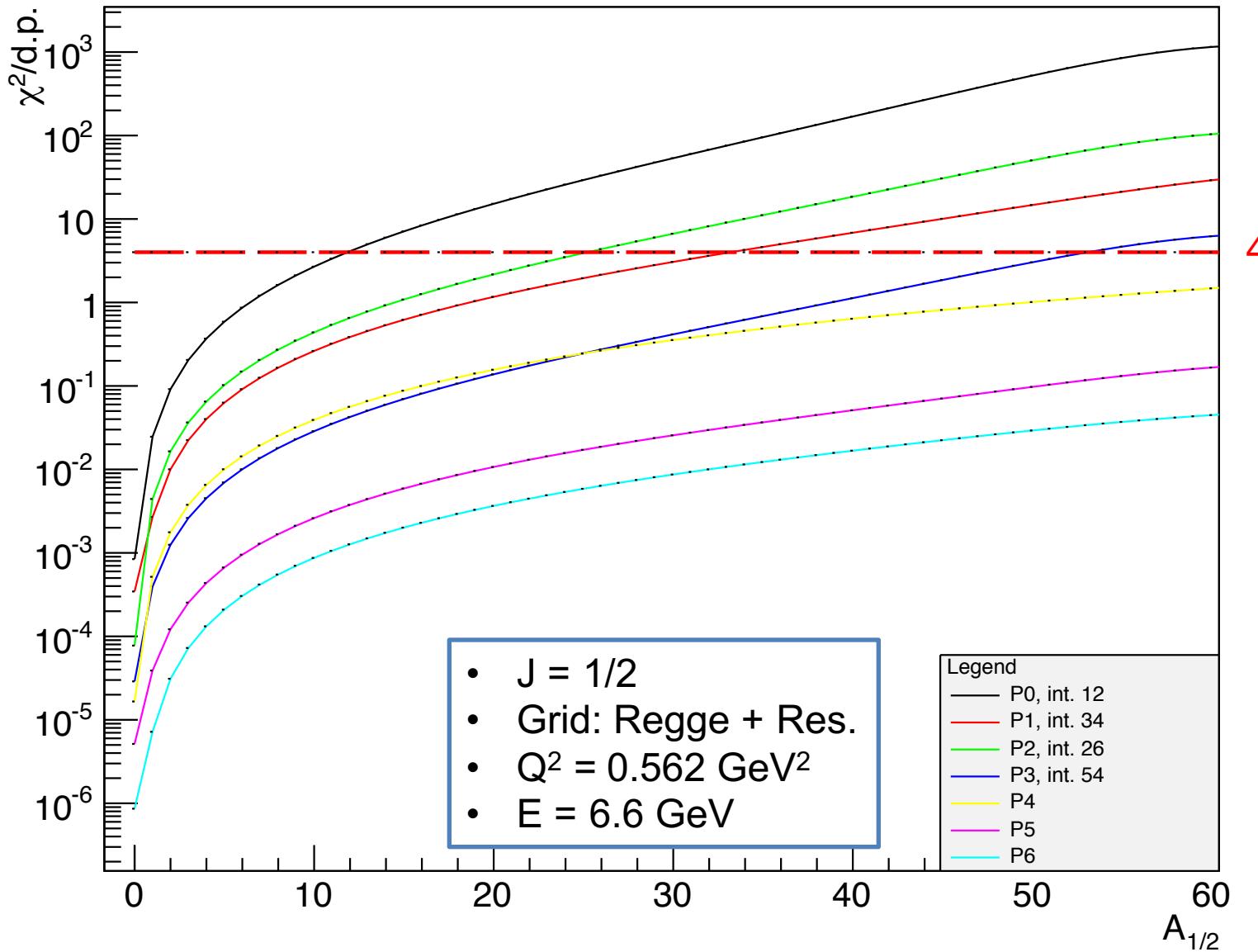
# LT Legendre moment: $\chi^2$ vs $A_{1/2}$



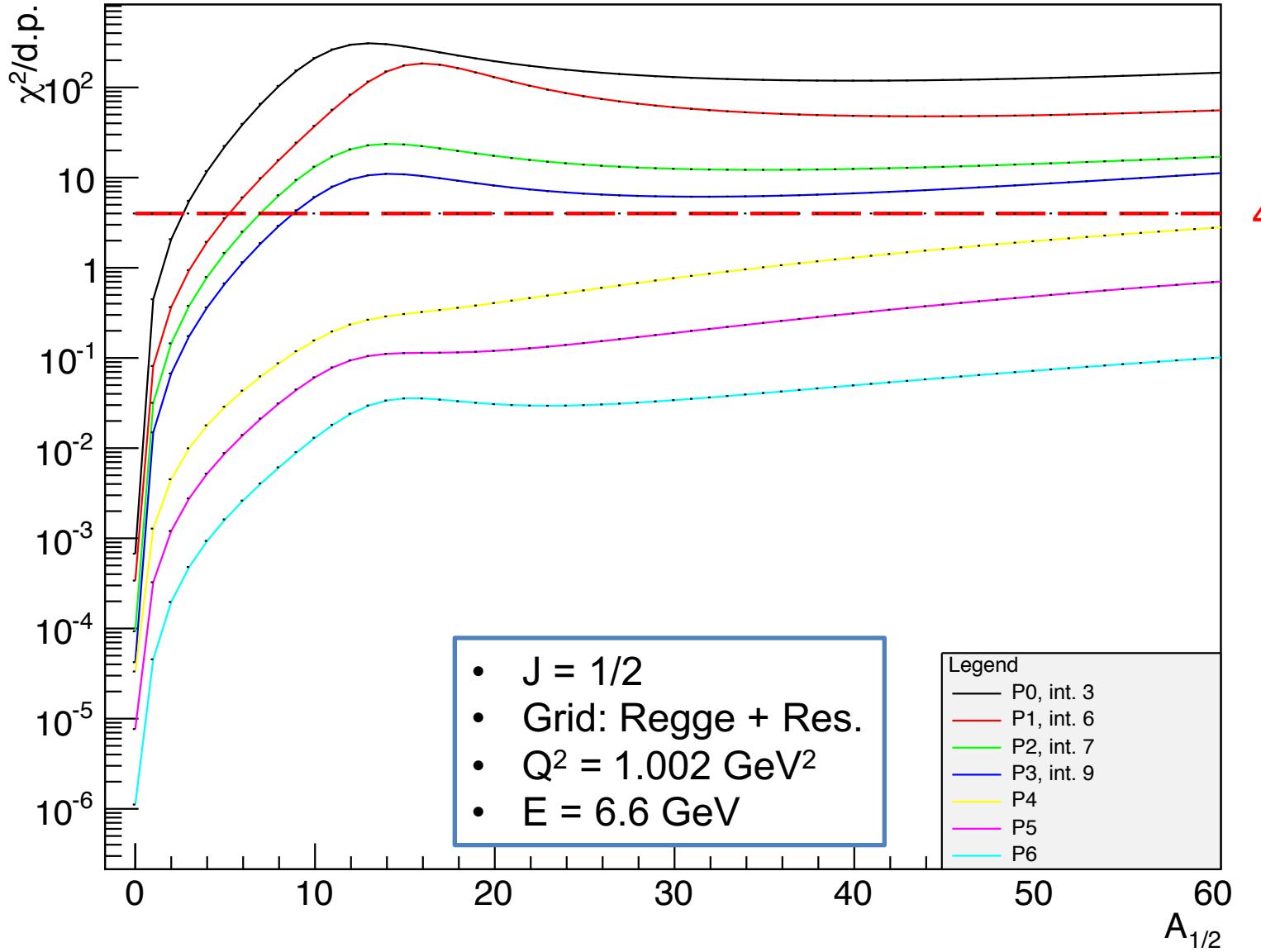
# TT Legendre moment: $\chi^2$ vs $A_{1/2}$



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# $\chi^2$ vs $M_{res}$

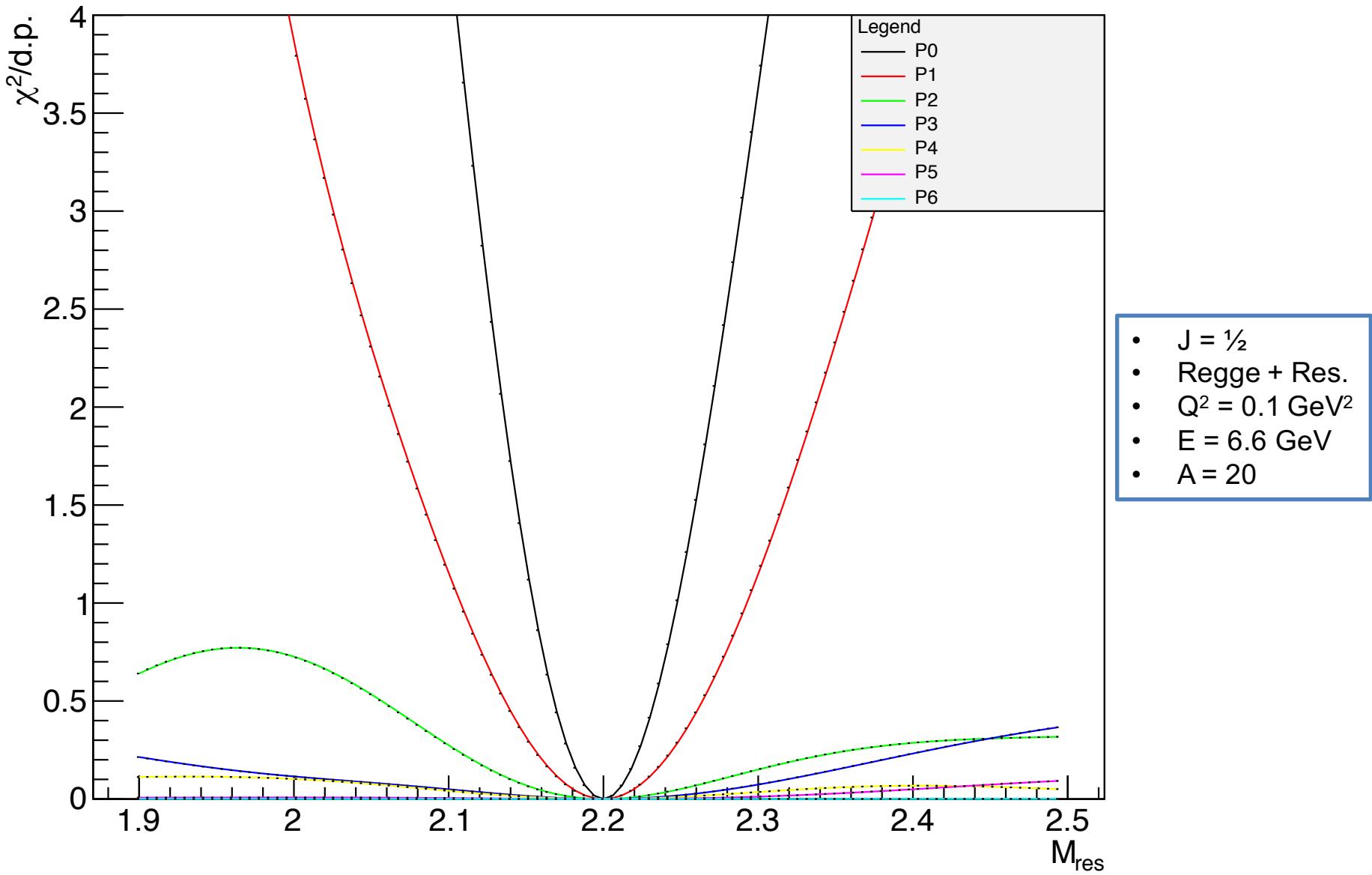
The dependency of  $\chi^2$  calculated as

$$\chi^2 = \frac{1}{N_{d.p.}} \sum_W \frac{(P_m^{model + hybrid with M_{res}=2.2 \text{ GeV}} - P_m^{model + hybrid with variable M_{res}})^2}{\delta^2}$$

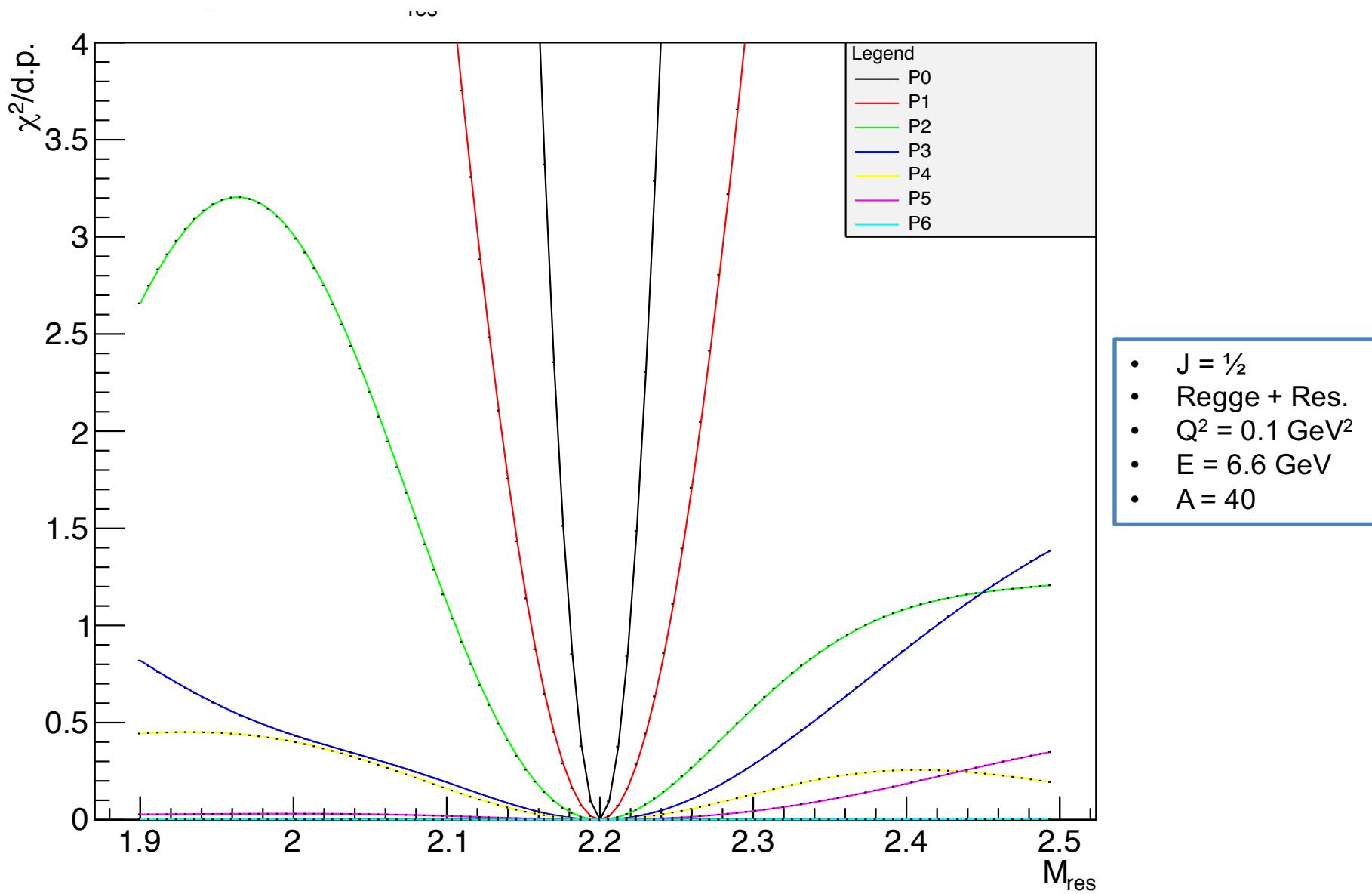
on a variable  $M_{res}$  has been estimated for Legendre moments  $P_0, \dots, P_6$  for different configurations:

- $E_{beam} = 6.6 \text{ GeV}, 8.8 \text{ GeV} \rightarrow \text{same results}$
- $A_{1/2} = 20, 40$
- $Q^2 = 0.1 \text{ GeV}^2, 0.562 \text{ GeV}^2, 1.002 \text{ GeV}^2$

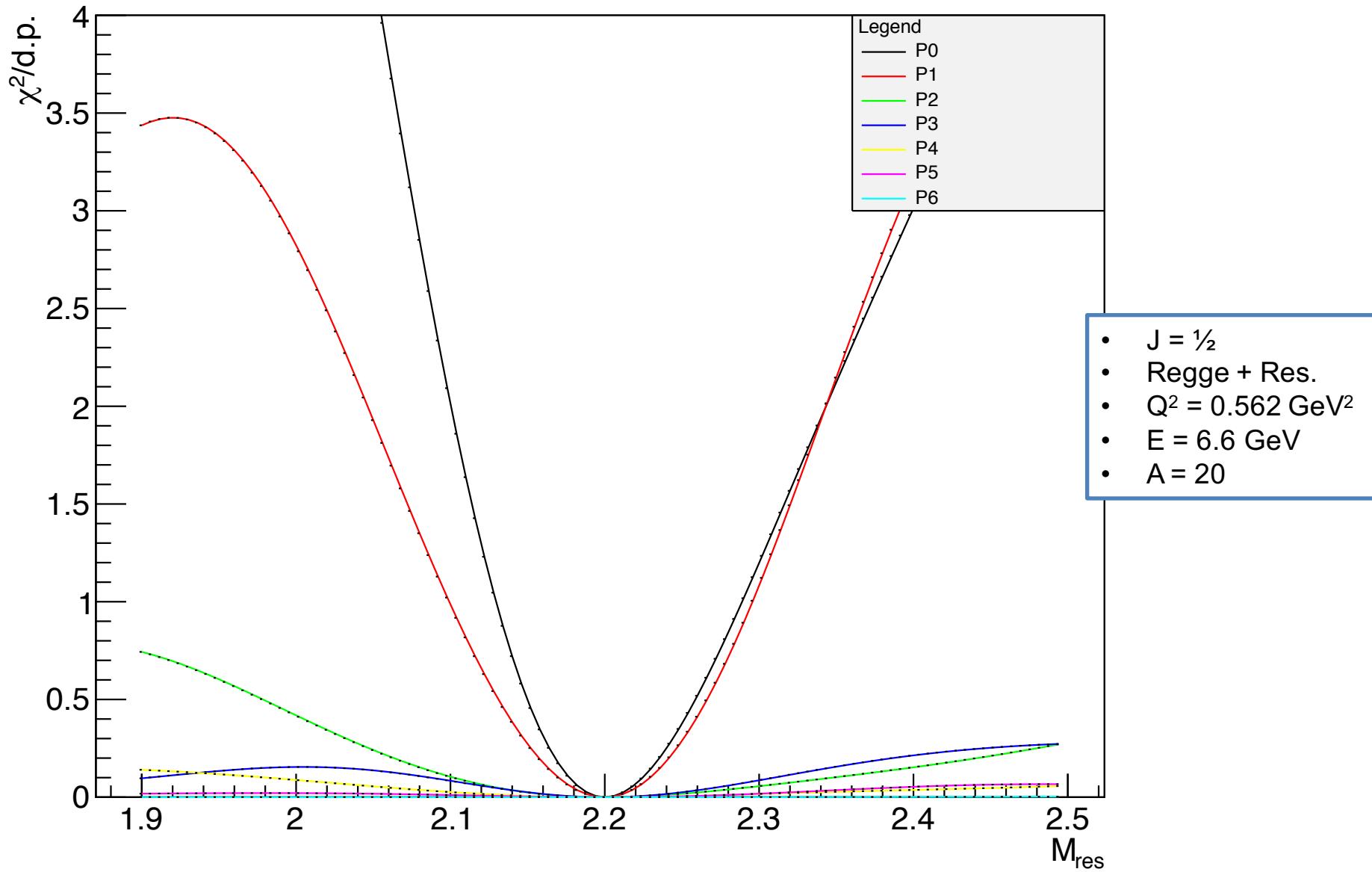
# $\mathbb{U}$ Legendre moment: $\chi^2$ vs $M_{\text{res}}$



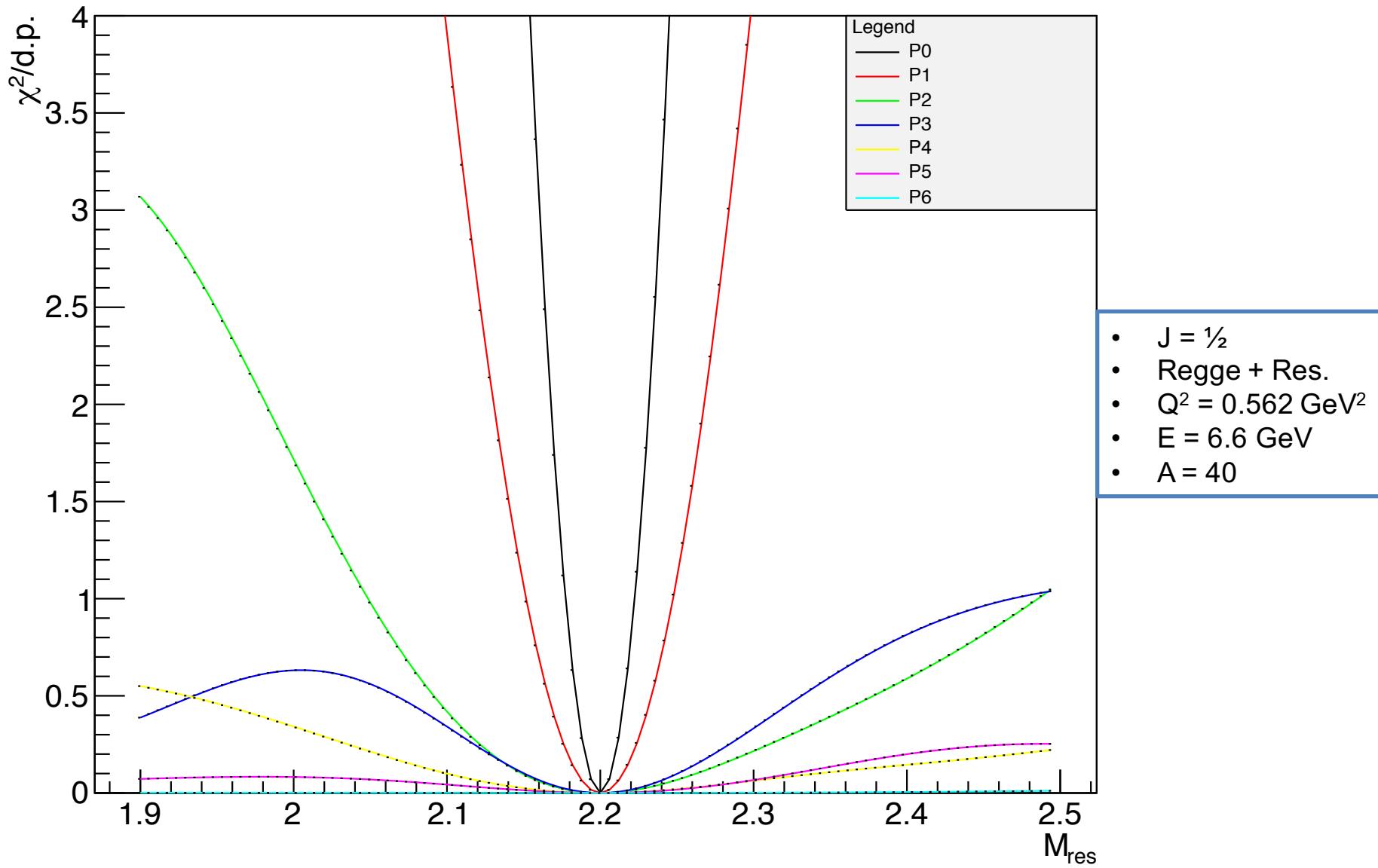
# U Legendre moment: $\chi^2$ vs $M_{\text{res}}$



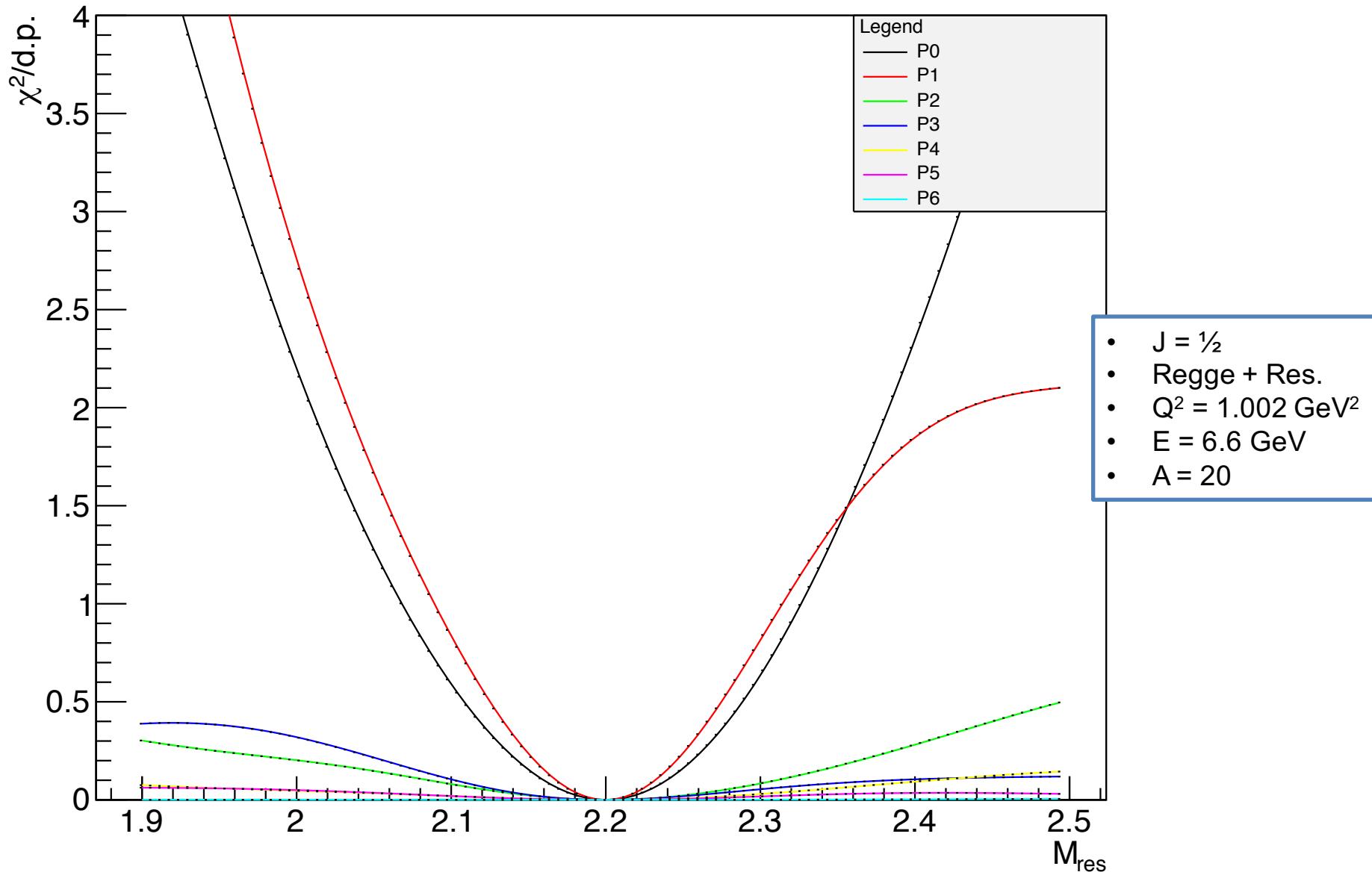
# $\chi^2$ Legendre moment: $\chi^2$ vs $M_{\text{res}}$



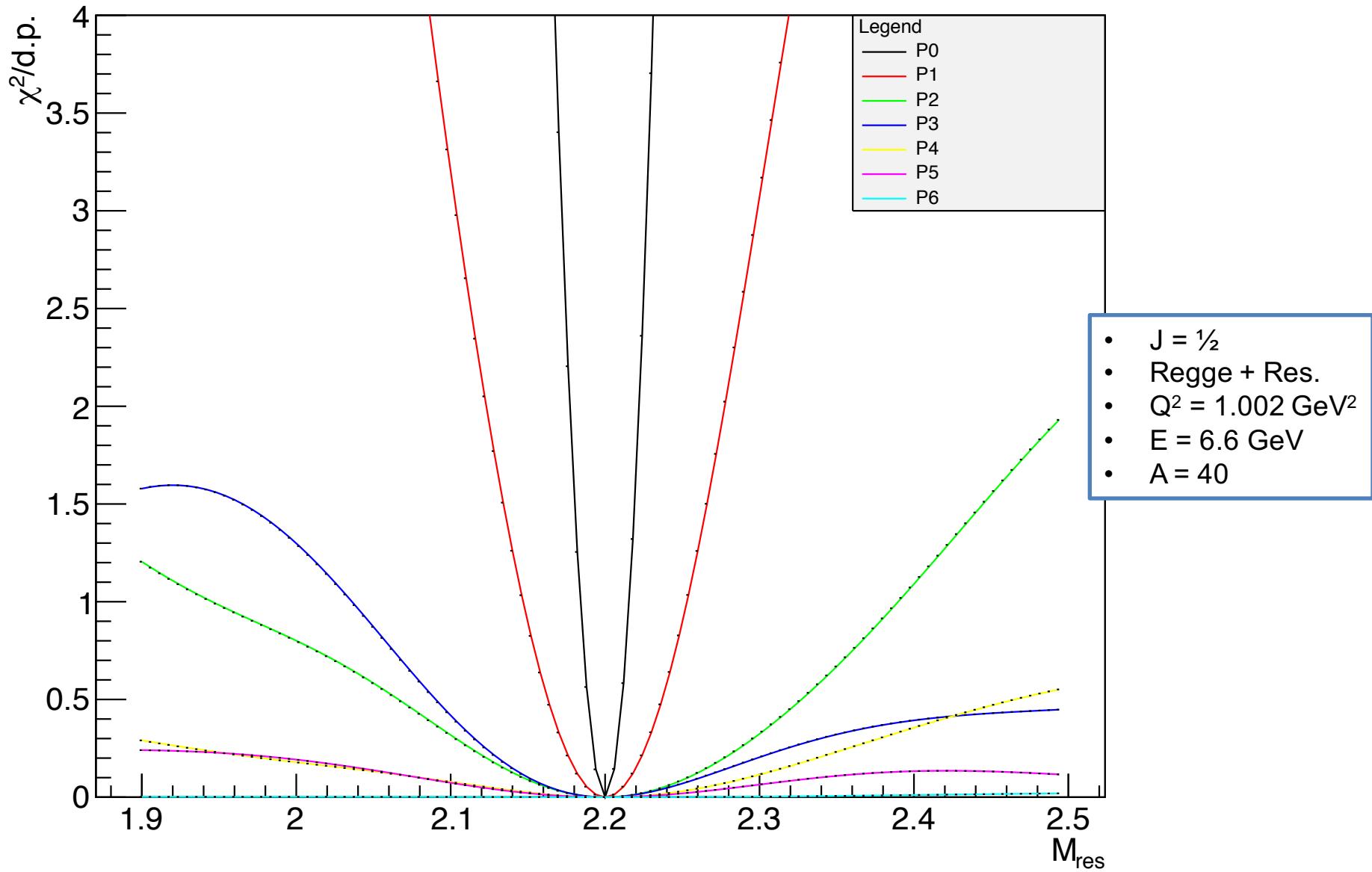
# $\mathbf{U}$ Legendre moment: $\chi^2$ vs $M_{\text{res}}$



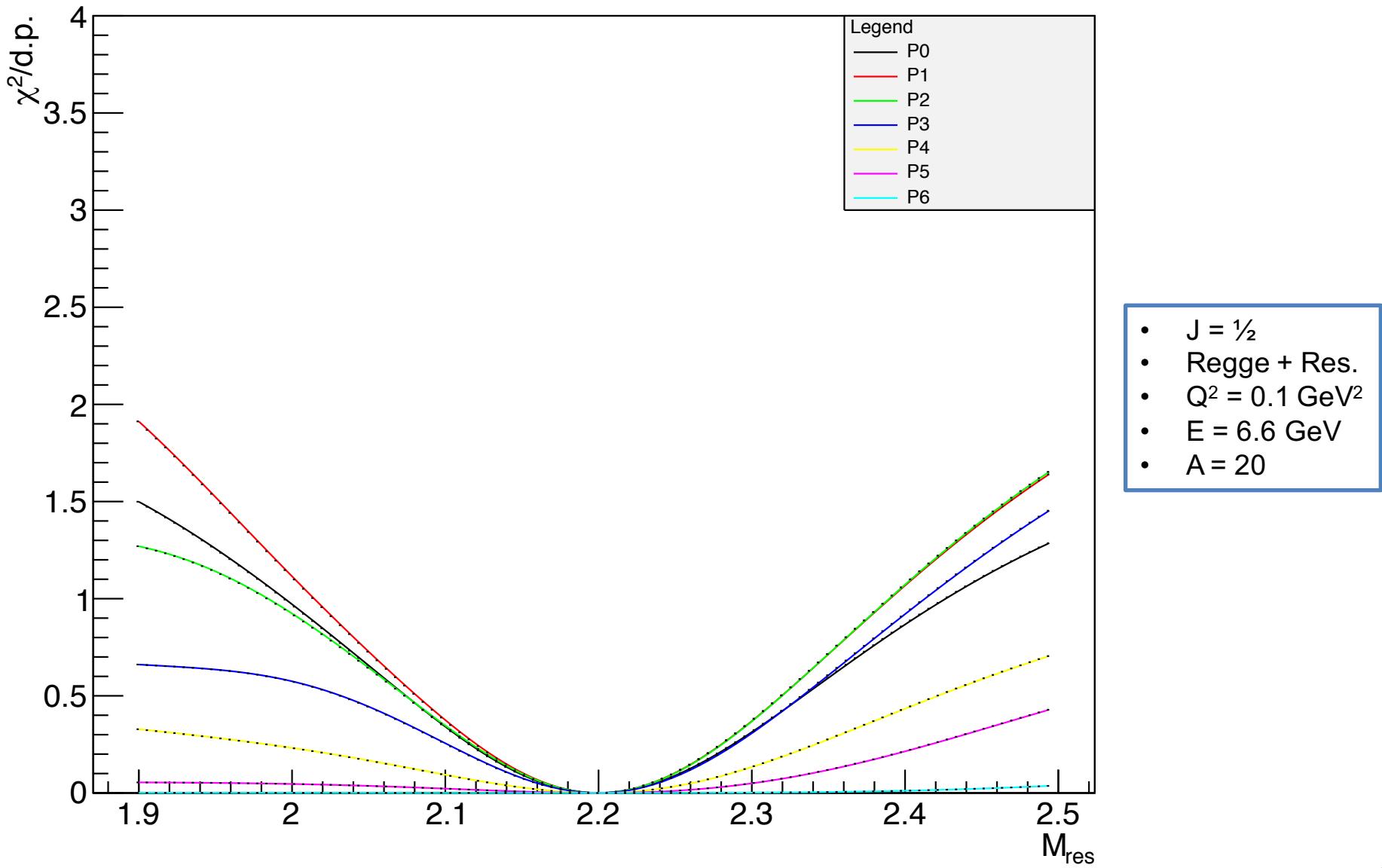
# $\mathbb{U}$ Legendre moment: $\chi^2$ vs $M_{\text{res}}$



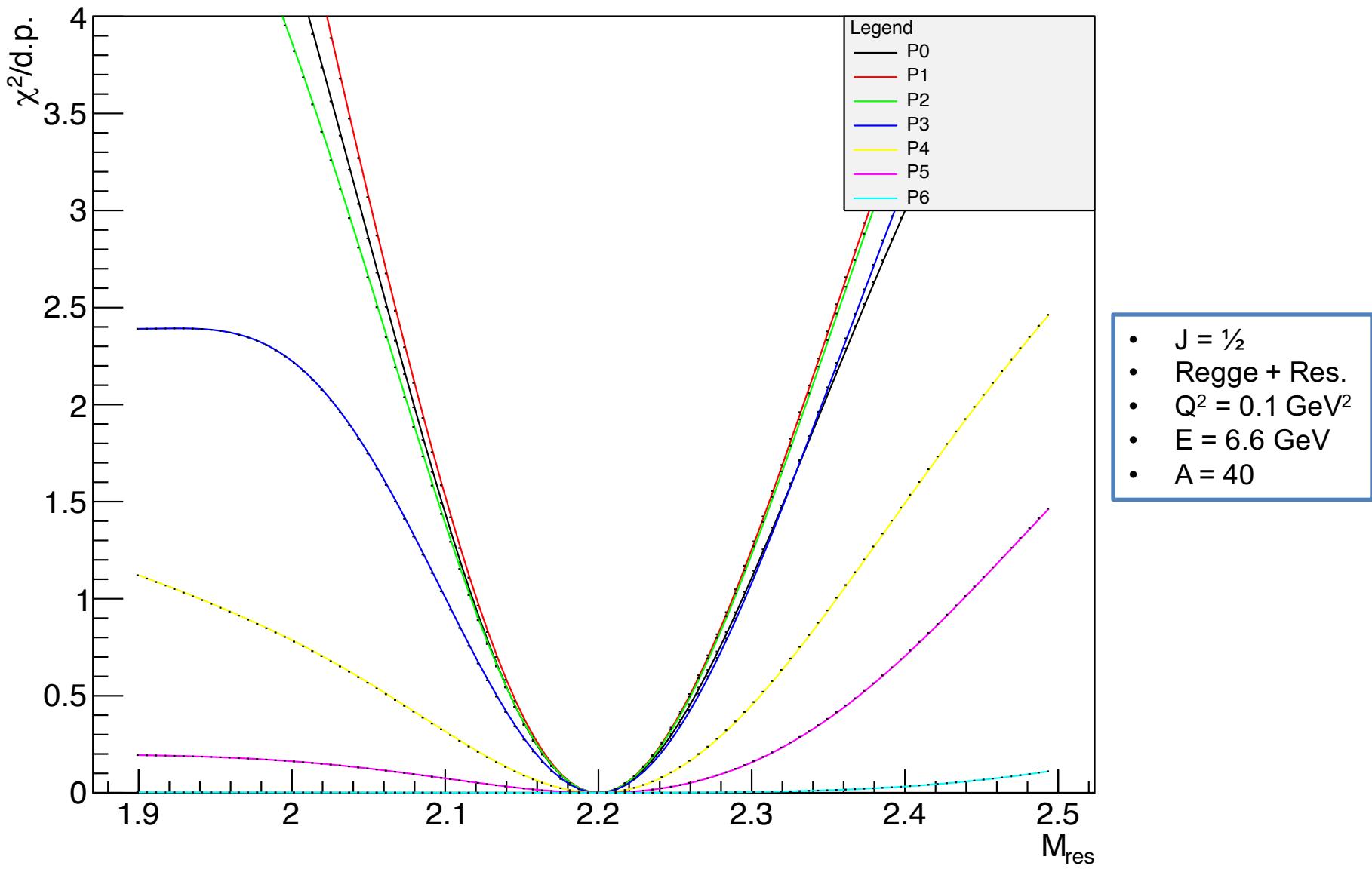
# $\chi^2$ Legendre moment: $\chi^2$ vs $M_{\text{res}}$



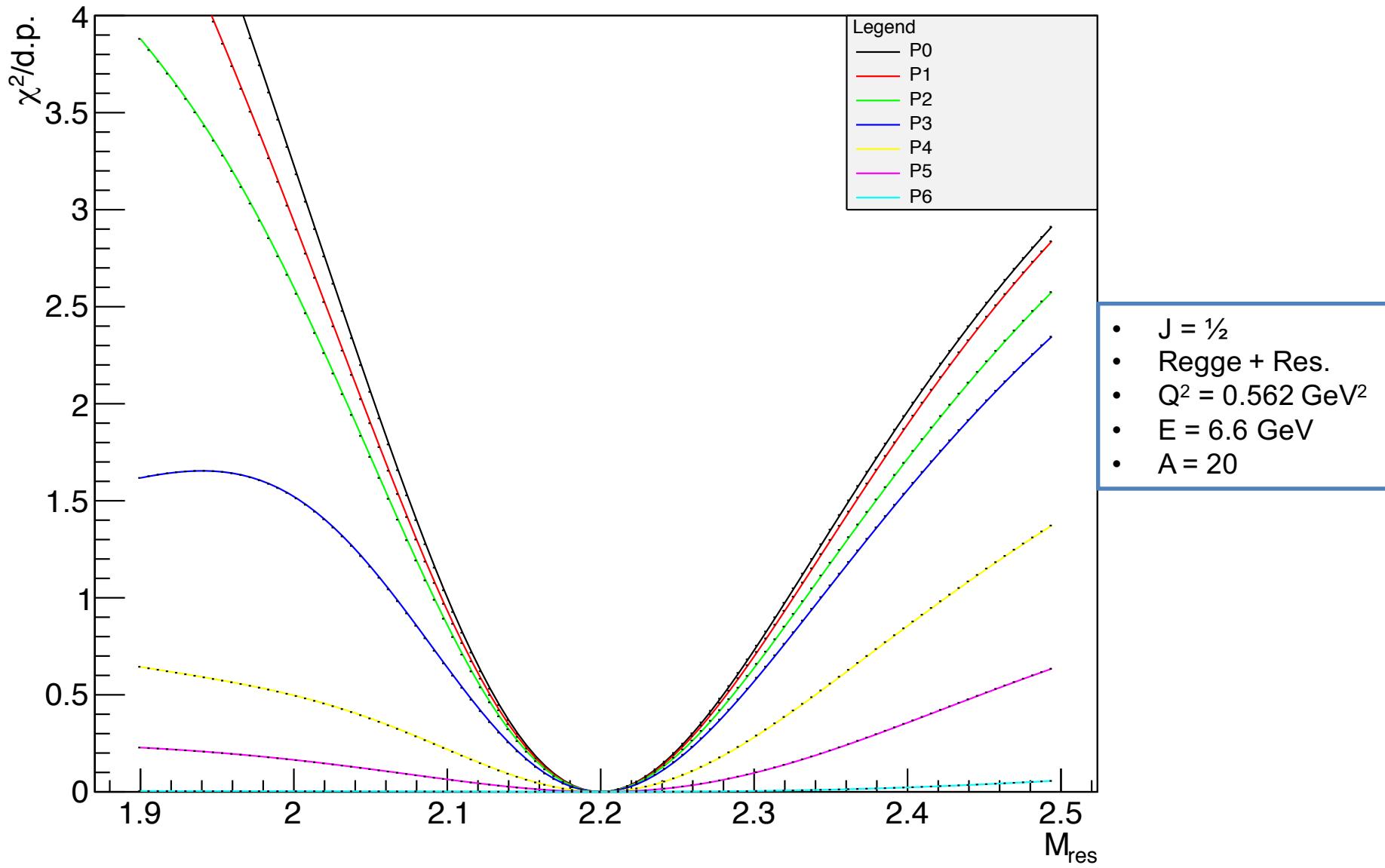
# LT Legendre moment: $\chi^2$ vs $M_{\text{res}}$



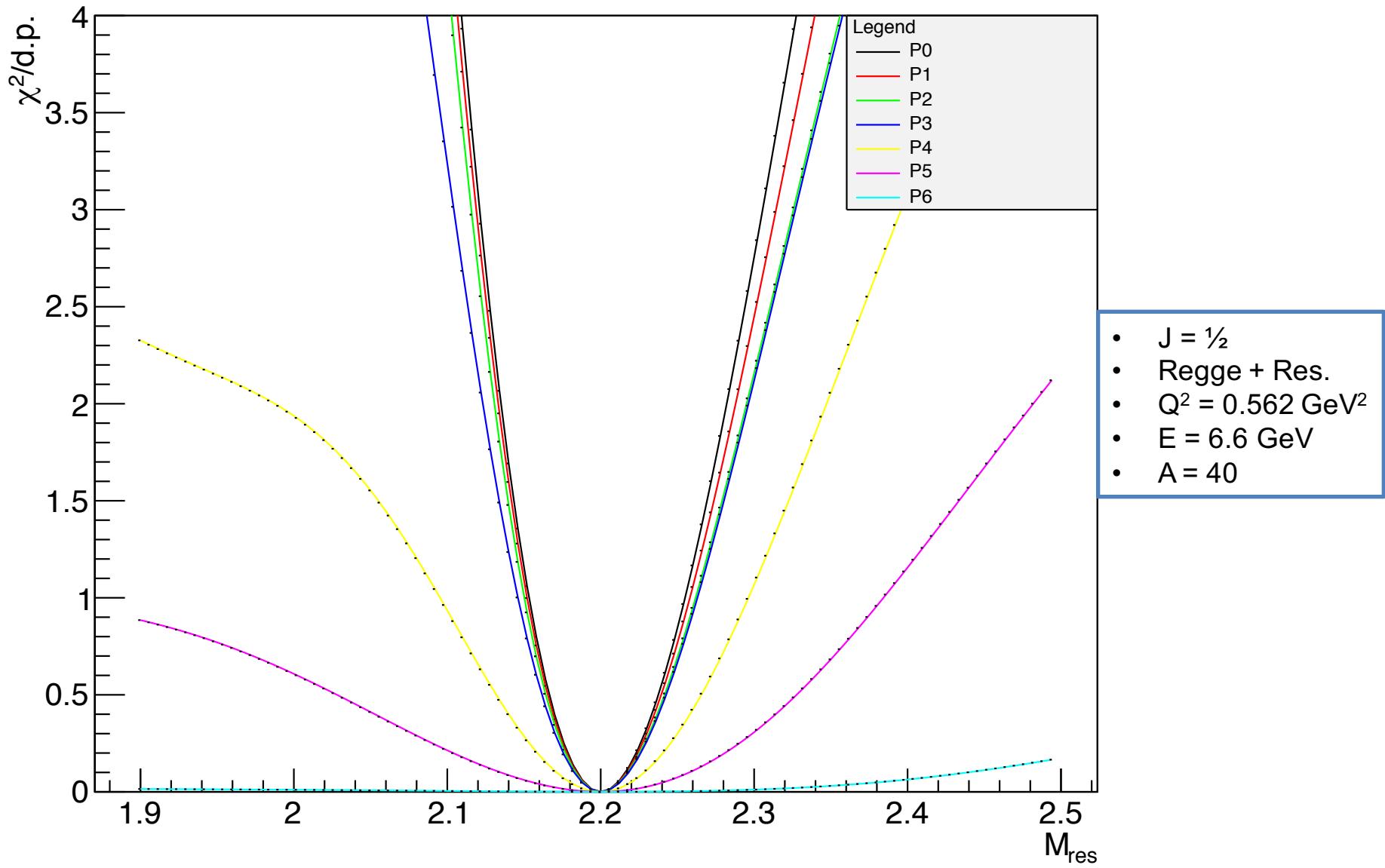
# LT Legendre moment: $\chi^2$ vs $M_{\text{res}}$



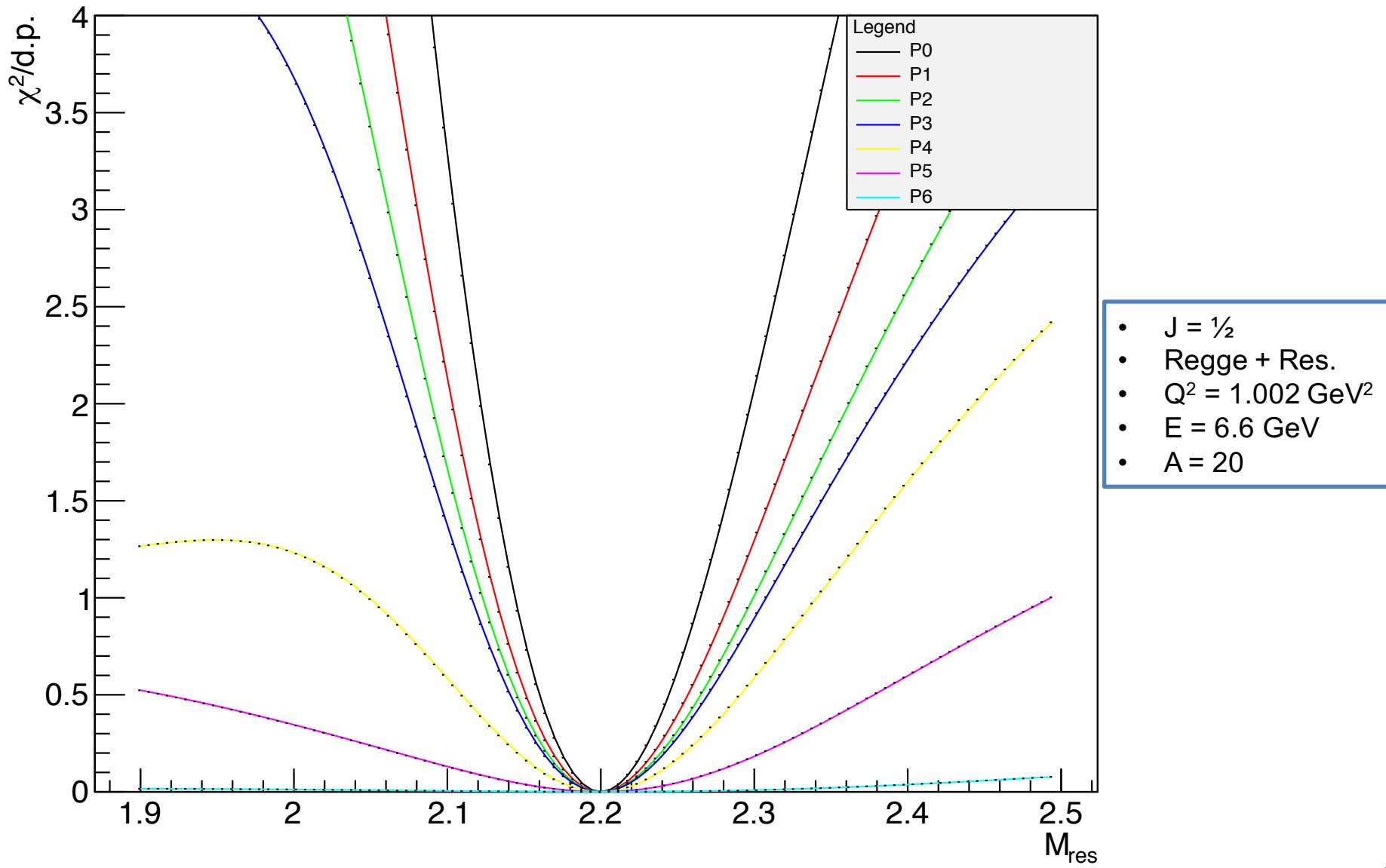
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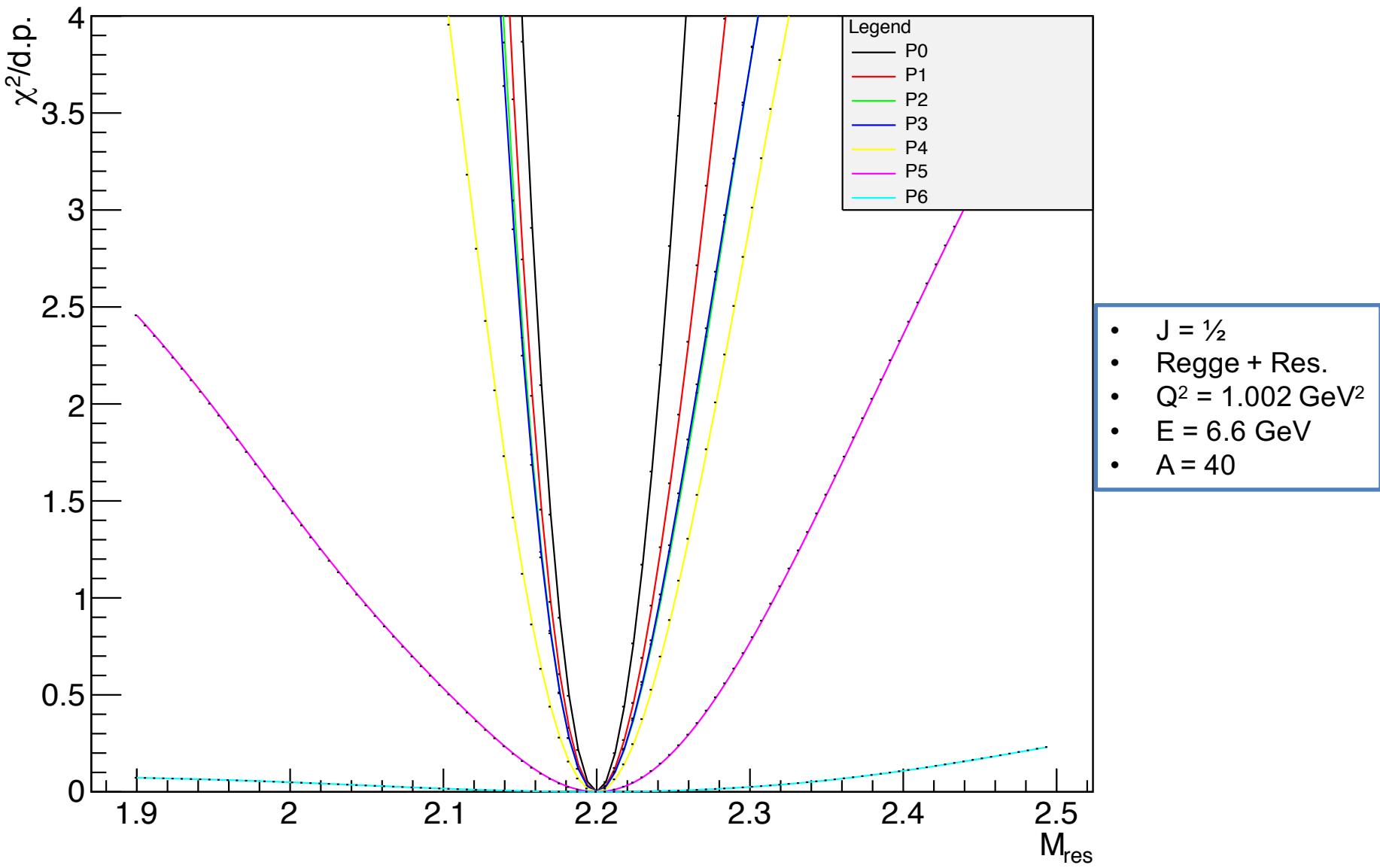
# LT Legendre moment: $\chi^2$ vs $M_{\text{res}}$



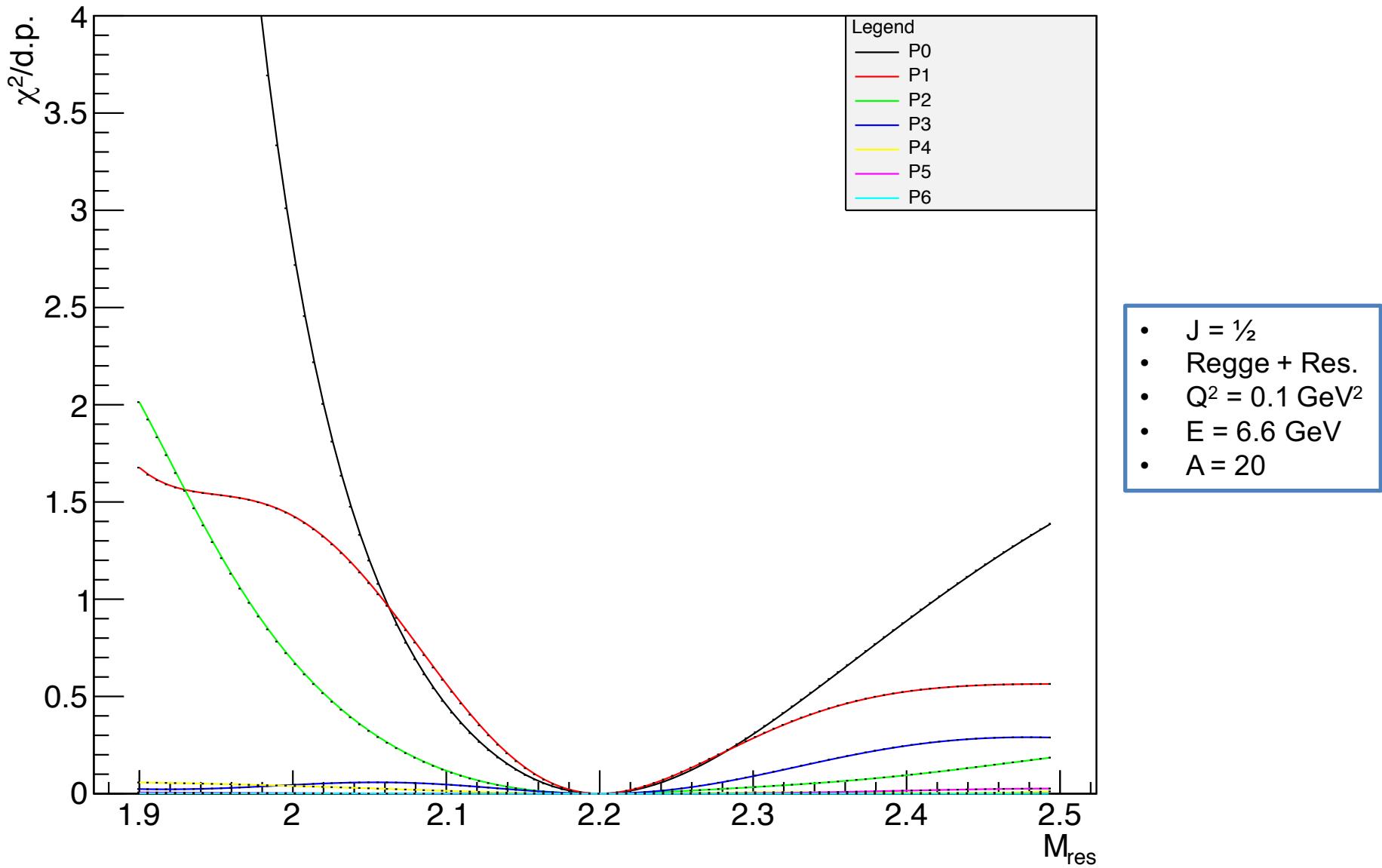
# LT Legendre moment: $\chi^2$ vs $M_{\text{res}}$



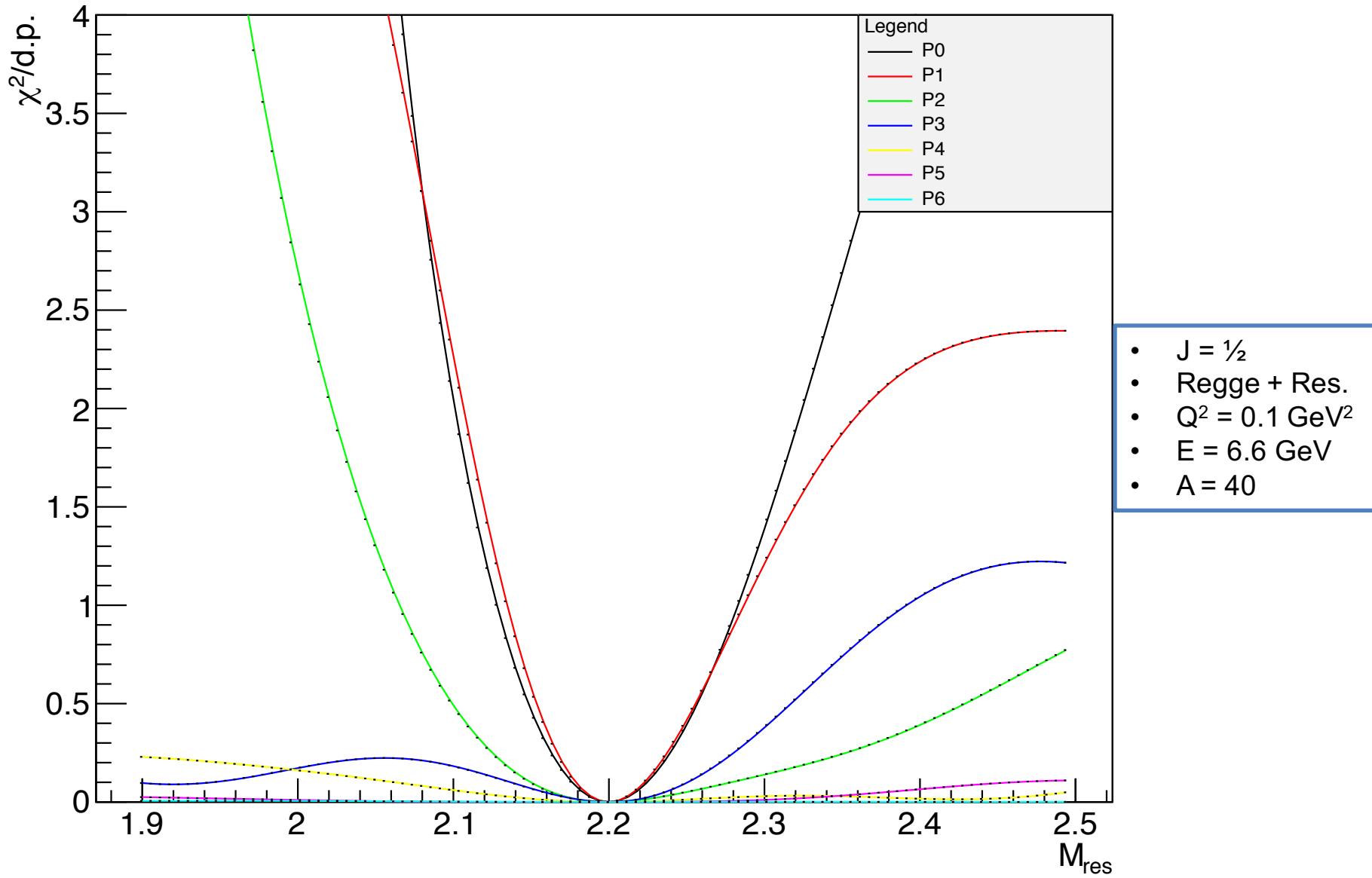
# LT Legendre moment: $\chi^2$ vs $M_{\text{res}}$



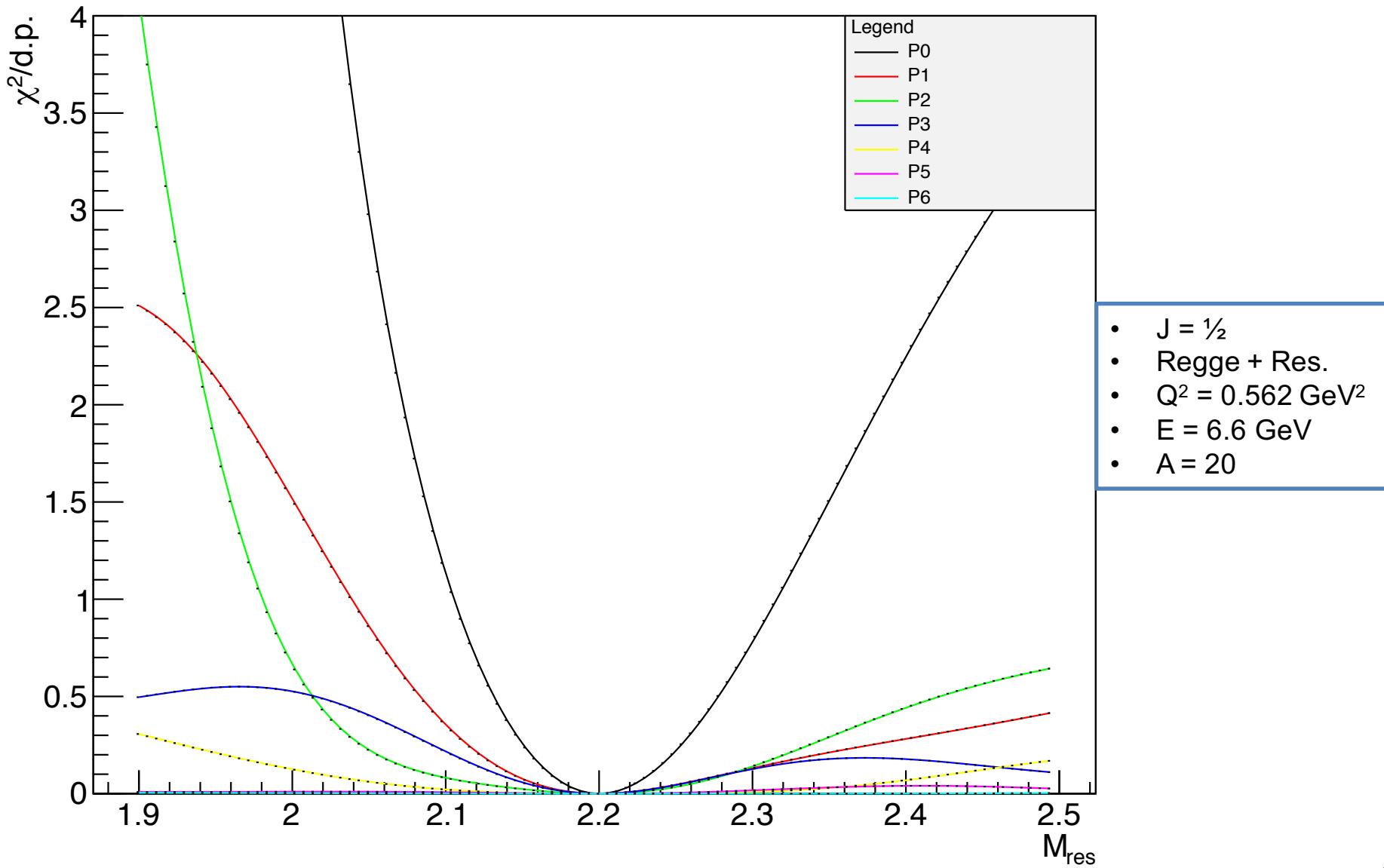
# TT Legendre moment: $\chi^2$ vs $M_{\text{res}}$



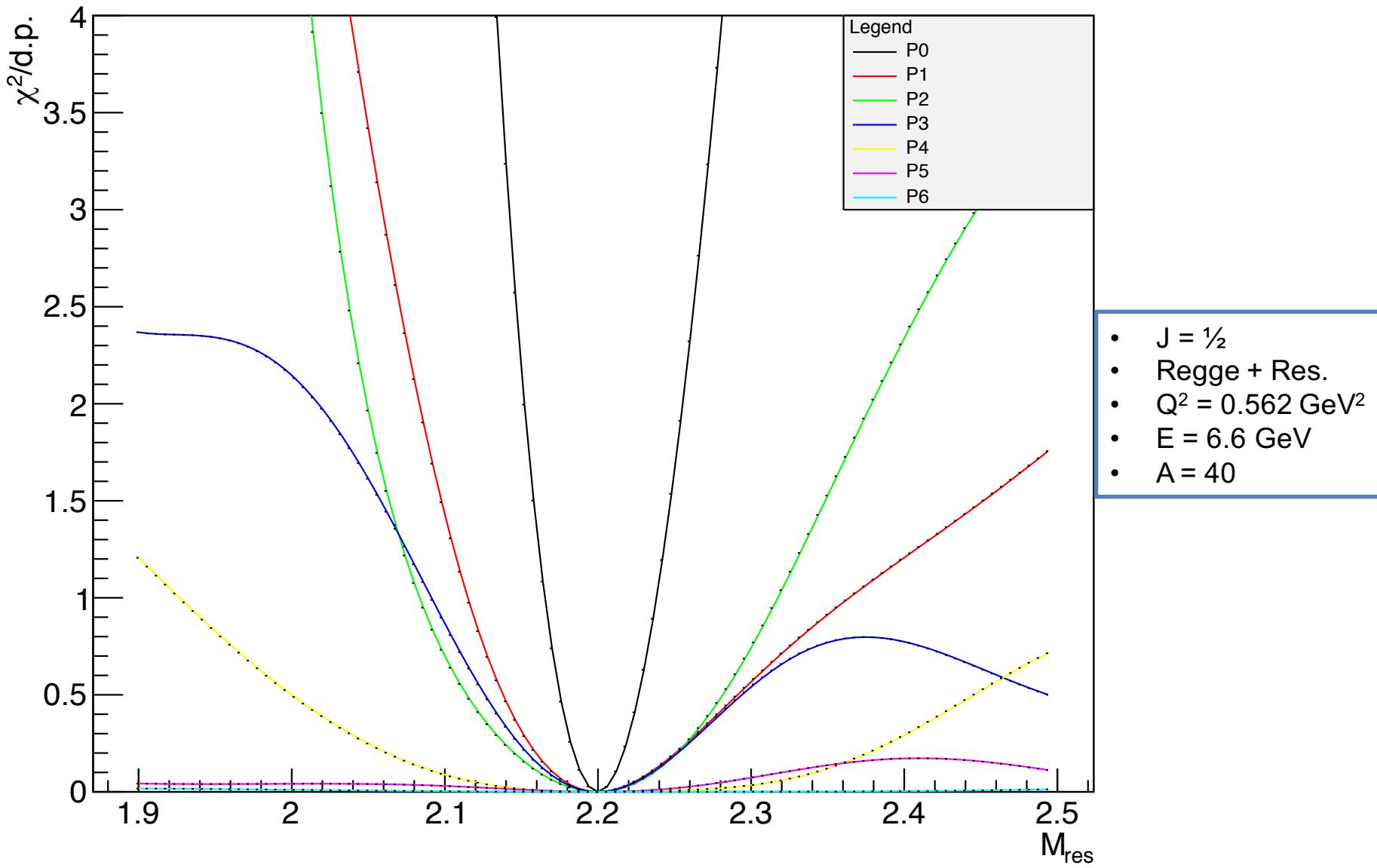
# TT Legendre moment: $\chi^2$ vs $M_{\text{res}}$



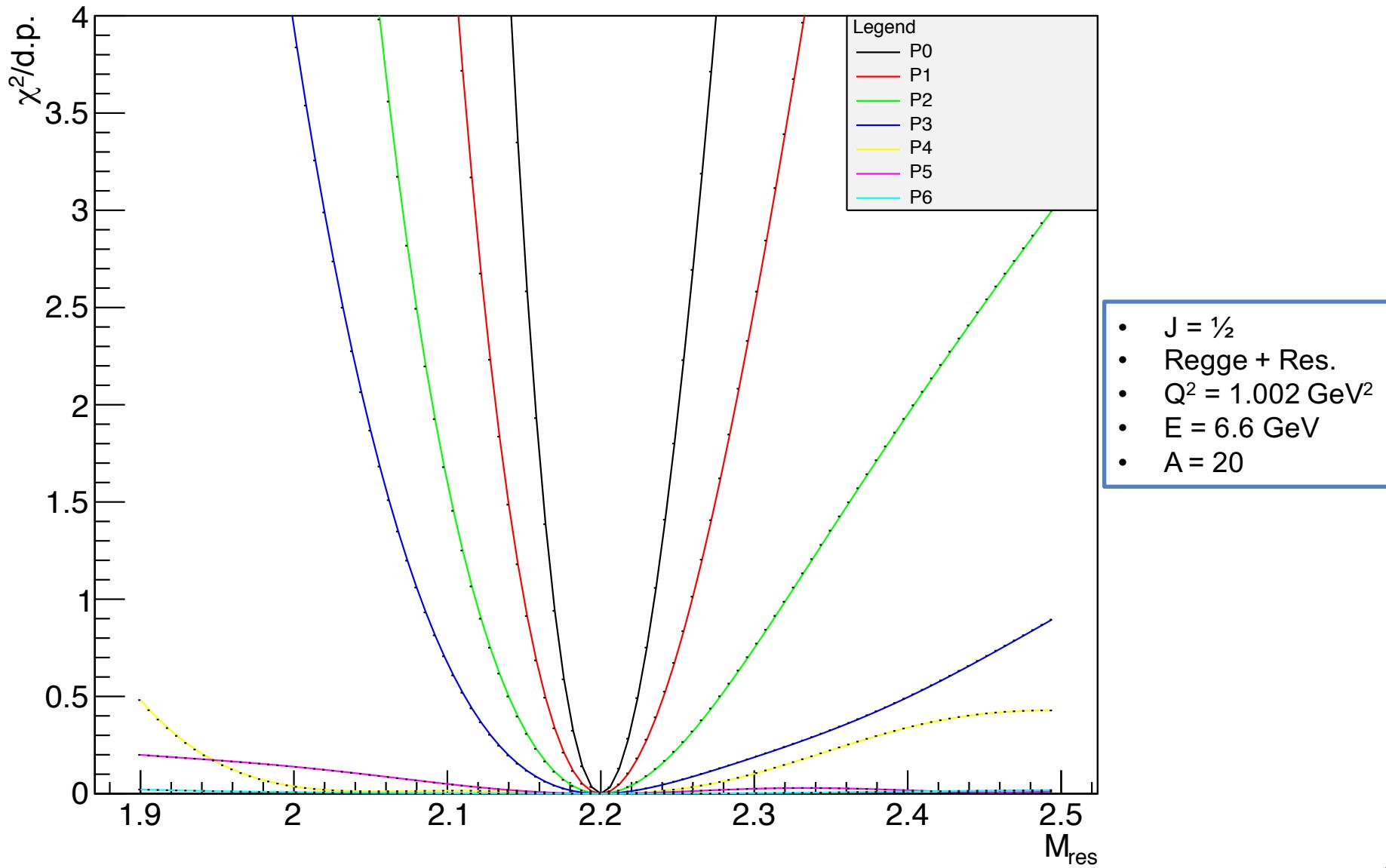
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